TESTING AND EVALUATION

OF

DAMAGED JACKET BRACES

FINAL REPORT

CONFIDENTIAL

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by

PMB Engineering Inc

and

Texas A & M University

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EXECUTIVE SUMMARY

This report documents the work performed and the results of the joint industry project, "Testing and Evaluation of Damaged Jacket Braces". The project was funded by nine industry participants and conducted by PMB Engineering with testing performed by Texas A&M University.

The purpose of the project was to determine the reduction in load carrying capacity that occurs to tubular members because of in-service damage. This was carried out by testing twenty salvaged braces and comparing the resulting ultimate and residual capacities to the values calculated using finite element beam column models of the damaged braces.

The first task of testing the braces was performed at Texas A&M. The braces were examined for damage, catalogued, equipped with strain gages and mounted in the test frame. Then they were loaded with increasing axial load until failure occurred. Failure was generally located in areas of obvious damage. Results of the tests were then compiled and compared against the response which was calculated by PMB.

PMB performed the second of the two primary tasks, that is the formulation of an analysis method and computer modeling technique to predict the response of the individual braces to axial load. This task resulted in two PC programs. The first was a simple prediction method for peak load in a damaged member. The other was a program to determine damaged member characteristics for use in generating a finite element beam column model. The FEA model was then used to predict the full response of the member including peak load and the nonlinear response or residual capacity of the member.

The results of the test program and the analysis predictions were compared. In general the predictions exceeded the actual capacities by an average of around 20%. Variations ranged from under predictions of 25% to over predictions of as much as 76%. Agreement is not as good as that shown by other investigations. This may be due to the use of new or artificially damaged samples in other programs.

The response of members with multiple forms of damage were generally dominated by one damage state. Yielding in areas of reduced wall thickness was a common failure mode in members with significant corrosion. This usually occurred at levels less than would be predicted by the beam column method.

The project has provided valuable information on the response of damaged tubular braces and the ability to predict damage dominated responses. Additionally, it has shown that further work is justified in more completely understanding this problem area or in developing remedial actions to account for the limitations of the present understanding.

1.0 INTRODUCTION

This report documents the results of a joint industry study to test and evaluate damaged jacket braces. The work was performed by PMB Engineering Inc. with the testing portion of the project subcontracted to Texas A & M University. Funding for the project was from a joint industry effort with nine participants.

1.1 Objective

The objective of the study was to observe the buckling and post buckling behavior of full scale, damaged jacket braces and to compare this with analytical predictions. This was achieved by the use of testing to determine the ultimate capacity of tubular members which had been subjected to different types of in-service damage. The study addressed corroded and damaged member capacities by testing members that had been removed from the participants' salvaged platforms. Thus, the test specimens were full scale and exhibited characteristics of members that have been in service for varying periods of time. The results obtained from the testing program were therefore representative of components that are currently in service.

The test results contributed to an improved understanding of the loss of strength due to corrosion and damage in two ways:

The observed capacity of the tested members gave information about the strength that could be expected from similar, in situ, members.

The comparison of test data to analytical procedures that were developed for the project and to the Denta II program provide a basis for future analytical evaluation of in-service members.

1.2 Background

A major source of uncertainty in the computed reliability of offshore structures is the extent to which the structure's strength degrades with time in service. This uncertainty not only affects the design of new structures, but also is a key factor in determining if an existing facility will survive its design life, whether damaged members must be fully restored to their original strength and whether a salvaged structure can safely be reused at a new site. Thus, in addition to being a significant safety issue, the matter can have major economic consequences for the offshore industry.

Visual inspection (for dents and corrosion holes) and ultrasonic measurements (to quantify losses due to corrosion and indicate material cracks) are two methods for determining the physical deterioration of a structure. Even after these observations have been made, though, there is little historical evidence to indicate how much this deterioration reduces the structure's strength. In the past, some information has been obtained from the results of tests on small-scale, artificially damaged members. It has been difficult, however, to extrapolate these scale model results to the full scale components. Few comparisons of small scale to full scale test data are available in the literature.

In one full scale study (1) two dented specimens were tested in compression. The specimens had diameters of 40 and 60 inches and were approximately 80 to 90 inches long. They were new, non-corroded specimens which had been artificially dented. The damaged members exhibited very little loss of strength due to denting, but this was largely attributed to the test's fixed end conditions and the relative shortness of the members. These tests did not include any corrosion effects. The results were not very helpful for predicting the behavior of more slender members.

The study which most closely approximated this study involved the testing of four members which had been salvaged from a structure after 12 years of service in the North Sea (2). These specimens were approximately 25 feet long and had diameters of 12 and 16 inches. They were "in good condition as

regards to straightness, circularity, thickness, and freedom from corrosion and denting." One of the specimens was artificially bent before axial testing and another was artificially dented. The results obtained were in good agreement with the results of: a) prior tests of virgin full scale specimens, b) small-scale tests of virgin and damaged specimens and c) strength prediction curves in the API and DNV design recommendations. Although these limited results seemed to suggest that present models may be adequate for some bent or dented members with little or no corrosion, they gave no information on the magnitude of corrosion effects, or on the interaction of corrosion effects with denting or bending effects. In addition, artificially induced damage may not adequately represent damage that occurs in service.

1.3 Participants and Representatives

This project was funded by nine companies representing oil & gas operators, contractors, and regulators. Each of these organizations has been represented by very capable and consciencious individuals. Their input to the project is greatly appreciated.

The following is the list of participants and their representatives;

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2.0 SCOPE OF WORK

The two primary tasks of the project were the testing to failure of damaged tubular braces by application of axial load and the independent calculation of the ultimate capacity of each of the damaged braces. Comparisons of the results were performed to indicate how well the calculated capacity and test data correlated.

Twenty-one tubular bracing members were selected and removed from the participants' salvaged jacket structures for use in the test program. The specimens were selected by PMB or the partipant's representative once the jackets had arrived at their respective onshore sites. Members were selected in order to have a sampling of damage including holes, dents and corrosion. Where possible, varying lengths and diameters were chosen to get samples of various L/r and D/t values. After selection, the members were transported to the Structural Testing Laboratory of Texas A & M University.

2.1 Testing

In the laboratory, visual and ultrasonic inspection methods were used to quantify the types and the extent of apparent damage in each member. After this inspection was completed, each member was loaded to failure in compression in a 1.8 million pound load frame designed and fabricated for the project. The stroke of the loading device was approximately two feet, so displacements that caused a 5% shortening of the members could be applied. This allowed accurate observation of the post-buckling residual strength of each member, as well as the maximum load to which the component could be subjected.

The components used in this study were tested as closely as possible to an "as is" condition. The only significant preparation (detailed in Section 3.0) included: readying the ends for attachment in the load fixture, cleaning some surfaces for the application of strain gauges and removing welded attachments by flame cutting. Twenty members were tested and included the following:

- Seven members which exhibited some corrosion but no dents, holes or out-of-straightness, and
- 2. Thirteen members which exhibited varying degrees of denting, corrosion, corrosion holes and out-of-straightness.

No members were larger than 20 inches in diameter with a 0.5 inch effective wall thickness. The smallest member was 10.75 inch diameter with 0.264 inch effective wall thickness. The L/r varied from 35.5 to 108.5 and D/t from 30.2 to 66.7.

2.2 Analysis

An analytical model of each member was developed and analyzed to predict the compression behavior in the buckling stages. Various modeling approaches based on phenomenological models were employed. The buckling load, residual load, and slope of the unloading curve were determined for comparison with the test results. The intent was to determine the differences that exist between the damage-influenced prediction and the test results.

To facilitate the modelling and prediction capabilities of the project, two PC Fortran 77 programs were written. The first, DAMAGE, was a formulation of previous work on the ultimate capacity of damaged members. It gives an estimate of the peak capacity of a member with specific properties and damage. The other, EQUIV, was written to calculate the material characteristics for both the damaged and undamaged sections of the members for the subsequent computer model.

The properties calculated by EQUIV were input to the FEA beam column model of the individual braces. Axial loads were incrementally applied and the response of the member was determined. The response calculations were carried out as far as practical on the unloading curve to obtain the residual load capacity of each brace.

Additionally, Shell Oil Company provided the project with similar results from their DENTA II analysis of the twenty damaged braces. Following these independent analyses, the two sets of beam column results were compared against those obtained from the testing program. The two analysis approaches showed reasonable agreement to each other for all of the cases. The test results varied widely from those of the predicted results.

3.0 EXPERIMENTAL TEST PROGRAM

3.1 Introduction

The experimental program was conducted to evaluate the ultimate and postultimate behavior of twenty damaged tubular braces. The data obtained from this phase of the project were used to verify the analytical models described in Chapter 4. This phase of the project consisted of eight major tasks. These tasks were: 1) specimen collection, 2) specimen inspection and damage documentation, 3) specimen instrumentation, 4) full scale compression testing, 5) ultrasonic testing to determine wall thickness, 6) tensile coupon testing to determine material properties, 7) ring testing to determine effective wall thickness, and 8) data reduction and evaluation. Each of these tasks is described in greater detail in the subsequent sections.

3.2 Specimen Collection

The specimens tested were removed from jacket-type platforms that were being salvaged after having been in service for approximately 5-20 years. The specimens collected had varying types and degrees of damage. All damage found was typical of platforms with 5-20 years of service. The types of damage that occurred in the components included dents, observable cracks, initial out-of-straightness, corrosion, and corrosion holes. Specimen lengths varied from 17 feet to approximately 40 feet while diameters varied from 10.75 inches to 20 inches. Nominal wall thicknesses varied from 0.375 to 0.500 inches.

3.3 Catalog Condition

All specimens were numbered and their ends marked A and B for specimen identification and orientation. The A and B labels correspond to ends of the load frame as shown in Figure 3-1. Figure 3-1 also shows the coordinate system used in the reduction of the full scale test data. Each specimen was visually inspected to determine its usable length and overall condition. Observable dents, holes, or other damages were documented with respect to size, distance from end B, and circumferential distance from a reference chalk line. This chalk line was located at the top of the specimen (corresponding

to the +y axis) and extended the full length of the specimen. Photographic records of all damage and the overall condition of the specimens were also taken.

Dent damage was documented by recording the longitudinal location from end B and by measuring the depth of the dent at known circumferential locations from the reference chalk line. Measurements of dent depth were made perpendicular to the circumference on the specimen by using a light-gage tin strap and a ruler. The strap was wrapped tightly around the specimen such that the strap represented the undamaged circumference of the tube. The perpendicular distance between the specimen and the strap was then measured and recorded at every inch along the circumference in the dented region. These measurements were used to determine the cross-section profile of the dented area. By making successive measurements longitudinally along the pipe, a series of dent profiles for a dented region were produced.

Initial out-of-straightness of the specimen was also measured. Clamps were attached to the specimen at its ends, and a string was pulled taut then tied to each clamp at the same height above the surface at the ends of the specimen. Perpendicular measurements were made between the string and the member surface at one foot intervals along the specimen and at locations where the out-of-straightness appeared to be a maximum. The measurements were subtracted from the height of the string at the ends to obtain the magnitude of the initial out-of straightness. For specimens with out-of-straightness in two directions, additional clamps were placed on the ends of the specimens 90 degrees from the first clamps. The same measurements previously described were made to determine the out-of-straightness in the second direction.

Any attachments welded to the member were removed as close to the specimen surface as possible by flame cutting. Although it is unlikely that these features affected the behavior of the specimen, their location and size were documented with the other damage.

Whenever necessary, as much loose corrosion as possible was removed (with a hammer) from the outside surface of the specimens. This was done in order to evaluate the surface of the specimen and to facilitate the installation of

strain gages. The location of any localized heavy corrosion was recorded along with the location of corrosion holes. From visual inspection of the specimens, the severity of corrosion was rated as low, medium, or high, and the extent of corrosion was classified as local or overall. Photos of corroded specimens can be found in Figure 3-2a), 3-2b), and 3-2c) which represent low, medium, and high corrosion. Corrosion which occurred over a limited region of a specimen was classified as local corrosion while overall corrosion indicated that corrosion occurred along the entire specimen. Also shown in Figure 3-2d) is an example of overall medium corrosion with local high corrosion.

All damage was documented and presented in a damage summary for each specimen. In addition, photographs were taken of each damage location to provide a visual record.

3.4 Specimen Description

A brief description of each of the specimens tested is presented in this section. In addition, Table 3-1 contains a summary of the relevant geometric properties for each specimen including length, diameter, nominal wall thickness, diameter-to-thickness (D/t) ratio, and length-to-radius of gyration (L/r). The specimens were also identified as rolled fabricated pipe or manufactured seamless pipe as shown in Table 3-1. The type and magnitude of initial damage present on the test specimens are presented in Tables 3-2 and 3-3. Table 3-2 presents the type of damage present on each specimen while Table 3-3 further details the initial damage by listing the amount and extent of corrosion for each specimen, and the magnitude of initial denting and bending damage. For specimens with more than one dent or initial out-ofstraightness, the largest dent depth or out-of-straightness is given. An example of the detailed damage summary prepared for each specimen is shown in Figure 3-3. Figures 3-4 and 3-5 are examples of initial out-of-straightness and dent profile documentation, respectively. Complete descriptions of all specimens can be found in Appendix A. Given below are brief descriptions of each specimen.

Specimen 01: Specimen 01 was 19.6 feet in length, 18.00 inches in diameter, and had a nominal wall thickness of 0.375 inches. The specimen was initially straight with an 8 inch diameter and 0.50 inch deep dent, located 3'-2" from end B. In addition, the specimen was highly corroded.

Specimen 02: Specimen 02 had a length of 22.13 feet, an outside diameter of 18.00 inches, and a nominal wall thickness of 0.438 inches. The specimen had no dents or initial out-of-straightness, but it did have medium corrosion along its entire length and a localized region of high corrosion.

<u>Specimen 03</u>: Specimen 03 was 24.20 feet long with an outside diameter of 18.00 inches and a nominal wall thickness of 0.375 inches. Overall medium corrosion and localized high corrosion were the only kinds of damage for this specimen.

Specimen 04: Specimen 04 had a length of 34.73 feet, an outside diameter of 12.75 inches, and a nominal wall thickness of 0.375 inches. The specimen was not dented, but was initially bent 1.31 inches in the vertical (y-z) plane. The overall corrosion along the specimen was low with a region of medium corrosion.

Specimen 05: Specimen 05 was 18.52 feet in length and 18.00 inches in diameter with a nominal wall thickness was 0.375 inches. This specimen was initially straight with high corrosion over its entire length. It had a small corrosion hole near end B, and a 9 inch diameter, 0.50 inch deep dent located 5'-7" from end B.

<u>Specimen 06</u>: Specimen 06 had a length of 39.5 feet, an outside diameter of 20.00 inches, and a nominal wall thickness of 0.500 inches. This specimen had no visible damage.

<u>Specimen 07</u>: Specimen 07 was 39.46 feet in length with an outside diameter of 12.75 inches and a nominal wall thickness of 0.375 inches. The specimen was initially straight with low corrosion and had an 8 inch diameter, 1.5 inch deep dent located near its midspan.

Specimen 08: Specimen 08 was 26.63 feet long, 10.75 inches in diameter, and had a nominal wall thickness of 0.375 inches. It was initially straight, but had a 5 inch diameter, 0.25 inch deep dent, 3'-8" from end B. The specimen had medium corrosion over its entire length and a localized region of high corrosion.

Specimen 09: Specimen 09 had a length of 22.04 feet with an outside diameter of 14.00 inches and a nominal wall thickness of 0.500 inches. There was low corrosion on the specimen and no dents or initial out-of-straightness.

Specimen 10: Specimen 10 was 31.60 feet in length and 14.00 inches in diameter with a nominal wall thickness of 0.500 inches. The specimen was initially straight with no dents. The amount of corrosion was low, and there were three small torch holes in the wall of the specimen 26 feet from end B.

Specimen 11: Specimen 11 was 28.96 feet in length with an outside diameter of 10.75 inches and a nominal wall thickness of 0.375 inches. The specimen was initially straight with no dents and had low corrosion.

Specimen 12: Specimen 12 had a length of 39.48 feet, an outside diameter of 12.75 inches, and a nominal wall thickness of 0.375 inches. The specimen was initially straight but was highly corroded. In addition, there were two holes with some denting and a third dent with no hole. The largest dent depth on the specimen was 3 inches.

Specimen 13: Specimen 13 was 24.13 feet in length with a 12.75 inch outside diameter and a nominal wall thickness of 0.375 inches. This specimen was initially bent in both the vertical (y-z) and (x-z) horizontal planes. The largest out-of-straightness was 8.13 inches in the y-z plane. There were also four large dents on the specimen and high overall corrosion.

Specimen 14: Specimen 14 had a length of 16.75 feet and was the shortest specimen tested. The outside diameter was 12.75 inches with a nominal wall thickness of 0.375 inches. This specimen was initially bent in both the vertical (y-z) and horizontal (x-z) planes with the largest initial deflection being 2.88 inches in the y-z plane. There were three dents located near end B and heavy corrosion over the entire length. Two small corrosion holes and an area in which the wall was very thin were located at 4'-9" from end B. In addition, the overall corrosion along the specimen was very high.

Specimen 16: Specimen 16 was 28.77 feet in length and 12.75 inches in diameter with a nominal wall thickness of 0.375 inches. This specimen was also bent in both the vertical (y-z) and (x-z) horizontal planes with a maximum out-of-straightness of 6.63 inches in the y-z plane. There were four small dents along the specimen with a maximum dent depth of 0.25 inches. This specimen was composed of two pipe segments with the same outside diameter but different wall thicknesses. The two segments were connected by a collar welded to both pipes. Corrosion was low over the entire specimen.

Specimen 17: Specimen 17 had a length of 31.17 feet, an outside diameter of 12.75 inches, and a nominal wall thickness of 0.375 inches. The specimen was initially bent in the vertical (y-z) plane. In addition, there was a dent along the top of the specimen located 19 feet from end B. The maximum out-of-straightness was 4.75 inches, and the dent was 8 inches wide and 1.375 inches deep. There was low corrosion on the specimen.

Specimen 18: Specimen 18 had a length of 17.08 feet, an outside diameter of 10.75 inches, and a nominal wall thickness of 0.375 inches. This specimen was initially out-of-straight 0.88 inches in the vertical (y-z) plane and had medium corrosion over the entire length of the specimen with a localized high corrosion region. In addition, there were seven small dents on the specimen. The largest of these dents was located 5 feet 4 inches from end B and was 8 inches wide and 0.375 inches deep.

Specimen 19: Specimen 19 was 37.27 feet in length with an outside diameter of 16.00 inches with a nominal wall thickness of 0.375 inches. The specimen was initially straight with no dents. There was medium overall corrosion and a 70 inch crack in a longitudinal welded seam near end A.

Specimen 20: Specimen 20 had a length of 34.67 feet, an outside diameter of 12.75 inches, and a nominal wall thickness of 0.375 inches. The specimen was initially straight with high corrosion and no denting.

Specimen 21: Specimen 21 had a length of 22.33 feet, an outside diameter of 16.00 inches, and a nominal wall thickness of 0.375 inches. This specimen was initially straight with no denting. There was a medium amount of corrosion over the entire specimen, and there was a corrosion hole near end A. There was also a 95 inch long longitudinal crack through the wall of the specimen near end A.

3.5 <u>Instrument component</u>

Each test specimen was instrumented with thirty electric resistance, 350 ohm, foil strain gages. Six strain gages were mounted, equally spaced, around the circumference at five locations along the specimen. Whenever possible, the first and last ring of strain gages were placed three specimen diameters from each end. The remaining three rings of gages were equally spaced between the first and last rings as shown in Figure 3-6. For short specimens, with large diameters, an end spacing of three diameters was greater than the resulting

equal spacing between the interior rings. For these specimens all the rings were equally spaced along the specimen. Finally, if a ring was to be located at a damaged area it was moved to the nearest undamaged location on the specimen.

The location of all thirty strain gages was carefully documented for later use in the data reduction. The longitudinal distance from end B of the specimen to each strain gage was recorded as well as the circumferential distance from the reference chalk line. With these measurements, the x, y, and z coordinates of the each strain gage was determined.

3.6 Full Scale Testing

- 3.6.1 Load Frame. The full scale specimen testing was carried out in a 1.8 million pound load frame specifically designed and built for this experimental study. The load frame, shown in Figure 3-7, consists of three 58 feet long, W24 x 104 members which serve as the tension legs of the load frame. The legs are held in position by a fixed headstock and fixed tailstock. Three 300 ton capacity, four foot stroke, jacks are attached to the fixed headstock, and positioned so that the resultant load acts through the centroid of the headstock. The jacks apply load to the specimens through a movable headstock which, along with the fixed tailstock, serve to hold the specimen in position. The movable headstock corresponds to end A of the test specimens while end B corresponds to the fixed tailstock.
- 3.6.2 <u>Specimen Preparation</u>. After mounting the strain gages, the specimen was prepared for testing. The ends of the specimen were ground smooth to provide good contact between them and the load frame. After the ends were ground, the specimen was placed horizontally in the load frame and positioned so that its centroid coincided with the line of action of the resultant load of the jacks. The specimen was held in place at each end by three clip angles located 120 degrees around the circumference of the specimen as shown in Figure 3-8. These angles provided restraint against end translation but provided no restraint against end rotation. Further discussion of the end conditions is presented in Section 3.12.3.

With the specimen in the load frame, six hooks were welded on the specimen to attach the instrumentation for measuring the horizontal and vertical displacements. The strain gages were then soldered to the lead wires of the data acquisition equipment.

Although every effort was made to grind the ends of the specimens smooth, it was very difficult to get them to fit flush with the headstock and/or tailstock. For specimens with initial bending, it was impractical to attempt to grind the ends such that they were flush with the tailstock and headstock of the load frame. As a result, the ends of the specimens were shimmed with thin pieces of steel in order to ensure uniform contact between the load frame and the specimen. This significantly reduced the eccentricity of the applied load prior to the ultimate or buckling load. It should be noted that the first two specimens tested, specimens 06 and 12, were not shimmed.

3.6.3 <u>Instrumentation</u>. As mentioned earlier, the specimen was instrumented with thirty strain gages to measure normal strains in the specimen. Strain gages were also mounted on the load frame to measure the applied load. Pairs of strain gages were mounted on the three legs near the midspan of the load frame as shown in Figure 3-9. The gages on each leg were mounted on diagonally opposite flanges at equal distances from the flange edges. During data reduction, the readings from the two diagonal gages (40 and 42, 43 and 45, 46 and 48) were added to negate any strain induced from incidental bending in the leg. The average of the two strains is then the average axial strain in the leg. The sum of the axial strains in the three legs is then used to compute the total load in the frame, and thus, the total compressive load in the specimen.

The chord shortening of the specimen was measured with three wire displacement transducers (hereafter called stringpots) placed between the tailstock and the movable headstock. These displacement transducers were placed one hundred twenty (120) degrees apart on the movable headstock at equal distances from the centerline of the headstock. The resultant chord shortening was determined by averaging the three stringpot readings.

Past the peak load, it was possible for the specimen end to rotate away from the headstock or tailstock. To measure this rotation, two dial gages with magnetic bases were attached 180 degrees apart at the specimen ends as shown in Figure 3-10. The dial gages were read at each load step and appropriate corrections were made to the chord shortening measurements taken from the stringpots.

Finally, the horizontal and vertical displacements of the specimen were measured at the first and last rings of strain gages and midway between these two rings. These measurements were taken by displacement transducers attached to the load frame and hooks welded on the specimen.

- 3.6.4 <u>Testing</u>. The specimen was tested in axial compression. Load was applied by advancing the movable headstock at timed increments. The load was allowed to stabilize and three sets of load, lateral displacement, chord shortening, and strain data were taken at each load step. The dial gages used to monitor the specimen end rotation were also read at each load step. The specimen was subjected to increasing axial deformation until one of the following occurred: 1) the specimen contacted the load frame or ground or 2) the safety of further testing was in doubt.
- 3.6.5 <u>Data Acquisition</u>. Load, displacement, and strain data measured during the full scale compression test was collected and recorded using the FASTBOX. The FASTBOX is a high-speed data acquisition system designed for Texas A&M University. At each data step, the FASTBOX sampled and read the forty-nine channels of data, saved the data on a standard 5-1/4 inch floppy disk, and generated a printout of the data. The four dial gages on the specimen were manually read and recorded at each load step.
- 3.6.6 <u>Results</u>. The full scale compression tests provided information on the buckling and post-buckling behavior of damaged tubular members. The ultimate strength, chord shortening, and lateral displacement were obtained by simple reduction and/or correction of the raw data. The effective length and wall thickness of the specimen as well as the eccentricity of the applied load was determined from a more rigorous reduction and analysis of the data.

The measured chord shortening, load, and horizontal and vertical displacement data were reduced by means of the computer program, DISPLAC, written specifically for this test program. A listing of this program can be found in Appendix B. The load at any step was calculated by multiplying the sum of the average axial strain in each leg of the load frame by the modulus of elasticity (29,500 ksi) and cross-sectional area of a W24 X 104. The chord shortening was computed as the average of the three chord shortening measurements with the appropriate dial gage corrections applied for end rotation. The resolution of the horizontal and vertical measurements to the actual horizontal and vertical displacements was not as simple. Due to the large deformations involved, the measurements provided by the displacement transducers (Δx and Δy) were not actual horizontal or vertical displacements. Instead each reading was a combination of these two displacements as shown in Figure 3-11. At each location, two quadratic equations can be written that relate the measured to the actual horizontal and vertical displacements (δ_h and δ_v). These two equations were solved simultaneously to determine the actual displacements.

The least-squares error analysis algorithm, CURVE, was written that produces the best-fit curvature and displacement for the thirty channels of measured strain gage data and the six channels of measured lateral displacement data. The derivation of this formulation and a listing of the computer code can be found in Appendix C. The curvature, the displaced shape, and the effective length of the member, in the pre-buckling and post-buckling regions, were determined from the analysis. In addition, the eccentricity of the applied load was computed based on 1) the lateral displacement at the points of inflection and 2) the moments at the end of the member.

Since the inflection point is a location of zero moment, the resultant load must pass through the centroid of the cross-section at that point. Thus, the eccentricity of the resultant load was determined by computing the lateral deflection of the member at the location of the inflection points in the program CURVE. In addition, the end moments were computed at each data step by multiplying the member curvature at each end by the modulus of elasticity and moment of inertia of the specimen. The end moment was then divided by the

measured load to compute the eccentricity of the load. A summary of these formulations and a listing of the computer program, ECC, used to compute the eccentricities from the calculated end moments can be found in Appendix D.

The overall effective wall thickness was computed for each specimen using the results from the CURVE program. At each load step, the axial strain component, C, from the least-squares fit of the measured strain data was used with the measured load data and the modulus of elasticity to compute an effective wall thickness. Appendix E contains a description of this calculation. The average of the computed wall thicknesses from the initial to the ultimate (buckling) load, was defined as the overall effective wall thickness.

3.7 <u>Ultrasonic Testing</u>

The wall thickness of the tubular specimens was determined by taking ultrasonic measurements at the thirty strain gage locations. Additional wall thickness measurements were taken on some specimens in areas of heavy corrosion and in regions of local buckling. A SONIC FTS Mark I instrument with a 220 Thickness Adapter was used with a Panametrics 0.5 inch diameter, 2.5 MHz, longitudinal transducer on all specimens. Ordinary lightweight grease was used for couplant.

3.8 Tensile Coupon Tests

3.8.1 <u>Specimen Collection and Preparation</u>. Upon completion of the full scale compression test, two coupons were taken from an unyielded region of each specimen. Each coupon, approximately 10 inches by 3 inches, was removed by flame cutting so that the long axis of the coupon was parallel to the longitudinal (z) axis of the specimen.

The specimens were then machined to the final configuration specified by ASTM E8-88 as shown in Figure 3-12. Both faces of the coupon were machined so that the 2-1/4 inch throat area had a constant cross-sectional thickness free from corrosion and pitting. The dimensions of the throat cross-section were accurately measured and recorded for use in the data reduction.

3.8.2 <u>Testing Equipment and Procedure</u>. Each coupon was placed in a 20 kip, MTS Axial Test machine and loaded in uniaxial tension. The tests were conducted according to the procedures in SSRC Technical Memorandum No. 7. The specimens were loaded in a stroke control mode at an approximate strain rate of 0.01/minute. The load was measured using a calibrated 20 kip, MTS load cell while the strains were measured using a model 632.11B-20 MTS Extensometer with a 20% maximum strain range.

Stress and strain data were recorded at 1 second intervals throughout the entire test. To obtain the static yield stress, the test was paused for five minutes at three specified strains beyond the yield strain (approximately 0.005, 0.010, and 0.015). During this time, the strain was held almost constant as the load drops slightly. Strain data were recorded until the extensometer reached its maximum range of approximately 20% (well beyond the yield strain for all specimens). The extensometer was removed, the test continued, and load data were taken until the specimen ruptured. Each test took approximately 45 minutes to complete.

3.8.3 <u>Results</u>. Stress-strain plots were generated for each coupon tested. Yield stress, ultimate stress, and modulus of elasticity were determined from the average values from the two tensile coupon tests. Both static and dynamic yield stress were determined for seventeen of the twenty specimens tested. The modulus of elasticity was determined using a spreadsheet linear regression analysis on the stress-strain data for each specimen, but due to the sensitivity of the extensometer used to measure strains, these values are questionable.

3.9 Ring Tests

3.9.1 <u>Specimen Preparation</u>. After completion of the full scale compression tests, a cross-sectional ring, two or three diameters long, was flame cut from the specimen. The ring was removed from a straight, unyielded area that was somewhat representative of the overall damage of the specimen. The ring was then taken to a machine shop to have its ends turned to ensure that the ring would make full contact with the platens of the load fixture. The length of the specimen was then accurately measured and recorded.

- 3.9.2 <u>Testing Equipment and Procedure</u>. The ring was placed in a 500 kip MTS universal testing machine and loaded in uniaxial compression. The load was applied in increments of 25 kips until the load capacity of the MTS machine was reached. At each load step, the deformation of the ring was measured by four (0.0001 inch increment, 0.5000 inch stroke) dial gages symmetrically located (90 degrees) around the ring. The axial deformation of the ring was determined by taking the average of the four dial gage readings.
- 3.9.3 Results. The basic result desired from the ring tests was the effective wall thickness of the specimen. It was assumed that the effective wall thickness of the specimen could be determined by testing a representative ring from the specimen. The modulus of elasticity ($E=29,500~\mathrm{ksi}$), the length of the ring, and the slope of the load-displacement curve from the ring test were used to compute the effective area and wall thickness of the ring.
- 3.9.4 <u>Discontinuation of Ring Tests</u>. As previously stated, the primary purpose of the ring tests was to compute an effective wall thickness for the full scale specimen. This wall thickness was to be compared with the wall thickness as determined by ultrasonic testing and later used in the analytical models to predict the behavior of the member.

The ring tests were conducted on the first eight specimens to determine effective wall thicknesses. As previously mentioned, the effective wall thickness was also determined from the full scale compression tests. Comparison of these wall thickness values showed that the full scale values were typically smaller than those obtained from the ring test. The reason for this is simple. The wall thickness determined from the full scale tests was based on data taken over the entire length of the specimen, including all damaged regions. The wall thicknesses determined from the ring tests was based on data from a significantly shorter specimen that, proportionally, contained less damage. It became apparent that the location from which the ring was removed greatly influenced the effective wall thickness as computed from the ring tests. Thus, it would be impossible to obtain a ring specimen that was truly representative of the full scale specimen. After the eight tests it was decided that the full scale data provided a more accurate value of wall thickness, and the ring tests were discontinued.

3.10 Test Results

- 3.10.1 <u>General</u>. The data collected during the tests described in the previous sections were analyzed, and summarized in graphical and tabular form. A complete presentation of the results for all specimens is included in Appendix A. A brief summary of these results and a detailed description of the results for a typical specimen are presented in the subsequent sections.
- 3.10.2 <u>Full Scale Tests</u>. The full scale axial compression tests provided all the data on the ultimate and post-ultimate behavior of the damaged tubular members. The results obtained from these tests included peak axial load, chord shortening, and specimen effective length. Additional information concerning the displaced shape, load eccentricity, and effective wall thickness was also determined.
- 3.10.3 <u>Ultrasonic Tests</u>. An average wall thickness for the specimen was computed from 30 individual ultrasonic wall thickness measurements. In addition, wall thickness measurements were also taken in regions of local failure.
- 3.10.4 <u>Tensile Coupon Tests</u>. The tensile coupon tests were conducted to determine the material properties for each full scale specimen. The following results were obtained from the uniaxial tension tests:
 - (a) Modulus of elasticity
 - (b) Static yield stress
 - (c) Dynamic yield stress
 - (e) Ultimate strength.

All properties were obtained by averaging the individual values obtained from the two tensile coupon tests conducted for each specimen.

3.10.5 <u>Ring Tests</u>. The purpose of the ring tests was to determine an effective wall thickness for the specimen. The load-axial deformation data from the tests were used with the modulus of elasticity and the length of the specimen to compute an effective wall thickness.

- 3.10.6 <u>Presentation of Results</u>. The results obtained from the full scale compression tests, ultrasonic tests, tensile coupon tests, and ring tests are presented in thirteen graphs for each specimen. These graphs include:
 - (1) Effective Length vs Load Step
 - (2) Load and Normalized Deflection vs Load Step
 - (3) Load vs Chord Shortening
 - (4) Horizontal Displacements
 - (5) Vertical Displacements
 - (6) x Eccentricities based on Inflection Points
 - (7) y Eccentricities based on Inflection Points
 - (8) x Eccentricities based on End Moments
 - (9) y Eccentricities based on End Moments ...
 - (10) Computed Wall Thickness based on Full Scale Test Data
 - (11) Summary of Effective Wall Thickness Results
 - (12) Stress-Strain Curve for Tensile Coupon 1
 - (13) Stress-Strain Curve for Tensile Coupon 2

These graphs are presented for each specimen in Appendix A.

The effective length graphs are one of the results from the least-squares error analysis of the full scale strain and displacement test data. The effective length, "k", of a specimen is a function of the end conditions and is one of the key parameters used to compute the critical global buckling load of an axially loaded member. The $(L_{\rm eff}/L)$ or "k" values obtained from the curve-fit analysis were highly dependent on the initial condition, and the behavior of the specimen during the full scale test. For some of the specimens with severe local corrosion, failure was observed to occur by local yielding of the reduced cross-section as opposed to failure by global buckling. In such cases the effective length has little or no meaning.

The values of effective length were also dependent upon the initial out-of-straightness of the specimen. For straight specimens there was no lateral displacement prior to buckling (or ultimate) load. Thus, there was no curvature, and again the effective length had little meaning. For initially bent specimens, lateral displacements occurred and thus curvature existed prior to peak load. Therefore, it was possible to obtain a relevant effective length value prior to peak load for these specimens.

It should be further noted, that for some specimens, the deformations became large in the post-buckling region. For these specimens the ends tended to rotate away from the tailstock and movable headstock platens. This resulted in decreased end restraint and an apparent increase in effective length near the end of the test.

The load and normalized deflection graph was intended to be used in conjunction with the effective length graph. The peak load and the resultant displacement at the center of the specimen, normalized with respect to the length of the specimen, were plotted at each load step. This graph was used to define the load step at which "buckling" of the member occurred so the proper $(L_{\rm eff}/L)$ value at buckling could be determined.

The load versus chord shortening graph was perhaps the most important result of the experimental program. This graph shows the axial deformation of the tubular members in the pre- and post-ultimate range with respect to applied axial load.

The horizontal and vertical displacements were measured at three locations on the specimen during the full scale tests. The results of these measurements were plotted in the horizontal and vertical displacements graphs.

Graphs six through nine show the computed eccentricity of the axial load at each end. The eccentricities were computed from two different methods and, in general, produce similar results for most specimens. The computed eccentricities indicate the point of application of the applied resultant axial load. The eccentricity of the applied load was calculated for each end of the specimen and plotted for each load step along with the average of the two end eccentricities. For most initially straight specimens, the eccentricities were nearly zero until buckling occurred. At large lateral displacements, the location of the applied load began to move in the direction of the displacement as the ends of the specimens tended to rotate off the headstock and tailstock of the load fixture. However, this behavior generally occurred well beyond the measured peak load.

Due to the corrosion of the specimens, it was necessary to determine an effective wall thickness to be used in the analytical models discussed in Chapter 4. Three methods were used to determine the wall thickness. The results of all the wall thickness measurements and calculations were plotted for each specimen. On this graph, the individual values of wall thickness as determined from ultrasonic testing were plotted along with the average of the ultrasonic results. In addition, the effective wall thickness computed from the full scale tests (see Appendix E) and the ring tests (if applicable) were also plotted.

The final two plots for each specimen are the stress-strain curves for the tensile coupons. These graphs were used to determine the specimen material properties.

Several tables were also prepared which summarized the major findings of the experimental program. Table 3-4 provides a summary of the full scale compression tests. Included in this table are the peak axial load, deflections at peak load, and the computed effective length.

The results of the measured and computed wall thicknesses are presented in Table 3-5. The average wall thickness as computed from full scale and ring tests and as measured in the ultrasonic tests are reported along with the nominal wall thickness.

The material properties presented in Table 3-6 are the modulus of elasticity, static and dynamic yield strengths, and ultimate strength. It should be noted that the values given for modulus of elasticity are dubious at best due to the sensitivity of the extensometer. An accepted value of the modulus of elasticity ($E = 29,500 \, \text{ksi}$) for steel was used for all data reduction calculations in the experimental portion of the test program.

Finally, Table 3-7 presents the diameter-to-thickness ratios and length-to-radius of gyration ratios for the specimens tested. In this table, the effective wall thicknesses as determined from the full scale tests are used to compute the ratios. The values in this table can be compared with the values that are based on nominal wall thickness as presented in Table 3-1.

3.10.7 Typical Results for a Test Specimen. This section presents a detailed description of the test results for Specimen 17. Specimen 17 was 31.17 feet long with an outside diameter of 12.75 inches and a nominal wall thickness of 0.500 inches. The specimen was initially bent in the vertical (y) direction and was dented near midspan. The specimen was tested in axial compression and attained an ultimate load of 420 kips. The effective buckling length for this specimen was calculated as 0.52. The wall thickness was determined to be 0.496 inches based on ultrasonic testing and 0.422 inches using the data from the full scale tests. The static yield strength was 49.2 ksi, the dynamic yield strength was 51.4 ksi, and the ultimate strength was 64.0 ksi.

The effective length, load, and normalized resultant deflections of Specimen 17 were plotted versus load step and are shown in Figure 3-13. The normalized resultant deflection computed as the resultant deflection at midspan divided by the specimen length was also computed and plotted at each load step. A normalized resultant defection of 0.007 was used for all specimens to define the load step at which buckling of the specimen occurred. Using the lower graph of Figure 3-13, a horizontal line was drawn from a normalized deflection of 0.007 to determine that buckling occurred at load step 35. The $(\mathsf{L}_{\mathsf{eff}}/\mathsf{L})$ at buckling was then determined by constructing a vertical line at the corresponding load step (35) on the upper graph of Figure 3-13 and reading the vertical scale at the intersection of the two lines. Using this procedure, the effective length for specimen 17 was determined to be 0.52.

Figure 3-14 is the load versus chord shortening relationship for Specimen 17. This graph is used to characterize the ultimate and post-ultimate axial deformation of the specimen. The curve shown in Figure 3-14 consists of two distinct regions: 1) the pre-buckling region and 2) the post-buckling region. The maximum value of axial load is considered the peak load. The portion of the curve prior to peak load is the loading curve and is generally linear. After the peak load is attained, the specimen undergoes significant axial deflection while the load decreases. This is called the post-buckling or unloading portion of the curve. The behavior shown in Figure 3-14 is typical for members loaded in axial compression.

The horizontal displacements at the three measured locations are plotted in Figure 3-15. Location I refers to the measurements taken at the first ring of strain gages near end A while location 3 corresponds to the measurements taken at the ring of strain gages near end B. Location 2 refers to the measurements taken near midspan.

The horizontal displacements, as shown in Figure 3-15, were extremely small until the peak load was reached and the specimen began to deflect. As shown, the maximum horizontal deflection of -1.17 inches occurred near midspan while the deflection near the ends remained small. The horizontal displacements, at all locations were relatively small when compared to the vertical displacements.

Figure 3-16 is a plot of the vertical displacements for Specimen 17. The locations at which the measurements were taken are the same as those for the horizontal displacements. The specimen deflected vertically at the onset of loading since it was initially bent in the y - direction. These deflections became quite large in the post-buckling region. As expected, the measured deflections at midspan were significantly larger than the deflections measured near the ends. The maximum vertical displacement was -11.2 inches near the midspan of the member and occurred at the end of the test.

The eccentricity of the applied axial load as computed from the displacements at the inflection points of the specimen are shown in Figures 3-17 and 3-18. Figure 3-17 contains the eccentricities in the x direction, while Figure 3-18 contains the eccentricities in the y direction. These graphs indicate that the load remained centric throughout the test in the x direction but not in the y direction past the peak load. This behavior was caused by the large vertical displacements that occurred in the post-buckling region. As the load was applied, the specimen deflected downward causing the ends to rotate from the headstock and tailstock of the load frame. This results in the line of action of the resultant load being located below the centroid of the cross section (-y direction).

Figures 3-19 and 3-20 are plots of the eccentricity of the axial load as computed from the calculated end moments. These end moments were computed

from the curvature at the ends of the specimen as determined by the curve fit algorithm. The results shown in these plots, when compared to Figures 3-17 and 3-18, show that the two methods of computing eccentricities produced similar results.

An effective wall thickness was computed for each load step from the data measurements taken during the full scale tests. These values were calculated based on the average axial strain component, C, as determined by the curve fit algorithm (see Appendices C and E) and are shown in Figure 3-21. Prior to the ultimate load, the computed wall thickness remained essentially constant. The effective wall thickness was computed by taking the average of these values prior to peak load. After the peak load, bending produces the dominant strains so that the effective wall thickness based on axial strains is meaningless.

The results of all the methods used to measure and compute specimen wall thickness were graphed as shown in Figure 3-22. The individual ultrasonic measurements were plotted along with an ultrasonic average. For Specimen 17, the individual ultrasonic readings exhibited little scatter since the specimen did not contain significant corrosion damage. For other members with severe widespread corrosion, the ultrasonic data had significantly more scatter. Also plotted on Figure 3-22 were the average wall thicknesses computed from the full scale tests and, when applicable, the ring tests.

Finally, the stress-strain curves for the tensile coupon tests were plotted as shown in Figures 3-23 and 3-24. The dynamic yield strength was determined by the standard 0.2% offset method. As mentioned previously, all test and data reduction procedures were performed according to SSRC Technical Memorandum No. 7. The tests were stopped three times (5 minutes each time) at specified strains beyond the yield strain. During these stops, the strain was held relatively constant while the load was allowed to stabilize. This was done so that the static yield strength of the specimen could be determined. These stops result in the three dips shown in the stress-strain curves of Figures 3-23 and 3-24. To determine the static yield stress, a line is drawn through the three dips. The stress at which this line intersects the 0.2%

offset line is defined as the static yield strength. Both yield strength values are shown in Figure 3-24.

3.11 Summary of Specimen Behavior - Full Scale Tests

For each specimen tested, the location and type of failure were recorded. There were three distinct failure modes observed during the full scale tests:

1) global buckling, 2) local failure, and 3) crack opening. Shown in Figure 3-25 are examples of each failure mode. Specimens with high slenderness ratios typically failed by global buckling while short specimens with large (D/t) ratios exhibited a more localized failure at ultimate load. The localized failure was generally caused by material yielding in highly corroded regions with reduced wall thickness. Only two specimens failed by crack opening. Both of these specimens had a visible through-thickness crack in a welded seam prior to testing.

A summary of the failure type and location is presented in Table 3-8. In addition, a brief description of the behavior of each specimen is included in this section.

Specimen 01: Local failure occurred 3'- 0" from end B in a region of high corrosion. The wall thickness in this area was determined to be 0.265 in. using ultrasonic measurements compared to an overall effective wall thickness of 0.270 in. determined from the full scale test data.

Specimen 02: This specimen experienced local failure near a circumferential weld located 3'-3" from end B. Ultrasonic wall thickness measurements in the failure region indicated that the wall thickness in the failed region was 0.284 in. While the overall effective wall thickness was calculated as 0.346 in. Due to the reduced wall thickness, material yielding caused the local failure.

Specimen 03: Local failure occurred 2'-4" from end B for this specimen. The specimen wall thickness was determined to be 0.247 in. in the failed region while the overall effective wall thickness was calculated to be 0.305 in. The local failure was caused by material yielding due to the reduced wall thickness.

Specimen 04: Specimen 04 was initially bent in one direction with no other damage. The specimen failed by overall buckling with the location of failure 15'- 6 1/2" from end B. As expected, the location of failure was near the location of maximum initial out-of-straightness.

Specimen 05: This specimen failed initially due to the opening of an 8 in. long through-thickness crack in welded seam located 24 in. from end B. Shortly after this failure occurred, the specimen began to experience localized failure 4'-10" from end B.

Specimen 06: Specimen 06 was an undamaged pipe with no corrosion and failed by global buckling. Beyond the buckling load, a hinge point formed 17'- 6 1/2" from end B. This failure location was near the midspan of the specimen. Specimen 07: The major damage on this specimen was a single dent located 19'-1 1/2" from end B. Specimen failure by global buckling occurred with the hinge point at this location. During the test, a longitudinal tear formed in the wall of the specimen just above the dent.

Specimen 08: This specimen failed by global buckling. The post-buckling hinge point formed 19'- 9" from end B. The only damage on this specimen was a small dent 3'- 8" from end B which did not affect the behavior of the specimen.

<u>Specimen 09</u>: Specimen 09 was an undamaged specimen which experienced global buckling failure. A hinge point located 12'- 8" from end B formed beyond the buckling load.

Specimen 10: Specimen 10 was an undamaged specimen which experienced global buckling failure. The post-buckling hinge point was located 16'- 6" from end B.

Specimen 11: Specimen 11 was an undamaged specimen which experienced global buckling failure. The post-buckling hinge point was located 14'- 5 1/2" from end B.

Specimen 12: This specimen was highly corroded and heavily damaged. Damaged include three major regions with holes and/or denting. The specimen failed by global buckling with the hinge point located at a damaged region 14'-51/2" from end B. The other damage regions did not affect the overall specimen behavior.

<u>Specimen 13</u>: Specimen 13 was initially bent in both the vertical and horizontal planes and had four dented regions. The location of the deepest dent corresponded to the location of the largest initial out-of-straightness

in the vertical plane. This location was 8'- 3" from end B and was also the point of hinging for the specimen. Failure occurred due to global buckling, and the other dent damage did not affect the behavior of the specimen.

Specimen 14: This specimen had initial out-of-straightness and denting damage as well as a region of heavy corrosion. The corroded region was identified prior to testing due to two visible corrosion holes. Local failure due to

material yielding occurred in the highly corroded region 4'- 9" from end B. The wall thickness in this yielded region was determined to be 0.219 in. using ultrasonic measurements compared to an overall effective wall thickness of 0.295 inches as determined from the full-scale tests.

<u>Specimen 16</u>: Specimen 16 failed due to global buckling. The location of the post-buckling hinge was 13'- 1" from end B which corresponded to the location of maximum initial out-of-straightness for this specimen. Four small dents on the specimen did not seem to affect the overall specimen behavior.

<u>Specimen 17</u>: This specimen was initially bent in one direction. In addition, there was a single dent on the specimen located at the point of maximum initial out-of-straightness. This specimen failed by global buckling with the post-buckling hinge point corresponding to the dent location of 19'- 1" from end B.

Specimen 18: Specimen 18 had seven small dents, was initially bent, and had a localized region of high corrosion. Local failure due to material yielding occurred in a region that was highly corroded 2'- 11" from end B. The wall thickness in this region was 0.261 inches as determined by ultrasonic testing. The dents did not affect the overall behavior of the specimen.

Specimen 19: This specimen experienced local failure in a region of local heavy corrosion 29'- 11" from end B. The wall thickness was determined to be 0.279 inches in this region compared to an overall effective wall thickness of 0.338 inches as determined from the full-scale tests. Prior to testing, there was a crack near end A which appeared to be a result of corrosion in a welded longitudinal seam. This crack was only through about half the wall thickness and did not affect the overall behavior of the specimen.

Specimen 20: This specimen had only corrosion damage and failed by global buckling. The post-buckling hinge point was located 18'- 1" from end B.

Specimen 21: Specimen 21 had a series of cracks along a longitudinal welded seam. Some of these cracks were through-thickness cracks while others were not. Failure was caused by the opening of a through-thickness crack located

19'-8" from end B. The other through-thickness crack did not open significantly. It was observed that crack growth was arrested by a circumferential girth weld located 19'- 11 1/4" from end B. It should also be noted that a highly corroded region 20'- 3" from end B containing a 1 inch diameter corrosion hole did not affect the specimen failure.

3.12 Comparison of Experimental Ultimate Capacities to Predicted Capacities

In order to evaluate the reduction in strength of the tested specimens, the measured ultimate loads were compared to analytical predictions for the ultimate load of members with the same physical and material properties but without damage. The predicted ultimate loads were computed using the design equations for compression members as presented in the literature and in applicable design codes. The design equations for compression members as presented in the American Institute of Steel Construction, Manual of Steel Construction, Allowable Stress Design, 9th Edition (1989) and the Canadian Standards Association, Steel Structures for Buildings - Limit States Design by Prion (1987) were used without the safety or resistance factors in order to predict member ultimate loads. It should be noted that the American Petroleum Institute design equations (API RP 2A, 1989) are the same as the AISC equations. In addition, a mean value curve for predicting the ultimate strength of tubular members (Cox, 1987) was also used for comparison purposes.

The physical and material properties needed to calculate the ultimate capacity of the undamaged members include length, diameter, wall thickness, yield strength, effective length, and modulus of elasticity. The modulus of elasticity, E, was taken as 29,500 ksi and the static yield strength was used for all calculations. The remainder of the parameters were reported in Tables 3-1, 3-5, and 3-6 and are summarized in Tables 3-9 and 3-10.

3.12.1 <u>Discussion of Design Equations</u>. Design codes provide design equations for typical structural members. These equations generally contain factors which account for the various uncertainties involved in the analysis and design of structures. Load and resistance factors are used in limit state design while safety factors are used in working stress design. In the formulations used for computing ultimate loads in this research, these factors

were removed to obtain the predicted ultimate capacity of the undamaged members.

The allowable axial stress for a compression member is given by the AISC Manual of Steel Construction, Allowable Stress Design (1989) as:

$$F_{a} = \frac{\left[1 - \frac{(kL/r)^{2}}{2C_{c}^{2}}\right] * F_{y}}{\frac{5}{3} + \frac{3(kL/r)}{8C_{c}} - \frac{(kL/r)^{3}}{8C_{c}^{3}}}$$
(3-1)

for $(kL/r) < C_c$ and

$$F_{a} = \frac{12\pi^{2}E}{23(kL/r)^{2}} \tag{3-2}$$

for $(kL/r) > C_c$.

where: F_a = allowable axial stress

k = effective length factor of member

L = length of member

r = radius of gyration

 F_y = yield stress

 C_c = slenderness ratio corresponding to the Euler buckling stress of

 $0.5 F_y$

= $[2\pi^2 E/F_y]^{1/2}$

E = modulus of elasticity.

As shown in Table 3-10 for all specimens tested in this research, $(kL/x) < C_c$ so that only Eq. 3-1 is applicable. To compute the predicted ultimate capacity, the safety factor (denominator) of Eq. 3-1 should be 1.0 so that:

$$F_{u} = \left[1 - \frac{(kL/\tau)^{2}}{2C_{c}^{2}} \right] * F_{y}$$
 (3-3)

where F_u is the ultimate axial stress.

The ultimate load is then computed as:

$$P_{ult} = F_u A (3-4)$$

where A is the cross-sectional area of the member. As previously mentioned, the American Petroleum Institute (API RP 2A, 1989) uses the same equation to predict the ultimate capacity of undamaged tubular members.

The Canadian Standards Association buildings code presents the buckling resistance, P_r , of members subjected to axial compression as follows (Prion, 1987):

$$P_r = \phi A F_v \qquad \text{for } 0 \le \lambda \le 0.15 \tag{3-5}$$

$$P_{r} = \phi A F_{y} (0.990 + 0.122\lambda - 0.367\lambda^{2})$$
 (3-6)

for $0.15 < \lambda \le 1.2$

$$P_r = \phi A F_v (0.051 + 0.801 \lambda^{-2}) \tag{3-7}$$

for $1.2 < \lambda \le 1.8$

$$P_r = \phi A F_v (0.008 + 0.942 \lambda^{-2}) \tag{3-8}$$

for $1.8 < \lambda \le 2.8$

$$P_r = \phi A F_v \lambda^{-2} \qquad \text{for } 2.8 > \lambda \tag{3-9}$$

where: ϕ = resistance factor

$$\lambda = \frac{kL}{r} \sqrt{\frac{F_y}{\pi^2 E}}.$$
 (3-10)

As can be seen from Table 3-10, Eq. 3-6 is applicable for all specimens tested in this research. The resistance factor, ϕ , was taken as 1.0 in all cases so that the predicted ultimate capacity was calculated.

Strength equations for load and resistance factor design were presented by Cox (1987). A column curve was obtained by determining the best fit for previously reported compressive strength data for undamaged tubular members. The mean value column curve strength for fabricated tubular members was determined to be:

$$P_{ult} = (1.03 - 0.24\lambda^2) P_y$$
, for $0 < \lambda < 1.7$ (3-11)

where: $P_y = F_y A$

and F_y , A are as previously defined.

As can be seen from Table 3-10, λ varied from 0.20 to 0.78 so that Eq. 3-11 is valid for all specimens tested in this research.

3.12.2 Evaluation of Results The calculated ultimate loads based on the three formulas just described are presented with the experimentally measured ultimate loads, P_{meas} , in Table 3-11. The analytical values, P_{an} , were computed using the nominal wall thickness values. The yield load, P_{yld} , was computed by multiplying the specimen's cross-sectional area based on nominal wall thickness values by the measured static yield strength.

A ratio of the ultimate measured axial load to the predicted ultimate load, P_{meas}/P_{an} , using the nominal wall thickness values is presented in Table 3-12. From this table, it was noted that the measured and predicted values for the undamaged specimen, specimen 06, were nearly identical. For the heavily damaged specimens such as 12, 13, 14 and 16, the measured capacities were only 25 to 40% of the predicted ultimate capacity. For the remaining slightly and moderately damaged specimens, the measured capacities ranged from about 50 to 80% of predicted capacity.

Figures 3-26, 3-27, and 3-28 are plots of the measured capacities, P_{meas} , (hereafter called the actual capacities) versus the predicted capacities, P_{an} , listed in Table 3-11. The specimens are numbered and have been separated by damage types. A line for $P_{\text{an}} = P_{\text{meas}}$ is plotted to aid in the comparison. It should be noted that all specimens, except specimen 06, have corrosion damage. As indicated by these figures all specimens, except specimen 06, have a measured capacity less than the predicted capacity. The greatest differences in strength occurred in the most severely damaged members. Members with large out-of-straightness (00S) damage, members 13, 14, and 16, exhibited the largest reduction in capacity. Members with only corrosion damage or corrosion and single dent damage, exhibited the smallest reduction in capacity.

Table 3-13 presents the ultimate capacities of the specimens predicted using the effective wall thickness values as determined from the full scale tests. Table 3-14 contains the ratios of the measured capacities, P_{meas} , to the predicted capacities, P_{an} . Table 3-14 again indicates that the measured and predicted capacities of specimen 06 are nearly the same. Heavily damaged specimens 12, 13, 14 and 16 had measured capacities that were 29 to 48% of the predicted ultimate capacities. This is only a slight increase over the values obtained using the nominal wall thickness values. For the remaining less damaged specimens, the measured capacities were 56 to 95% of the predicted capacities.

Figures 3-29, 3-30, and 3-31 are plots of actual measured capacities, P_{meas}, versus the predicted capacities, P_{an}, listed in Table 3-13. Once again, the specimens have been numbered and separated by damage types. All specimens had corrosion damage except specimen 06. In these three figures, only the specimens which failed due to global buckling or crack opening are plotted. Specimens which experienced local failure were evaluated separately and are discussed below. Figures 3-29, 3-30, and 3-31 indicate that the specimens which were undamaged or corroded only, had ultimate measured loads slightly less than the predicted ultimate loads. Again, severely damaged specimens, that is specimens with large out-of-straightness (OOS) damage and/or multiple damage, exhibited the greatest difference in measured and predicted ultimate loads. All specimens, with the exception of specimen 06, had measured ultimate loads less than predicted ultimate loads.

The ultimate capacities of the specimens which experienced local failure were calculated by multiplying the yield strength or critical local buckling stress by the minimum cross-sectional area of the specimen. The minimum cross-sectional area was determined after the full scale test by taking ultrasonic wall thickness measurements in the region of local failure. In general, the wall thickness in these regions were found to be significantly less than the overall effective wall thickness. In some specimens, the reduced wall thickness resulted in D/t ratios greater than 60. For these specimens, the yield stress was reduced according to the procedure given by API RP 2A (1989)

to account for possible local buckling effects. According to API RP 2A the local buckling stress, F_{xc} is given by:

$$F_{xc} = F_y [1.64 - 0.23 (D/t)^{0.25}] \le F_{xe}$$
 (3-12)

$$F_{xc} = F_{y} \text{ for } D/t \le 60 \tag{3-13}$$

where: F_{xe} = critical elastic local buckling stress

= 2 C E t/D for $t \ge 0.25$ and D/t < 300

C = critical elastic buckling coefficient

= 0.3

Table 3-15 presents the ultimate capacities predicted for specimens experiencing local failure and the ratio of measured to predicted capacities. Figure 3-32 is a plot of the measured capacities versus the predicted capacities of the specimens experiencing local failure. It should be noted that all specimens in this figure had corrosion damage. It should be further noted that the measured ultimate load was less than the predicted ultimate load for all specimens. One possible reason for this behavior is the presence of small corrosion pits in yielded regions that were not detected by ultrasonic testing. These localized forms of damage would cause very localized stress concentrations and an overall reduction in member capacity.

A brief summary of the comparison between the measured and the predicted ultimate capacity follows for each specimen. First, the measured capacities for all specimens are compared to predicted capacities using the nominal wall thickness. If the specimen failed by global buckling, the measured capacity is compared to the predicted capacity using the effective wall thickness. However, if the specimen experienced a local failure, the capacity is compared to the predicted yield load using the minimum wall thickness (in the region of local yielding).

<u>Specimen 01</u>: Specimen 01 had a measured ultimate load that was 57% of the predicted nominal ultimate capacity. The measured load was 82% of the yield load. This specimen had initial damage in the form of a dent.

<u>Specimen 02</u>: Specimen 02 had a measured ultimate load that was 57% of the predicted nominal ultimate capacity. The actual ultimate capacity was 88% of the predicted yield load. The only type of damage on this specimen was corrosion.

Specimen 03: Specimen 03 had a measured ultimate load that was 58% of the predicted nominal ultimate capacity. The measured ultimate load was 89% of the predicted yield load. Corrosion was the only damage for this specimen. Specimen 04: The measured ultimate capacity of this specimen was 57% of the predicted nominal ultimate capacity. The specimen failed by global buckling in the direction the specimen was initially bent. The measured capacity was 68% of the buckling capacity predicted using the effective wall thickness. Specimen 05: Specimen 05 had a measured ultimate capacity that was 62% of the predicted nominal ultimate capacity. The measured capacity was 76% of the predicted yield load. This specimen was corroded and had one dented region. Specimen 06: This specimen was undamaged and failed by global buckling. It had a measured ultimate load that was 3% greater than the predicted nominal capacity. The measured capacity was 2% greater than the predicted ultimate capacity using the effective wall thickness.

Specimen 07: Specimen 07 had a measured load that was 84% of the predicted nominal capacity. The specimen buckled globally with the location of the post-buckling hinge coinciding with the location of the single dent. The measured capacity was 78% of the capacity predicted using the effective wall thickness.

Specimen 08: Specimen 08 had a measured load that was 57% of the predicted nominal capacity. The measured ultimate load was 89% of the predicted ultimate load using the effective wall thickness. This specimen had a single dent and corrosion damage.

<u>Specimen 09</u>: The measured ultimate load was 67% of the predicted nominal ultimate load for this specimen and 93% of the ultimate capacity predicted using the effective wall thickness. Corrosion was the only damage for this specimen.

<u>Specimen 10</u>: Specimen 10 had a measured ultimate load that was 81% of the predicted nominal capacity. The measured load was 95% of the ultimate capacity predicted using the effective wall thickness. The only damage present was corrosion.

Specimen 11: This was also a specimen with only corrosion damage. The specimen had a measured ultimate load that was 83% of the predicted nominal ultimate capacity. The measured load was 89% of the predicted ultimate capacity using the effective wall thickness.

<u>Specimen 12</u>: Specimen 12 had a measured ultimate capacity that was 40% of the predicted nominal ultimate capacity. The measured capacity was 42% of the predicted capacity using the effective wall thickness. This specimen was corroded and had several holes and dents.

Specimen 13: This specimen was initially bent in both the vertical (y) and horizontal (x) directions. In addition, the specimen was dented in several locations and was highly corroded. It had a measured ultimate load that was 25% of the predicted nominal capacity. The measured capacity was 29% of the predicted ultimate capacity using the effective wall thickness.

Specimen 14: Specimen 14 had a measured load that was 38% of the predicted nominal capacity. The specimen was initially bent in two directions, dented, and heavily corroded. The measured capacity was 64% of the predicted yield load.

Specimen 16: Specimen 16 had a measured load that was 33% of the predicted nominal capacity. The measured ultimate load was 38% of the predicted ultimate load using the effective wall thickness. This specimen had initial out-of-straightness in two directions and dent damage.

Specimen 17: The measured ultimate load was 47% of the predicted nominal ultimate load for this specimen and 56% of the ultimate capacity predicted using the effective wall thickness. This specimen was initially bent in one direction with a single dent.

Specimen 18: Specimen 18 had a measured load that was 63% of the predicted nominal capacity. The measured load was 88% of the predicted yield load. This specimen had denting and initial out-of-straightness damage.

<u>Specimen 19</u>: The specimen had a measured ultimate load that was 60% of the predicted nominal ultimate capacity. The measured load was 75% of the predicted yield load. The only damage on this specimen was corrosion.

Specimen 20: The measured ultimate load was 72% of the predicted nominal ultimate load for this specimen and 82% of the ultimate capacity predicted using the effective wall thickness. This specimen was undamaged except for corrosion.

<u>Specimen 21</u>: Specimen 21 had a measured load that was 58% of the predicted nominal capacity. The measured load was 78% of the ultimate capacity predicted using the effective wall thickness. The specimen had a throughthickness crack which was the initiation site for local failure.

3.12.3 <u>Discussion of End Conditions and Effective Length</u> From Eq. 3-3, 3-6, 3-10, and 3-11, it can be seen that the effective length factor, k, is one of the principal parameters used to determine the ultimate capacity of a compressive member. For straight, undamaged members, this factor is a function of the restraint at the ends of the member. Theoretical values for k, k_{theo} , range from 0.50 to 1.00 for members with their ends restrained against lateral translation. If the ends of these members are fully restrained against rotation (fixed), then: $k_{theo} = 0.5$. However, if the ends are fully unrestrained against rotation (pinned), then: $k_{theo} = 1.0$. When performing compression tests on members in the laboratory, it is very difficult to design and fabricate end fixtures which achieve either of these ideal conditions so that: $0.5 < k_{exp} < 1.0$. Thus, the "fixity" of the ends must always be evaluated if the experimental results are to be compared with analytical or design formulae such as Eq. 3-3, 3-6, and 3-11.

As previously mentioned, all specimens tested were held in place at each end by three clip angles located 120 degrees around the circumference of the member as shown in Figure 3-8. These angles provided full restraint against end translation. The specimen ends were not attached in any other manner to the tailstock and headstock platens so that there was no physical attachment which would provide restraint against rotation.

The fixity of the ends, and thus the effective length factor, $k_{\rm exp} = L_{\rm eff}/L$, were evaluated for all specimens using the algorithm in the program, CURVE, described in Appendix C. It should be noted that limits for k were set between 0.32 and 2.00 in the program CURVE in order to exceed the range of theoretical values for k. Thus, the theoretical limits of k were not automatically imposed on $k_{\rm exp}$ in the CURVE algorithm.

Effective length factors ($k_{exp} = L_{eff}/L$) are presented in Table 3-4 for the eleven specimens which failed in a global buckling mode. Values are not

reported for specimens which yielded locally prior to buckling since the effective length is meaningless for members which fail in this mode.

The values found in Table 3-4 show that nine of the eleven specimens which failed by global buckling had effective length factors equal to or very nearly equal to 0.50. This indicates that nearly ideal fixed end conditions were achieved with the end supports used for the full scale tests. Since the ends were not physically restrained against rotation, one would expect the value for k to be approximately 1.0 rather than 0.5. However, the rotation at the ends of the specimens were closely monitored using dial indicators during all full scale tests. It was determined that, prior to ultimate load, the ends of all specimens remained in full contact with the headstock and tailstock platens of the load frame. Thus, there was essentially no end rotation between the member and the platens prior to buckling.

The fact that the member ends did not rotate away from the platens of the load frame prior to buckling can be explained by considering the line of action of the applied load. If the member is subjected to an eccentric compressive load, the resultant stress in the outer fibers of the member cannot be tensile unless the load is applied outside the kern area of the cross-section. Thus, the ends of the member cannot rotate away from the load frame platens if the load is applied within the kern area. Shown in Table 3-16 are the computed radius of the kern area and the maximum computed resultant eccentricity for each specimen. Note, that with three exceptions, the maximum eccentricity prior to peak load was less than the radius of the kern circle. Thus, the ends of the specimens could not rotate off the platens prior to peak load, and the specimens behaved as though there were fixed end conditions up to this point. It should be noted that specimen 06 had eccentricities inside the kern area at peak load and an effective length of 0.86. However, this specimen was not shimmed, and as a result, the applied load may not have been uniformly distributed over the ends of the specimen causing the ends to rotate.

3.13 Evaluation of Ultrasonic Measurements

For each specimen tested, 30 ultrasonic wall thickness measurements were taken at locations corresponding to the strain gage locations. In Table 3-17, the

average of the wall thickness measurements is listed for each specimen along with the standard deviation, and coefficient of variation. Table 3-18 presents the ultrasonic wall thickness, full scale effective wall thickness (see Appendix E), and a ratio of the full scale to ultrasonic wall thicknesses. Shown in Figure 3-33 is a graph comparing the two methods used to determine the wall thickness. Note the specimens are numbered for identification purposes.

The values presented in Tables 3-17 and 3-18 indicate the difficulty in trying to predict the type of specimen in which the ultrasonic wall thickness is an accurate measurement of the effective (full scale) wall thickness. It was originally thought that there would be significant scatter and thus, a large coefficient of variation, in the ultrasonic data for specimens with locally severe corrosion and pitting. Further, it was thought that these specimens would have significantly different full scale and ultrasonic wall thickness values. However, this was not the case. For instance, both specimens 09 and 10 had an effective full scale wall thickness that was 95% of the thickness as determined by ultrasound. However, the ultrasonic wall thickness measurements for specimen 09 had a coefficient of variation of 19.8% while those for specimen 10 had a coefficient of variation of only 3.8%. As another example, the ultrasonic thickness measurements of both specimens 08 and 09 had a coefficient of variation of approximately 20%. However, the full scale effective wall thickness of specimen 08 was only 76% of the ultrasonic wall thickness while the effective wall thickness of specimen 09 was 95% of the ultrasonic wall thickness.

Based on these observations, it was decided that the coefficient of variation was not a good parameter to use in determining the type of specimen in which ultrasonics provides an accurate measurement of the effective wall thickness. The data presented in Table 3-17, Table 3-18, and Figure 3-33, further indicates there is no obvious relationship between the two wall thickness determinations. With the amount of ultrasonic data taken during the test program, it would be dubious at best to formulate a relationship between full scale effective wall thickness and the wall thickness determined by ultrasonic testing.

The average and standard deviation for the full scale wall thickness to ultrasonic wall thickness ratios presented in Table 3-18 are 0.93 and 0.076, respectively. Based on the data from the twenty specimens tested in this program, it appears that a lower bound full scale to ultrasonic wall thickness ratio would be approximately 0.80. It should be noted that this lower bound value is valid only if: 1) the members are approximately the same size as those tested, 2) the members have similar types and magnitude of damage as those tested, and 3) a minimum of 30 ultrasonic measurements are taken along each member.

It should be further noted that regions of greatly reduced cross section were not obvious by visual inspection and were not located until after the full scale tests were completed and the local failure regions were evident. It is likely that these areas would be even more difficult to detect under inservice conditions. Sound engineering judgement and experience should be exercised when evaluating any ultrasonic wall thickness data for damaged tubular members.

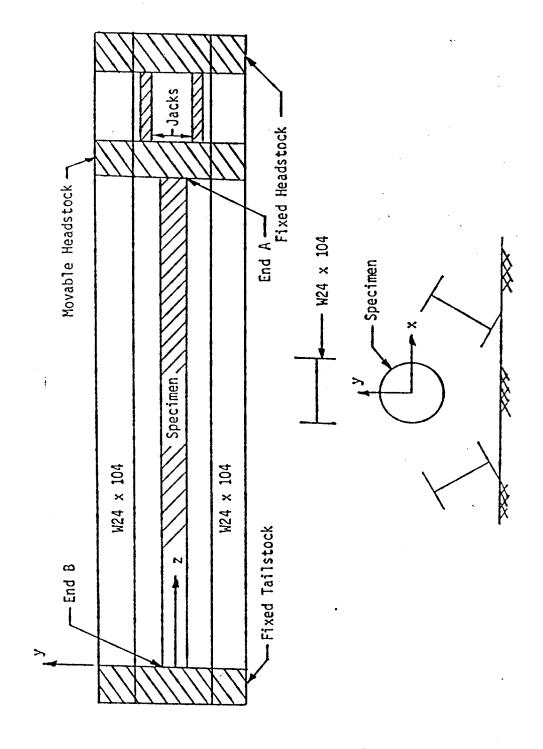
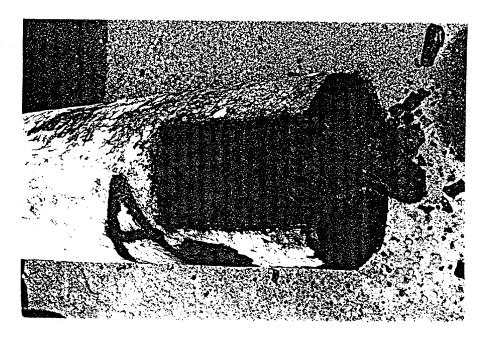
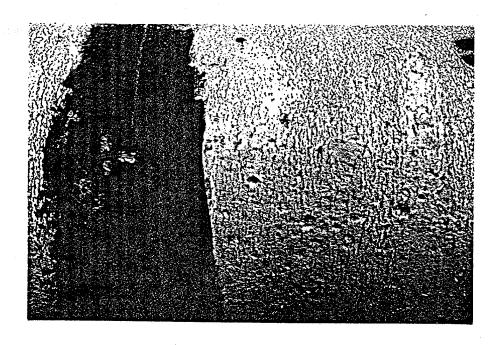


Figure 3-1

SEVERITY OF CORROSION



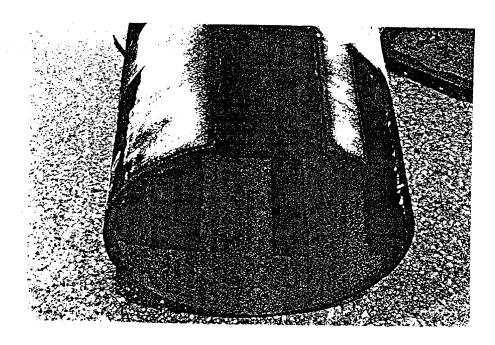
a) High Corrosion



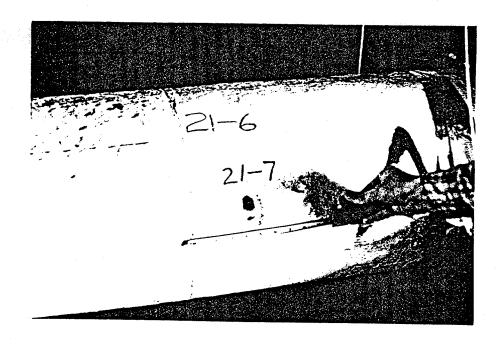
b) Medium Corrosion

Figure 3-2

SEVERITY OF CORROSION (cont.)



c) Low Corrosion



d) Overall Medium Corrosion with Local High Corrosion

Figure 3-2 (cont.)

DAMAGE SUMMARY

Specimen No. 17

DISTANCE FROM END "B"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
	LEFT	RIGHT	
1. 4'-8 3/4"			3/4" circumferential butt weld
2. 19'-1"		2" (center)	8" diameter dent (Round) (See additional pages for cross sections)

The specimen is curved. See additional page for initial out-of-straightness information.

^{*}Looking from end "A" towards end "B"

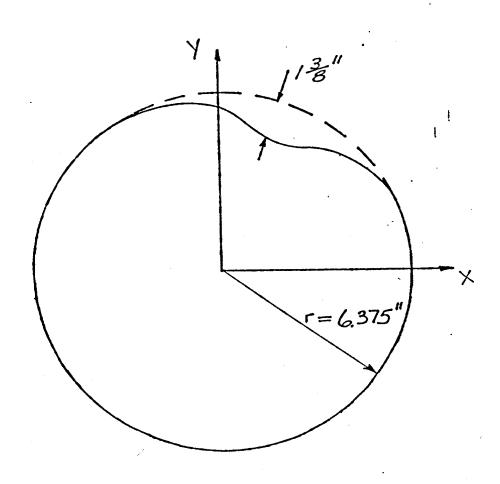
Out-of-Straightness Measurements for Specimen 17

The specimen was initially curved in the yz-plane and straight in the xz-plane. The following measurements are in the y-direction.

	Distance	Distance from	Out-of-
	from	stringline to	straightness
	End B	top of pipe	in y direction
	(ft)	(in)	(in)
	0	3.875	0
	1	4	-0.125
	2	4.25	-0.375
	3	4.5	-0.625
	4	4.75	-0.875
	5	5	-1.125
	6	5.1875	-1.3125
	7	5.375	-1.5
	8	5.5	-1.625
	9	5.6 875	-1.8125
	10	5.875	-2
	11	6.0625	-2.1875
	12	6.25	-2.375
	13	6.4375	-2.5625
	14	6.625 ·	-2.75
	15	6.75	-2.875
	16	6.9375	-3.0625
	17	7.125	-3.25
	18	7.375	-3.5
Begin dent	18.583	7.625	-3.75
•	19	8.5	-4.625
Dent center	19.083	8.625	-4.75
End dent	19.5	7.625	-3.75
	20	7.375	-3.5
	21	6.875	-3
	22	6.5	-2.625
	23	6.25	-2.375
	24	5.9375	-2. 0625
	25	5.625	-1.75
	26	5.3125	-1.4375
	27	4.9375	-1. 0625
	28	4.625	-0.75
	29	4.375	-0.5
	30	4	-0.125
	31	3.875	0
	31.167	3.875	0

DENT CROSS SECTION

Specimen No. $\underline{17}$ Damage No. $\underline{2}$ Distance from End B $\underline{19'-1''}$ Scale $\underline{1''=3''}$



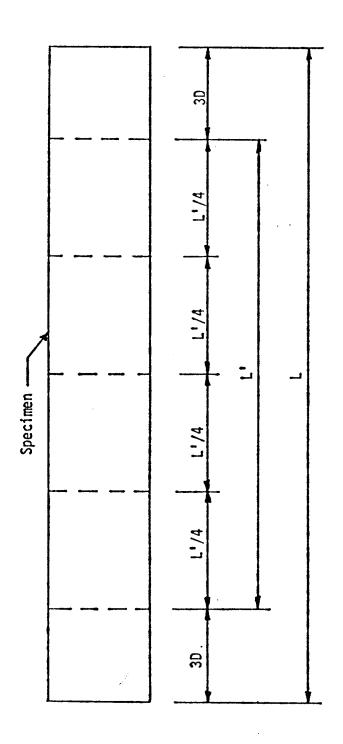
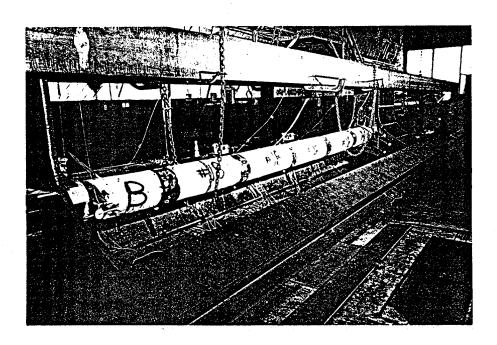


Figure 3-6

TEST FRAME



END CONDITIONS

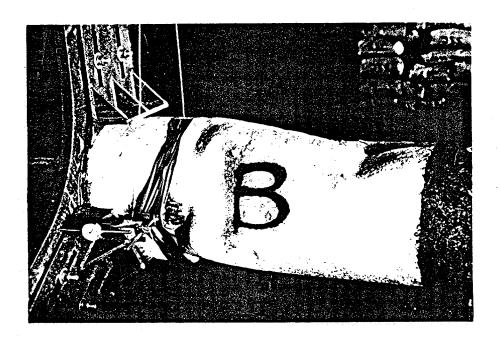


Figure 3-8

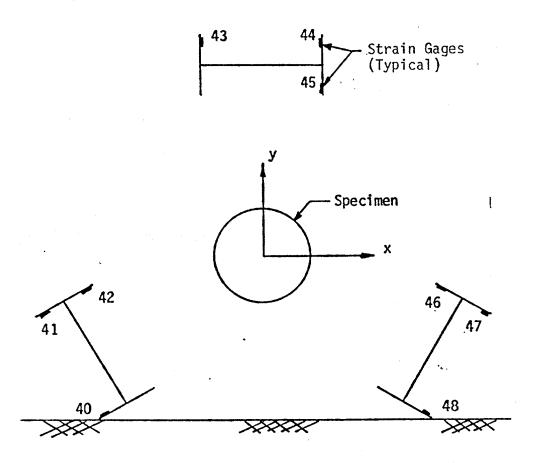


Figure 3-9

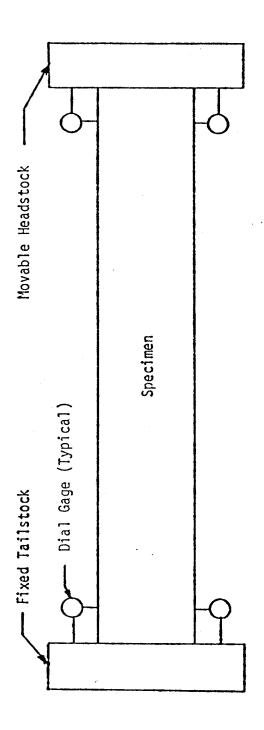


Figure 3-10

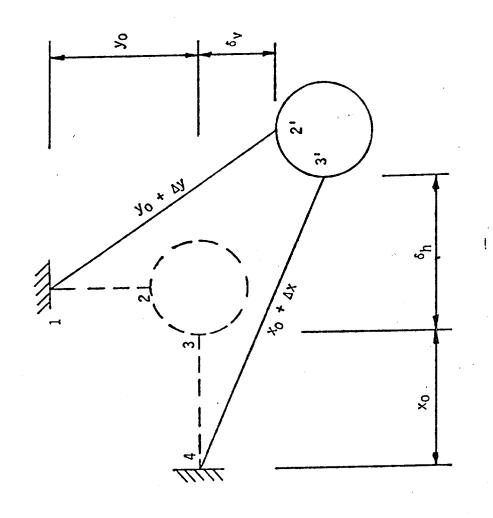


Figure 3-11

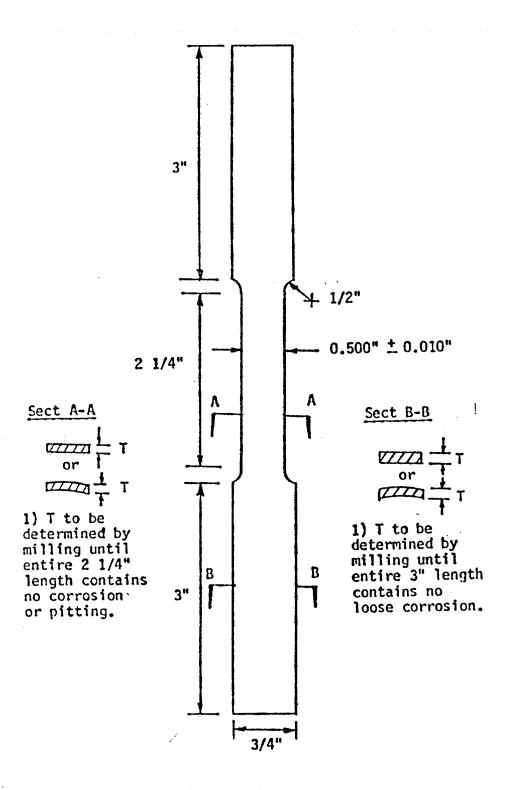


Figure 3-12

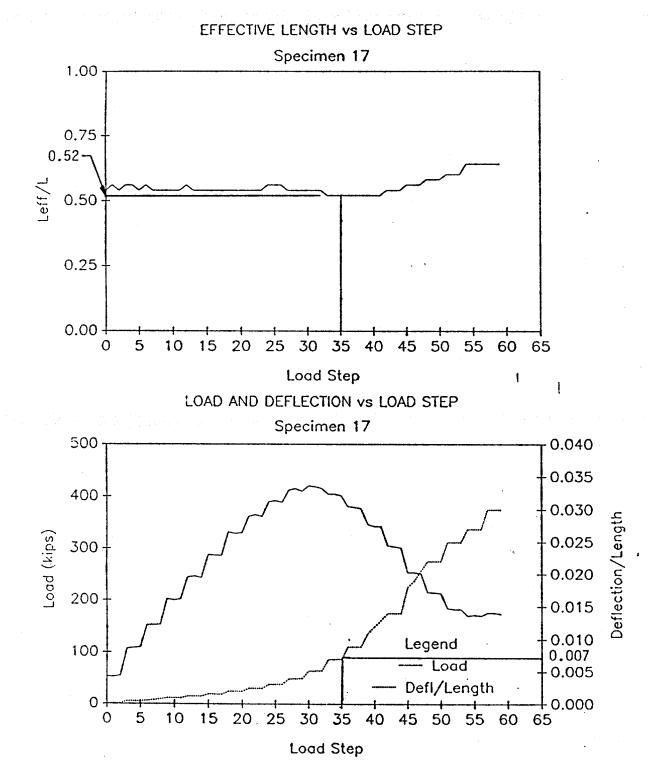


Figure 3-13

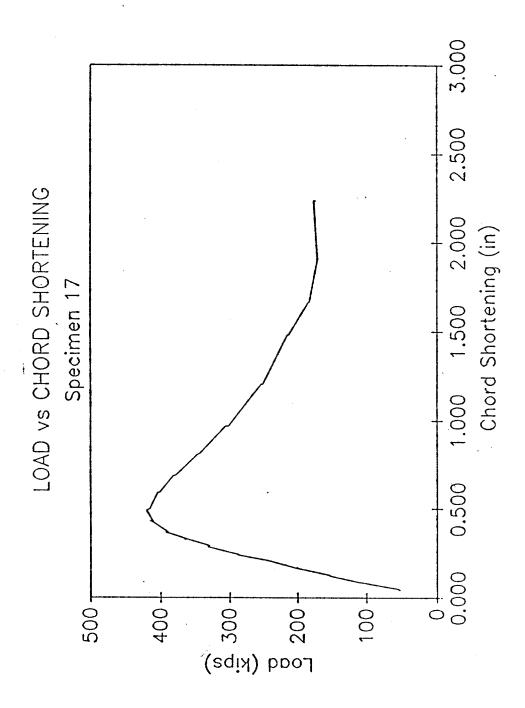


Figure 3-14

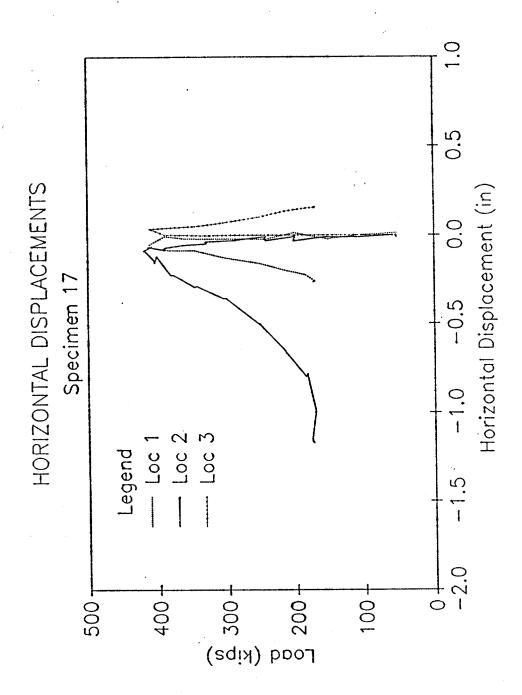


Figure 3-15

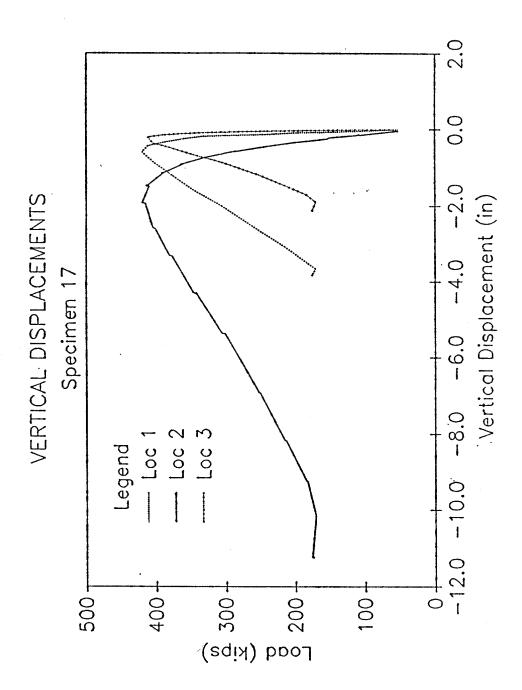


Figure 3-16

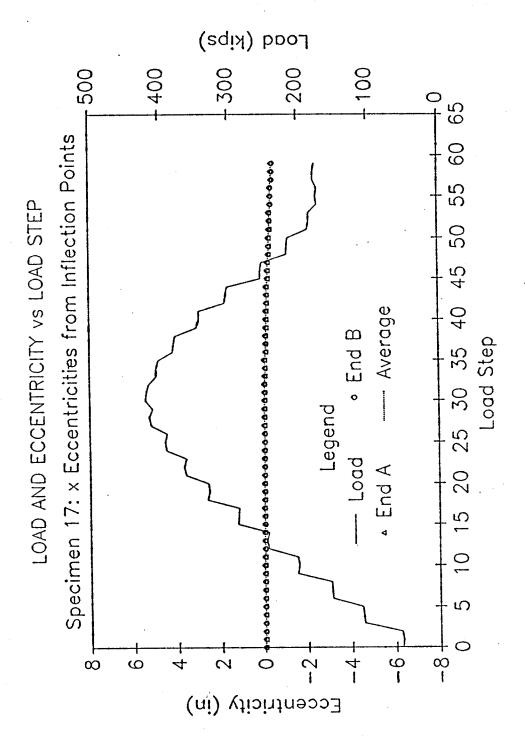


Figure 3-17

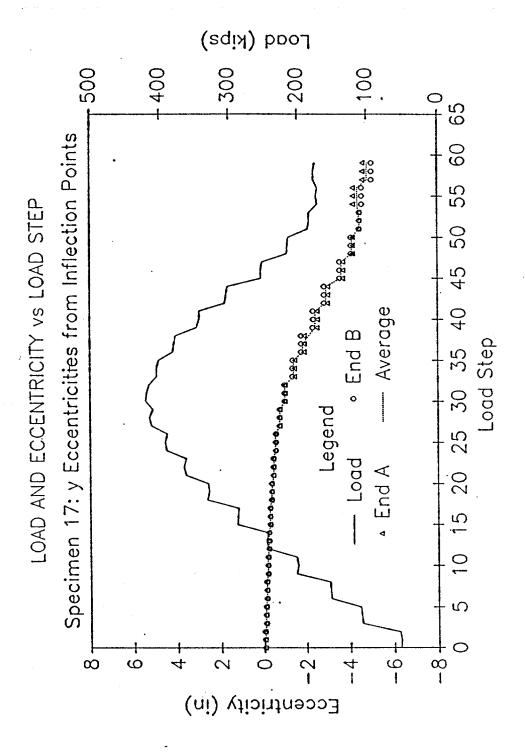
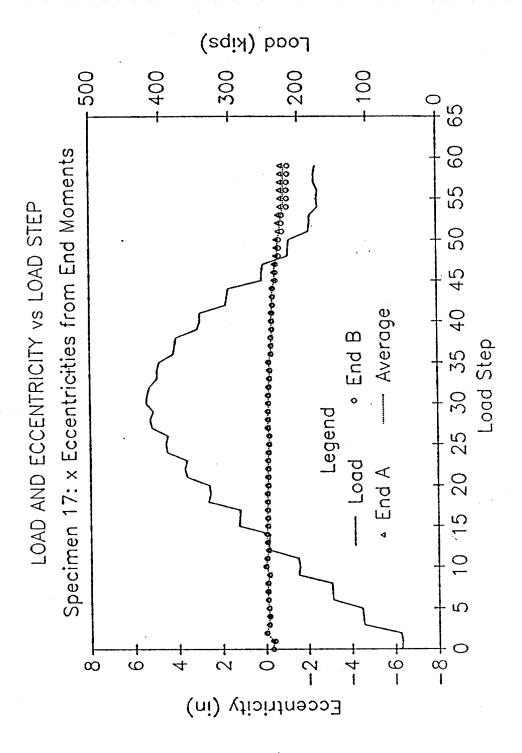


Figure 3-18



2

Figure 3-19

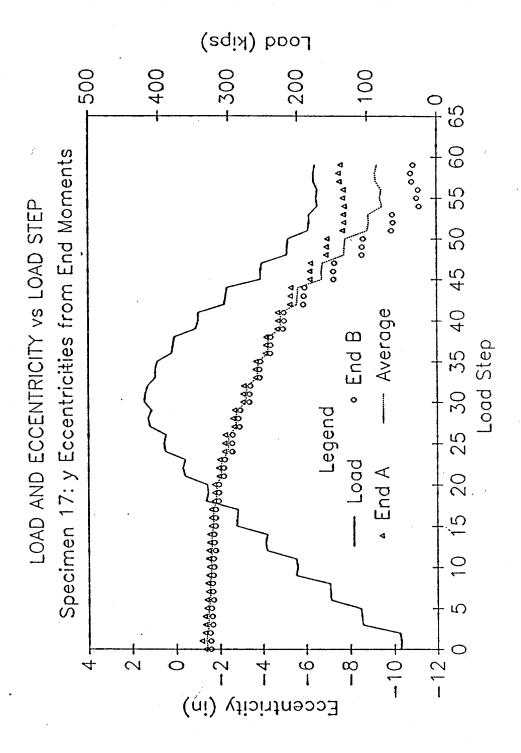
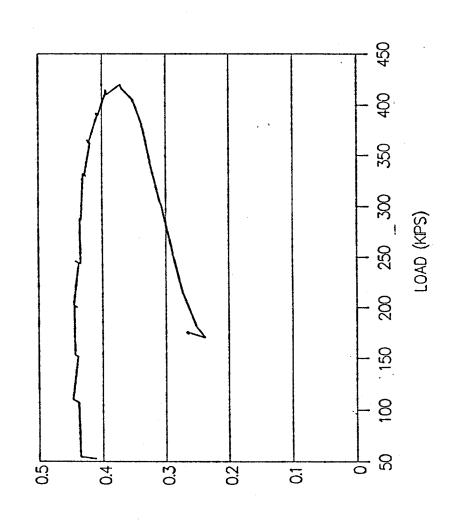


Figure 3-20

SPECIMEN NO 17-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IV)

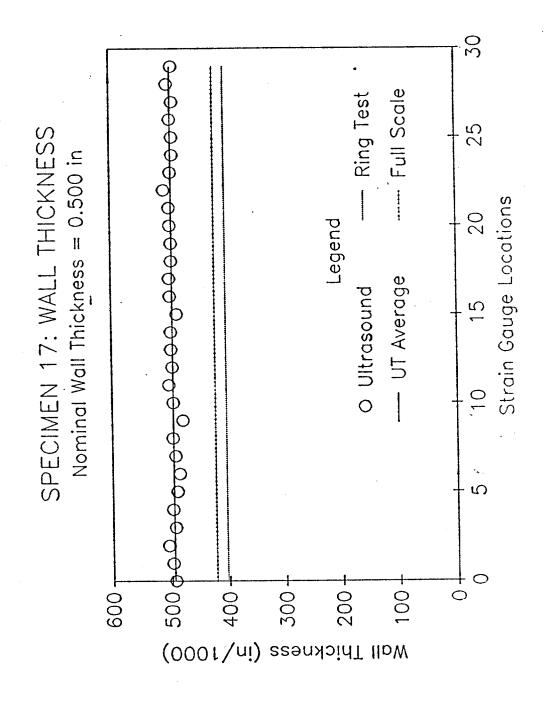


Figure 3-22

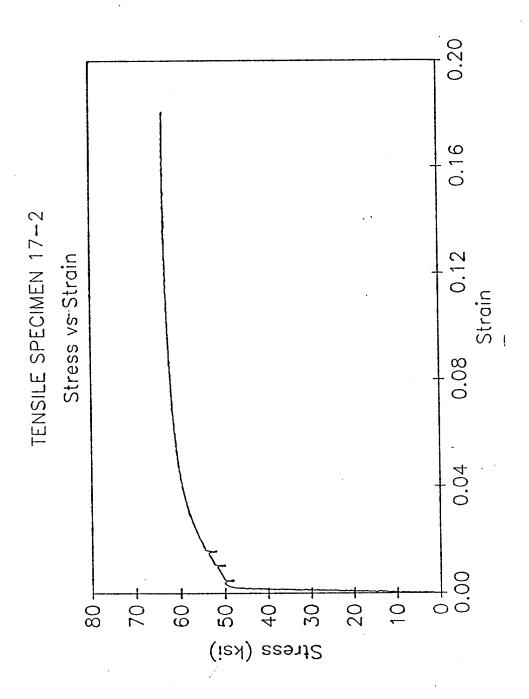


Figure 3-23

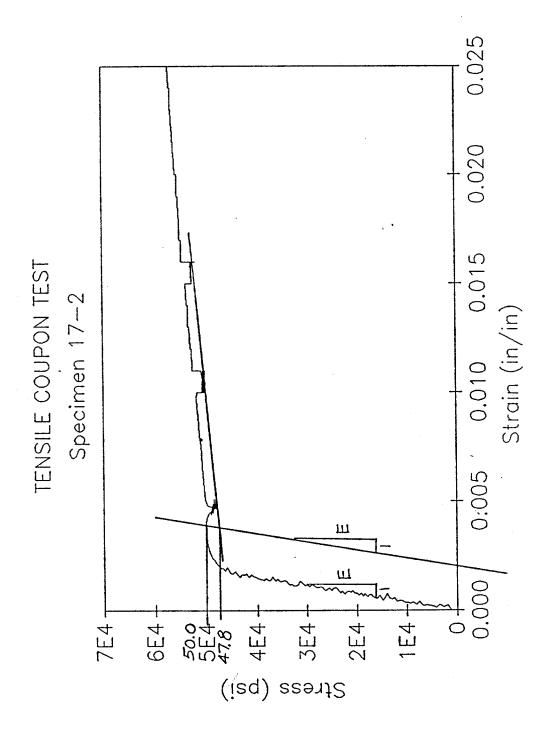
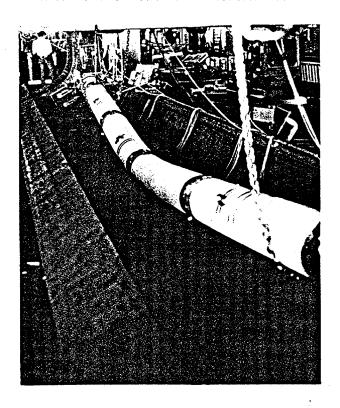
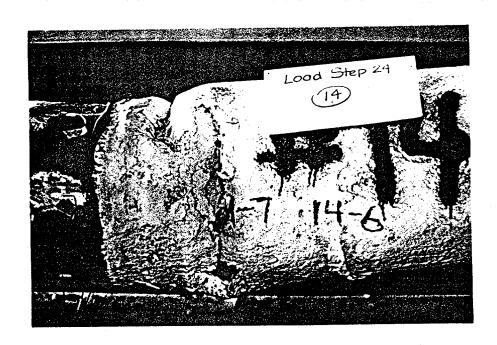


Figure 3-24

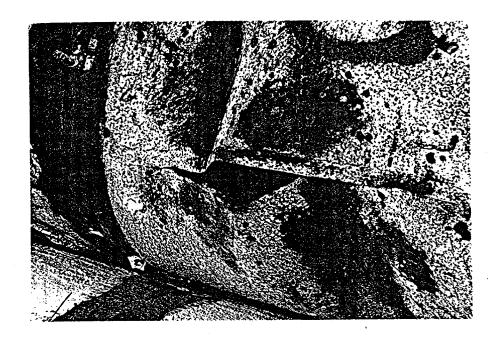
EXAMPLES OF OBSERVED FAILURE MODES



a) Global Buckling



b) Local Failure



c) Crack Opening

Figure 3-25 (cont.)

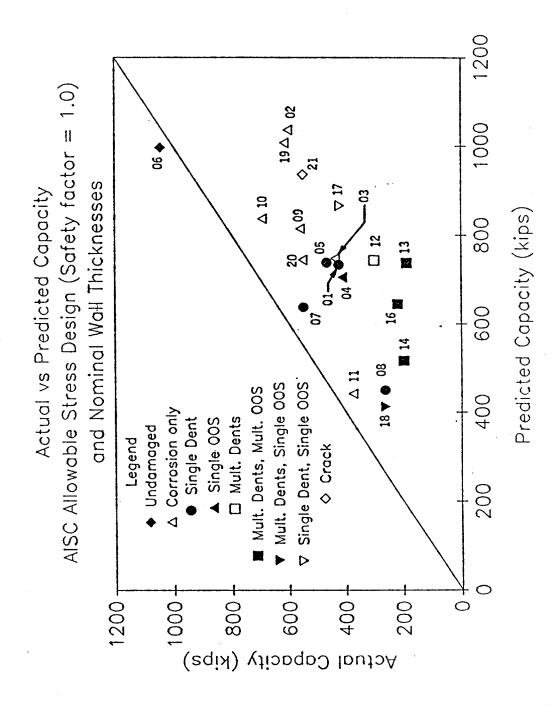


Figure 3-26

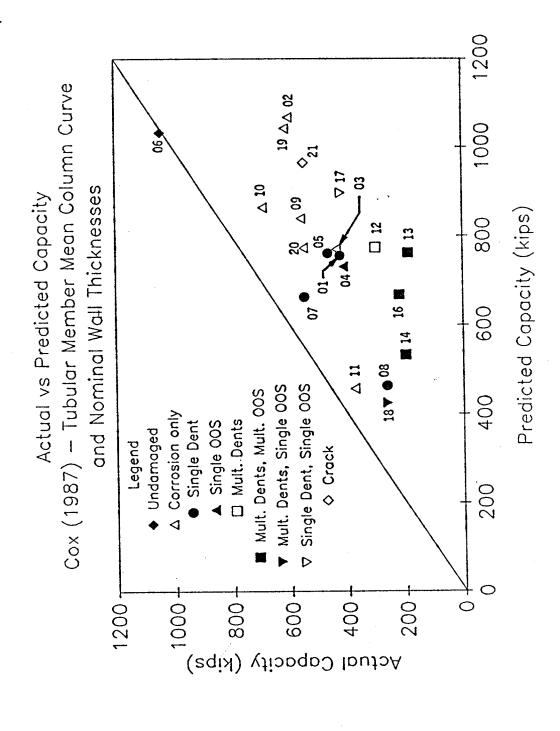


Figure 3-27

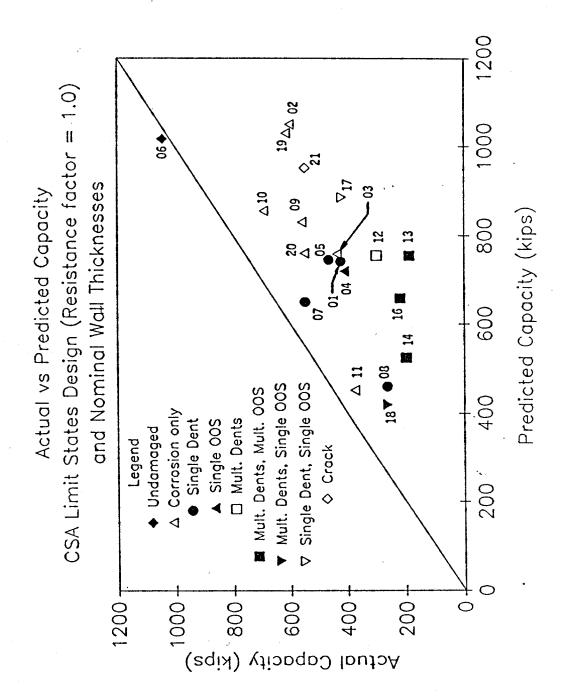


Figure 3-28

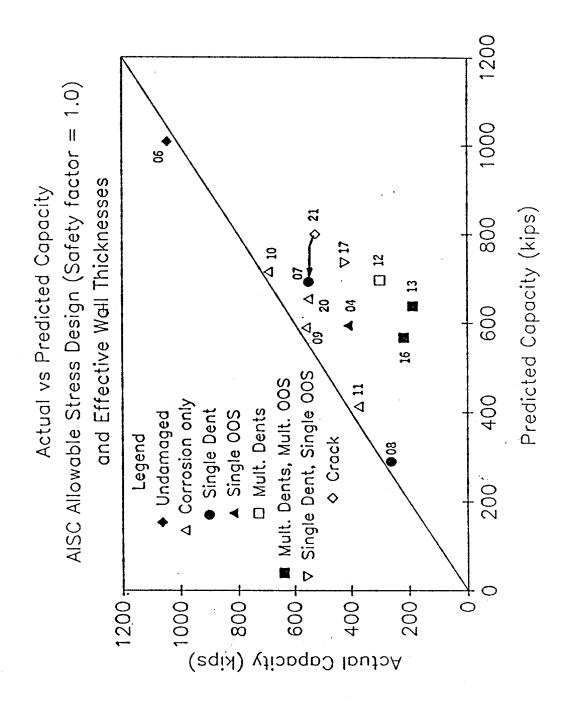


Figure 3-29

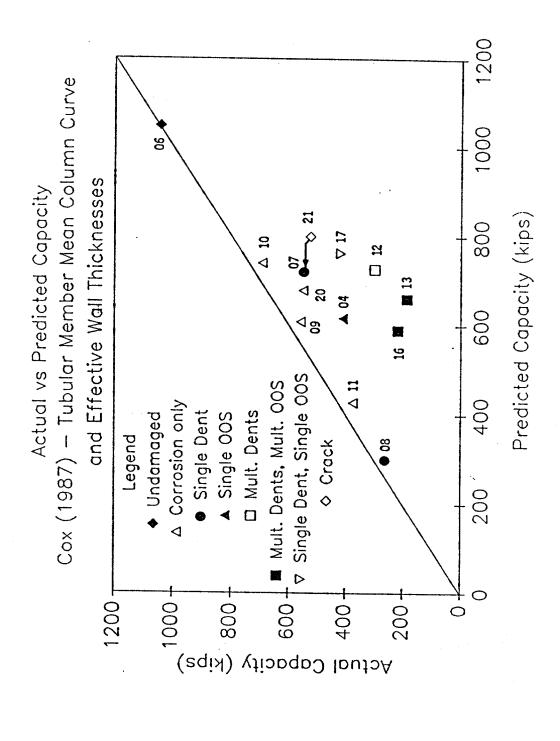


Figure 3-30

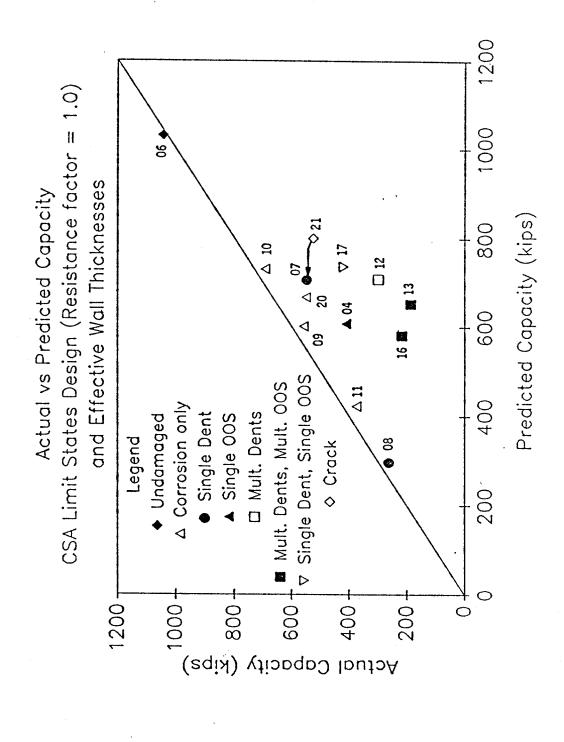


Figure 3-31

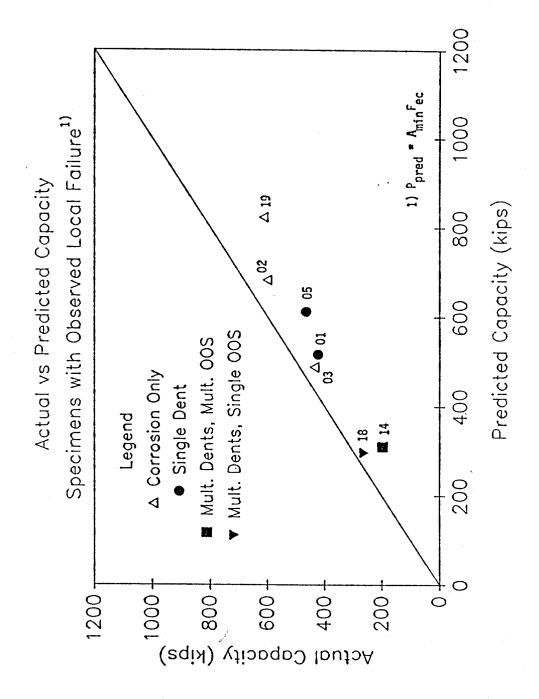


Figure 3-32

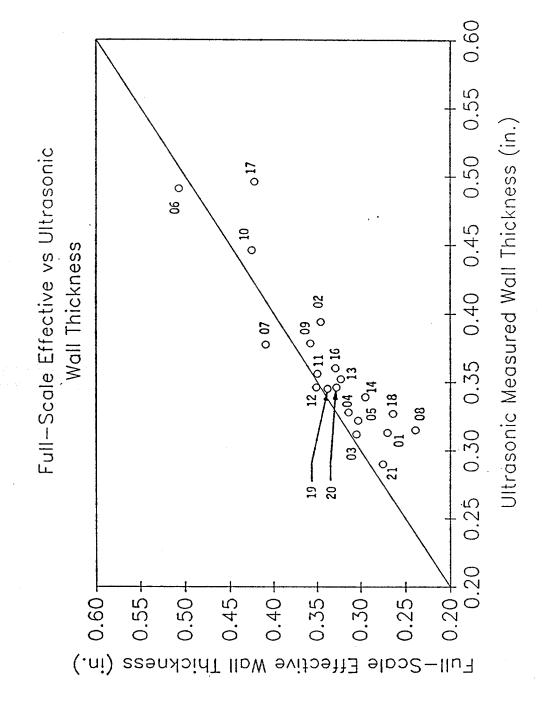


Figure 3-33

SPECIMEN DESCRIPTION

												
L/r ratio (nominal)	37.74	42.76	46.59	95.21	35.66	68.73	108.18	87.06	55.37	79.39	94.68	108.23
D/t ratio (nominal)	48.00	41.10	48.00	34.00	48.00	40.00	34.00	28.67	28.00	28.00	28.67	34.00
Nominal Wall Thickness (in)	0.375	0.438	0.375	0.375	0.375	0.500	0.375	0.375	0.500	0.500	0.375	0.375
Nominal Diameter (in)	18.00	18.00	18.00	12.75	18:00	20.00	12.75	10.75	14.00	14.00	10.75	12.75
Length (ft)	19.60	22.13	24.20	34.73	18.52	39.50	39.46	26.63	22.04	31.60	28.96	39.48
Type of Pipe ¹⁾	Ĺτι	Ęz4	ᄄ	တ	£Ή	ഗ	ഗ	ഗ	യ	လ	മ	S
Specimen	01	02	03	04	05	90	07	80	60	10	Z	12

Table 3-1

SPECIMEN DESCRIPTION - (cont.)

			·					
L/r ratio (nominal)	66.15	45.92	78.87	86.29	55.84	80.94	95.05	48.49
D/t ratio (nominal)	34.00	34.00	34.00	25.50	28.67	42.67	34.00	42.67
Nominal Wall Thickness (in)	0.375	0.375	0.375	0.500	0.375	0.375	0.375	0.375
Nominal Diameter (in)	12.75	12.75	12.75	12.75	10.75	16.00	12.75	16.00
Length (ft)	24.13	16.75	28.77	31.17	17.08	37.27	34.67	22.33
Type of Pipe ¹⁾	ഗ	တ	ഗ	മ	Ø	ĬΨ	Ø	ſω
Specimen No	13	14	16	17	18	19	20	21

1) F denotes fabricated pipe and S denotes seamless/continuous seam pipe.

Table 3-1 (cont.)

TYPE OF DAMAGE FOR EACH SPECIMEN

Holes	x ¹⁾	x ¹)			x ¹⁾					x1)		×
Cracks					×							
Multiple Out-of- Straightness												
Single Out-of- Straightness				×								
Multiple Dents						A	1 641	7				×
Single Dent	×			100	×		×	×				
Corrosion	×	×	×	×	×		×	×	×	×	×	×
Specimen No	01	02	03	04	0.5	90	07	80	60	10	11	12

TYPE OF DAMAGE FOR EACH SPECIMEN (cont.)

	·····							
Holes		x ₁)	x ₁)					×
Cracks					,			×
Multiple Out-of- Straightness	×	×	×					
Single Out-of- Straightness				×	×			
Multiple Dents	×	×	×		×			
Single				×				·
Corrosion	×	×	×	×	×	×	×	×
Specimen No	13	14	16	17	18	192)	20	21

Specimen had small corrosion or torch holes which did not affect overall specimen behavior. Notes: 1)

Specimen 19 had a split in a longitudinal weld near one end. This split was not completely through the wall of the specimen. 5

Table 3-2 (cont.)

MAGNITUDE OF INITIAL DAMAGE

									
Maximum Initial Out-of-Straightness ⁴⁾ (in)	00.0	00.0	. 00.0	1.31	00.0	00.0	00.0	00.0	00.0
Maximum Dent Depth ³⁾ (in)	05.0	00.0	00.0	00.0	0.50	00.0	1.50	0.25	00.0
Extent of Corrosion ²⁾	0	OH	OG	ιο Γο	0	0	0	000	0
Severity of Corrosion ¹⁾	н	ЖH	×н	ឯឪ	н	None	Н	×н	ī
Specimen No	0.1	03	03	04	05	90	07	83. O	60

Table 3-3

MAGNITUDE OF INITIAL DAMAGE (cont.)

Maximum Initial Out-of-Straightness ⁴⁾ (in)	00.0	00.0	00.0	8.13	2.88	6.63	4.75	0.88	00.0
Maximum Dent Depth (in)	00.00	00.0	3.00	1.75	0.50	0.25	1.38	0.38	00.0
Extent of Corrosion ²⁾	0	0	0	0	0	0	0	O O I	0 Lo
severity of Corrosion ¹⁾	i L	ដ	н	Ħ	н	н	H	ZН	ЖΉ
Specimen No	10	11	12	13	14	16	17	18	19

Table 3-3 (cont.)

MAGNITUDE OF INITIAL DAMAGE (cont.)

Severity of Corrosion	Y n ¹)	Extent of Corrosion ²⁾	Maximum Dent Depth (in)	Maximum Initial Out-of-Straightness ⁴⁾ (in)
И	0		00.0	00.0
0 M	0		00.00	0.00

- 1) L low corrosion, M medium corrosion, H high corrosion.
- 2) 0 overall corrosion, Lo local corrosion.
- 3) For specimens with multiple dents, the maximum value of dent depth is given.
- For specimens with initial out-of-straightness in two directions, the maximum out-of-straightness is given. 4)

SUMMARY OF FULL SCALE TESTS

Leff/L Point of	•—	ND ¹⁾	ND ¹⁾	ND ₁)	0.50	ND ¹)	0.86	0.50	ND ¹)	0.54	0.52	0.50
Midspan Deflections at Pmax	Horizontal	90.0	0.13	-0.03	-0.29	0.08	0.35	0.41	-0.15	0.59	-0.31	-0.10
Mid Defle at	Vertical	-0.18	0.12	-0.14	-1.90	0.16	0.26	1.87	0.43	0.15	0.39	-0.52
Chord Shortening	(in)	0.49	09:0	0.36	0.70	0.44	1.09	99.0	0.64	0.59	0.47	0.40
ρ	(Kips)	424	601	436	410	465	1043	548	263	558	692	374
	(in)	18.00	18.00	18.00	12.75	18.00	20.00	12.75	10.75	14.00	14.00	10.75
4 4 4	(ft)	19.60	22.13	24.20	34.73	18.52	39.50	39.46	26.63	22.04	31.60	28.96
	No.	01	02	03	04	05	90	07	80	60	10	r r

SUMMARY OF FULL SCALE TESTS (cont.)

Leff/L Point of	Buckling	0.50	0.54	ND ¹)	0.62	0.52	ND ¹⁾	ND ¹)	0.50	ND ²)
Midspan Deflections at Pmax	Horizontal	2.00	0.53	0.18	90.0	-0.09	-0.27	0.45	-0.24	0.08
Mid Defle at	Vertical	1.60	-1.31	0.24	-1.60	-1.92	-0.44	-0.25	-0.40	-0.01
Chord Shortening	(in)	1.03	0.39	0.13	0.59	0.49	0.42	0.18	0.31	0.50
ę	(klps)	299	187	198	218	420	262	614	550	549
1	(in)	12.75	12.75	12.75	12.75	12.75	10.75	16.00	12.75	16.00
	Lengtn (ft)	39.48	24.13	16.75	28.77	31.17	17.08	37.27	34.67	22.33
	Specimen No.	12	13	14	16	17	18	19	20	21

1) Not determined since specimen locally yielded prior to buckling.

2) Not determined since specimen did not buckle.

Table 3-4 (cont.)

SUMMARY OF WALL THICKNESS DETERMINATION

Specimen No	Nominal Wall Thickness (in.)	Ring Test Effective Wall Thickness (in.)	UT Average Wall Thickness (in.)	Full Scale Effective Wall Thickness (in.)
01	0.375	NT ¹⁾	0.313 ²⁾	0.270
02	0.438	NT	0.3943)	0.346
03	0.375	NT	0.3124)	0.305
04	0.375	0.282	0.328	0.314
05	0.375	ти	0.322 ⁵⁾	0.303
06	0.500	0.507	0.491	0.507
07	0.375	0.376	0.377	0.409
08	0.375	NT	0.3156)	0.239
09	0.500	NT	0.378	0.358
10	0.500	0.384	0.446	0.425
11	0.375	пт	0.356	0.350
12	0.375	0.279	0.346	0.351
12 UT and ring retest		0.294	0.300	
13	0.375	NT	0.352	0.323
14	0.375	NT	0.3397)	0.295
16	0.375	NT	0.360	0.329
17	0.500	0.403	0.496	0.422
18	0.375	NT	0.3278)	0.264
19	0.375	0.312	0.3459)	0.338

SUMMARY OF WALL THICKNESS DETERMINATION (cont.)

Specimen No	Nominal Wall Thickness (in.)	Ring Test Effective Wall Thickness (in.)	UT Average Wall Thickness (in.)	Full Scale Effective Wall Thickness (in.)
20	0.375	0.327	0.346	0.328
21	0.375	NT	0.290	0.275

- 1) NT No test conducted.
- 2) t = 0.265 in. in region of local yielding located 3 ft. 6 in. from end B. This effective wall thickness was determined using UT.
- 3) t = 0.284 in. in region of local yielding located 3 ft. 3 in. from end B. This effective wall thickness was determined using UT.
- 4) t = 0.247 in. in region of local yielding located 2 ft. 4 in. from end B. This effective wall thickness was determined using UT.
- 5) t = 0.307 in. in region of local yielding located 4 ft. 10 in. from end B. This effective wall thickness was determined using UT.
- 6) t = 0.262 in. in region of local yielding located
 19 ft. 9 in. from end B. This effective wall
 thickness was determined using UT.
- 7) t = 0.219 in. in region of local yielding located 4 ft. 9 in. from end B. This effective wall thickness was determined using UT.
- 8) t = 0.261 in. in region of local yielding located 2 ft. 11 in. from end B. This effective wall thickness was determined using UT.
- 9) t = 0.279 in. in region of local yielding located 29 ft. 11 in. from end B. This effective wall thickness was determined using UT.

SUMMARY OF SPECIMEN MATERIAL PROPERTIES

		Yield St	rength ¹⁾	
Specimen No	Modulus of Elasticity (ksi)	Static (ksi)	Dynamic (ksi)	Ultimate Strength (ksi)
01	25,800	35.7	38.6	56.5
02	27,400	43.6	47.3	67.2
03	26,200	36.6	40.9	66.7
04	28,000	54.0	57.0	68.5
05	26,300	35.9	38.9	59.5
06	28,300	ND ²⁾	36.5	64.4
07	29,200	ND	50.0	67.1
08	29,400	39.2	44.7	72.9
09	29,600	39.6	43.5	72.8
10	25,900	42.0	45.0	73.4
11	27,300	39.0	41.9	65.8
12	28,600	ND	60.0	78.0
13	30,000	53.7	56.7	70.7
14	29,300	36.0	39.6	74.0
16a ³⁾ 16b	29,000 26,100	49.1 52.7	51.6 55.4	77.3 71.2
17	25,000	49.2	51.4	64.0
18	24,900	34.5	38.2	66.8
19	27,700	59.7	62.2	74.2

SUMMARY OF SPECIMEN MATERIAL PROPERTIES (cont.)

	Modulus of	Yield St	Yield Strength ¹⁾			
Specimen No	Elasticity (ksi)	Static (ksi)	Dynamic (ksi)	Ultimate Strength (ksi)		
20	28,000	57.4	60.0	70.9		
21	25,900	52.2	55.2	68.3		

- 1) Nominal yield strength is 35 ksi for all specimens.
- 2) ND Not determined.
- 3) Two different material types in Specimen No. 16.

SPECIMEN GEOMETRIC PROPERTIES

nen Length Diameter Thickness (ef (ft) (in) (in) (in) (ef) (22.13 18.00 0.346 24.20 18.00 0.305 18.52 18.00 0.303 39.50 20.00 0.507 26.63 10.75 0.239 22.04 14.00 0.358				Effective ¹⁾	D/t	L/r
19.60 18.00 0.270 22.13 18.00 0.346 24.20 18.00 0.305 34.73 12.75 0.314 18.52 18.00 0.303 39.50 20.00 0.507 39.46 12.75 0.409 26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	Specimen No	Length (ft)	Diameter (in)	Thickness (in)	ratio (effective)	(effective)
22.13 18.00 0.346 24.20 18.00 0.305 34.73 12.75 0.314 18.52 18.00 0.303 39.50 20.00 0.507 39.46 12.75 0.409 26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	01	19.60	18.00	0.270	66.67	37.52
24.20 18.00 0.305 34.73 12.75 0.314 18.52 18.00 0.303 39.50 20.00 0.507 39.46 12.75 0.409 26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	02	22.13	18.00	0.346	52.02	42.54
34.73 12.75 0.314 18.52 18.00 0.303 39.50 20.00 0.507 39.46 12.75 0.409 26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	03	24.20	18.00	0.305	59.02	46.41
18.52 18.00 0.303 39.50 20.00 0.507 39.46 12.75 0.409 26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	04	34.73	12.75	0.314	40.61	94.76
39.50 20.00 0.507 39.46 12.75 0.409 26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	05	18.52	18.00	0.303	59.41	35.51
39.46 12.75 0.409 26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	90	39.50	20.00	0.507	39,45	68.75
26.63 10.75 0.239 22.04 14.00 0.358 31.60 14.00 0.425	07	39.46	12.75	0.409	31.17	108.47
22.04 14.00 0.358 31.60 14.00 0.425	80	26.63	10.75	0.239	44.98	85.97
31.60 14.00 0.425	60	22.04	14.00	0.358	39.11	54.82
	10	31.60	14.00	0.425	32.94	78.97

SPECIMEN GEOMETRIC PROPERTIES (cont.)

L/r ratio (effective)	94.46	108.03	65.88	45.63	78.59	85.77	55.27	80.75	94.70	48.19	
D/t ratio (effective)	30.71	36.32	39.47	43.22	38.75	30.21	40.72	47.34	38.87	58.18	
Effective ¹⁾ Wall Thickness (in)	0.350	0.351	0.323	0.295	0.329	0.422	0.264	0.338	0.328	0.275	
Diameter (in)	10.75	12.75	12.75	12.75	12.75	12.75	10.75	16.00	12.75	16.00	
Length (ft)	28.96	39.48	24.13	16.75	28.77	31.17	17.08	37.27	34.67	22.33	
Specimen	11	12	13	14	16	17	18	19	20	21	

1) Effective wall thickness computed from full scale tests.

OBSERVED SPECIMEN FAILURE MODES

Specimen No	Location of Failure from End B	Failure Mode
01	3'- 0"	Local Failure
02	3'- 3"	Local Failure ¹⁾
03	2 1 - 4 11	Local Failure
04	15'- 6 1/2"	Global Buckling
05	4'- 10"	Crack Opening ²⁾
06	17'- 6 1/2"	Global Buckling
07	19'- 1 1/2"	Global Buckling ³⁾
08	19'- 9"	Global Buckling
09	12'- 8"	Global Buckling
10	16'- 6"	Global Buckling
11	14'- 5 1/2"	Global Buckling
12	14'- 5 1/2"	Global Buckling4)
13	8'- 3"	Global Buckling ⁵⁾
14	4'- 9"	Local Failure ⁶⁾
16	13'- 1"	Global Buckling
17	19'- 1"	Global Buckling ⁷⁾
18	2'- 11"	Local Failure
19	29'- 11"	Local Failure

OBSERVED SPECIMEN FAILURE MODES (cont.)

Specimen No	Location of Failure from End B	Failure Mode
20 21	18'- 1" 19'- 8"	Global Buckling Crack Opening ⁸⁾

- 1) Local failure in region of circumferential weld.
- 2) Failure at thru-thickness crack in a longitudinal welded seam 24 inches from end B. Crack began to open but not propagate prior to ultimate load.
- 3) Failure initiated in dented region. A longitudinal split formed near the dented region after ultimate load.
- 4) Failure initiated in region with large dent and hole. Other large holes did not have a significat role in failure.
- 5) Specimen failed at location of deepest dent and maximum initial out-of-straightness.
- 6) Local failure initiated in a region which had experienced a high degree of observable local corrosion.
- 7) Specimen failed at location of dent and maximum initial out-of-straightness.
- 8) Failure occurred due to the opening of a thru-thickness crack at the welded longitudinal seam. Crack propagation was arrested by girth weld near end A.

SPECIMEN PROPERTIES USED IN ULTIMATE CAPACITY FORMULAE

Effective Length	0.504)	0.504)	0.504)	0.50	0.504)	98.0	0.50	0.504)	0.54	0.52	0.50	0.50
Yield Strength ³⁾ (Ksi)	35.7	43.6	36.6	54.0	35.9	36.5	50.0	39.2	39.6	42.0	39.0	0.09
Effective Wall Thickness ²⁾ (in)	0.270	0.346	0.305	0.314	0.303	0.507	0.409	0.239	0.358	0.425	0.350	0.351
Nominal Wall Thickness ¹⁾ (in)	0.375	0.438	0.375	0.375	0.375	0.500	0.375	0.375	0.500	0.500	0.375	0.375
Diameter (in)	18.00	18.00	18.00	12.75	18.00	20.00	12.75	10.75	14.00	14.00	10.75	12.75
Length (in)	19.60	22.13	24.20	34.73	18.52	39.50	39.46	26.63	22.04	31.60	28.96	39.48
Specimen No.	01	0.5	03	04	05	90	07	80	60	10	11	12

SPECIMEN PROPERTIES USED IN ULTIMATE CAPACITY FORMULAE (cont.)

Effective Length	0.54	0.504)	0.62	0.52	0.504)	0.504)	0.50	0.50 ⁵⁾
Yield Strength ³⁾ (ksi)	53.7	36.0	49.1	49.2	34.5	59.7	57.4	52.2
Effective Wall Thickness ²⁾ (in)	0.323	0.295	0.329	0.422	0.264	0.338	0.328	0.275
Nominal Wall Thickness ¹⁾ (in)	0.375	0.375	0.375	0.500	0.375	0.375	0.375	0.375
Diameter (in)	12.75	12.75	12.75	12.75	10.75	16.00	12.75	16.00
Length (in)	24.13	16.75	28.77	31.17	17.08	37.27	34.67	22.33
Specimen No.	13	14	16	17	18	19	20	21

1) Determined by measurements at the ends of the specimens.

5) Specimen did not buckle.

Table 3-9 (cont.)

²⁾ Determined from full-scale tests.

³⁾ Static yield strength used for all specimens but 06, 07, and 12.

⁴⁾ Local Yielding occurred prior to buckling.

SPECIMEN SLENDERNESS RATIOS AND PARAMETERS

Specimen No	C _c	(kL/r) _{nom}	(kL/r) _{eff}	λnom	λeff
01	127.71	18.87	18.76	0.21	0.21
02	115.57	21.38	21.27	0.26	0.26
03	126.13	23.30	23.21	0.26	0.26
04	103.84	47.61	47.38	0.65	0.65
05	127.36	17.83	17.76	0.20	0.20
06	126.31	59.11	59.13	0.66	0.66
07	107.92	54.09	54.23	0.71	0.71
08	121.88	43.53	42.98	0.51	0.50
09	121.26	29.90	29.60	0.35	0.35
10	117.75	41.28	41.06	0.50	0.49
11	122.19	47.34	47.23	0.55	0.55
12	98.51	54.12	54.01	0.78	0.78
13	104.13	35.72	35.58	0.49	0.48
14	127.18	22.96	22.82	0.26	0.25
16	108.90	48.90	48.72	0.64	0.63
17	108.79	44.87	44.60	0.58	0.58
18	129.92	27.92	27.63	0.30	0.30
19	98.76	40.47	40.37	0.58	0.58
20	100.72	47.52	47.35	0.67	0.66
21	105.62	24.25	24.10	0.32	0.32

ULTIMATE CAPACITY OF SPECIMENS USING NOMINAL WALL THICKNESS¹⁾

<u></u>		· · · · · · · · · · · · · · · · · · ·	· · · · · · · · · · · · · · · · · · ·		
Specimen	P	P _{yld} F _y A	P _{an} AISC ²⁾	P _{an} COX ³⁾	P _{an} CSA ⁴⁾
No	(kips)	(kips)	(kips)	(kips)	(kips)
01	424	741	733	756	741
02	601	1054	1036	1068	1050
03	436	760	747	770	758
04	410	787	705	731	720
05	465	745	738	761	745
06	1043	1118	996	1034	1017
07	548	729	637	663	650
08	263	479	449	464	459
09	558	840	814	840	830
10	692	891	836	865	855
11	374	477	441	457	451
12	299	875	743	774	755
13	187	783	737	762	754
14	198	525	516	532	523
16	218	716	644	668	658
17	420	947	866	898	886
18	262	422	412	425	419

ULTIMATE CAPACITY OF SPECIMENS USING NOMINAL WALL THICKNESS¹⁾ (cont.)

Specimen No	P _{meas}	P _{yld} F _y A (kips)	P _{an} AISC ²⁾ (kips)	P _{an} COX ³⁾ (kips)	P _{an} CSA ⁴⁾ (kips)
19	614	1099	1007	1043	1030
20	550	837	744	773	760
21	549	961	936	965	952

- The nominal specimen wall thickness was used in all calculations for predicted ultimate capacity.
- 2) Ultimate capacity based on the AISC ASD column equation, 9th Edition, 1989.
- 3) Ultimate capacity based the mean value column strength curve presented by Cox, 1987.
- 4) Ultimate capacity based on CSA Steel Structures for Buildings Limit States Design column equation as presented in Prion, 1987.

RATIO OF MEASURED TO PREDICTED ULTIMATE
LOADS USING NOMINAL WALL THICKNESS¹⁾

Specimen No	P _{meas} /P _{yld}	P _{meas} /P _{an}	P _{meas} /P _{an}	P _{meas} /P _{an}
01	0.57	0.58	0.56	0.57
02	0.57	0.58	0.56	0.57
03	0.57	0.58	0.57	0.58
04	0.52	0.58	0.56	0.57
05	0.62	0.63	0.61	0.62
06	0.93	1.05	1.01	1.03
07	0.75	0.86	0.83	0.84
08	0.55	0.59	0.57	0.57
09	0.66	0.69	0.66	0.67
10	0.78	0.83	0.80	0.81
11	0.78	0.85	0.82	0.83
12	0.34	0.40	0.39	0.40
13	0.24	0.25	0.25	0.25
14	0.38	0.38	0.37	0.38
16	0.30	0.34	0.33	0.33
17	0.44	0.49	0.47	0.47
18	0.62	0.64	0.62	0.63

RATIO OF MEASURED TO PREDICTED ULTIMATE LOADS USING NOMINAL WALL THICKNESS¹⁾ (cont.)

Specimen No	P _{meas} /P _{yld}	P _{meas} /P _{an} AISC ²⁾	P _{meas} /P _{an}	P _{meas} /P _{an} CSA ⁴⁾
19	0.56	0.61	0.59	0.60
20	0.66	0.74	0.71	0.72
21	0.57	0.59	0.57	0.58

- 1) The nominal specimen wall thickness was used in all calculations for predicted ultimate capacity.
- 2) Ultimate capacity based on the AISC ASD column equation, 9th Edition, 1989.
- 3) Ultimate capacity based the mean value column strength curve presented by Cox, 1987.
- 4) Ultimate capacity based on CSA Steel Structures for Buildings Limit States Design column equation as presented in Prion, 1987.

ULTIMATE CAPACITY OF SPECIMENS USING EFFECTIVE WALL THICKNESS¹⁾

Specimen No	P _{meas}	P _{yld} F _y A (kips)	P _{an} AISC ²⁾ (kips)	P _{an} COX ³⁾ (kips)	P _{an} CSA ⁴⁾ (kips)
01	424	537	531	547	537
02	601	837	823	848	834
03	436	621	610	629	619
04	410	662	594	616	607
05	465	605	599	617	605
06	1043	1133	1009	1048	1031
07	548	793	693	721	707
08	263	309	290	300	297
09	558	608	589	608	601
10	692	761	715	740	731
11	374	446	413	427	422
12	299	820	697	727	709
13	187	677	638	660	652
14	198	416	409	422	414
16	218	630	567	589	580
17	420	804	737	763	754
18	262	300	293	303	298

ULTIMATE CAPACITY OF SPECIMENS USING EFFECTIVE WALL THICKNESS¹⁾ (cont.)

Specimen No	P _{meas}	P _{yld} F _y A (kips)	P _{an} AISC ²⁾ (kips)	P _{an} COX ³⁾ (kips)	P _{an} CSA ⁴⁾ (kips)
19	614	993	910	943	931
20	550	735	654	679	668
21	549	709	691	713	703

- Notes: 1) The effective specimen wall thickness as determined from the full-scale test data was used in all calculations for predicted ultimate capacity.
 - 2) Ultimate capacity based on the AISC ASD column equation, 9th Edition, 1989.
 - 3) Ultimate capacity based the mean value column strength curve presented by Cox, 1987.
 - 4) Ultimate capacity based on CSA Steel Structures for Buildings Limit States Design column equation as presented in Prion, 1987.

RATIO OF MEASURED TO PREDICTED ULTIMATE LOADS

USING EFFECTIVE WALL THICKNESS¹⁾

Specimen No	P _{meas} /P _{yld}	P _{meas} /P _{an} AISC ²⁾	P _{meas} /P _{an}	P _{meas} /P _{an}
NO		11100		
01	0.79	0.80	0.78	0.79
02	0.72	0.73	0.71	0.72
03	0.70	0.71	0.69	0.70
04	0.62	0.69	0.67	0.68
05	0.77	0.78	0.75	0.77
06	0.92	1.03	1.00	1.01
07	0.69	0.79	0.76	0.78
08	0.85	0.91	0.88	0.89
09	0.92	0.95	0.92	0.93
10	0.91	0.97	0.94	0.95
11	0.84	0.91	0.88	0.89
12	0.36	0.43	0.41	0.42
13	0.28	0.29	0.28	0.29
14	0.48	0.48	0.47	0.48
16	0.35	0.38	0.37	0.38
17	0.52	0.57	0.55	0.56
18	0.87	0.89	0.86	0.88

RATIO OF MEASURED TO PREDICTED ULTIMATE LOADS USING EFFECTIVE WALL THICKNESS¹⁾ (cont.)

Specimen No	P _{meas} /P _{yld}	P _{meas} /P _{an} AISC ²⁾	P _{meas} /P _{an}	P _{meas} /P _{an} CSA ⁴⁾
19	0.62	0.67	0.65	0.66
20	0.75	0.84	0.81	0.82
21	0.77	0.79	0.77	0.78

- Notes: 1) The effective specimen wall thickness as determined from the full-scale test data was used in all calculations for predicted ultimate capacity.
 - 2) Ultimate capacity based on the AISC ASD column equation, 9th Edition, 1989.
 - 3) Ultimate capacity based the mean value column strength curve presented by Cox, 1987.
 - 4) Ultimate capacity based on CSA Steel Structures for Buildings Limit States Design column equation as presented in Prion, 1987.

ULTIMATE CAPACITY OF SPECIMENS EXPERIENCING LOCAL FAILURE

Pmeas/Pyld	0.82	0.88	68.0	5 0.76	8 0.64	0.88	4 0.75
P _{meas} (kips)	424	601	436	465	198	262	614
Pyld (kips)	516	683	488	612	310	297	823
F _{xc} 3) (ksi)	35.0	43.2	35.4	35.9	36.0	34.5	59.7
F _Y ²⁾ (ksi)	35.7	43.6	36.6	35.9	36.0	34.5	59.7
D/t ratio	67.92	63.38	72.87	58.63	58.22	41.19	50.18
Minimum Wall Thickness 1)	0.265	0.284	0.247	0.307	0.219	0.261	0.279
Diameter (in)	18.00	18.00	18.00	18.00	12.75	10.75	16.00
Specimen	01	02	03	05	14	18	. 19

1) Determined from ultrasonic wall thickness measurements in region of local failure.

4) $P_{yld} = F_{xc} * cross-sectional area.$

²⁾ Static yield stress determined from tensile coupon tests.

³⁾ Reduced yield stress in accordance with API RP 2A for specimens with D/t greater than 60.

RADIUS OF KERN CIRCLE AND ECCENTRICITIES

Specimen	Outside Diameter	Effective Wall Thickness 1)	Radius of Kern Circle ²⁾	e _{ip} 3)	e 4) em
ИО	(in.)	(in.)	(in.)	(in.)	(in.)
01	18.00	0.270	4.37	0.17	1.16
02	18.00	0.346	4.33	0.32	0.62
03	18.00	0.305	4.35	2.14	0.54
04	12.75	0.314	3.03	1.02	2.18
05	18.00	0.303	4.35	1.57	1.32
06	20.00	0.507	4.75	0.10	2.13
07	12.75	0.409	2.99	1.28	1.39
08	10.75	0.239	2.57	3.75	1.03
09	14.00	0.358	3.33	0.46	0.46
10	14.00	0.425	3.29	0.22	0.53
11	10.75	0.350	2.52	0.28	0.51
12	12.75	0.351	3.02	2.38	1.61
13	12.75	0.323	3.03	0.90	2.68
14	12.75	0.295	3.04	0.28	1.21
16	12.75	0.329	3.03	0.68	4.00
17	12.75	0.422	2.98	1.00	3.51
18	10.75	0.264	2.56	1.78	1.18

RADIUS OF KERN CIRCLE AND ECCENTRICITIES (cont.)

Specimen No	Outside Diameter (in.)	Effective Wall Thickness ¹⁾ (in.)	Radius of Kern Circle ²⁾ (in.)	e _{ip} (in.)	e _{em} ⁴⁾ (in.)
19	16.00	0.338	3.83	0.17	0.64
20	12.75	0.328	3.03	0.35	1.28
21	16.00	0.275	3.86	0.72	0.75

- Based on reduced data of full scale compression tests.
- 2) Radius of kern circle = e

$$e = (OD^2 - 2*OD*t + 2*t^2)/(4*OD)$$

- 3) Largest resultant eccentricity, computed from inflection points, that occurred prior to the maximum load.
- 4) Largest resultant eccentricity, computed from end moments, that occurred prior to the maximum load.

EVALUATION OF ULTRASONIC DATA

		Standard	Coefficient		
Specimen No	Average ¹⁾ (in)	Deviation (in)	of Variation, (%)		
01	0.313	0.0469	15.0		
02	0.394	0.0306	7.8		
03	0.312	0.0213	6.8		
04	0.328	0.0233	7.1		
05	0.322	0.0226	7.0		
06	0.491	0.0168	3.4		
07	0.377	0.0146	3.9		
08	0.315	0.0643	20.4		
09	0.378	0.0748	19.8		
10	0.446	0.0171	3.8		
11	0.356	0.0106	3.0		
12	0.346	0.0461	13.3		
13	0.352	0.0210	6.0		
14	0.339	0.0646	19.1		
16	0.360	0.0758	21.1		
17	0.496	0.0056	1.1		
18	0.327	0.0439	13.4		
19	0.345	0.0407	11.8		
20	0.346	0.0152	4.4		
21	0.290	0.0255	8.8		

Note: 1) Average of 30 ultrasonic wall thickness measurements.

COMPARISON OF WALL THICKNESS MEASUREMENTS

Specimen No	Ultrasonic Wall Thickness (in)	Full Scale Wall Thickness (in)	Full Scale ————————————————————————————————————	
01	0.313	0.270	0.86	
02	0.394	0.346	0.88	
03	0.312	0.305	0.98	
04	0.328	0.314	0.96	
05	0.322	0.303	0.94	
06	0.491	0.507	1.03	
07	0.377	0.409	1.08	
08	0.315	0.239	0.76	
09	0.378	0.358	0.95	
10	0.446	0.425	0.95	
11	0.356	0.350	0.98	
12	0.346	0.351	1.01	
13	0.352	0.323	0.92	
14	0.339	0.295	0.87	
16	0.360	0.329	0.91	
17	0.496	0.422	0.85	
18	0.327	0.264	0.81	
19	0.345	0.338	0.98	
20	0.346	0.328	0.95	
21	0.290	0.275	0.95	

4.0 ANALYSIS

The goal of this phase of the study was to develop a method of analyzing damaged braces and to determine what differences exist between the predictions of damaged member capacity and the test results. The twenty members were analytically modelled and studied using finite element analysis methods. The modelling techniques were based on phenomenological models found in the literature.

4.1 Procedure

After a review of relevant literature, two basic methods were deemed suitable for estimating member axial load behavior for this project. The first was a simplified method to give a quick estimate of the peak axial capacity of a damaged member. It took the form of a PC Fortran 77 program called DAMAGE (documented in Section 4.2). The second, a beam-column finite element analysis, involved a complete computer model of the member (including damage and end conditions) to predict the complete cycle of behavior from the beginning of loading up to and beyond the point of buckling.

Two major problems were evident in the use of the beam-column finite element method. The first was determining the modelling characteristics of the damaged sections. The second was defining the end conditions to adequately mimic the actual testing facilities. The former was solved by investigating relevant literature and formulating a method (which became the PC Fortran 77 program, EQUIV) to determine the reduction in capacity of a cross section which has been damaged by a dent or a hole. It is documented in the following section on software. The latter was solved by a modelling scheme which seeks to apply the load to the specimen in much the same way as in the actual test and is described below.

During the early stages of the project, the specimens were modelled with either fixed or pinned ends. It soon became apparent that this method did not adequately model the end conditions which existed during the physical tests. As the members buckled in the testing apparatus their ends tended to lift off

the headstock and tailstock creating an eccentric end load. Also, the simplified end conditions used in the models did not allow any adjustment to be made for an effective length factor.

These problems led to the development of the "spoke" model (Figure 4-1). Imagine the specimen as the axle of a wagon. At each end, eight members (modelled as practically rigid) radiate from the "axle" much like the spokes of a wagon wheel. Each spoke is the length of the member's radius so together they recreate the ends of the member in size and shape. The outer ends of the spokes (those not connected to the member) are connected to springs which are modelled to carry load only in compression. Initially they are all in compression, but as the member buckles and the ends rotate some of the springs go into tension and the load shifts to those springs still in compression. With this model the "lift off" seen in the tests can be recreated and with it, the eccentric load.

The compressive stiffness of the springs was set at 5000 kips/in. for all the specimens analyzed. This was chosen so the possibility of the springs yielding would be remote. Tests were performed with other spring stiffnesses (both greater and less than 5000 kips/in.) and Figure 4-2 shows the results. The analyses were, for all practical purposes, identical for the three different stiffnesses used and the original 5000 kips/in. stiffness was used throughout the study.

Accurate modelling of the load eccentricity wasn't the only reason for adopting this "spoke-ended" scheme. Because the end conditions are explicitly modelled in this manner, the k-factor need not be input directly for each member. The end stiffness is accounted for automatically as the eccentric load and the member rotation interact during the analysis.

The model for each specimen was made up of a series of beam-column elements representing the damaged (containing dents or holes) and undamaged (no dents or holes) sections of the member. An example of which can be seen in Figure 4-3. The following is a description of the modelling routine:

- 1. The member description was taken from Texas A&M. Meaningful factors were member length, OD, thickness, yield stress and Young's modulus. (The effective wall thickness calculated from the full scale test was used in the models and in the data reduction. It was felt that this was a better measure of the specimen's actual thickness than the average value of a series of ultrasound measurements taken on each specimen. When compared, the two measures are actually quite close (on average only a 7% difference) as shown in Figure 4-4). Damage, in the form of dents, holes or out-of-straightness, was taken from the Texas A&M report.
- 2. If dents or holes were present, separate elements were designed for each damage state using EQUIV. The length used for each was either that measured by Texas A&M or that calculated by the EQUIV program whichever was longer. These damaged elements were placed in the position described in the damage report and the undamaged portions around them (with characteristics defined by EQUIV) were split up into elements as was convenient. If there were no dents or holes present, the member was divided into ten elements of equal length, each with the same characteristics as determined by the EQUIV program.
- 3. The characteristics of the damaged and undamaged elements were then put into the model. The end spokes and their springs were added. If out-of-straightness was present, it was explicitly modelled by positioning the nodes in their deformed position.
- 4. With the model then complete, the analysis consisted of a series of load steps applied axially to one end of the member. The load was applied until an axial deformation of about four inches was reached. For members with dents, holes or out-of-straightness, two models were analyzed, one containing all of the damage and one containing only corrosion damage (the effects of which were accounted for by using the effective wall thickness), if any, for comparison.

All of the specimens were analyzed using this same basic scheme with the following exceptions:

- 1. Specimens with no damage (i.e. no dents, holes or out-of-straightness) had small amounts (about 0.4" maximum at the center of the beam) of symmetric out-of-straightness introduced to the model to induce buckling. Mathematically, no buckling will occur to a member which is perfectly straight and has a perfectly axial load.
- 2. Specimens with only one damaged section near the end of the member were rotated axially so that the eccentricity of the damage was oriented along either the y- or z-axis. The members were allowed to displace laterally only in that direction. This produced a more stable solution.
- 3. Specimen 16 was comprised of two sections with different wall thicknesses connected by a 24 inch sleeve. Instead of using the effective wall thickness as determined by Texas A&M the nominal wall thickness for each section was used to differentiate between them. However, in the calculation of D/t and other factors for the data reduction the effective wall thickness was used for specimen 16 as it was for the other specimens.
- 4. It should be noted that specimens 19 and 21 had a longitudinal cracks which were not considered in the analysis. There was no methodology developed to account for damage of this type. The failure of specimen 19 was independent of the crack (it experienced local yielding in an uncracked section) while specimen 21 failed as the cracked expanded during the test.

4.2 <u>Software</u> <u>Documentation</u>

Two PC Fortran 77 programs were written in support of this project. The first, DAMAGE, was a formulation of research on the effect of a damaged cross section on the peak axial capacity of a tubular member. It was used as the simplified method of analysis mentioned earlier. The second, EQUIV, computes the capacity characteristics of a section (with or without damage) for use in the beam-column finite element analysis. Both are documented in this section.

DAMAGE Program

The DAMAGE program is an interactive PC Fortran 77 computer program written by PMB Engineering, Inc. The program is based on work by C.P. Ellinas (3) and was developed for use in assessing the reduction in capacity of damaged braces being tested as part this study. Reference (3) addresses dents and out-of-straightness and also provides a method for considering these damage types in a combined damage state. The equations have been extended by PMB for predicting the reduced capacity of braces with holes or holes in combination with out-of-straightness. The original formulation has no explicit reference to a k-factor. The current version of DAMAGE has been modified to allow the user to input k.

The equations presented in Reference (3) were developed assuming:

- Stresses resulting from a small axial load are resisted in the dented zone mainly as bending stress which leads to the rapid formation of a plastic hinge.
- 2. Once the dent zone plastification stress level is reached, the damaged part of the tubular cross-section carries no additional load.
- 3. The bending stiffness of the tubular is mainly controlled by the undamaged cross-sectional area.
- 4. The properties at the damaged cross-section are assumed for the member along its entire length.

Reference (3) addresses three types of brace damage: out-of-straightness, dents, and a combination of a dent and out-of-straightness. For members with no specified out-of-straightness, an imperfection parameter α is defined which includes a tolerance limit lateral displacement. Another equation for α is proposed when the bending deformation exceeds the tolerance limit displacement of 1.5 percent of the member length. Thus some imperfection is

always included accounting for construction tolerances, residual stresses, etc. If the bending damage exceeds the default tolerance limit, the tolerance limit is ignored in favor of the larger deformation.

For braces having dents, the method assumes the member carries the entire axial load as uniform stress until the stress level reaches the plastification stress. At this load level further load is assumed to be resisted by uniform compression and bending stress over the undamaged area of the damaged cross-section. The line of action of the additional axial load is assumed to act through the neutral axis of the undamaged portion of the cross-section. The axial load times its eccentricity (e = lateral displacement + damaged brace eccentricity) is resisted by the damaged cross-section moment capacity.

The DAMAGE program equation for the imperfection parameter α does not differentiate in the calculation of α based on a tolerance limit value of the lateral displacement. Rather, unless a specific value of lateral displacement is input, the lateral displacement is assumed to be zero. The imperfection parameter adopted for use in the program is:

$$\alpha = 1.414\delta_0 - 0.000954 + 0.875 \frac{F_y}{E}$$

where δ_0 is the lateral displacement divided by the brace length. This equation is different than that shown in Reference (3). Reference (4) was consulted to determine the sign of the second term in the equation. The current version of the program has been benchmarked against some documented results to verify the signs in the α equation.

The original version of the program was enhanced for estimating the reduction in capacity due to holes. In this case a dent depth is defined internally which encompasses the same arc length as the specified hole diameter. The plastification stress is then set equal to zero. All other calculations are performed as for dents.

The basic equation for the axial capacity includes a term involving the imperfection parameter α . When out-of-straightness is not specified, α is small. If residual bending deformations are present, the imperfection parameter includes this damage via the δ_0 term. In this manner the combined effect of out-of-straightness and a hole or dent can be evaluated.

The following is a brief description of the input/output from the program.

REQUIRED INPUT:

Outside diameter
Wall thickness
Brace length
k-factor
Yield stress
Young's modulus
Dent depth
Hole diameter
Lateral displacement

OUTPUT:

= 2π - angle (radians) of damaged Dent/hole angle portion of the cross-section = distance between undamaged section center Axial eccentricity and neutral axis of damaged section Reduced radius of gyration = radius of gyration of damaged section = section modulus of damaged section of Reduced section modulus brace Plastification stress (P_S) = maximum stress which can be sustained y by the dented portion of the cross-section = $(P_sA_d + F_yA_{ud})/A$ Average squash stress $= 1.414\delta_0 - 0.000954 + 0.875 \frac{F_y}{F}$ Imperfection parameter

$$= k \left(\frac{L}{r} - 0.2 \pi \sqrt{\frac{E}{F_y}} \right)$$

$$\frac{=_{kL}}{\pi r} \sqrt{\frac{F_y}{E}}$$

```
PROGRAM DAMAGE
WRITTEN BY R.FIGGERS FOR JIP
C
С
     PROGRAM TO CALCULATE THE AXIAL CAPACITY OF DAMAGED MEMBERS
C
C**********************************
     CHARACTER*60 TITLE, FILOT
     WRITE(*,10)
     WRITE(*,*)' *
                             PROGRAM DAMAGE
                                                          * /
     WRITE(*,*)' *
                                                          * /
                  Program to estimate the axial capacity of
     WRITE(*,*)' *
                                                          * /
     WRITE(*,*)' *
                  dented members with or without residual
                                                          *′
     WRITE(*,*)' *
                  bending deformations. Axial capacities of
                                                          * /
     WRITE(*,*)' *
                  members with holes may also be estimated.
                                                          * /
     WRITE(*,*)' *
                                                          * /
                  Ref: "Ultimate Strength of Damaged Tubular
     WRITE(*,*)' *
                                                          * /
     WRITE(*,*)' *
                        Bracing Members", C.P. Ellinas,
                                                          +1
     WRITE(*,*)' *
                        ASCE, J.Structural Division 110,
                                                          * /
     WRITE(*,*)' *
                        Feb 1984.
                                                          + /
     WRITE(*,*)' *
                                                          * /
     WRITE(*,*)' *
                                                10/25/88
                  Written by R Figgers
                                                          * /
     WRITE(*,*)' *
                  Modified by R Figgers for all
                                                           * /
     WRITE(*,*)' *
                    values of k
                                                 1/16/89
                                                           +1
     WRITE(*,*)' *
                  Modified by R Figgers - Alpha 0
     WRITE(*,*)' *
                                                 2/02/89
                    calculation revised
     C
     NT2=2
     WRITE(*,2)
     FORMAT(/, 'ENTER OUTPUT FILE NAME:')
     READ(*,'(A)')FILOT
     OPEN(NT2, FILE=FILOT, STATUS='NEW')
                     *****************
     WRITE(NT2,*)'
     WRITE(NT2,*)'
                                                              * /
                     *
                                  Program DAMAGE
     WRITE (NT2, *)'
     WRITE(NT2,*)'
                     ****************
     WRITE(NT2,*)'
C
     WRITE(*,890)
     FORMAT(//,' TITLE:',$)
890
     READ(*,'(A)')TITLE
     WRITE (NT2, 891) TITLE
     FORMAT(//,'
                TITLE: ',A)
891
     WRITE(*,900)
     READ(*,'(F10.0)')D
     WRITE (NT2, 901) D
                 INPUT: ',//;
901
     FORMAT(/,
                  OUTSIDE DIAMETER (in) = ', F7.3)
     D0 = D
     WRITE(*,910)
     READ(*,'(F10.0)')T
     WRITE(NT2,911)T
                                     = ', F7.3)
                  THICKNESS (in)
911
     FORMAT (
     D=D-T
     WRITE(*,950)
     READ(*,'(F10.0)')XL
     WRITE (NT2, 951) XL
```

```
= ', F7.3)
951
      FORMAT (
               ' LENGTH (ft)
      XL=XL*12.
      WRITE(*,962)
      READ(*,'(F10.0)')XK
      IF(XK.EQ.0.0)XK=1.0
      WRITE(NT2,963)XK
                     EFF. LENGTH FACTOR = ', F7.2)
963
      FORMAT (
      WRITE(*,930)
      READ(*,'(F10.0)')FY
      IF(FY.EQ.0.0)FY=36.
      WRITE(NT2,931)FY
                     YIELD STRESS (ksi) = ',F7.2)
      FORMAT(/, '
931
      WRITE(*,940)
      READ(*,'(F10.0)')E
      IF(E.EQ.0.0)E=29000.
      WRITE (NT2,941) E
                     YOUNGS MODULUS (ksi) = ', F7.1)
941
      FORMAT (
      WRITE(*,920)
      READ(*,'(F10.0)')DD
      WRITE (NT2, 921) DD
                                           = ', F7.3)
      FORMAT(/, '
                     DENT DEPTH (in)
921
      WRITE(*,972)
      READ(*,'(F10.0)')HOLE
      WRITE (NT2, 973) HOLE
      WRITE(*,960)
      READ(*,'(F10.0)')DELL
      WRITE (NT2, 961) DELL
                                            = ', F7.2)
      FORMAT (
                     LAT. DISPL. (in)
961
                                            = ', F7.3)
                     HOLE DIAMETER (in)
973
      FORMAT (
10
      FORMAT (////)
      FORMAT(/, MEMBER DIAMETER (in) FORMAT( MEMBER THICKNESS (in)
                                                    = ',\$)
900
910
      FORMAT(/,' DENT DEPTH (in)
920
      FORMAT(/, YIELD STRESS (def=36 ksi)
930
      FORMAT( 'YOUNGS MODULUS (def=29000 ksi) = ',$)
940
      FORMAT( ,' MEMBER LENGTH (ft)
950
                                                    = ',$)
               ' LATERAL DISPLACEMENT (in)
      FORMAT (
960
               ' k FACTOR ( def=1.0 )
962
      FORMAT (
972
      FORMAT (
                ' HOLE DIAMETER (in)
C
          CALCULATE REQUIRED PARAMETERS
С
С
               DEFORMATION TO LENGTH RATIO
С
       DELO = DELL/XL
C
               AREA
С
C
       PI = 4.0*ATAN(1.0)
       AREA = PI*D*T
       WRITE (*, 2000) AREA
       WRITE (NT2, 2000) AREA
C
               DENT ANGLE
C
C
       DELD = DD/D
       THETA = 2.*PI-2.*ASIN(2.*SQRT(DELD*(1.-DELD)))
       IF(DELD.LT.0.2)THETA = 2.*PI-4.*SQRT(DELD)
       IF (HOLE.NE.O.O) THETA=2.*PI-2.*ASIN(HOLE/D)
       WRITE (*, 2100) THETA
```

```
WRITE (NT2, 2100) THETA
C
              REDUCED CROSS-SECTIONAL AREA
C
C
      AD = .5*D*T*THETA
С
С
              ECCENTRICITY
C
      ED = D*SIN(THETA/2.)/THETA
      WRITE(*,2300)ED
      WRITE (NT2, 2300) ED
С
C
              REDUCED RADIUS OF GYRATION
C
      RID = D/2.*SQRT(.5*(1.+SIN(THETA)/THETA-8.*(SIN(THETA/2.))**2
            /THETA**2))
      IF(HOLE.EQ.0.0)GO TO 46
      XI = .125*D**3*T*(THETA/2.+.5*SIN(THETA))-ED*D**2*T*SIN(THETA/2.)
           +D*T*ED**2*THETA/2.
      RID=SQRT(XI/AD)
46
      CONTINUE
      WRITE(*,2200)RID
      WRITE (NT2, 2200) RID
С
               REDUCED ELASTIC SECTION MODULUS
С
C
      UP = THETA+SIN(THETA)-8.*(SIN(THETA/2.))**2/THETA
      DOWN = 1.-2.*DELD+2.*ED/D
      ZD = .125*D**2*T*(UP/DOWN)
      IF(HOLE.EQ.0.0)GO TO 63
      YBAR1=D/2.-ED
      YBAR2=ED-D/2.*COS(THETA/2.)
      YBAR=MAX(YBAR1,YBAR2)
      ZD=XI/YBAR
      CONTINUE
63
      WRITE (*, 2500) ZD
      WRITE (NT2, 2500) ZD
C
С
              SIGMA PD
Ċ
       SPD = FY*D/T*(SQRT(16.*DELD**2/9.+(T/D)**2)-4./3.*DELD)
       IF(HOLE.NE.0.0)SPD=0.0
      WRITE (*, 2600) SPD
       WRITE (NT2, 2600) SPD
С
С
              AVERAGE SQUASH LOAD
С
       SL = (FY-SPD)*AD/AREA + SPD
       WRITE(*,2700)SL
       WRITE (NT2, 2700) SL
C
C
              ALPHA 0
       ALPHAO = 1.4142*DELO - .000954 + 0.875*FY/E
       IF (ALPHAO.LT.O.O) ALPHAO=0.
       WRITE (*, 2800) ALPHAO
       WRITE (NT2, 2800) ALPHAO
 C
              SLENDERNESS
 C
```

C

```
AMBD = XK*(XL/RID - 0.2*PI*SQRT(E/FY))
      WRITE(*,2900)AMBD
      WRITE (NT2, 2900) AMBD
             EULER BUCKLING STRESS
С
C
      XI = PI*(D0**4-(D0-2.*T)**4)/64.
      RI = SQRT(XI/AREA)
      SXKE = PI**2*E*RI**2/(XL*XK)**2
      WRITE(*,2910)SXKE
      WRITE (NT2, 2910) SXKE
C
             DAMAGED MEMBER ULTIMATE STRENGTH
C
C
      B = -(1.+ALPHAO*AMBD+AD*ED/ZD+SL/SXKE)
      A = 1./SXKE
      C = SL+SPD*AD*ED/ZD
      SDCE1 = (-B+SQRT(B**2-4.*A*C))/(2.*A)
      SDCE2 = (-B-SQRT(B**2-4.*A*C))/(2.*A)
С
      WRITE(*,970)SDCE1,SDCE2
      WRITE (NT2, 970) SDCE1, SDCE2
C
      IF (SDCE1.GT.FY) SDCE1=0.0
С
      IF (SDCE2.GT.FY) SDCE2=0.0
C
      IF(SDCE1.LT.0.0)SDCE1=0.0
      IF(SDCE2.LT.0.0)SDCE2=0.0
      AXCAP=SDCE2
      IF (SDCE1.LT.SDCE2) AXCAP=SDCE1
      IF (AXCAP.GT.FY) AXCAP=FY
      SLEND=XK*XL*SQRT(FY/E)/RI/PI
      SRAT=AXCAP/FY
      WRITE(*,980)AXCAP,SRAT
      WRITE(NT2,980)AXCAP, SRAT
      WRITE(*,982)SLEND
      WRITE (NT2, 982) SLEND
       WRITE (NT2, 993)
       WRITE (NT2, 994)
       WRITE (NT2, 995)
                    DAMAGED MEMBER AXIAL CAPACITY (ksi) = ',F10.3,/,
980
       FORMAT(/,'
                                                          = ',F10.5)
                    DAMAGED/UNDAMAGED STRESS RATIO
                                                           = ',F10.5)
                    UNDAMAGED SLENDERNESS RATIO
982
       FORMAT (
       FORMAT (//,
                    RESULTS: ',//,
2000
                                                            = ',F10.2)
                     CROSS-SECTIONAL AREA (sq.in)
                                                           = ',F10.5)
                     DENT/HOLE ANGLE (rad)
      FORMAT (
2100
                                                           = ',F10.3)
                    REDUCED RAD. OF GYRATION (cu.in)
2200
       FORMAT (
                                                           = ',F10.4)
                     AXIAL ECCENTRICITY (in)
       FORMAT (
2300
                                                             ',F10.3)
                     REDUCED ELAS. SECTION MOD. (cu.in)
2500
      FORMAT (
                                                           = ',F10.3)
                     PLASTIFICATION STRESS (ksi)
2600
      FORMAT (
                                                           = ',F10.3)
                     AVG. SQUASH STRESS (ksi)
2700
       FORMAT (
                                                           = ',F10.5)
                     IMPERFECTION PARAMETER
      FORMAT (
2800
                                                           = ',F10.5)
                     SLENDERNESS RATIO
       FORMAT (
2900
                                                           = ',F10.4)
                     EULER BUCKLING STRESS (ksi)
       FORMAT (
 2910
                     SOLUTION ROOTS (SDCE1, SDCE2) (ksi) = ',2F10.3)
 970
       FORMAT (
                          Notes:',/,
       FORMAT (////, '
 993
                            Hole diameter and dent depth should be measure
                       (1)
      .d w/r the',/,
                            tubular mid-wall diameter.')
                            For dented members it is assumed that the maxi
                       (2)
       FORMAT (
 994
      .mum stress',/,
```

```
.plastification',/,
.hole damage.')
.ge.')
995 FORMAT( ' (3)
.ely. Either',/,
.mage.')
STOP
END
```

the dented region can sustain is equal to the stress. This stress is set equal to zero for Dent and hole damage must be evaluated separat can be assessed in conjunction with bending da

TITLE: Example Analysis

INPUT:

```
30.000
OUTSIDE DIAMETER (in) =
                            .500
THICKNESS (in)
                         50.000
LENGTH (ft)
EFF. LENGTH FACTOR
                             .80
                           50.00
YIELD STRESS (ksi)
                      = 29000.0
YOUNGS MODULUS (ksi)
                           3.000
DENT DEPTH (in)
HOLE DIAMETER (in)
                           .000
LAT. DISPL. (in)
                            3.00
```

RESULTS:

CKOPP-PECITORED MODIL (Pd. 111)	=	46.34	
DENT/HOLE ANGLE (rad)	=	5.00760	
	=	3.5077	
	=	8.700	•
	=	183.217	
PLASTIFICATION STRESS (ksi)	=	3.113	
AVG. SQUASH STRESS (ksi)	=	40.481	
IMPERFECTION PARAMETER	==	.00763	
SLENDERNESS RATIO	=	43.06542	
EULER BUCKLING STRESS (ksi)	=	135.1743	
	==	296.138	19.483
		•	
DAMAGED MEMBER AXIAL CAPACITY (ksi)	==	19.483	
DAMAGED/UNDAMAGED STRESS RATIO	=	.38965	
UNDAMAGED SLENDERNESS RATIO	=	.60819	

Notes:

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

EQUIV Program

EQUIV is an interactive PC Fortran 77 program developed to generate damaged tubular member data for this study's computer analyses. The program calculates reduced axial and moment capacities for members having holes or dents. In addition, moment-curvature and axial force-moment interaction data is developed for a damaged or an undamaged cross-section. A damaged section is one with a hole or a dent while an undamaged one contains neither. This data can then be used in conjunction with the element length to develop axial force-deformation, moment-rotation, and axial force-moment yield surface data for input to the SEASTAR program.

The program calculates the cross-sectional properties of damaged and undamaged thin-walled tubes. Damage can assume the form of either a hole or a dent. The program also calculates the eccentricity of the damaged section and the reduction factors to be applied to the undamaged section axial force and moment capacities to obtain the damaged section capacities. The undamaged section yield moment, plastic moment, maximum axial load and yield curvature are reported with the program geometric data output. The eccentricity is determined as the difference between the undamaged section geometric center and the center of gravity of the undamaged arc of the cross-section. The damaged arc of the cross-section is not considered in determining the center of gravity, the plastic moment or the maximum axial capacity. If the plastification stress is included in the property calculation then the maximum stress the dented region can sustain is included in the moment and axial capacity.

Several damaged section properties are calculated and printed. The plastic moment and maximum axial load, the cross-sectional area of the hole or dented region, the maximum load which can be sustained by the dented region of the cross-section and the dent zone plastification stress are output. Also reported are equivalent linear properties which can be included in an analysis to represent the damaged section stiffness. An estimated dent length based upon the dent depth and member diameter is also calculated and reported.

Two tables are developed and printed. The first table in the output file provides moment and curvature data from which a moment-curvature or moment-rotation plot (provided the member length is known) can be constructed. The second table lists discrete points on the damaged section axial force-moment (P-M) interaction surface. This surface is different in form from that of an undamaged section. It can be input to SEASTAR as a type 4 yield surface having the exponential powers of α_1 and α_2 . For the Damaged Brace JIP, the α exponents were selected by trial and error. The procedure involved programming the type 4 yield surface equation in a spreadsheet format. Various combinations of α exponents were tried until a best fit graphically was obtained with the generated damaged section yield surface.

At execution, the user is asked if he wants to include the plastification stress of the dented region of the cross-section in the calculation of the section axial capacity and plastic moment. For dent sizes which significantly affect brace capacity, including this stress provides little additional capacity and can be conservatively neglected. This stress is determined using the same equations as employed in the DAMAGE program.

The following is a list of the input/output from the EQUIV program.

REQUIRED INPUT:

Outside Diameter
Wall Thickness
Material yield stress
Young's modulus of elasticity
Dent depth
Hole diameter

OUTPUT:

Eccentricity due to damage
Moment-curvature data
P-M interaction surface data
Undamaged Section Properties:

Yield Moment
Plastic Moment
Axial Capacity
Yield Curvature

Damaged Section Properties:

Plastic Moment
Axial Capacity
Plastification Stress
Max Dent Load
Yield Curvature
Yield Strain
Dented Length

Most of the equations used in the EQUIV program to determine the member cross-sectional properties are discussed below. An attempt has been made to provide these equations in the order in which they occur in the program.

The parameter α is the angle corresponding to half of the cross-section damaged arc for dent damage and half of the angle subtended by the hole diameter for hole damage:

$$\alpha = \cos^{-1}\left(1 - \frac{d_d}{R}\right)$$

where

R = mid - wall thickness radius

 d_d = dent depth or "equivalent" hole diameter

Another damage parameter, $\delta_{\it d}$ is the ratio of the dent depth to the member diameter:

$$\delta_d = \frac{d_d}{D}$$

where

D = member diameter

If the plastification stress is to be included in the determination of the axial and moment capacity of the dented member, this stress is calculated as:

$$\sigma_p = F_y \frac{D}{t} \left(\sqrt{1.778\delta_d^2 + \frac{t^2}{D}} - 1.333\delta_d \right)$$

where

 $F_{y} = material$ yield stress

t = member wall thickness

The cross-sectional area of the dented cross-section is determined as:

$$A_d = 2tR\sin\alpha$$

The eccentricity due to a dent or hole of comparable dent depth is determined by:

$$e = -R \frac{\sin \alpha}{\pi - \alpha}$$

The damaged section axial and bending capacities are calculated by defining a reduction factor to be applied to the undamaged section properties. The factors h_{m} and h_{p} are the moment and axial capacity reduction factors respectively. They are determined using the following equations:

$$h_m = \cos\frac{\alpha}{2} - \frac{\sin\alpha}{2}$$

$$h_p = \frac{\pi - \alpha}{\pi}$$

These reduction factors are applied to the undamaged axial and bending properties to determine the damaged section capacities. The undamaged cross-sectional properties are tabulated below:

The undamaged plastic moment:

$$M_p = 4R^2tF_y$$

The undamaged axial capacity:

$$P_{p} = 2\pi R t F_{y}$$

The undamaged yield moment:

$$M_{y} = \pi R^{2} t F_{y}$$

The undamaged yield curvature:

$$\phi_{y} = \frac{F_{y}}{RE}$$

where

E = Young's modulus of elasticity

The damaged section properties are as follows: (The plastification stress terms are included for completeness.)

The damaged plastic moment (about the damaged cross-section neutral axis):

$$M_{pd} = h_m M_p + \sigma_p A_d (R - d_d - e)$$

The damaged cross-section axial capacity:

$$P_{pd} = h_p P_p + \sigma_p A_d$$

An estimate of the damaged length is provided for a dented member via the following equation. If the member has a hole, the damaged length is assumed to be equal to the hole diameter.

$$L_d = 2\sqrt{2}R\alpha$$

The above equations form the basis for the uncoupled axial and moment capacities. The capacity of a member having both axial and bending stresses is defined by a 2-D yield surface. The axes of this surface represent pure stress states of axial or bending stress. Any point not on an axis is a combined stress state. To determine the points on the yield surface, combinations of axial load and bending moment were substituted in the following equations on a trial and error basis. Those combinations of stress satisfying the yield surface equation (value of zero) define the yield surface. In these equations the eccentricity due to the damage is included in the yield surface formulation. Thus, the denominators of the ratios in the equations are undamaged section properties.

$$\gamma = \left(\frac{\pi - \alpha}{2}\right) - \pi \frac{P}{2P_p}$$

$$\left(\frac{M}{M_p}\right) - \left(\frac{\pi d_d}{2R}\right) \left(\frac{P}{P_p}\right) - \sin\gamma + \sin\frac{\alpha}{2} = 0$$

The beam-column element in the SEASTAR program requires that the force-deformation data as well as the axial-bending interaction characteristics be input for each nonlinear element. It is assumed that the force-axial deformation characteristics are linear up to the section yield stress. Beyond this axial deformation the element is assumed to have a minimal amount of strain hardening for larger values of strain. The element moment-rotation input is assumed to be trilinear which requires three stiffness and four moment input values. This data is obtained by imposing curvatures on the cross-section about the damaged section neutral axis and calculating the resulting moment and rotation. Determining the rotation requires that the element length be known.

A multi-step process is required to determine the cross-section momentcurvature characteristics. The first step is to determine the yield curvature which will just cause material yielding at the member extreme fiber strains are as follows:

$$\gamma = \frac{\pi}{2} - \alpha$$

$$\epsilon_y = \frac{\sigma_y}{E}$$

$$\epsilon_c = \phi(R \sin \gamma - e) < \epsilon_y$$

$$\epsilon_t = \phi(-R - e) < \epsilon_y$$
where
$$\epsilon_y = material \ yield \ strain$$

$$\epsilon_c = compression \ fiber \ strain$$

$$\epsilon_t = tension \ fiber \ strain$$

$$\phi = curvature$$

$$e = damaged \ section \ eccentricity$$

Using the above strain calculations as reference, the stress state of the extreme fibers of the member can be evaluated. Three stress states can occur: 1) both tension and compression fiber stresses are less than σ_y , 2) the compression stress has reached yield and the tension side has remained elastic or 3) both extreme fiber stresses have reached the material yield stress.

The general procedure is to assume a cross-section curvature and determine the corresponding moment. The curvature is then increased and the associated moment determined. The curvature is continually increased until the cross-section plastic moment is reached or the curvature is beyond practical limits. As the curvature is increased, the stress distribution about the neutral axis

progresses from elastic to plastic corresponding to the three states described above. If both extreme fiber strains are less than the yield strain then the cross-sectional elastic moment is determined as:

$$M_e = 2ERt\phi(e^2\theta)\Big|_{-\frac{\pi}{2}}^{\gamma} + R^2\bigg(\frac{\theta}{2} - \frac{\sin 2\theta}{4}\bigg)\Big|_{-\frac{\pi}{2}}^{\gamma} + 2Re\cos\theta\Big|_{-\frac{\pi}{2}}^{\gamma}\bigg)$$

The equation for the elastic moment is the result of integrating the stress distribution over the depth of the member. This equation must be evaluated with θ taking on the upper and lower values on the vertical bar.

When the compression side of the member has reached yield but the tension side remains elastic, the moment is defined using the following equations:

$$\theta_{1} = \sin^{-1}\left(\frac{\sigma_{y}}{\phi R E} + \frac{e}{R}\right)$$

$$M_{1} = -2\sigma_{y}R^{2}t(\cos\gamma - \cos\theta_{1}) - 2\sigma_{y}Rte(\gamma - \theta_{1})$$

$$M_{2} = 2E\phi Rt[e^{2}\theta|_{-\frac{\pi}{2}}^{\theta_{1}} + R^{2}\left(\frac{\theta}{2} - \frac{\sin 2\theta}{4}\right)|_{-\frac{\pi}{2}}^{\theta_{1}} + 2Re\cos\theta|_{-\frac{\pi}{2}}^{\theta_{1}}]$$

$$M = M_{1} + M_{2}$$

When both sides have reached the material yield strain the cross-sectional moment is determined by:

$$\theta_2 = \sin^{-1}\left(\frac{-\epsilon_y}{\phi R} + \frac{e}{R}\right)$$

$$M_3 = 2\sigma_y R^2 t \left(\cos\theta_2 - \cos\left(-\frac{\pi}{2}\right)\right) + 2\sigma_y R t e \left(\theta_2 + \frac{\pi}{2}\right)$$

$$M = M_1 + M_2 + M_3$$

The methods outlined above describe the basic equations and methods employed in the EQUIV program to determine the cross-sectional capacities, the force-deformation characteristics and the axial force-moment interaction for intact

and damaged members. These equations were extracted from the work of Van Aanhold and Taby and the program was verified against known results. A detailed explanation for the computation of the plastic capacities and the yield surface for undamaged and damaged sections can be found in Reference 5.

```
CHARACTER*1 Y1, Y2, INPL
      YI = 'Y'
      Y2 = 'y'
C
С
        Program to develop eqvivalent properties for damaged sections
С
        of tubular members. The program excludes any contribution of
C
        the damaged region of a dented member, therefore, the generated
C
        properties also apply for holes.
C
C
        Ref: "Analysis of Structures with Damaged Structural Members",
C
              J.E. van Aanhold and J. Taby
C
             Veritas Technical Report STFA83002
C
C
             Oct. 1983
C
C
C
        READ INPUT DATA
C
      WRITE(*,1)
      FORMAT(//, TITLE:')
1
      READ(*,'(A)')TITLE
      WRITE(*,2)
      FORMAT(//, ' ENTER OUTPUT FILE NAME:')
2
      READ(*,'(A)')FILOT
      OPEN(1,FILE=FILOT,STATUS='NEW')
      WRITE(1,4)
                                                PROGRAM EQUIV')
      FORMAT(//,'
      WRITE(1,3)TITLE
      FORMAT(//, TITLE: ',A)
3
      WRITE(*,5)
      FORMAT(///, 'ENTER MEMBER OUTSIDE DIAMETER (in)')
5
      READ(*,'(F10.0)')DIA
      FORMAT(/)
10
      WRITE(*,*)' ENTER MEMBER WALL THICKNESS (in)'
      READ(*,'(F10.0)')T
      WRITE(*,*)' ENTER MATERIAL YIELD STRESS (ksi)'
      READ(*,'(F10.0)')FY
      WRITE(*,*)' ENTER MODULUS OF ELASTICITY (ksi)'
       READ(*,'(F10.0)')YMOD
      WRITE(*,*)' ENTER DENT DEPTH (in)'
       READ(*,'(F10.0)')DD
       WRITE(*,*)' ENTER HOLE DIAMETER (in)'
       READ(*,'(F10.0)')HOLE
       IF(DD.NE.0.0)
      .WRITE(*,*)' INCLUDE PLASTIFICATION STRESS (Y/N)?'
       IF(DD.NE.0.0)
      .READ(*,'(A)')INPL
       DIA = DIA - T
       R = DIA / 2.0
       PI = 4.0 * ATAN (1.0)
C
         Plastification Stress and Dent Area Load
С
 С
       DELD = 0.0
       SPL = 0.0
       DAREA = 0.0
       PLLOAD = 0.0
```

PROGRAM EQUIV

CHARACTER*60 FILOT, TITLE

```
ALPH = ACOS(1-DD/R)
      IF(DD.EQ.0.0)GO TO 8
      IF(INPL.NE.Y1.AND.INPL.NE.Y2)GO TO 8
      DELD = DD/DIA
      SPL = FY*DIA/T*(SQRT(16./9.*DELD**2+(T/DIA)**2)-4./3.*DELD)
      DAREA = T*R*2.0*SIN(ALPH)
      PLLOAD = DAREA*SPL
      CONTINUE
8
C
        Geometric parameters
C
C
      IF(HOLE.NE.0.0)ALPH = ASIN((HOLE/2.0)/R)
      ECC = -R * (SIN(ALPH))/(PI - ALPH)
      HM = COS(ALPH/2.0) - 0.5*SIN(ALPH)
      HP = (PI-ALPH)/PI
      AREA = 2.0 * PI * R * T * (1.0 - (2.0 * ALPH)/(2.0 * PI ))
C
        Undamaged plastic moment and axial load
C
C
      XMP = 4.0 * R**2 * T * FY
      PP = 2.0 * PI * R * T * FY
C
        Undamaged Yield Moment
С
C
      XMY = PI*R**2*T*FY
С
        Undamaged Yield Curvature
С
С
      PHIYUN=FY/(YMOD*R)
C
        Damaged section plastic moment and axial load
C
      EQMP = HM * XMP + PLLOAD*(R-DD-ECC)
      HMM = EQMP/XMP
      EQAX = HP * PP + PLLOAD
      HPP = EQAX/PP
      EQR = R * HMM/ HPP
      EQT = T * HPP**2 / HMM
      EQD = DIA * (2.0 * EQR + EQT)/(2.0 * R + T)
      DAML = 2.82843 * R * ALPH
       IF(HOLE.NE.O.O)DAML = HOLE
C
С
         Print data
C
       WRITE(*,50)DIA,T,FY,YMOD,DD,HOLE,AREA
       WRITE(1,50)DIA,T,FY,YMOD,DD,HOLE,AREA
       FORMAT(//,' INPUT DATA:',/,
50
                                                         = ',F8.3,/,
                         MEMBER DIAMETER (in)
                                                         = ',F8.4,//,
                         MEMBER THICKNESS (in)
                                                         = ',F8.3,/,
                         MEMBER YIELD STRESS (ksi)
                                                         = ',F8.1,//,
                         MODULUS OF ELASTICITY (ksi)
                                                         = ',F8.4,/,
                          DENT DEPTH (in)
                                                         = ',F8.4,/,
                          HOLE DIAMETER (in)
                          UNDAMAGED SECTION AREA (in^2) = ',F8.3
       READ(*,'(I1)')IDUM
       WRITE(*,60)ALPH, ECC, HMM, HPP, XMY, XMP, PP, PHIYUN
       WRITE(1,60)ALPH, ECC, HMM, HPP, XMY, XMP, PP, PHIYUN
       FORMAT(//,' GEOMETRIC DATA:',/,
 60
                          DAMAGE ANGLE (rad) = ', F8.6,/,
                          ECCENTRICITY (in) = ', F8.4,/,
```

```
',F8.4,/,
                                                       HMM
                                                                                                   = ',F8.4,//,
                                                       HPP
                                                       UNDAMAGED YIELD MOMENT (k-in)
                                                                                                                                   = ',F8.1,/,
                                                                                                                                   = ',F8.1,/,
                                                       UNDAMAGED PLASTIC MOMENT (k-in)
                                                       UNDAMAGED PLASTIC AXIAL LOAD (k) = ',F8.2,/,
                                                                                                                                    = ',E12.6)
                                                       UNDAMAGED YIELD CURVATURE
             READ(*,'(I1)')IDUM
             WRITE (*,70) EQMP, EQAX, DAREA, SPL, PLLOAD, EQR, EQT, EQD, DAML
             WRITE(1,70)EQMP, EQAX, DAREA, SPL, PLLOAD, EQR, EQT, EQD, DAML
              FORMAT(//, ' EQUIVALENT DAMAGED SECTION PROPERTIES: ',/,
70
                                                                                                                       = ',F8.2,/,
                                                        PLASTIC MOMENT (k-in)
                                                                                                                        = ',F8.2,/,
                                                        PLASTIC AXIAL LOAD (k)
                                                                                                                       = ',F8.3,/,
                                                        DENT AREA (in^2)
                                                       PLASTIFICATION STRESS (ksi) = ',F8.2,/,
                                                                                                                        = ',F8.2,//,
                                                       MAX DENT LOAD (k)
                                                       MEMBER RADIUS (in)
                                                                                                            = ',F8.3,/,
                                                                                                            = ',F8.4,/,
= ',F8.4,/,
                                                       MEMBER THICKNESS (in)
                                                        MEMBER DIAMETER (in)
                                                                                                            = ',F8.2)
                                                        DAMAGED LENGTH (in)
             READ(*,'(I1)')IDUM
C
                  Generate Moment - Curvature data for damaged section
C
C
              PHI = 0.
              GAMMA = PI/2.0 - ALPH
              PHIYLD = FY/(R*YMOD*(SIN(GAMMA) - (ECC/R)))
              DELPHI = PHIYUN/5.0001
              YLDST = FY/YMOD
              WRITE (*, 80) GAMMA, PHIYLD, YLDST
              WRITE(1,80)GAMMA,PHIYLD,YLDST
                                            DAMAGED SECTION MOMENT-CURVATURE DATA: ',/,
              FORMAT(//,'
80
                                                 UNDAMAGED ANGLE (rad) = ',F8.6,/,
YIELD CURVATURE (rad) = ',E13.6,/,
                                                                                                  = ',E13.6,//)
                                                 YIELD STRAIN (in/in)
               WRITE(*,*)
                                                                                                                                                            Mom/'
                                                                                                                                    Phi/
                                                      Ten
                                                                             Curv-
                                                                                                      Moment
                               Comp
               WRITE(*,*)
                                                                                                       (k-in)
                                                                                                                                    Phiy
                                                                                                                                                            Momy'
                                                                             ature
                               Strn
                                                      Strn
               WRITE(*,*)' '
              WRITE(1,*)
                                                                                                                                     Phi/
                                                                                                                                                            Mom/'
                                                                                                      Moment
                                                      Ten
                                                                             Curv-
                               Comp
              WRITE(1,*)
                                                                                                       (k-in)
                                                                                                                                     Phiy
                                                                                                                                                            Momy'
                                                      Strn
                                                                             ature
                               Strn
               WRITE(1,*)' '
 100
               CONTINUE
               CSTR = PHI*(R*SIN(GAMMA)-ECC)
               TSTR = PHI*(-R-ECC)
               CS = CSTR*YMOD
               DLOAD = CS*DAREA
               IF(CS.GT.SPL)DLOAD = SPL*DAREA
               IF(CSTR.GT.YLDST.OR.TSTR.LT.-YLDST)GO TO 110
 C
 C
                         Elastic moment
 C
               XM = 2.0*YMOD*PHI*R*T*(ECC**2*(GAMMA+PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.)+R**2*(.5*GAMMA-PI/2.
                           .25*SIN(2.*GAMMA)-.5*(-PI/2.)+.25*SIN(-PI))+2.0*R*ECC*
                            (COS(GAMMA)-COS(-PI/2.))) + DLOAD*(R-DD-ECC)
               RPHI=PHI/PHIYUN
               RMOM = XM/XMY
                WRITE(*,101)CSTR,TSTR,PHI,XM,RPHI,RMOM
```

```
WRITE(1,101)CSTR,TSTR,PHI,XM,RPHI,RMOM
      PHI = PHI + DELPHI
      GO TO 100
      CONTINUE
110
C
           Compression Yield
C
C
      PHI = PHI - DELPHI
      DELPHI=DELPHI/1.
      PHI = PHI +DELPHI
115
      CONTINUE
      TH1 = ASIN(FY/(PHI*R*YMOD)+ECC/R)
      TSTR = PHI*(-R-ECC)
      CSTR = PHI*(R*SIN(GAMMA)-ECC)
      CS = CSTR*YMOD
      DLOAD = CS*DAREA
      IF(CS.GT.SPL)DLOAD = SPL*DAREA
      IF(CSTR.GT.YLDST.AND.TSTR.LT.-YLDST)GO TO 120
      XM1 = -2.0*FY*R**2*T*(COS(GAMMA)-COS(TH1))-2.0*FY*R*T*ECC*
            (GAMMA-TH1)
      XM2 = 2.0*PHI*YMOD*R*T*(ECC**2*(TH1+PI/2.)+R**2*(.5*TH1-.25*)
            SIN(2.*TH1)-.5*(-PI/2.)+.25*SIN(-PI))+2.*R*ECC*
            (COS(TH1)-COS(-PI/2.))
      XM = XM1+XM2+DLOAD*(R-DD-ECC)
      RPHI = PHI/PHIYUN
      RMOM=XM/XMY
      WRITE(*,101)CSTR,TSTR,PHI,XM,RPHI,RMOM
      WRITE(1,101)CSTR,TSTR,PHI,XM,RPHI,RMOM
      PHI = PHI + DELPHI
      GO TO 115
         Compression and tension yield
C
C
120
      CONTINUE
      PHI = PHI-DELPHI
      DELPHI = DELPHI/1.0
      PHI = PHI + DELPHI
      CONTINUE
125
      IF(PHI.GT.5.0*PHIYUN)GO TO 130
      TH1 = ASIN(FY/(PHI*R*YMOD)+ECC/R)
      TH2 = ASIN(-FY/(PHI*R*YMOD)+ECC/R)
      TSTR = PHI*(-R-ECC)
      CSTR = PHI*(R*SIN(GAMMA)-ECC)
      CS = CSTR*YMOD
      DLOAD = CS*DAREA
      IF(CS.GT.SPL)DLOAD = SPL*DAREA
      XM1 = -2.0*FY*R**2*T*(COS(GAMMA)-COS(TH1))-2.0*FY*R*T*ECC*
             (GAMMA-TH1)
      XM2 = 2.0*PHI*YMOD*R*T*(ECC**2*(TH1-TH2)+R**2*(.5*TH1-.25*)
             SIN(2.*TH1)-.5*(TH2)+.25*SIN(2.*TH2))+2.*R*ECC*
             (COS(TH1)-COS(TH2)))
       XM3 = 2.0*FY*R**2*T*(COS(TH2)-COS(-PI/2.))+2.0*FY*R*T*ECC*
             (TH2+PI/2.)
       XM = XM1+XM2+XM3+DLOAD*(R-DD-ECC)
       RPHI = PHI/PHIYUN
       RMOM = XM/XMY
       WRITE(*,101)CSTR,TSTR,PHI,XM,RPHI,RMOM
       WRITE(1,101)CSTR, TSTR, PHI, XM, RPHI, RMOM
       PHI = PHI + DELPHI
       GO TO 125
```

```
130
      CONTINUE
      FORMAT(2X,3F10.7,3X,F10.2,1X,2F10.4)
101
      READ(*,'(I1)')IDUM
C
          Generate P-M Interaction Surface
С
      PRATIO=0.0
      IDEL = 10
      DELP = HP/IDEL
      IDEL = IDEL+1
      WRITE(*,140)
      WRITE(1,140)
                      DAMAGED SECTION P-M INTERACTION SURFACE')
      FORMAT(,///,'
140
      WRITE(*,142)
      WRITE(1,142)
      FORMAT(/,
142
                                                   P(k)
                                                         M(k-in)',/)
                                          MRAT
                      M/Mp
                                PRAT
             P/Pp
150
      CONTINUE
      DO 165 I=1, IDEL
      RATIOM=PI*ECC*PRATIO/2./R -SIN((PI-ALPH)/2.-PI*PRATIO/2.)+
             .5*SIN(ALPH)
      RATIOM = -RATIOM
      AX = PRATIO*PP*HPP/HP
      XM = RATIOM*XMP*HMM/HM
      PRATIP = PRATIO*HPP/HP
      RATIO = RATIOM*HMM/HM
      RAT1 = PRATIP/HPP
      RAT2 = RATIO/HMM
      WRITE(*,155)PRATIP,RATIO,RAT1,RAT2,AX,XM
      WRITE(1,155) PRATIP, RATIO, RAT1, RAT2, AX, XM
      PRATIO=PRATIO+DELP
      CONTINUE
165
      FORMAT(1X, 4F9.5, 2F9.1)
155
      STOP
```

END

PROGRAM EQUIV

TITLE: Documentation for EQUIV Program

INPUT DATA:

MEMBER DIAMETER (in) = 29.500 MEMBER THICKNESS (in) = .5000

MEMBER YIELD STRESS (ksi) = 42.000 MODULUS OF ELASTICITY (ksi) = 29000.0

DENT DEPTH (in) = 6.0000 HOLE DIAMETER (in) = .0000 UNDAMAGED SECTION AREA (in^2) = 32.536

GEOMETRIC DATA:

DAMAGE ANGLE (rad) = .935743 ECCENTRICITY (in) = -5.3831 HMM = .5021 HPP = .7101

UNDAMAGED YIELD MOMENT (k-in) = 14353.3 UNDAMAGED PLASTIC MOMENT (k-in) = 18275.3 UNDAMAGED PLASTIC AXIAL LOAD (k) = 1946.22 UNDAMAGED YIELD CURVATURE = .981882E-04

EQUIVALENT DAMAGED SECTION PROPERTIES:

PLASTIC MOMENT (k-in) = 9175.11

PLASTIC AXIAL LOAD (k) = 1382.09

DENT AREA (in^2) = 11.874

PLASTIFICATION STRESS (ksi) = 1.31

MAX DENT LOAD (k) = 15.57

MEMBER RADIUS (in) = 10.428
MEMBER THICKNESS (in) = .5022
MEMBER DIAMETER (in) = 21.0019
DAMAGED LENGTH (in) = 39.04

DAMAGED SECTION MOMENT-CURVATURE DATA:

UNDAMAGED ANGLE (rad) = .635053 YIELD CURVATURE (rad) = .102474E-03 YIELD STRAIN (in/in) = .144828E-02

Comp	Ten	Curv-	Moment	Phi/	Mom/
Strn	Strn	ature	(k-in)	Phiy	Momy
.0000000	.0000000	.0000000	.00	.0000	.0000
.0002775	0001839	.0000196	1262.34	.2000	.0879
.0005551	0003679	.0000393	2304.62	.4000	.1606
.0008326	0005518	.0000589	3346.90	.6000	.2332
.0011101	0007358	.0000785	4389.19	.8000	.3058
.0013877	0009197	.0000982	5431.47	1.0000	.3784

.00166520011036	.0001178	6379.68	1.2000	.4445
.00194270012876	.0001375	7125.00	1.4000	.4964
.00222030014715	.0001571	7755.75	1.6000	.5403
.00249780016555	.0001767	8128.60	1.8000	.5663
.00277540018394	.0001964	8365.08	2.0000	.5828
.00305290020233	.0002160	8530.67	2.2000	.5943
.00333040022073	.0002356	8652.45	2.4000	.6028
.00360800023912	.0002553	8745.08	2.5999	.6093
.00388550025752	.0002749	8817.38	2.7999	.6143
.00416300027591	.0002946	8874.98	2.9999	.6183
.00444060029430	.0003142	8921.67	3.1999	.6216
.00471810031270	.0003338	8960.07	3.3999	.6242
.00499560033109	.0003535	8992.05	3.5999	.6265
.00527320034949	.0003731	9018.98	3.7999	.6284
.00555070036788	.0003927	9041.87	3.9999	.6299
.00582820038627	.0004124	9061.50	4.1999	.6313
.00610580040467	.0004320	9078.46	4.3999	.6325
.00638330042306	.0004517	9093.21	4.5999	.6335
.00666090044146	.0004713	9106.14	4.7999	.6344
.00693840045985	.0004909	9117.52	4.9999	.6352

DAMAGED SECTION P-M INTERACTION SURFACE

P/Pp	M/Mp	PRAT	MRAT	P(k)	M(k-in)
.00000	.50205	.00000	1.00000	.0	9175.1
.07101	.48688	.10000	.96977	138.2	8897.8
.14203	.46127	.20000	.91878	276.4	8429.9
.21304	.42606	.30000	.84863	414.6	7786.3
.28406	.38216	.40000	.76119	552.8	6984.0
.35507	.33060	.50000	.65850	691.0	6041.8
.42609	.27253	.60000	.54282	829.3	4980.5
.49710	.20913	.70000	.41656	967.5	3822.0
.56812	.14169	.80000	.28223	1105.7	2589.5
.63913	.07153	.90000	.14248	1243.9	1307.3
.71014	.00000	1.00000	.00000	1382.1	.0

4.3 Results

After completing the various analyses for the twenty specimens the data was reduced to graphs and tables. These are presented in Figures 4-5 to 4-79. The following section details the format of these results.

Figure 4-5 is a summary of the specimen peak axial capacities from the full scale test, the DAMAGE program, the beam-column finite element analysis (FEA) and the DENTA-2 analysis (provided by Shell). Only members with holes or dents have entries in the DAMAGE column. Predominate types of member damage along with the ratios of FEA to test capacity and DENTA to test capacity are listed for quick reference.

Figure 4-6 lists the specimen data used in the computer analyses. The k-factor was calculated by Texas A&M from the full scale test except as noted in the figure. The yield stress (F_y) is the static yield stress calculated from the coupon test; Young's modulus (E) also comes from this test. The diameter and length were measured at the test site. The thickness is the effective wall thickness calculated from the full scale test. All analyses and data reduction were performed using these numbers unless otherwise indicated.

The remainder of the results are broken down into sections by specimen number. Each section contains the following:

1. Damage Summary.

This is a description of the damage which was included in the beam-column finite element model. Each dent or hole is identified by the number given it in the damage descriptions provided by Texas A&M. The other information given describes how it was modelled for the analysis. The dent depth or hole diameter, model segment length, distance from the loaded end of the member to the center of the damage and the angle of the damage from vertical are all provided to

show exactly where the damage was modelled on each member. The maximum out-of-straightness, if any, in either direction is also detailed.

2. DAMAGE Program Results.

The output contains several quantities defined by the geometry and the extent of the damage. The most pertinent of which is the damaged member axial capacity, shown as a maximum stress. Only a single dent or a single hole can be input as damage along with an out-of-straightness. Therefore, for members with multiple dents or holes, the damage which caused the lowest axial capacity was presented. The DAMAGE program wasn't run for members without holes, dents or out-of-straightness.

3. <u>Compression Capacity vs. Slenderness Curve.</u>

This graph compares the axial capacities from the full scale test, the Beam-Column FEA and the DAMAGE program (where applicable) to the capacities predicted by four different theories of buckling. Member slenderness is defined as:

$$\frac{kL}{\pi r} \sqrt{\left(\frac{F_y}{E}\right)}$$

where

 $k = effective\ length\ factor$ $L = member\ length$ $F_y = yield\ stress$ $E = Young's\ Modulus\ of\ Elasticity$ $r = radius\ of\ gyration$

The four theoretical curves include the Euler buckling curve (constant over a range of slenderness and then controlled by elastic buckling), the AISC LRFD curve (calculated from the AISC Load and Resistance Factor Design equation), the AISC WS curve (representing the AISC Working Stress design equations without the factor of safety and the same as the API LRFD equations) and the W/R curve (from the Wolford-Rebholz column capacity equation). These curves don't account for dents, holes or out-of-straightness. Therefore, they give an indication of how much the capacity is reduced in members which have those types of damage. The vertical line on the graph was drawn at the corresponding slenderness for the given specimen. The capacities from the full scale test and the analyses were then plotted on this line to compare to each other and to the theoretical curves.

4. Axial Load vs. Axial Deformation Curve.

This plot shows a direct comparison between the force-deformation behavior predicted by the beam-column FEA and demonstrated by the full scale test. For members with dents, holes or out-ofstraightness another curve is provided showing the predicted behavior for the member if only the corrosion were present. Also, the force-deformation behavior predicted by the DENTA-2 program is shown. In five cases the DENTA-2 program was not able to complete the analysis. Instead it displayed an error message which was thought (by Shell who provided the data) to indicate a local yielding problem. No DENTA results are shown for these cases. design ultimate load, represented by a horizontal line on the graph, is provided as an indication of the capacity a designer might expect from the member if it were new. It was calculated using the AISC WS equations without the factor of safety. Nominal values for the wall thickness were used as were nominal values of the yield stress (36 ksi) and Young's modulus (29500 ksi). This is intended to mimic the design approach. In cases where the specimen didn't buckle or yielded locally prior to buckling, the fact is noted on these curves.

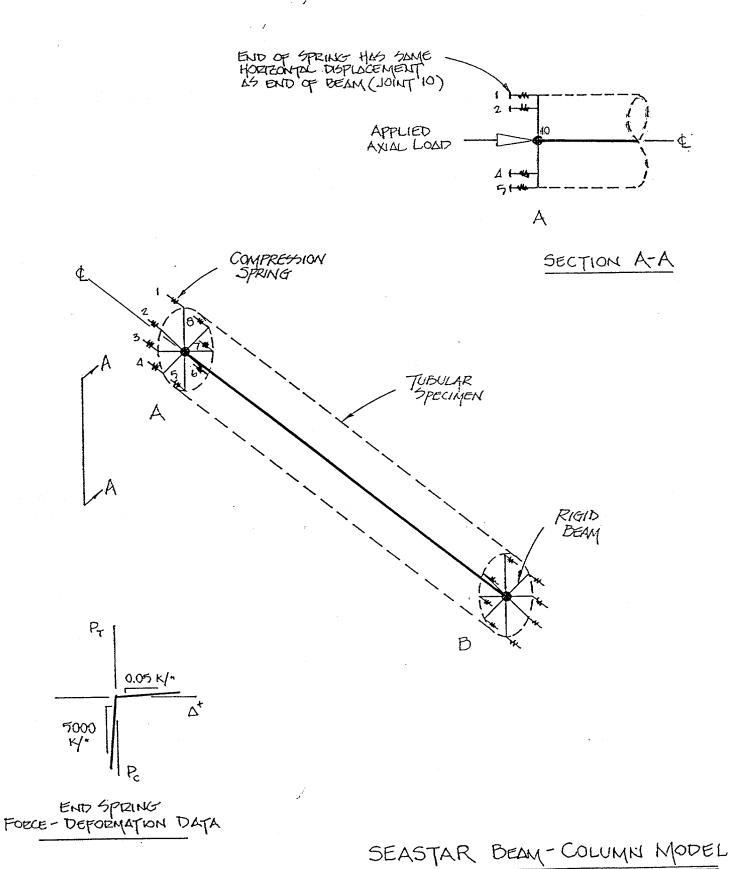


Figure 4-1

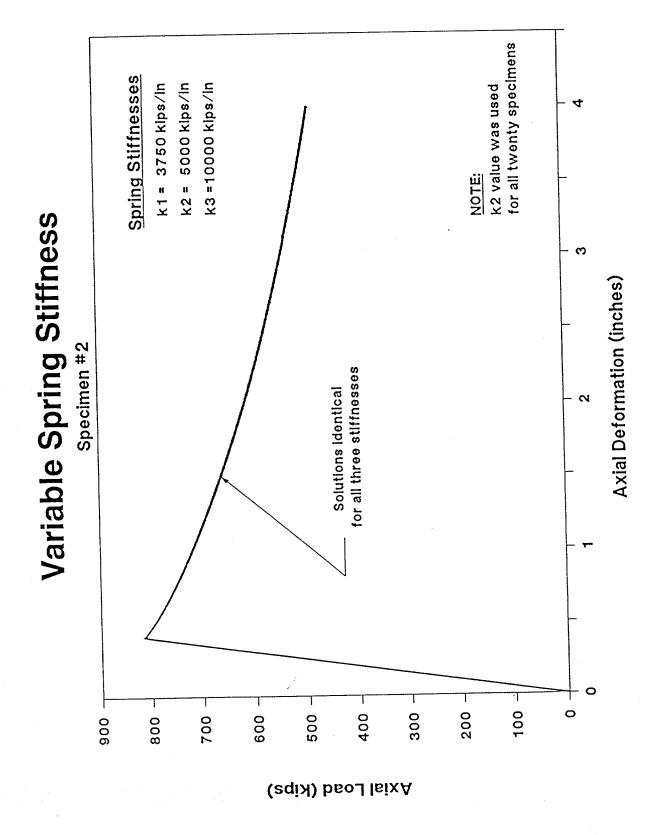


Figure 4-2

SPECIMEN 14 BEAN - COLUMN NOTEL DATA

Figure 4-3

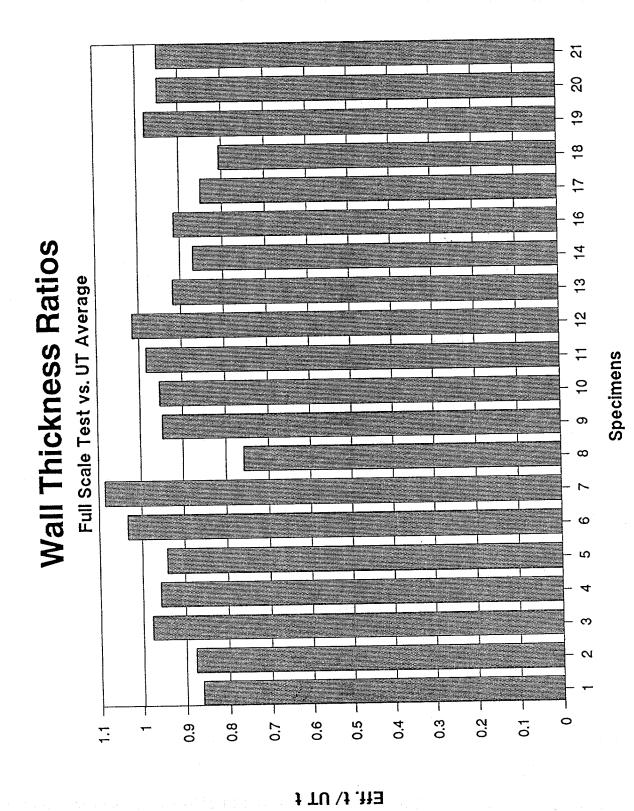


Figure 4-4

Specimen Axial Capacity Summary

Specimen	Test	DAMAGE Program	FEA	DENTA-2	FEA/Test	DENTA/Test	Type of Damage(1)
1	424	401	438	493	1.03	1.16	Dent
2	601	-	816	839	1.36	1.40	None
3	436	_	609	623	1.40	1.42	None
4	410	504	553	549	1.35	1.33	0oS
5	465	456	496	555	1.07	1.19	Dent
6	1043	1118	1084	1068	1.04	1.02	None
7	548	345	410	518	0.75	0.95	Dent
8	236	241	273	370	1.16	1.56	Dent `
9	558	-	586	595	1.05	1.07	None
10	692	-	718	749	1.04	1.08	None
11	374	-	424	437	1.13	1.17	None
12	299	192	319	370	1.07	1.22	Holes, Dent
13	187	162	263	256	1.41	1.37	Dents, OoS
14	198	235	329	319	1.66	1.61	Dents, OoS
16	218	287	384	324	1.76	1.48	Dents, OoS(3)
17	420	255	368	398	0.88	0.93	Dent, OoS
18	262	199	231	269	0.88	1.02	Dents, OoS
19	614	-	940	976	1.53	1.59	Long. Crack(2)
20	550	-	686	718	1.25	1.30	None
21	549	566	659	667	1.20	1.21	Hole, Crack(2)

Notes:

- (1) OoS denotes out-of-straightness
- (2) Longitudinal crack not modeled in beam-column analyses or included in DAMAGE program results
- (3) Specimen has collar and different wall thicknesses to either side of collar. Nominal wall thicknesses used in the analysis.

Specimen Data Used in Computer Analyses

Specimen	k	Fy (ksi)	D (")	t (")	E(ksi)	L(")
1	0.50	35.7	18.00	0.270	25800	235.20
2	0.50	43.6	18.00	0.346	27400	265.56
3	0.50	36.6	18.00	0.305	26200	290.40
4	0.50	54.0	12.75	0.314	28000	416.75
5	0.50	35.9	18.00	0.303	26300	222.24
6	0.86	36.5	20.00	0.500	28300	474.00
7	0.50	50.0	12.75	0.409	29200	473.50
8	0.50	39.2	10.75	0.293	29400	319.56
9	0.54	39.6	14.00	0.358	29600	264.48
10	0.52	42.0	14.00	0.425	25900	379.25
11	0.50	39.0	10.75	0.350	27300	347.52
12	0.50	60.0	12.75	0.351	28600	474.00
13	0.54	53.7	12.75	0.323	30000	289.56
14	0.50	36.0	12.75	0.295	29300	201.00
16	0.62	49.1	12.75	0.375	29000	345.24
17	0.52	49.2	12.75	0.422	25000	374.04
18	0.50	34.5	10.75	0.264	24900	204.96
19	0.50	59.7	16.00	0.338	27700	447.25
20	0.50	57.4	12.75	0.328	28000	416.00
21	0.50	52.2	16.00	0.275	25900	267.96

Note: The data shown above was used in all the computer analyses and data reduction for this study. Unless otherwise noted, when these characteristics are referred to (in the text or on plots and tables) these are the values indicated

For specimens 1, 2, 3, 5, 8, 14, 18, 19 and 21 the effective length wasn't calculated do to local yielding prior to buckling or the fact that the member never buckled. A factor of 0.5 was used for these specimens.

SPECIMEN #1

Damage Summary Specimen #1

A&M Damage Number

<u>Damage</u> <u>Description</u>

2

Dent:

Depth = 0.5" Model Segment Length = 8" Distance from loaded end = 197.20" Angle from vertical = 127°

*Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

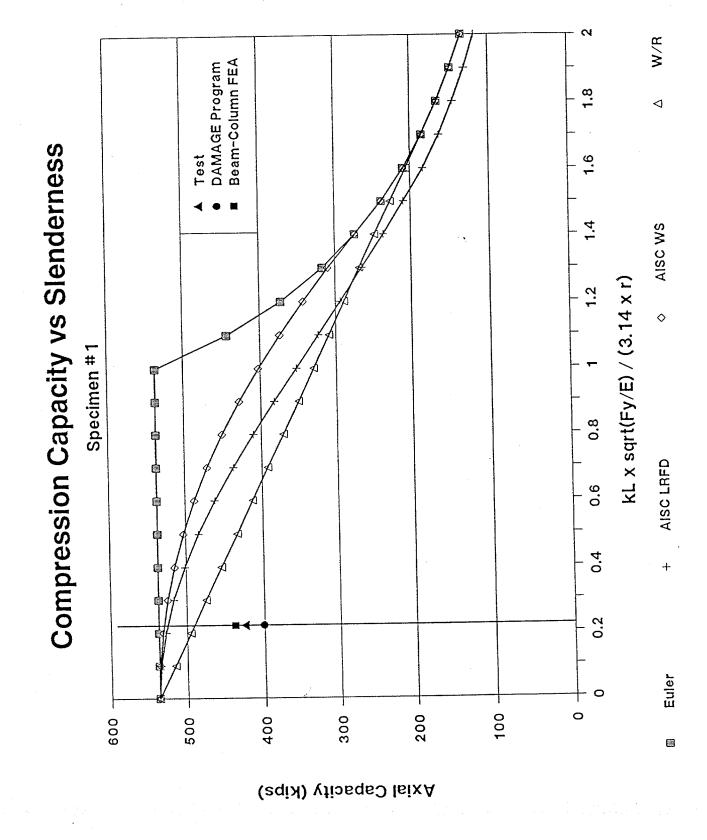


Figure 4-9

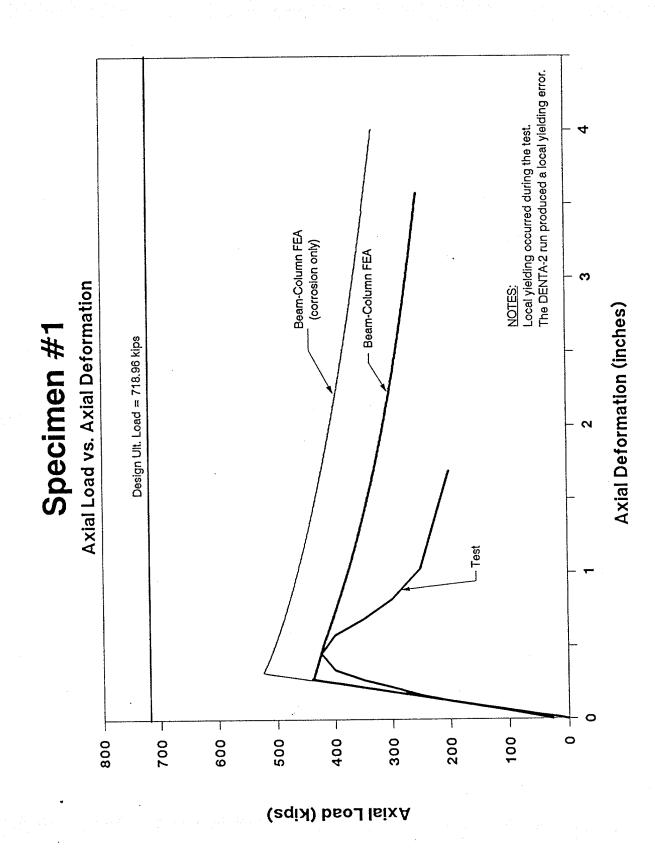


Figure 4-10

SPECIMEN #2

Damage Summary Specimen #2

<u>A&M Damage Number</u>

<u>Damage</u> <u>Description</u>

No Damage

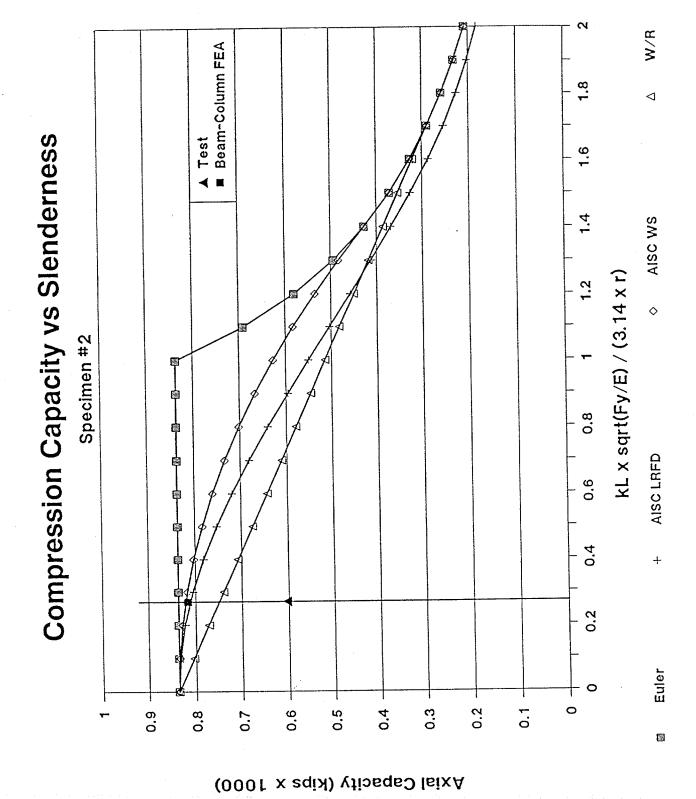


Figure 4-12

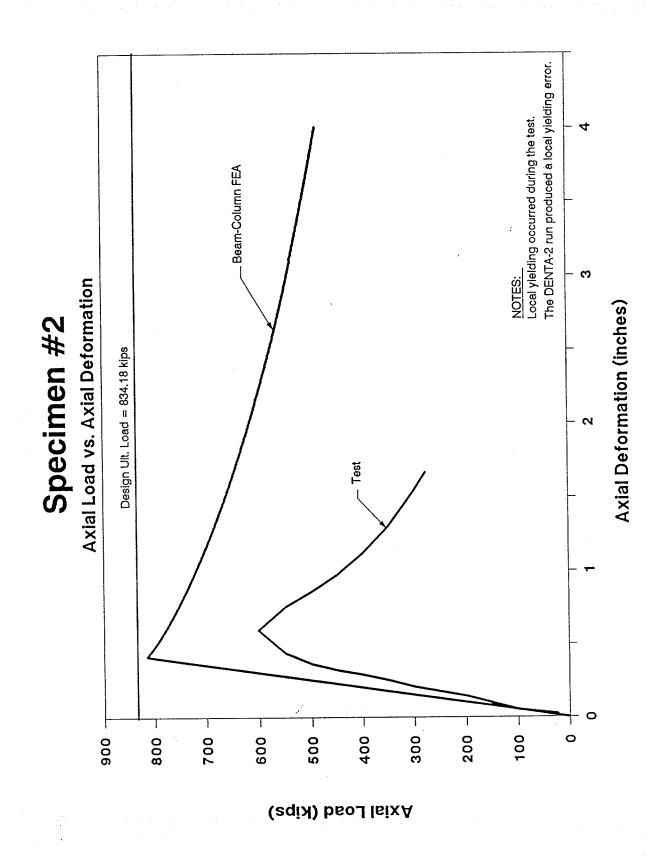


Figure 4-13

SPECIMEN 3

Damage Summary Specimen #3

<u>A&M Damage Number</u>

<u>Damage Description</u>

No Damage

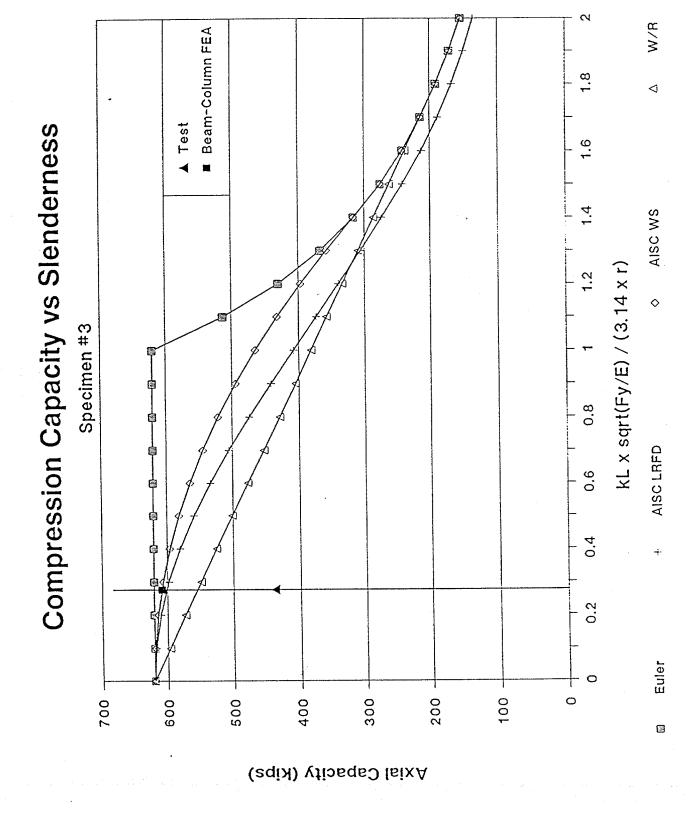


Figure 4-15

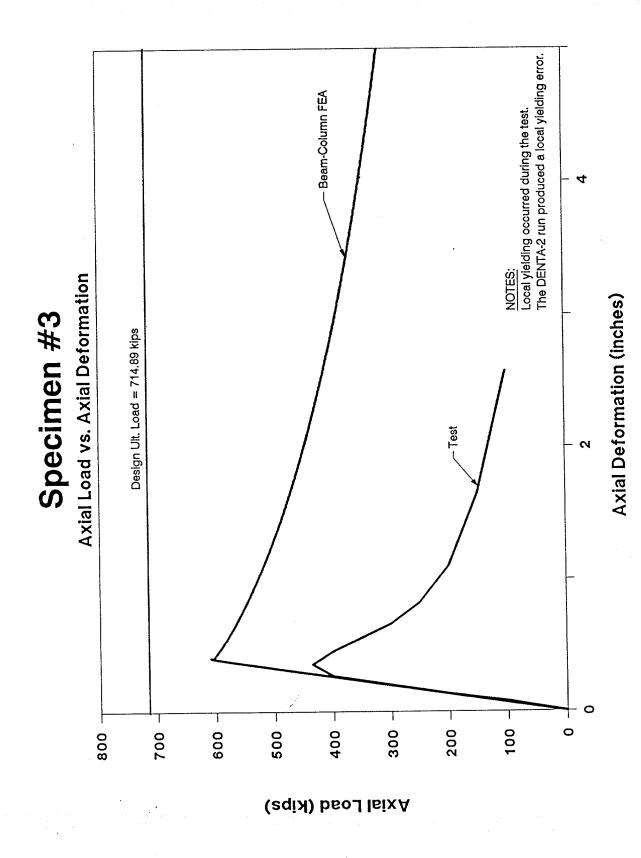


Figure 4-16

SPECIMEN 4

Damage Summary Specimen #4

<u>A&M Damage Number</u>

<u>Damage</u> <u>Description</u>

None

Out of Straightness:
 Direction: -Z
 Maximum Deflection = 1.3125"

TITLE: SPECIMEN #4

INPUT:

OUTSIDE DIAMETER (in) = 12.750 THICKNESS (in) .314 LENGTH (ft) 34.730 EFF. LENGTH FACTOR .50 54.00 YIELD STRESS (ksi) YOUNGS MODULUS (ksi) = 28000.0.000 DENT DEPTH (in) HOLE DIAMETER (in) .000 1.31 LAT. DISPL. (in)

RESULTS:

TIME COOLITICE CO.	=	6.28319	
112000ED 14181 01 411412011 (041111)	=		
REDUCED ELAS. SECTION MOD. (cu.in)		38.140	
PLASTIFICATION STRESS (ksi)	=	54.000	
AVG. SQUASH STRESS (ksi)	==	54.000	
IMPERFECTION PARAMETER	=	.00519	
SLENDERNESS RATIO	=	40.23994	
EULER BUCKLING STRESS (ksi)	=	123.1102	
SOLUTION ROOTS (SDCE1, SDCE2) (ksi)	=	161.693	41.115
DAMAGED MEMBER AXIAL CAPACITY (ksi)	=		
DAMAGED/UNDAMAGED STRESS RATIO	=	.76138	
	=	.66229	

Notes:

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

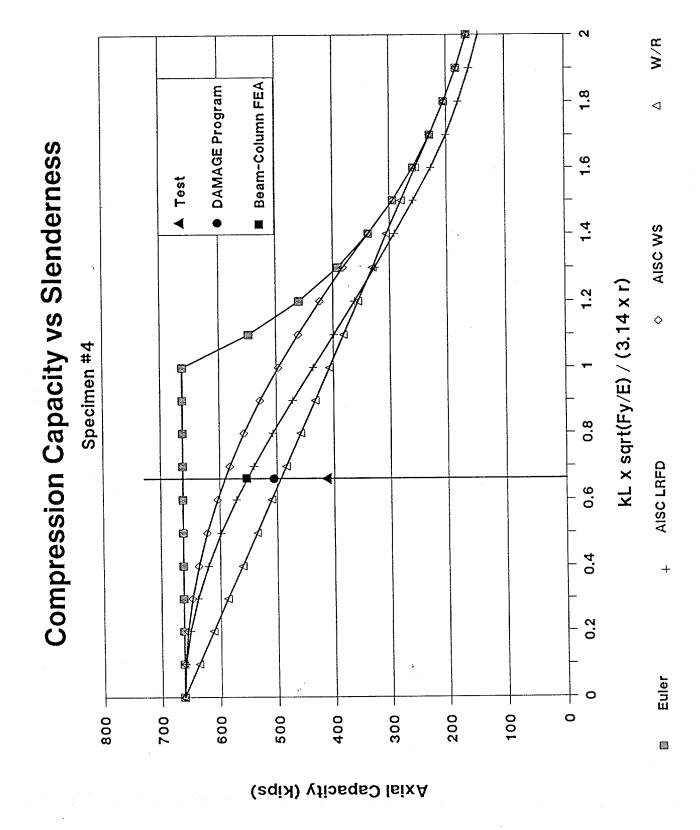


Figure 4-19

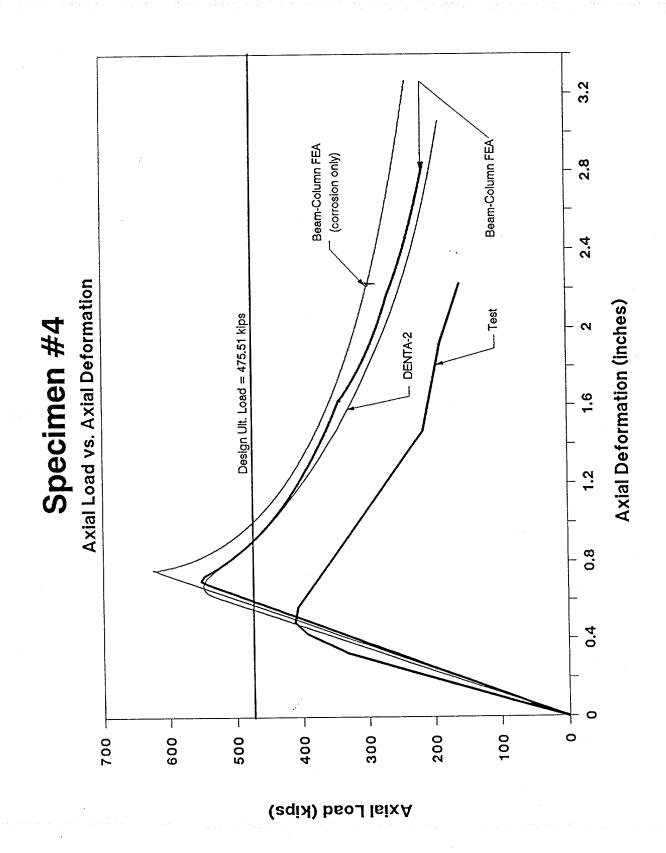


Figure 4-20

SPECIMEN #5

A&M Damage Number

<u>Damage</u> <u>Description</u>

10

Dent:

Depth = 0.5" Model Segment Length = 8.5" Distance from loaded end = 154.87" Angle from vertical = 180°

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

TITLE: Specimen #5

INPUT:

OUTSIDE DIAMETER (in) = 18.000 THICKNESS (in) .303 18.520 LENGTH (ft) EFF. LENGTH FACTOR == .50 YIELD STRESS (ksi) 35.90 YOUNGS MODULUS (ksi) = 26300.0 DENT DEPTH (in) .500 HOLE DIAMETER (in) .000 .00 LAT. DISPL. (in)

RESULTS:

CROSS-SECTIONAL AREA (sq.in)	=	16.85	
	==		
AXIAL ECCENTRICITY (in)	=	1.0405	
REDUCED RAD. OF GYRATION (cu.in)	=	5.807	
REDUCED ELAS. SECTION MOD. (cu.in)	=	54.027	
PLASTIFICATION STRESS (ksi)	=	7.776	
AVG. SQUASH STRESS (ksi)	=	32.890	
IMPERFECTION PARAMETER	=	.00024	
SLENDERNESS RATIO	=	10.63276	
EULER BUCKLING STRESS (ksi)	=	823.2053	
SOLUTION ROOTS (SDCE1, SDCE2) (ksi)	=	1069.641	27.046
DAMAGED MEMBER AXIAL CAPACITY (ksi	.) =	27.046	
DAMAGED/UNDAMAGED STRESS RATIO	<i>'</i> =		
UNDAMAGED SLENDERNESS RATIO	=		

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

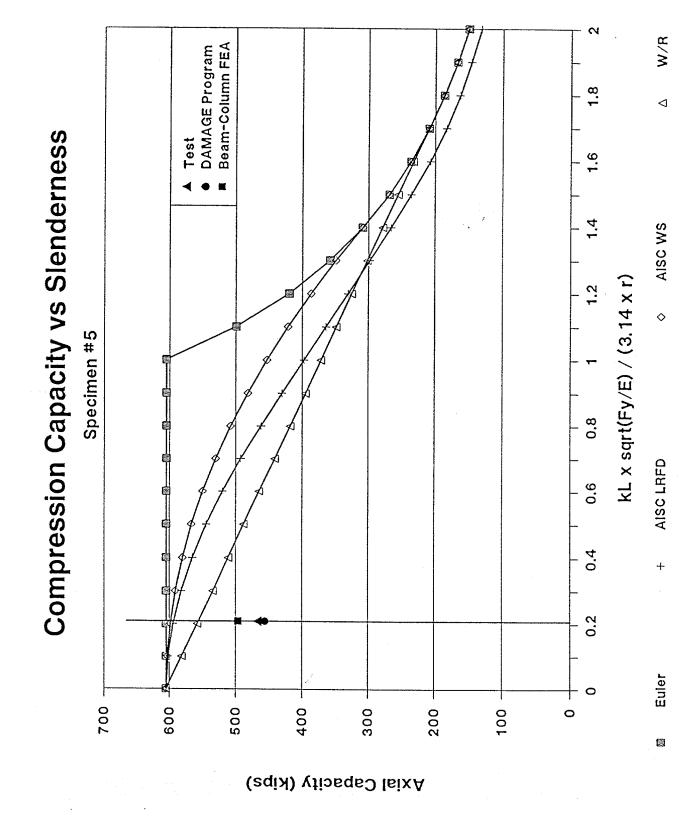


Figure 4-23

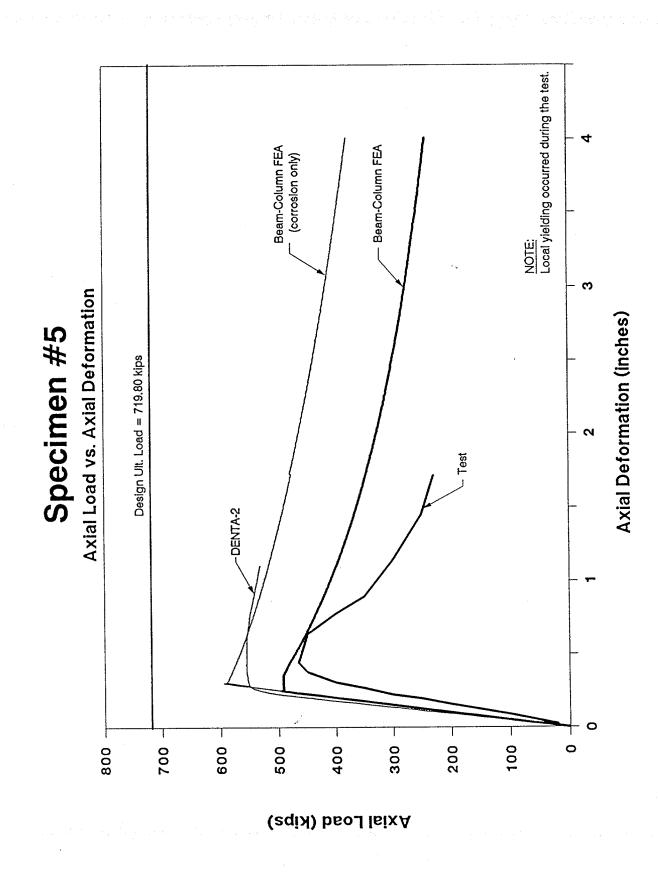


Figure 4-24

<u>A&M Damage Number</u>

<u>Damage Description</u>

TITLE: SPECIMEN #6

INPUT:

OUTSIDE DIAMETER (in) = 20.000 THICKNESS (in) .507 LENGTH (ft) 39.500 EFF. LENGTH FACTOR .86 YIELD STRESS (ksi) 36.50 YOUNGS MODULUS (ksi) = 28300.0.000 DENT DEPTH (in) HOLE DIAMETER (in) .000 .00 LAT. DISPL. (in)

RESULTS:

=	31.05 6.28319	
=	6.892	
=	151.306	
=	36.500	
=	36.500	
=	.00017	
=	44.10228	
=	79.8902	
=	81.009	35.996
=======================================	35.996 .98618 .67593	
		= 6.28319 = .0000 = 6.892 = 151.306 = 36.500 = .00017 = 44.10228 = 79.8902 = 81.009 = 35.996 = .98618

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

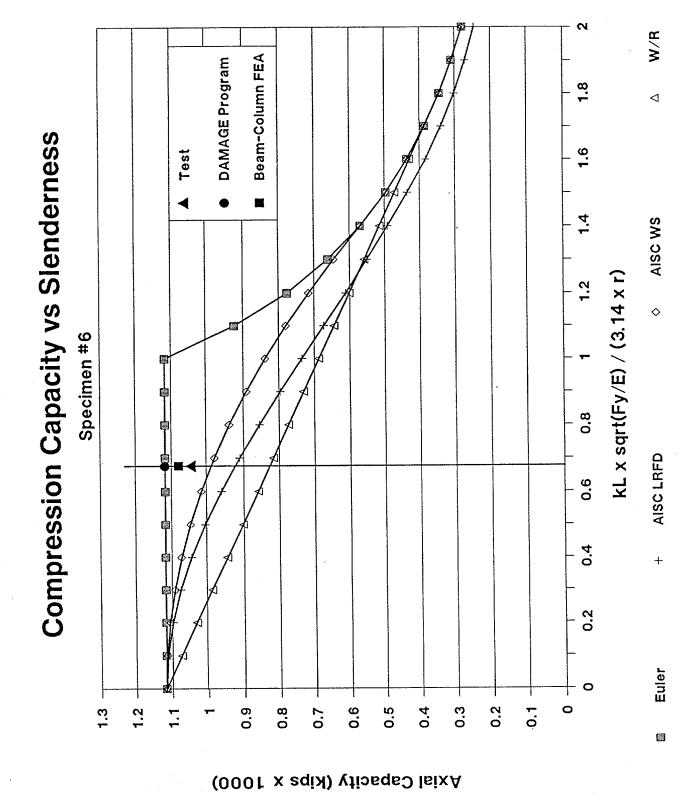


Figure 4-27

-- Beam-Column FEA ო Axial Load vs. Axial Deformation Axial Deformation (inches) Specimen #6 Design Ult. Load = 959.50 kips - DENTA-2 0.3 0.5 9.4 0.1 0.0 9.0 0.5 0.8 0.7 Axial Load (kips x 1000)

Figure 4-28

A&M Damage Number

<u>Damage</u> <u>Description</u>

6

Dent:

Depth = 1.5"
Model Segment Length = 15"
Distance from loaded end = 243.75"
Angle from vertical = 81°

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

TITLE: SPECIMEN #7

INPUT:

OUTSIDE DIAMETER (in) = 12.750THICKNESS (in) .409 LENGTH (ft) 39.460 EFF. LENGTH FACTOR .50 YIELD STRESS (ksi) 50.00 YOUNGS MODULUS (ksi) = 29200.01.500 DENT DEPTH (in) HOLE DIAMETER (in) .000 .00 LAT. DISPL. (in)

RESULTS:

DENT/HOLE ANGLE (rad) AXIAL ECCENTRICITY (in) REDUCED RAD. OF GYRATION (cu.in) REDUCED ELAS. SECTION MOD. (cu.in) PLASTIFICATION STRESS (ksi) AVG. SQUASH STRESS (ksi) IMPERFECTION PARAMETER	= =	3.546 24.662 5.060 40.026 .00054	
SLENDERNESS RATIO EULER BUCKLING STRESS (ksi) SOLUTION ROOTS (SDCE1,SDCE2) (ksi) DAMAGED MEMBER AXIAL CAPACITY (ksi)	=	59.17118 97.9836 198.884 21.741	21.741
DAMAGED/UNDAMAGED STRESS RATIO	=	.43482	

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

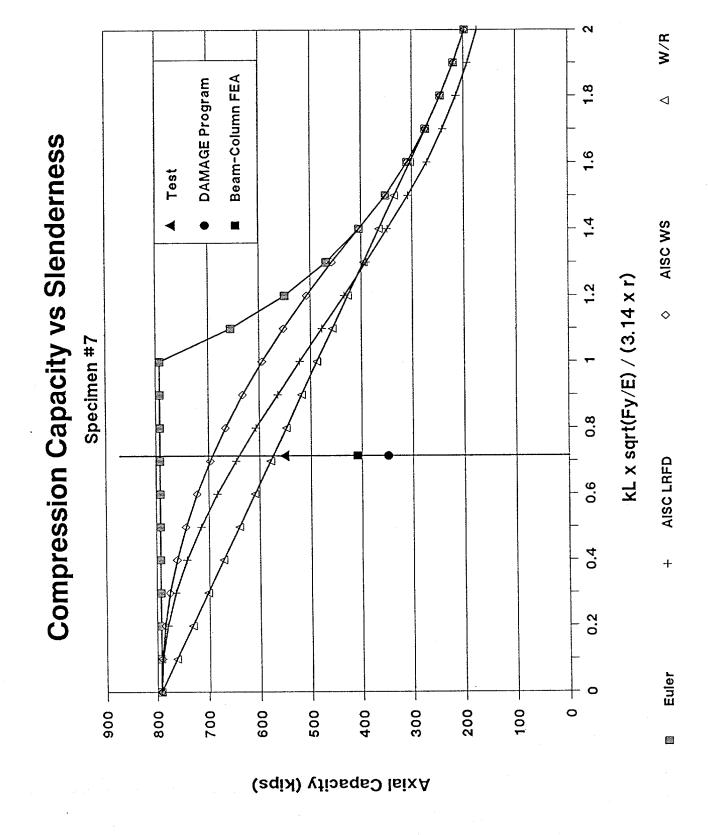


Figure 4-31

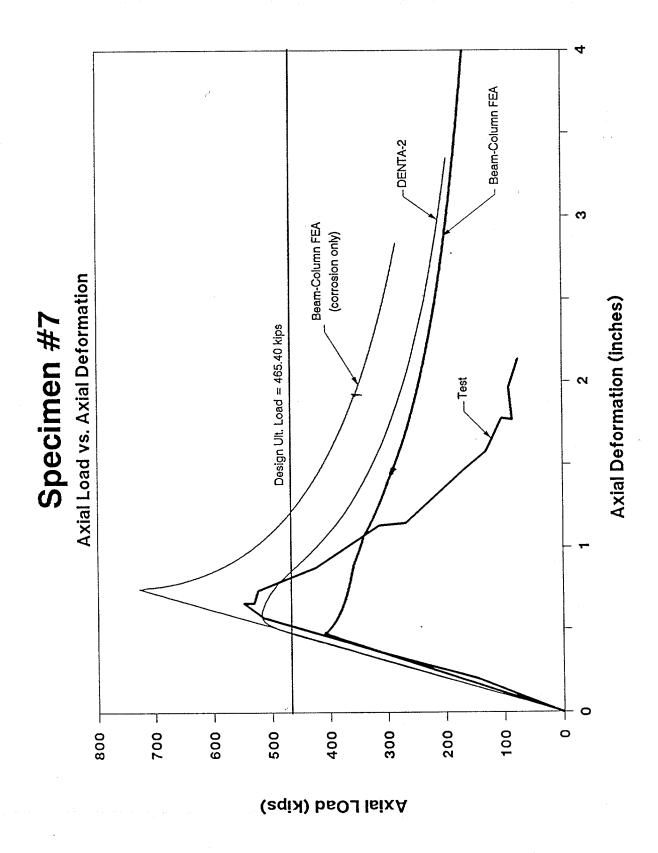


Figure 4-32

<u>A&M Damage Number</u>

<u>Damage</u> <u>Description</u>

2

Dent:

Depth = 0.25"
Model Segment Length = 5"
Distance from loaded end = 275.57"
Angle from vertical = 64°

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

Program DAMAGE *************

TITLE: Specimen #8 - Damage #2

INPUT:

OUTSIDE DIAMETER (in)	=	10.750
THICKNESS (in)	=	.239
LENGTH (ft)	=	26.630
EFF. LENGTH FACTOR	==	.50
YIELD STRESS (ksi)	=	39.20
YOUNGS MODULUS (ksi)	=	29400.0
DENT DEPTH (in)	=	.250
HOLE DIAMETER (in)	=	.000
LAT. DISPL. (in)	=	.00

RESULTS:

REDUCED RAD. OF GIRTIER (CU.In) REDUCED ELAS. SECTION MOD. (cu.in) PLASTIFICATION STRESS (ksi) AVG. SQUASH STRESS (ksi) IMPERFECTION PARAMETER SLENDERNESS RATIO		.5631 3.476 15.443 12.601 36.588 .00021 37.36209 157.0452	30.517
DAMAGED MEMBER AXIAL CAPACITY (ksi) DAMAGED/UNDAMAGED STRESS RATIO UNDAMAGED SLENDERNESS RATIO	=======================================	30.517 .77848 .49961	

- Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- For dented members it is assumed that the maximum stress (2) the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- Dent and hole damage must be evaluated separately. (3) can be assessed in conjunction with bending damage.

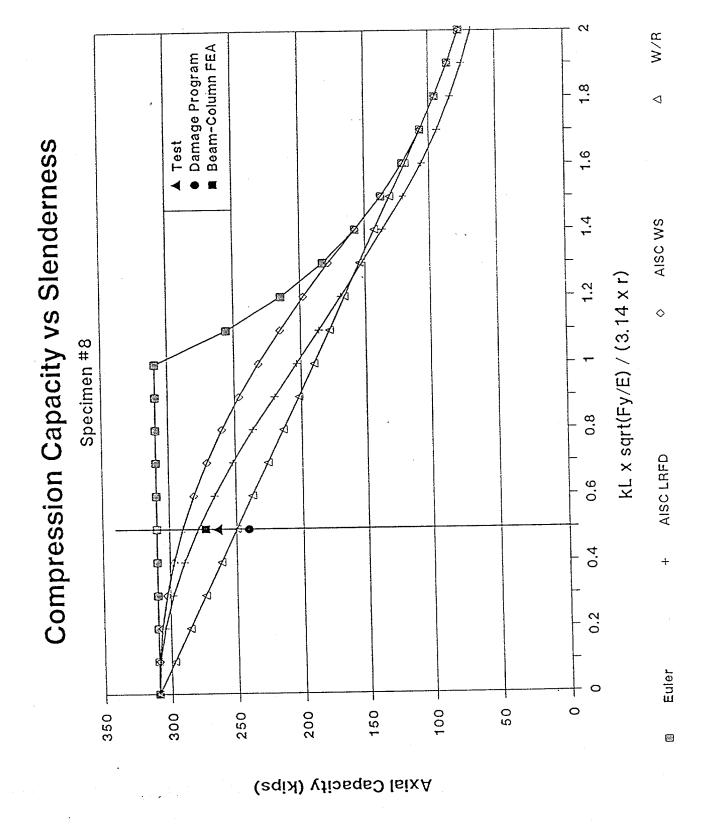


Figure 4-35

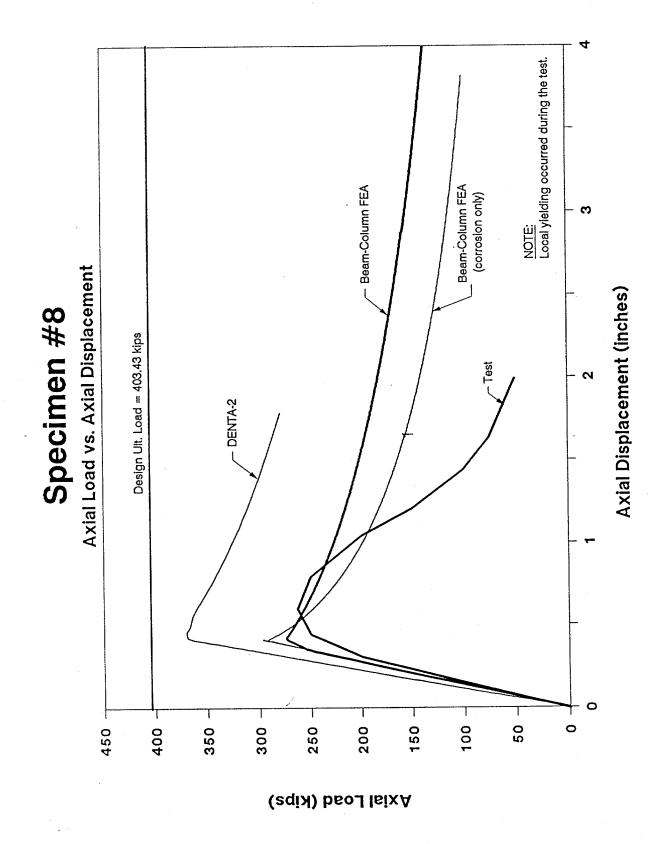


Figure 4-36

<u>A&M Damage Number</u>

<u>Damage</u> <u>Description</u>

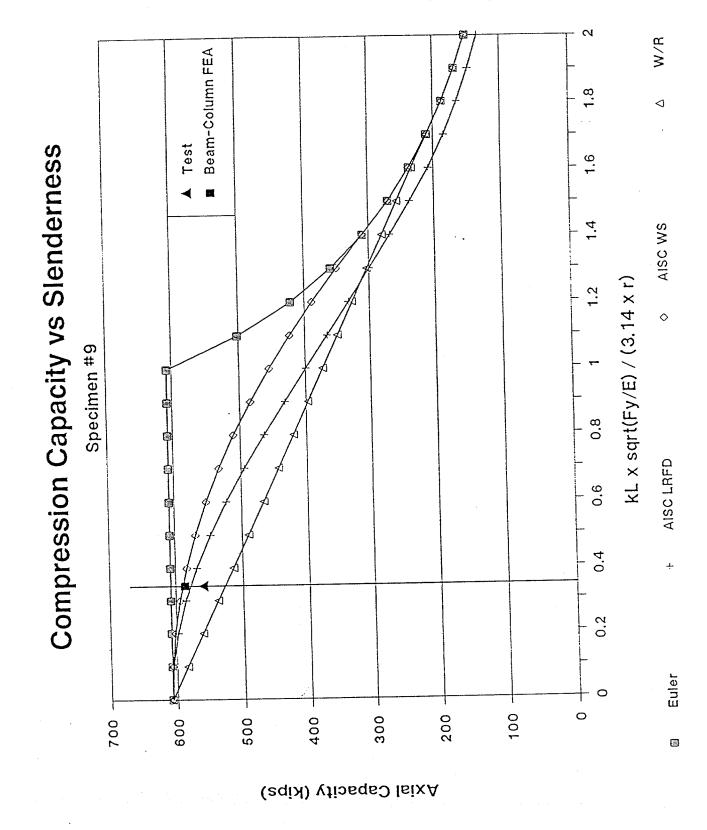


Figure 4-38

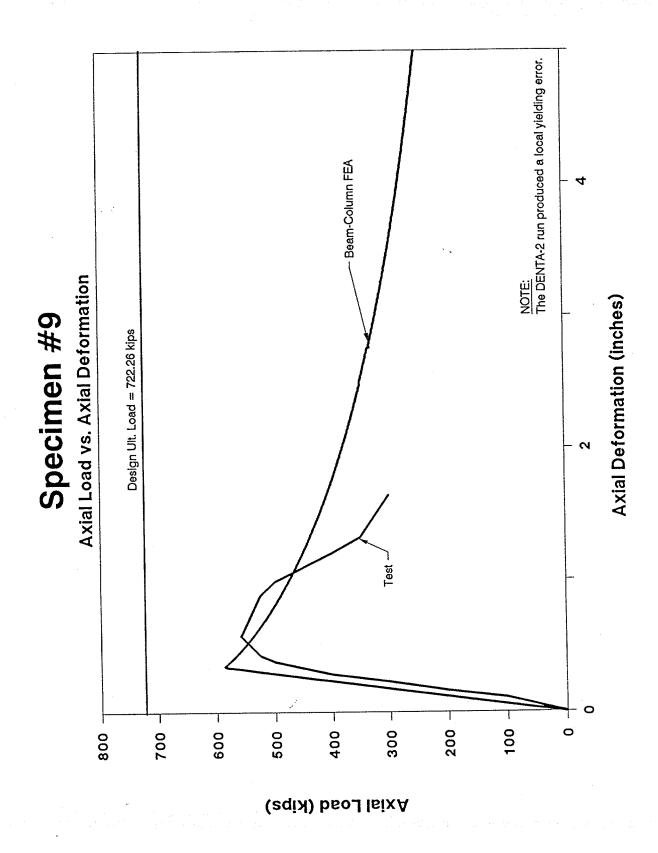


Figure 4-39

<u>A&M Damage Number</u>

<u>Damage</u> <u>Description</u>

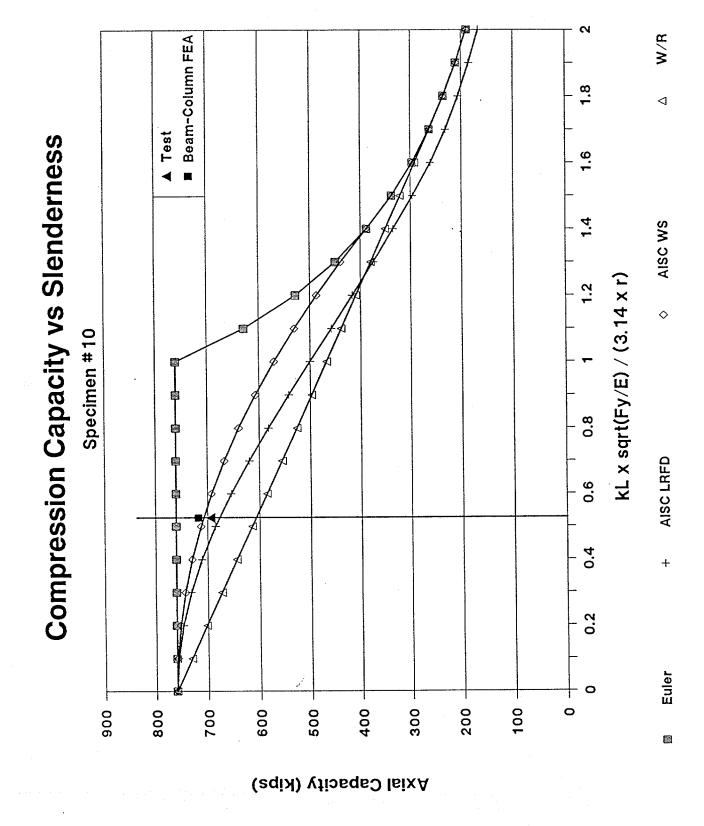


Figure 4-41

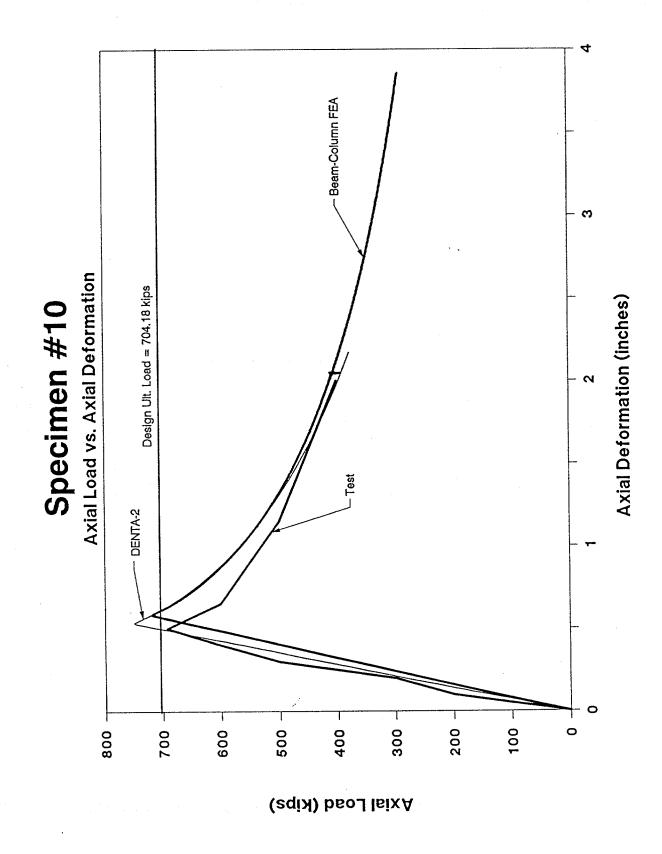


Figure 4-42

<u>A&M Damage Number</u>

<u>Damage</u> <u>Description</u>

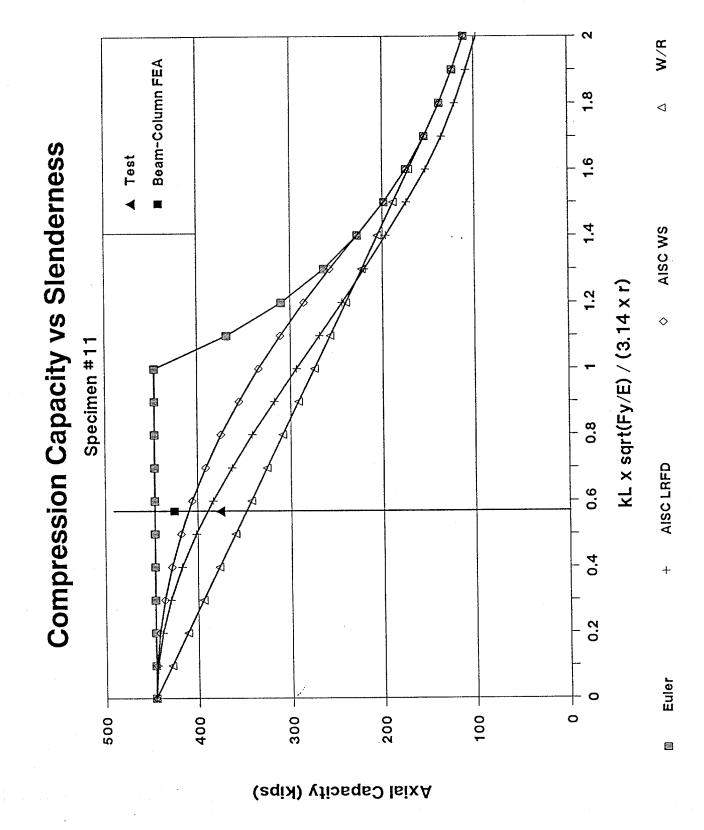


Figure 4-44

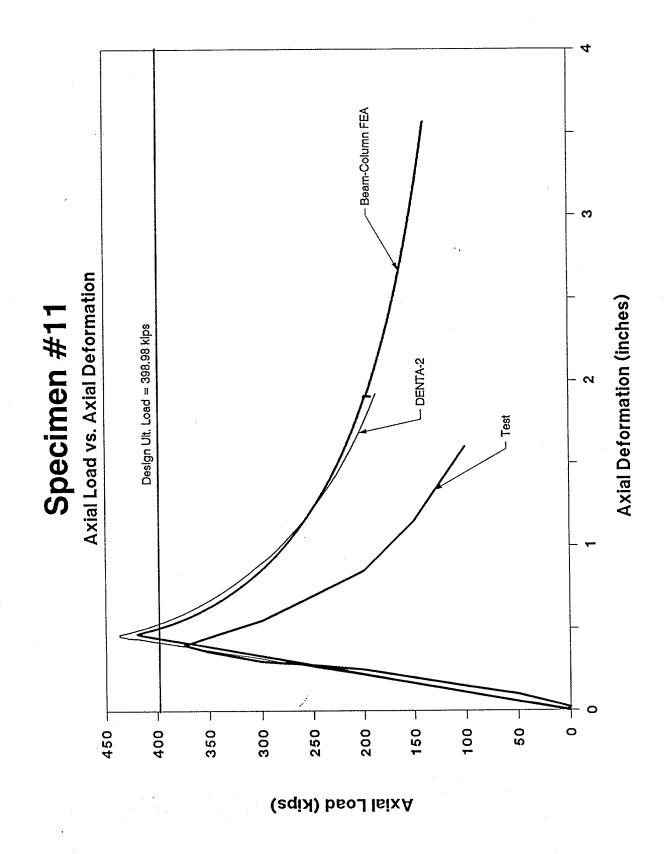


Figure 4-45

<u>A&M Damage Number</u>	<u>Damage</u> <u>Description</u>
9	Dent: Depth = 3" Model Segment Length = 14" Distance from loaded end = 251" Angle from vertical = 135°
12	Hole: Diameter = 7.5" Model Segment Length = 15" Distance from loaded end = 265.5" Angle from vertical = 60°
13	Hole: Diameter = 10.5" Model Segment Length = 12" Distance from loaded end = 301" Angle from vertical = 202°

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

TITLE: SPECIMEN #12

INPUT:

12.750 OUTSIDE DIAMETER (in) = THICKNESS (in) .351 LENGTH (ft) 39.480 .50 EFF. LENGTH FACTOR YIELD STRESS (ksi) 60.00 YOUNGS MODULUS (ksi) = 28600.0.000 DENT DEPTH (in) HOLE DIAMETER (in) 10.500 LAT. DISPL. (in) .00

RESULTS:

REDUCED RAD. OF GYRATION (cu.in) REDUCED ELAS. SECTION MOD. (cu.in) PLASTIFICATION STRESS (ksi) AVG. SQUASH STRESS (ksi) IMPERFECTION PARAMETER SLENDERNESS RATIO	= = = = = = = = = = = = = = = = = = = =	3.015 14.640 .000 40.710 .00088 71.70803	
EULER BUCKLING STRESS (ksi) SOLUTION ROOTS (SDCE1,SDCE2) (ksi)	=	96.7476 280.527	14.040
DAMAGED MEMBER AXIAL CAPACITY (ksi) DAMAGED/UNDAMAGED STRESS RATIO UNDAMAGED SLENDERNESS RATIO	=======================================	14.040 .23400 .78751	

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

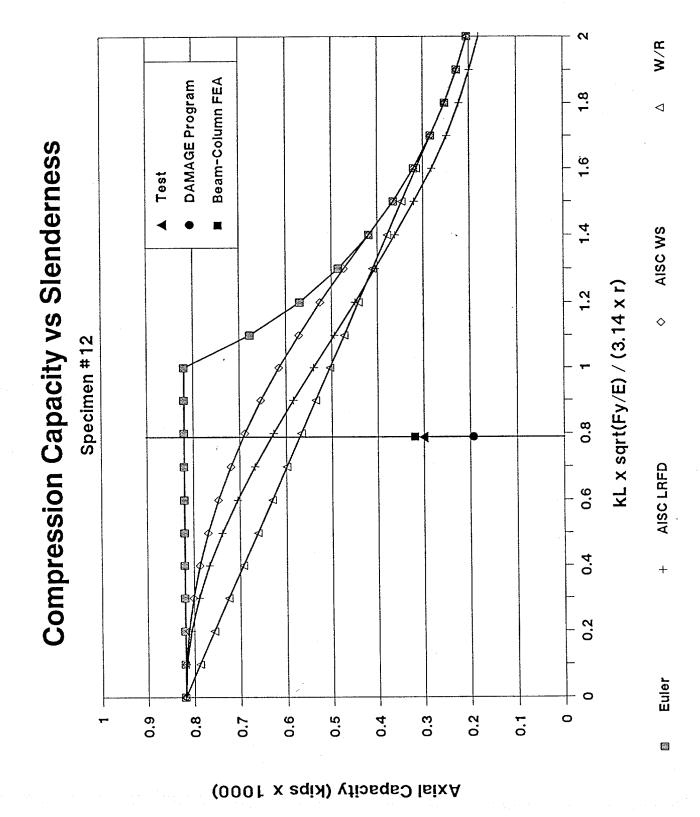


Figure 4-48

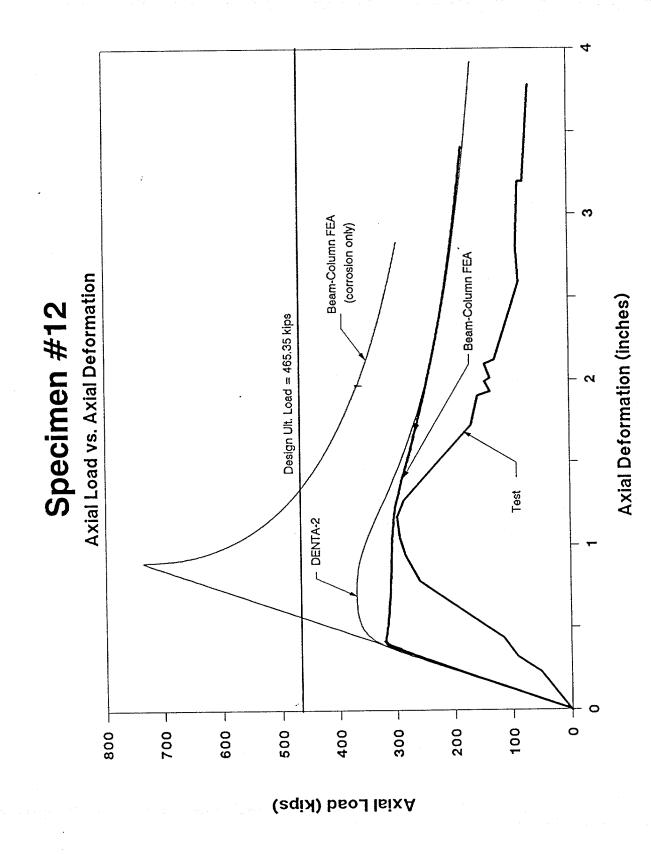


Figure 4-49

<u>A&M Damage Number</u>	<u>Damage</u> <u>Description</u>		
	Dent: Depth = 0.625" Model Segment Length = 8" Distance from loaded end = 197.56" Angle from vertical = 306°		
2	Dent: Depth = 1.75" Model Segment Length = 14" Distance from loaded end = 185.56" Angle from vertical = 9°		
3	Dent: Depth = 0.75" Model Segment Length = 9" Distance from loaded end = 160.56" Angle from vertical = 324°		
4	Dent: Depth = 1.75" Model Segment Length = 14" Distance from loaded end = 77.56" Angle from vertical = 302°		
None	Out of Straightness: Direction: -Z Maximum Deflection = 8.125"		
None	Out of Straightness: Direction: -Y Maximum Deflection = 2.25"		

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

```
***************
      Program DAMAGE
*
*************
```

TITLE: Specimen #13 - Damage #2,4

INPUT:

OUTSIDE DIAMETER (in) = 12.750 .323 THICKNESS (in) ' 24.130 LENGTH (ft) EFF. LENGTH FACTOR .54 53.70 YIELD STRESS (ksi) = 30000.0YOUNGS MODULUS (ksi) 1.750 DENT DEPTH (in) .000 HOLE DIAMETER (in) 8.13 LAT. DISPL. (in)

RESULTS:

CROSS-SECTIONAL AREA (sq.in)	=	12.61 4.78213	
DENTAROUS MIGHS (100)	=		
REDUCED RAD. OF GYRATION (cu.in)	=	3.484	
REDUCED ELAS. SECTION MOD. (cu.in)		18.678	•
PLASTIFICATION STRESS (ksi)	=	3.699	
AVG. SQUASH STRESS (ksi)	=	41.755	
IMPERFECTION PARAMETER	=	.04029	
SLENDERNESS RATTO	=	36.86516	
PHILED BUCKLING STRESS (ksi)	=	233.9334	
SOLUTION ROOTS (SDCE1, SDCE2) (ksi)	=	823.407	12.820
DAMAGED MEMBER AXIAL CAPACITY (ksi)	=	12.820	
DAMAGED/UNDAMAGED STRESS RATIO	=	.23873	
UNDAMAGED SLENDERNESS RATIO	=	.47912	

Notes:

- Hole diameter and dent depth should be measured w/r the (1)tubular mid-wall diameter.
- For dented members it is assumed that the maximum stress (2) the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- Dent and hole damage must be evaluated separately. (3) can be assessed in conjunction with bending damage.

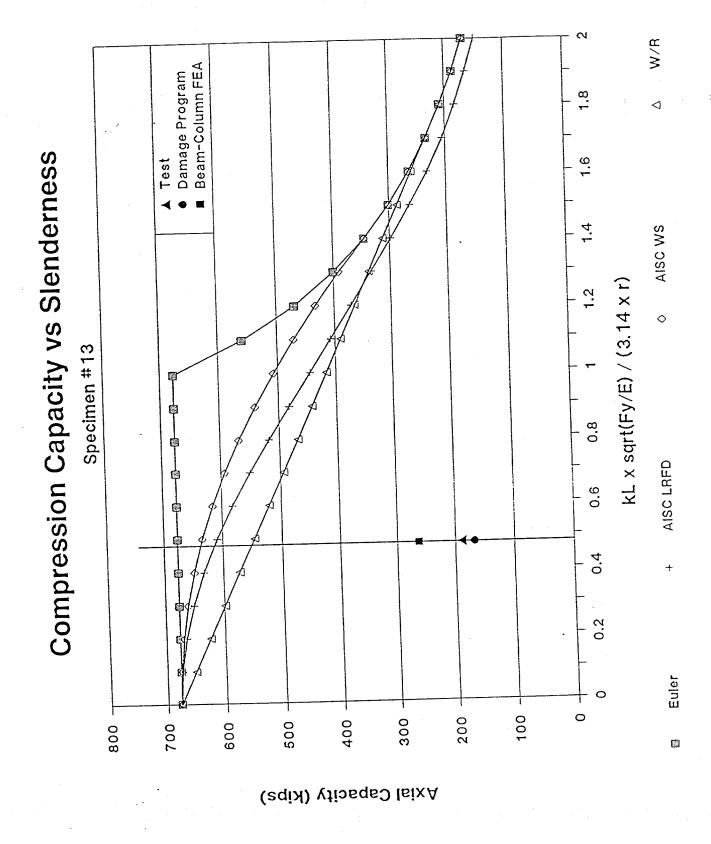


Figure 4-52

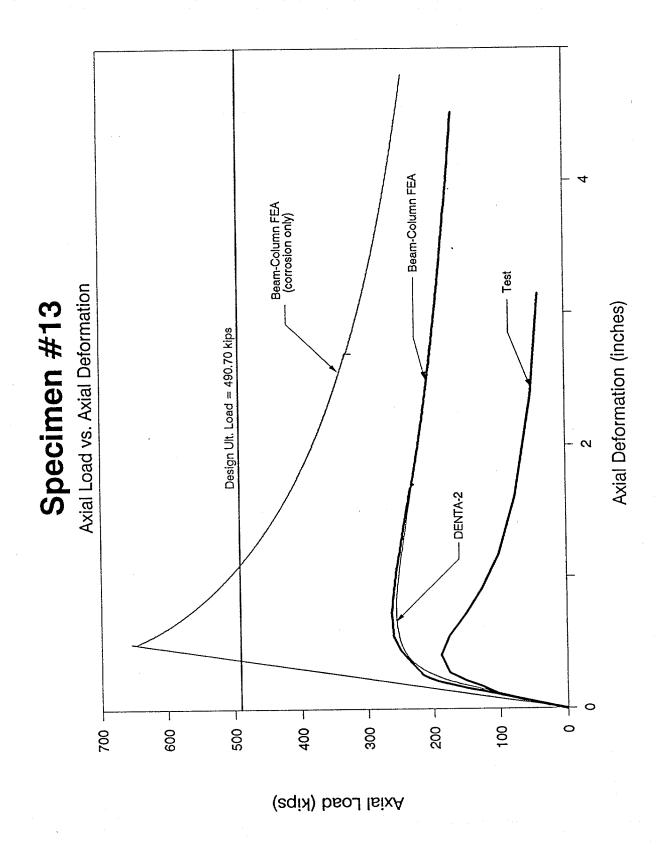


Figure 4-53

SPECIMEN #14

A&M Damage Number

Damage Description

2,3+

Dent:

Depth = 0.375" and 0.500" respectively Model Segment Length = 9"

Distance from loaded end = 184.5"

Angle from vertical = 27°

4

Dent:

Depth = 0.25"

Model Segment Length = 5"

Distance from loaded end = 177.5"

Angle from vertical = 342°

None

Out of Straightness:

Direction: -Z

Maximum Deflection = 3.0"

None

Out of Straightness:

Direction: Y

Maximum Deflection = 0.50"

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

^{*}Both dents occur at the same cross section. The properties were obtained for a dent with a depth equal to the summation of the two dent depths. The angle is the resultant of the two angles.

TITLE: Specimen #14

INPUT:

```
OUTSIDE DIAMETER (in) =
                          12.750
                            .295
THICKNESS (in)
                          16.750
LENGTH (ft)
EFF. LENGTH FACTOR
                             .50
                           36.00
YIELD STRESS (ksi)
                       = 29300.0
YOUNGS MODULUS (ksi)
                            .500
DENT DEPTH (in)
                            .000
HOLE DIAMETER (in)
                            3.00
LAT. DISPL. (in)
```

RESULTS:

=	11.54	
=	5.48174	
=	.8863	
=	4.008	
=	24.460	
=	7.609	
==	32.379	
=	.02123	
=	16.11214	
=	555.4902	
=	960.228	20.337
=	20.337	
	.56492	
=	.25457	
		= 5.48174 = .8863 = 4.008 = 24.460 = 7.609 = 32.379 = .02123 = 16.11214 = 555.4902 = 960.228 = 20.337 = .56492

Notes:

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.

Adaption of the continues of the second

(3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

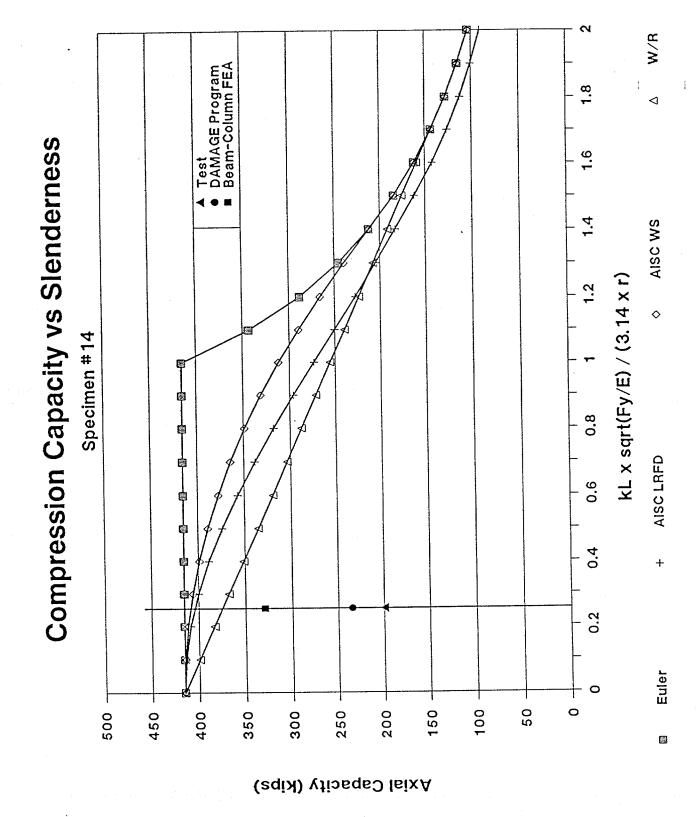


Figure 4-56

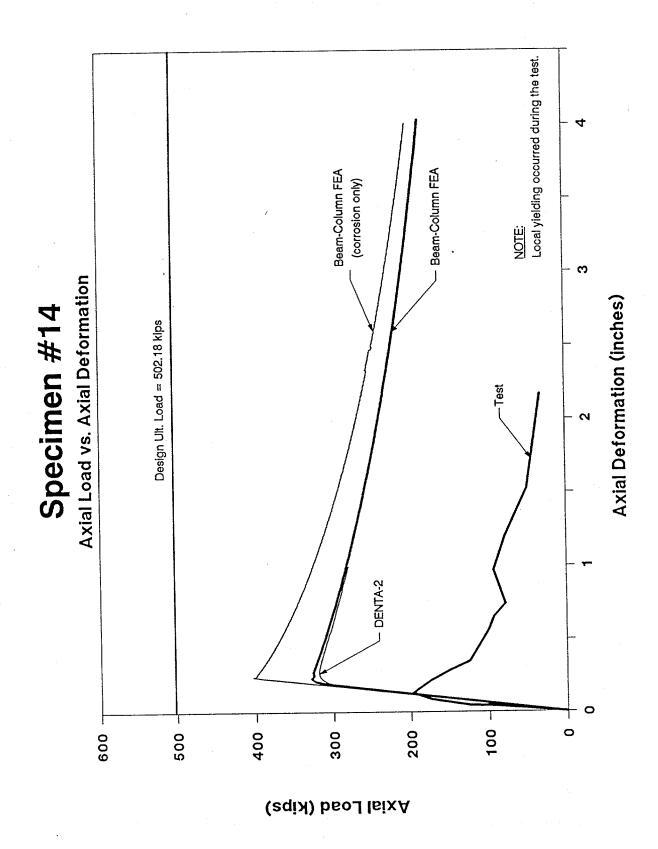


Figure 4-57

<u>Damage</u> <u>Description</u> <u>A&M Damage Number</u> 6 Dent: Depth = 0.125" Model Segment Length = 4" Distance from loaded end = 241.24" Angle from vertical = 90° 7 Dent: Depth = 0.25" Model Segment Length = 8" Distance from loaded end = 232.24" Angle from vertical = 0° 8 Dent: Depth = 0.25" Model Segment Length = 6" Distance from loaded end = 188.24" Angle from vertical = 0° 9 Dent: Depth = 0.25" Model Segment Length = 5" Distance from loaded end = 179.24" Angle from vertical = 60° 13 Hole: Diameter = 1" Model Segment Length = 2" Distance from loaded end = 12.24" Angle from vertical = 90° None Out of Straightness: Direction: -Z Maximum Deflection = 6.625" Out of Straightness: None Direction: +Y Maximum Deflection = 1.875"

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

TITLE: SPECIMEN #16

INPUT:

OUTSIDE DIAMETER (in) = 12.750 THICKNESS (in) .375 LENGTH (ft) 28.770 EFF. LENGTH FACTOR .62 YIELD STRESS (ksi) 49.10 YOUNGS MODULUS (ksi) = 29000.0DENT DEPTH (in) .000 HOLE DIAMETER (in) .000 LAT. DISPL. (in) 6.63

RESULTS:

CROSS-SECTIONAL AREA (sq.in)	=	14.58	
DENT/HOLE ANGLE (rad)	=	6.28319	
AXIAL ECCENTRICITY (in)	=		
REDUCED RAD. OF GYRATION (cu.in)	=	4.375	
REDUCED ELAS. SECTION MOD. (cu.in)		45.104	
PLASTIFICATION STRESS (ksi)	=	49.100	
AVG. SQUASH STRESS (ksi)	=	49.100	
IMPERFECTION PARAMETER	=	.02767	
SLENDERNESS RATIO	=		
EULER BUCKLING STRESS (ksi)	=		
SOLUTION ROOTS (SDCE1, SDCE2) (ksi)	==	278.330	21.115
DAMAGE MENDES AND			
DAMAGED MEMBER AXIAL CAPACITY (ksi)	=	21.115	
DAMAGED/UNDAMAGED STRESS RATIO	=	.43004	
UNDAMAGED SLENDERNESS RATIO	=	.64048	

Notes:

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

UULSIDI DIAMITEK TINY

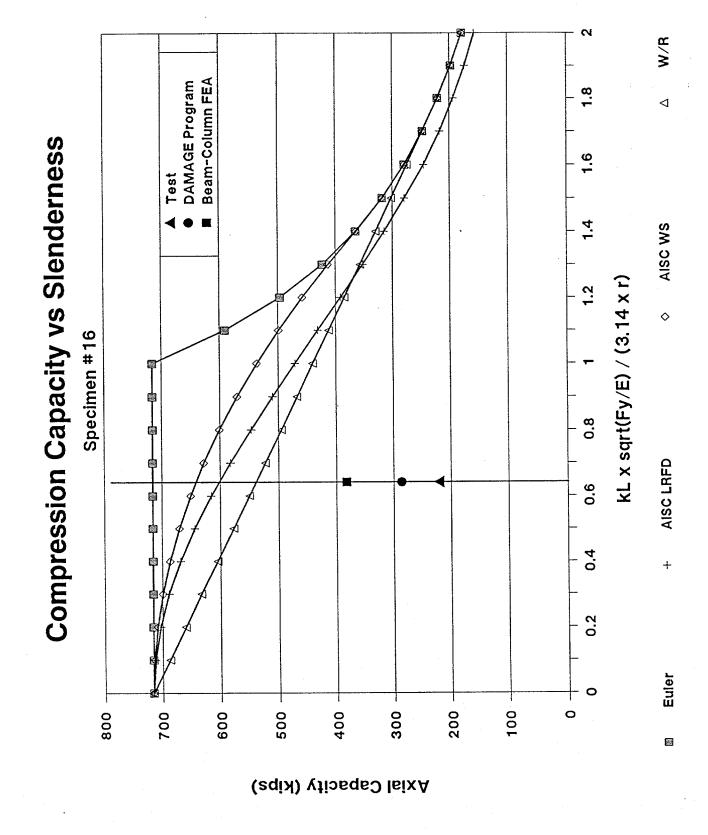


Figure 4-60

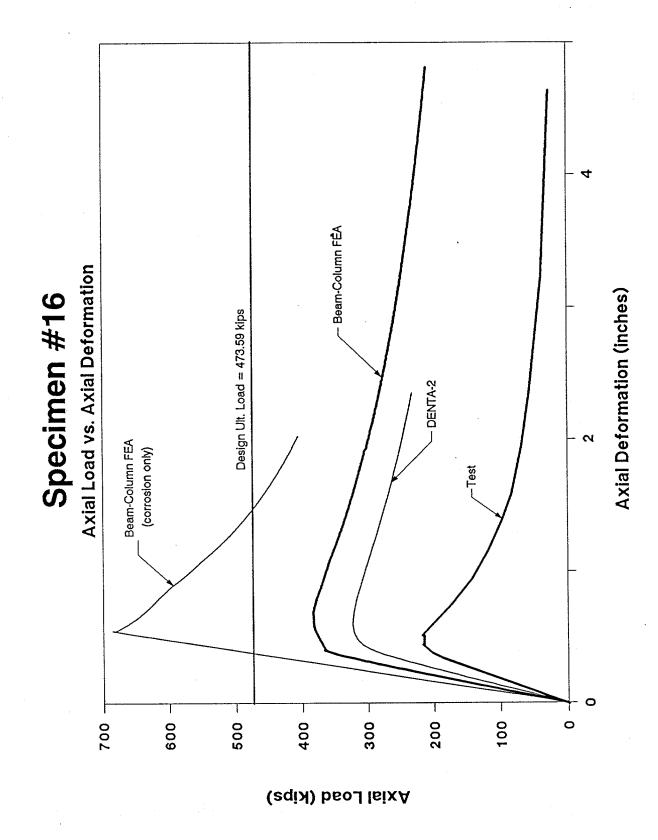


Figure 4-61

A&M Damage Number

<u>Damage</u> <u>Description</u>

2

Dent:

Depth = 1.375"
Model Segment Length = 12"
Distance from loaded end = 145.04"
Angle from vertical = 18°

None

Out of Straightness:
 Direction: -Z
 Maximum Deflection = 4.75"

*Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

TITLE: SPECIMEN #17

INPUT:

```
OUTSIDE DIAMETER (in) =
THICKNESS (in)
                            .422
                          31.170
LENGTH (ft)
EFF. LENGTH FACTOR
                             .52
YIELD STRESS (ksi)
                           49.20
YOUNGS MODULUS (ksi) = 25000.0
                           1.375
DENT DEPTH (in)
HOLE DIAMETER (in)
                            .000
LAT. DISPL. (in)
                             .00
```

RESULTS:

DENT/HOLE ANGLE (rad) AXIAL ECCENTRICITY (in) REDUCED RAD. OF GYRATION (cu.in) REDUCED ELAS. SECTION MOD. (cu.in) PLASTIFICATION STRESS (ksi) AVG. SQUASH STRESS (ksi) IMPERFECTION PARAMETER SLENDERNESS RATIO	=======================================	1.5434 3.589 26.177 5.589 39.928	22.858
DAMAGED MEMBER AXIAL CAPACITY (ksi) DAMAGED/UNDAMAGED STRESS RATIO UNDAMAGED SLENDERNESS RATIO	= =	22.858 .46460 .62977	

Notes:

- Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

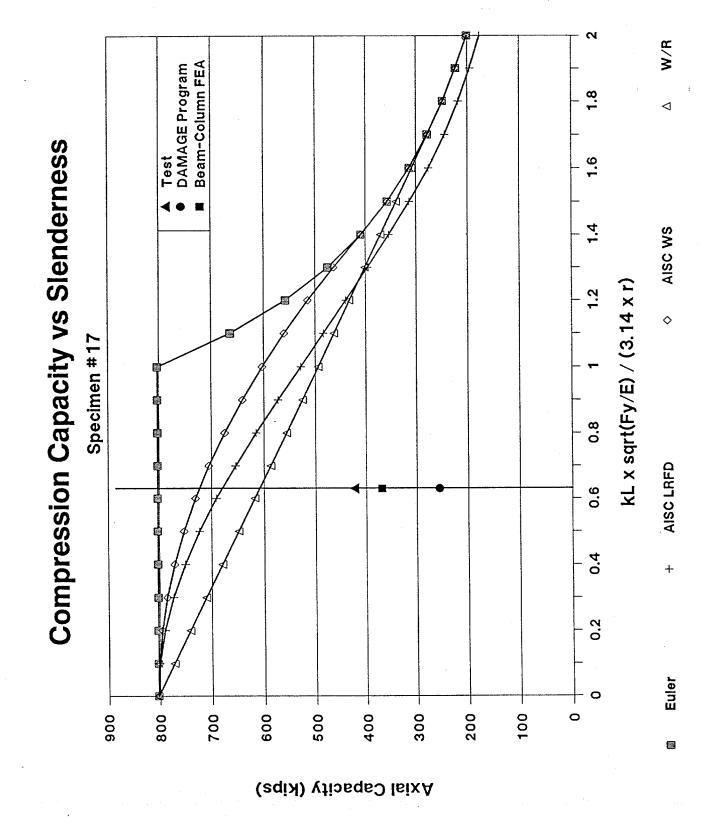


Figure 4-64

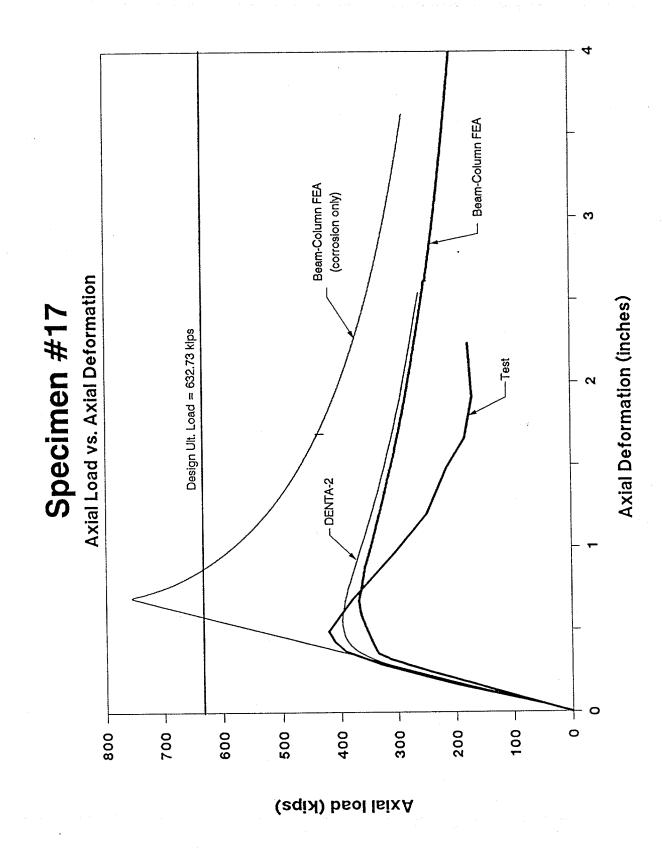


Figure 4-65

SPECIMEN #18

A&M Damage Number <u>Damage</u> <u>Description</u> 2 Dent: Depth = 0.375" Model Segment Length = 8" Distance from loaded end = 140.46" Angle from vertical = 53.3° 3 Dent: Depth = 0.125" Model Segment Length = 4" Distance from loaded end = 85.96" Angle from vertical = 328° 4 Dent: Depth = 0.25" Model Segment Length = 6" Distance from loaded end = 70.96" Angle from vertical = 42.6° 6 Dent: Depth = 0.25" Model Segment Length = 6" Distance from loaded end = 50.46" Angle from vertical = 349.3° 7 Dent: Depth = 0.125" Model Segment Length = 4" Distance from loaded end = 62.96" Angle from vertical = 53.3° None Out of Straightness: Direction: -Z Maximum Deflection = 0.875"

^{*}Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

TITLE: Specimen #18

INPUT:

```
OUTSIDE DIAMETER (in) =
                         10.750
THICKNESS (in)
                          .264
                         17.080
LENGTH (ft)
EFF. LENGTH FACTOR
                            .50
YIELD STRESS (ksi)
                          34.50
                      = 24900.0
YOUNGS MODULUS (ksi)
                           .375
DENT DEPTH (in)
HOLE DIAMETER (in)
                           .000
                           .88
LAT. DISPL. (in)
```

RESULTS:

CROSS-SECTIONAL AREA (sq.in)	=	8.70	
	=	5.52675	
	=	.7006	
	=	3.398	
REDUCED ELAS. SECTION MOD. (cu.in)	=	15.862	
PLASTIFICATION STRESS (ksi)	=	8.549	
	=	31.376	
IMPERFECTION PARAMETER	=	.00630	
SLENDERNESS RATIO	=	21.71841	
EULER BUCKLING STRESS (ksi)	=	321.8294	
SOLUTION ROOTS (SDCE1, SDCE2) (ksi)	=	483.125	22.825
DAMAGED MEMBER AXIAL CAPACITY (ksi)	=	22.825	
	=	.66159	
	=	.32741	

Notes:

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

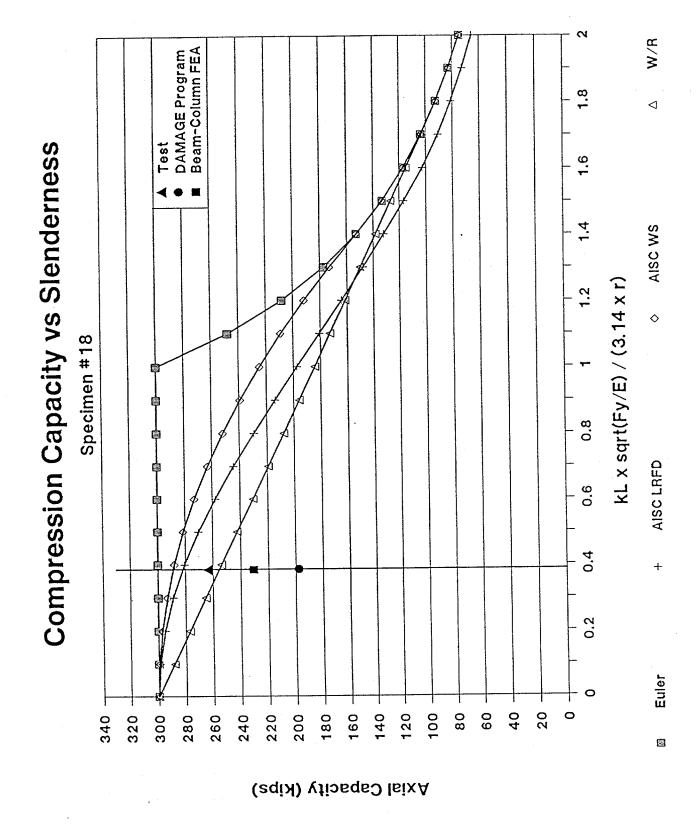


Figure 4-68

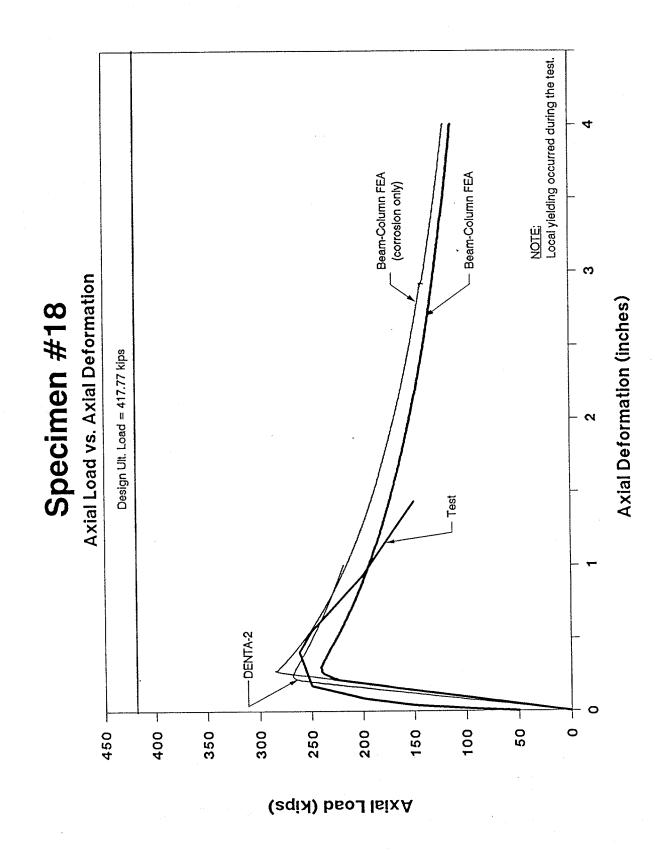


Figure 4-69

A&M Damage Number

<u>Damage Description</u>

No Damage

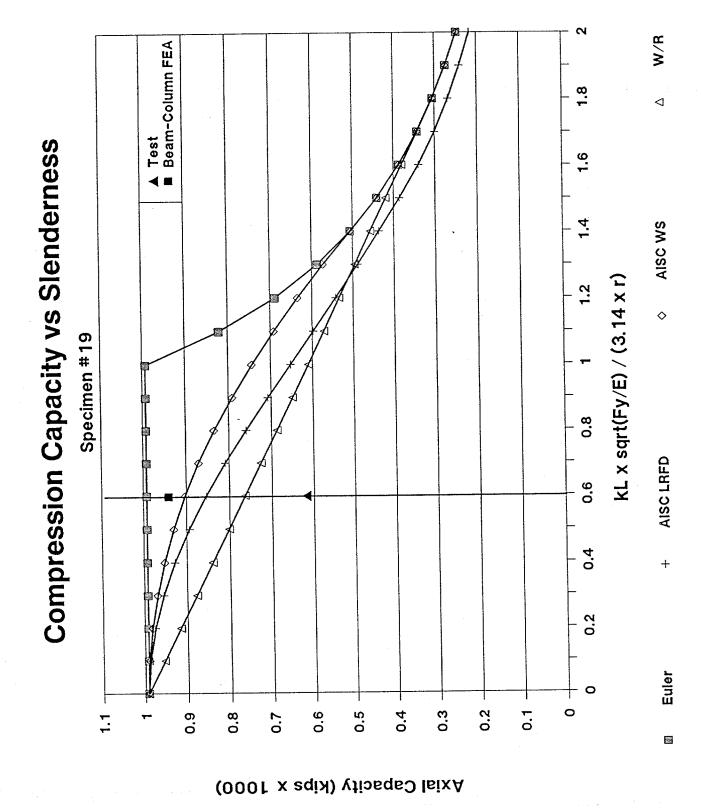


Figure 4-71

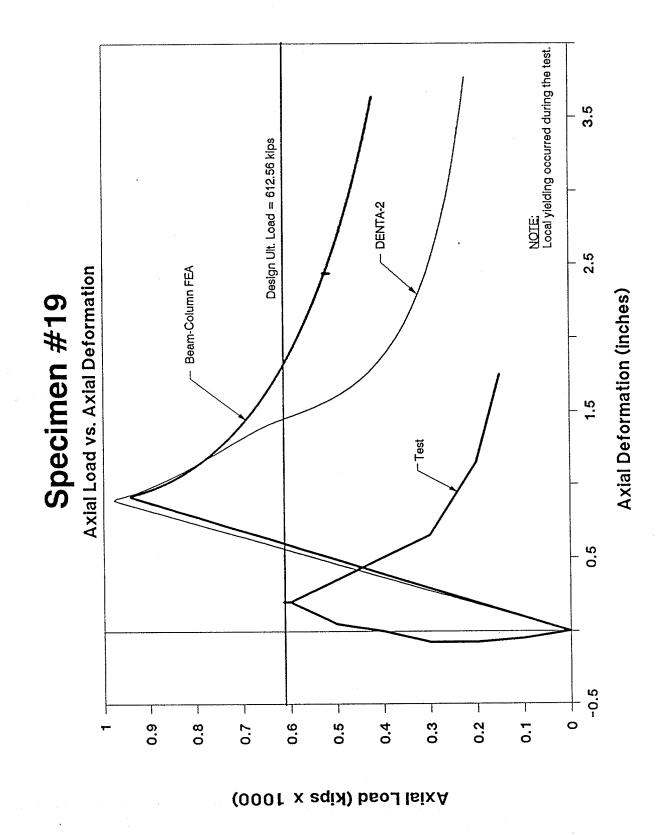


Figure 4-72

A&M Damage Number

<u>Damage</u> <u>Description</u>

No Damage

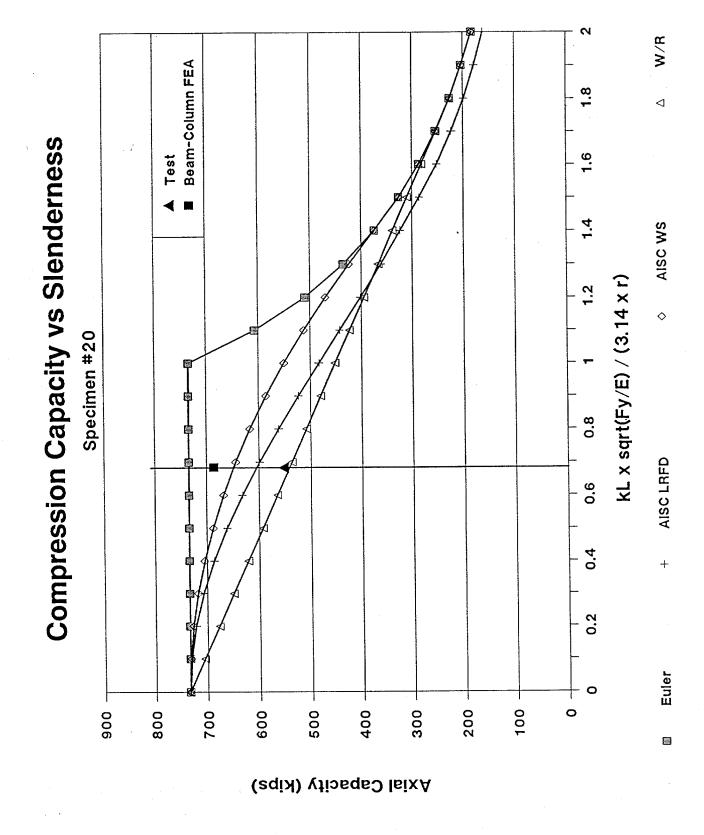


Figure 4-74

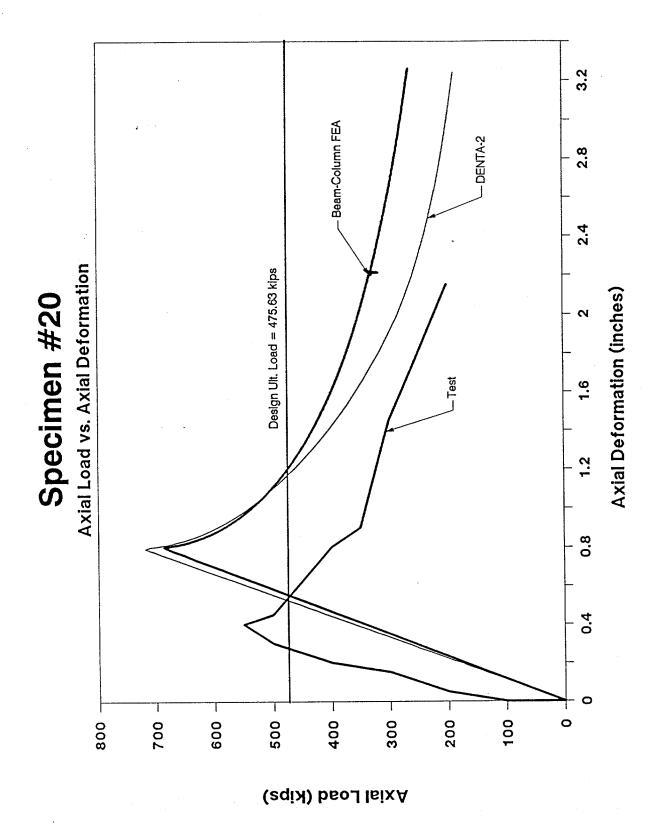


Figure 4-75

<u>A&M Damage Number</u>

<u>Damage</u> <u>Description</u>

7

Hole:

Diameter = 3"
Model Segment Length = 3"
Distance from loaded end = 24.96"
Angle from vertical = 288.4°

*Angle from vertical is clockwise from +Z axis looking from the loaded end toward the opposite end of the member

TITLE: Specimen #21 - Damage #7

INPUT:

```
16.000
OUTSIDE DIAMETER (in) =
                            .275
THICKNESS (in)
                          22.330
LENGTH (ft)
                             .50
EFF. LENGTH FACTOR
                           52.20
YIELD STRESS (ksi)
YOUNGS MODULUS (ksi)
                      = 25900.0
                            .000
DENT DEPTH (in)
                           3.000
HOLE DIAMETER (in)
                       =
                             .00
LAT. DISPL. (in)
```

RESULTS:

CROSS-SECTIONAL AREA (sq.in)	=	13.59 5.89927	
DENT/HOLE ANGLE (Idd)	=	.5085	
AXIAL ECCENTRICITY (in)	-		
REDUCED RAD. OF GYRATION (cu.in)	=		
REDUCED ELAS. SECTION MOD. (cu.in)	=	44.481	
PLASTIFICATION STRESS (ksi)	=	.000	
		49.011	
IMPERFECTION PARAMETER	==	.00081	
SLENDERNESS RATIO	=	18.01637	
	=	440.2952	
SOLUTION ROOTS (SDCE1, SDCE2) (ksi)	=	518.300	41.634
DAMAGED MEMBER AXIAL CAPACITY (ksi) DAMAGED/UNDAMAGED STRESS RATIO		41.634 .79759 .34432	
UNDAMAGED SLENDERNESS RATIO	_	. 34432	

Notes:

- (1) Hole diameter and dent depth should be measured w/r the tubular mid-wall diameter.
- (2) For dented members it is assumed that the maximum stress the dented region can sustain is equal to the plastification stress. This stress is set equal to zero for hole damage.
- (3) Dent and hole damage must be evaluated separately. Either can be assessed in conjunction with bending damage.

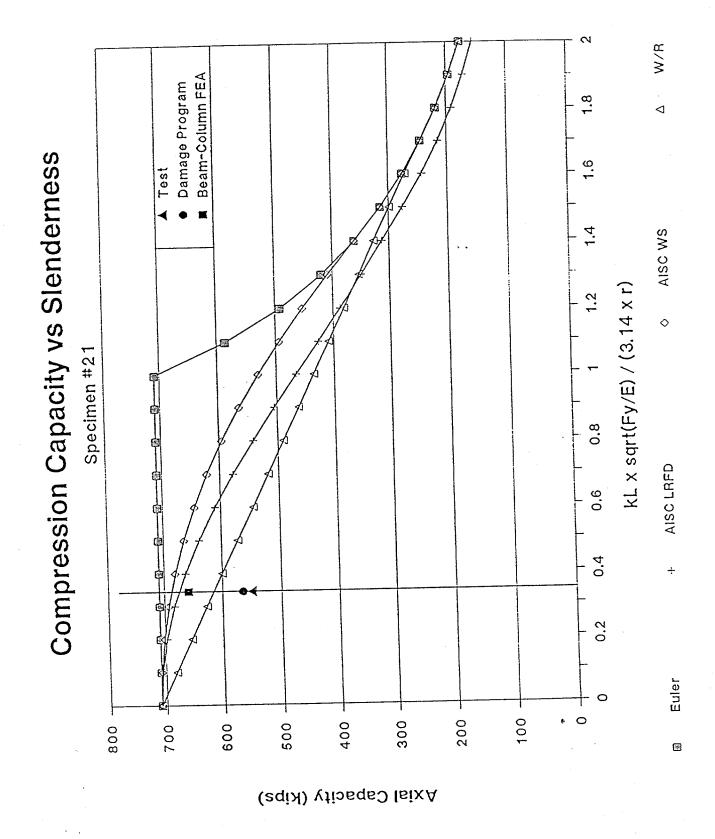


Figure 4-78

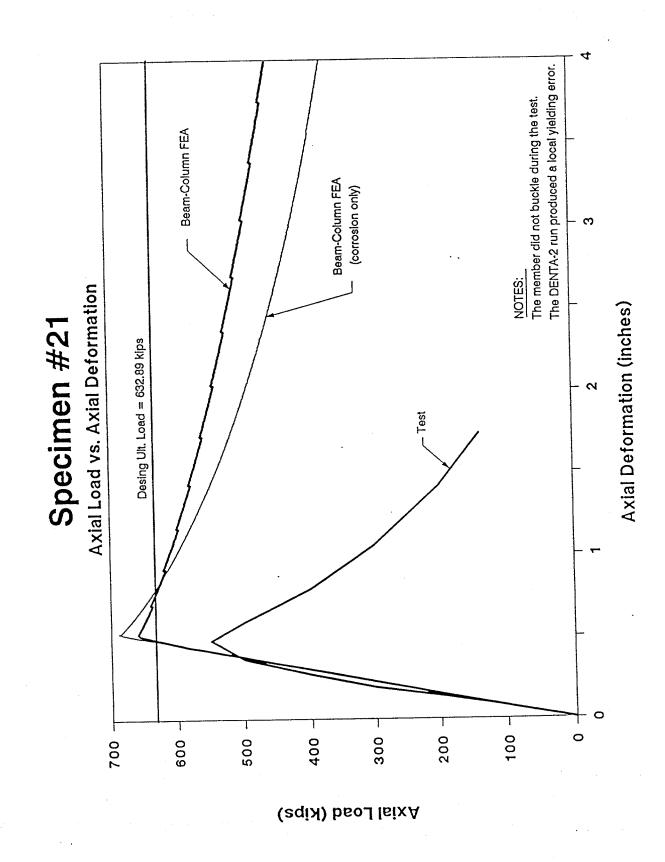


Figure 4-79

5.0 COMPARISON OF RESULTS

There are several factors affecting the analysis which should be considered when comparing these results to the full scale tests. Some of the more important ones are related to the limitations of the beam-column element used in the finite element analysis (FEA). These include:

- 1. Absence of damage growth.

 Once numerically defined in the model, the damaged section properties remain constant. In actuality, a dent or a hole can become more severe as the bending increases, thereby reducing the overall strength of the member more than initially assumed. A Norwegian Institute of Technology report (5) found this factor to be especially significant in the post-buckling region.
- Assumption of a single dent shape.
 Though the dents in this study came in all shapes and sizes, for modelling purposes, they were treated the same with only depth and orientation changing.

Other idealizations include: using the effective wall thickness for the entire member, neglecting local properties and ignoring longitudinal cracks and other types of damage. Though necessary to achieve a workable analysis, these idealizations contribute, in varying amounts, to discrepancies between the predicted and the actual responses.

A question was raised during the study regarding the use of the modulus of elasticity (E) calculated by Texas A&M. In all of the computer analyses this calculated E was used. Texas A&M, in its data reduction used a nominal value of 29500 ksi for E. It is not believed that this difference is significant in the results. To demonstrate this, the DENTA-2 results were recalculated by Shell using 29500 ksi for E instead of the calculated E (which ranged from

24900 ksi to 30000 ksi). The peak capacities were identical or nearly identical in every case and the overall force-deformation relationships were practically the same. These results are shown graphically in Figures 5-1 and 5-2 which are representative of the results for all the specimens.

The basic yardstick by which the analyses and the tests were compared was the receive force-deformation curve. When looking at the two curves the important features are the initial stiffness, the peak capacity (buckling load) and the post-buckling region. In most cases, the initial stiffnesses agreed but the post-buckling curves seldom compared favorably. In all but three of the tests, the peak capacity was overestimated. The difference ranged from 3% to 76%. The three specimens which underpredicted the capacity did so by an average of 23%.

The following is a brief description of the results for each specimen and how the two tests compared:

- Specimen 1
- Damage included some locally heavy corrosion as well as one significant dent. The peak capacities compared well (predicted was 3% greater than actual) though the post-buckling slopes did not. In the full scale test, the member experienced local yielding prior to buckling.
- Specimen 2
- Aside from some moderate corrosion there was no significant damage. The peak capacities didn't compare well (the predicted was 36% greater than the test) nor did the post-buckling slope. The specimen did not buckle until after local yielding occurred in the full scale test.
- Specimen 3
- This specimen was described as highly corroded by the Texas A&M report but no significant dents or holes were present. The predicted capacity exceeded the actual capacity by 40% in this case. The

post-buckling slopes weren't well correlated. The member yielded locally prior to buckling in the full scale test.

- Specimen 4 The member was bent in one lateral direction but was otherwise undamaged. The peak capacities differed by 35% (the predicted capacity was higher). The post-buckling slopes had relatively the same shape for this specimen.
- Specimen 5 The damage here was limited to a single dent near one end. Only a 7% difference was found in the capacities (with the analytical prediction the greater of the two). The analytical post-buckling slope was relatively flat compared to that of the test. During the full scale test, the specimen experienced local yielding prior to buckling.
- Specimen 6 This specimen was not visibly damaged. The predicted capacity exceeded the test capacity by only 4%. Also, the post-buckling slopes compared well.
- Specimen 7 A single dent and light corrosion were the extent of the damage to the specimen. The analysis under-predicted the test results by 25%. The post-buckling slopes didn't compare well.
- Specimen 8 The damage to this specimen consisted of a dent close to the end. A fair correlation was found between the two peak capacity values. The prediction exceeded the actual value by 16%. The post-buckling slope was considerably flatter for the analytical method than for the physical test.

 Local yielding occurred prior to buckling in the full scale test.

- Specimen 9 Widespread corrosion was visible on the specimen.

 Good correlation (only a 5% difference) was found for the peak capacities. The post-buckling slopes didn't match well.
- Specimen 10 There was no significant damage to the member aside from corrosion. The predicted capacity was only 4% greater than the test value. The post-buckling slopes in both cases agreed quite well.
- Specimen 11 This specimen had only corrosion damage. A 13% difference separated the predicted capacity and the actual capacity. The post-buckling slope from the analysis didn't fall off as quickly as that of the full scale test.
- Specimen 12 Two holes and a dent were the extent of the damage to the member. The two capacities compared well (only differing by 7%). The post-buckling slopes didn't match well.
- Specimen 13 This specimen was damaged by several dents and widespread corrosion. The predicted capacity was 41% greater than the actual capacity. The two post-buckling slopes did not correlate well.
- Specimen 14 Widespread, heavy corrosion as well as dents and out-of-straightness damaged this member. The peak capacity was over-predicted by 66%. The two post-buckling slopes did not match well. There was evidence of local yielding before the buckling load was reached in the full scale test.

Specimen 16

This specimen had several dents and was bent in both lateral directions. Also, it consisted of two sections of different thicknesses connected by a collar. The predicted results didn't compare well to the test results (+76%). The shape of the post-buckling curves correlates somewhat better.

Specimen 17

A single dent and some out-of-straightness comprise the damage to this member. The two capacities didn't compare well (-22%). The post-buckling regions aren't well related.

Specimen 18

This specimen showed heavy to moderate corrosion along its entire length as well as denting and bending. The capacity was under-predicted by 22%. The predicted post-buckling slope is somewhat flatter than that shown by the physical test. The member yielded locally before buckling in the full scale test.

Specimen 19

A longitudinal crack was present in the specimen but was not modelled. Widespread corrosion was also present. The prediction was in error by 53% on the high side. The post-buckling slopes showed better correlation than the capacities. The specimen experienced local yielding prior to buckling in the full scale test.

Specimen 20

No dents or holes were found on the specimen. The analysis predicted a 25% higher peak capacity than the test results showed. The post-buckling regions correlated fairly well.

Specimen 21

A hole was the only damage present in the member. A longitudinal crack was present but was not modelled. The predicted capacity was 20% higher than the test capacity. The post-buckling slopes did not compare well. The specimen didn't buckle in the full scale test.

A graphical comparison of these results is shown in Figures 5-3 and 5-4. The first plot shows the peak capacity predicted by the finite element analysis against the peak capacity from the full scale test. The diagonal line on the plot represents where the points would fall if the prediction matched the test exactly. On average, the peak is overpredicted by 20.1% with a standard deviation of 25.68%.

Buckling was the assumed mode of failure for the analysis but nine of the twenty specimens yielded locally so the results are somewhat skewed. To clarify the results, the specimens which buckled were separated from those which didn't. When only specimens which buckled are compared, the overprediction drops to 15.73% (standard deviation = 26.34%). The overprediction rises to 25.44% (standard deviation = 23.79%) when only the non-buckling specimens are considered.

Figure 5-4 shows, in bar chart format, a comparison of several different ratios. The finite element analysis (FEA) peak capacity over the full scale test peak capacity, the DENTA-2 capacity over the test capacity and the FEA capacity over the DENTA capacity are the three ratios presented. As shown by this chart, the best correlation is between the two computer methods. This is not surprising since their solution schemes are somewhat similar. The average values for the three ratios are also shown on the chart. All specimens are included here regardless of the mode of failure.

To try to find some pattern to the results obtained in this study, the specimens were divided into groups based on several factors: amount of damage, D/t, L/r, dent depth over diameter (D_d/D) and whether local yielding occurred. Figure 5-5 is a table of the results separated according to these categories.

Sorting the specimens in this manner does not show any obvious trends. Sometimes, members with similar damage, D/t and L/r had similar ratios of FEA capacity to test capacity, at other times they did not. In general, too few samples from any given category were present to identify a trend.

To extend this idea of relating predicted results and geometric properties to actual results to discover a trend, a regression analysis was performed. Using the full scale test capacity as the dependent variable and the beam-column finite element analysis capacity, the diameter to effective thickness ratio and the length to radius of gyration ratio (also calculated with the effective wall thickness) as the independent variables, three formulae were created for estimating the peak capacity. The first is illustrated in Figure 5-6 and includes all the specimens used in the study regardless of the specimen's mode of failure. The second (Figure 5-7) includes only those members that buckled during the full scale test. Figure 5-8 shows the last regression line, created with data from the specimens where buckling wasn't the primary mode of failure.

The first regression line has the following formula:

$$P_{est}(kips) = 168.83 + 0.815(FEA) - 2.874(D/t) - 0.315(L/r)$$

where

 $P_{est} = Estimated$ Peak Axail Compressive Load FEA = Peak Axial Compressive Load from Beam-Column FEA D/t = Diameter to Effective Wall Thickness Ratio L/r = Length to Radius of Gyratio Ratio

The estimated capacity from this formula exceeds the test capacity by an average of 4.75% with a standard deviation of 23.76%. Statistically, this average is valid only for this specific set of twenty specimens. To calculate the true mean, an infinite number of specimens would have to be tested. But,

if a normal distribution is assumed for the results, one can estimate the range in which the true mean would fall. Given these twenty known results and a normal distribution, there is a 95% probability (100% being certain) that the true mean for the estimated to actual capacity ratio would fall somewhere between a 5.66% underprediction and a 15.16% overprediction. This is called the confidence interval for the mean.

The other two regression lines are shown to demonstrate the better predictive ability evident if one knows the actual mode of failure for the member. For the members which buckled during the full scale test the regression line formula is as follows:

$$P_{est}(kips) = 365.61 + 1.039(FEA) - 12.62(D/t) + 0.249(L/r)$$

The average overestimate for these eleven specimens was 2.77% with a standard deviation of 22.5%. The 95% confidence interval for the mean falls between -10.56% (negative indicating a lower-than-actual value) and 16.09%.

For those members that yielded prior to buckling or didn't buckle during the full scale test, the regression line formula is:

$$P_{est}(kips) = -85.95 + 0.538(FEA) + 4.121(D/t) + 0.151(L/r)$$

This line overestimates the results for nine specimens by an average of 1.65% (standard deviation 15.5%). The 95% confidence interval for the mean is from -9.11% to 12.42%. Because determining the mode of failure of a member prior to testing is difficult, these last two formulae are presented here merely for comparison.

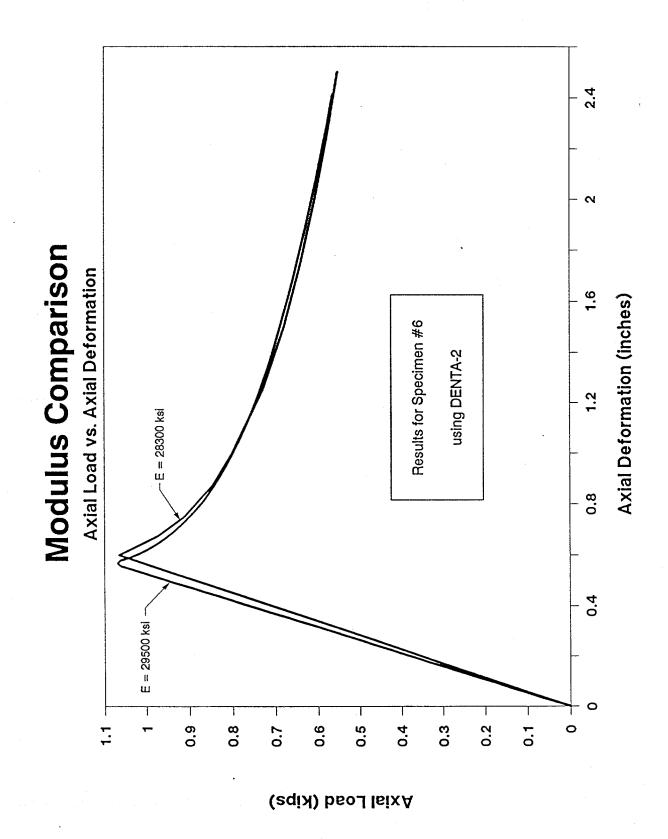


Figure 5-1

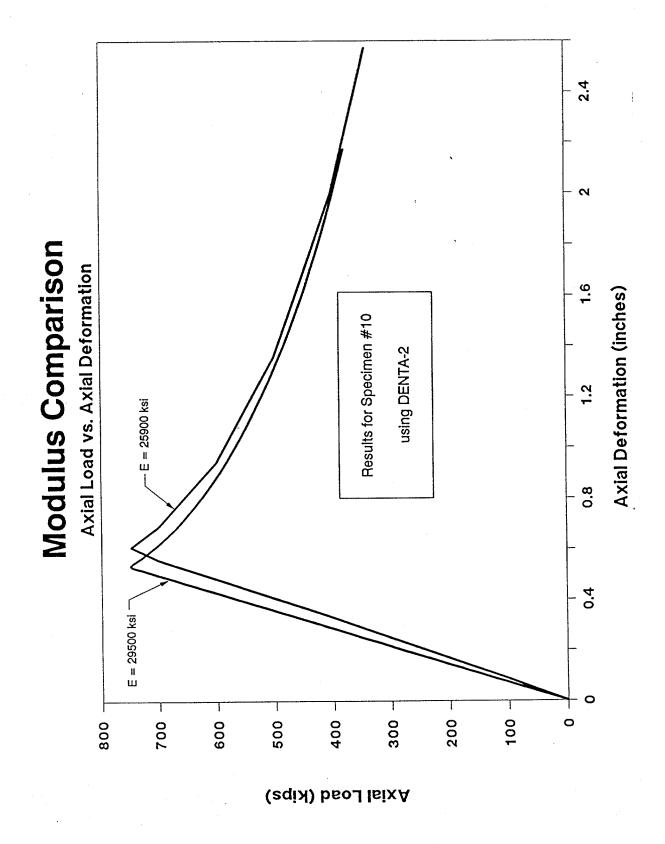


Figure 5-2

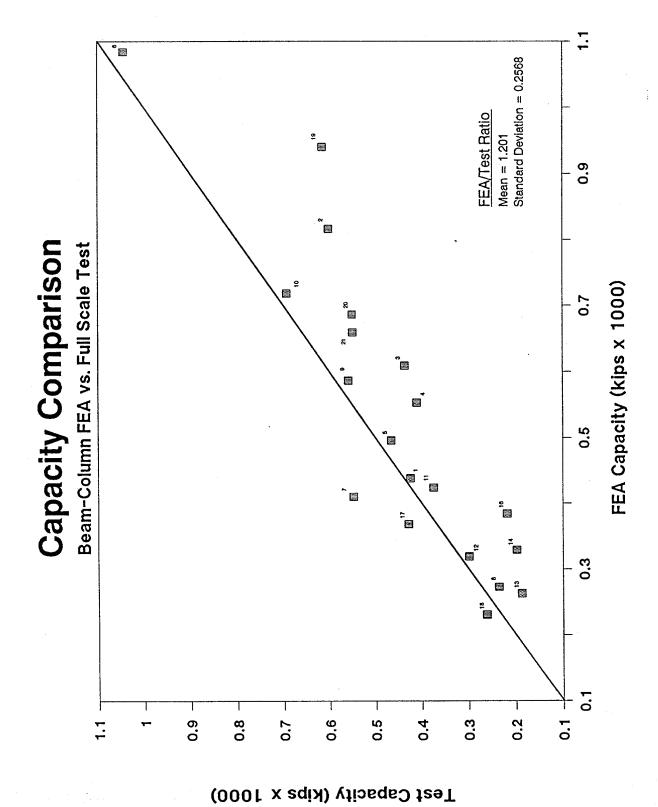
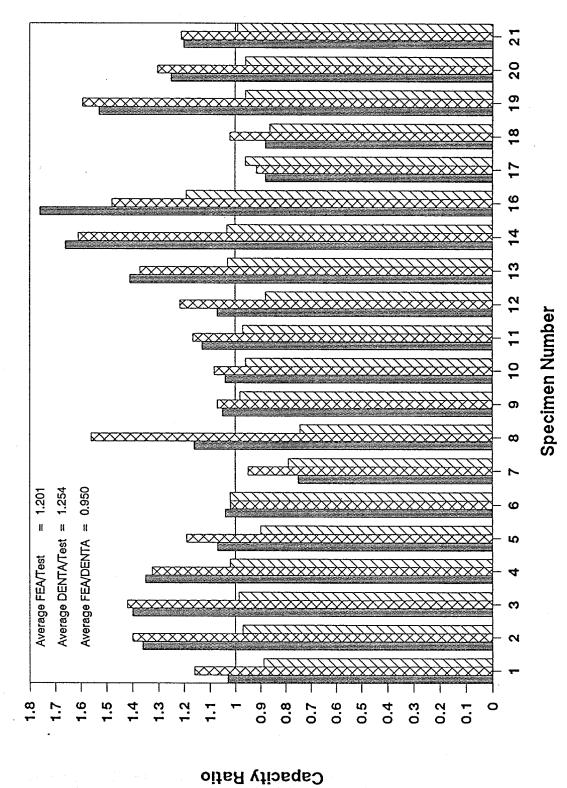


Figure 5-3



FEA/DENTA

DENTA/Test

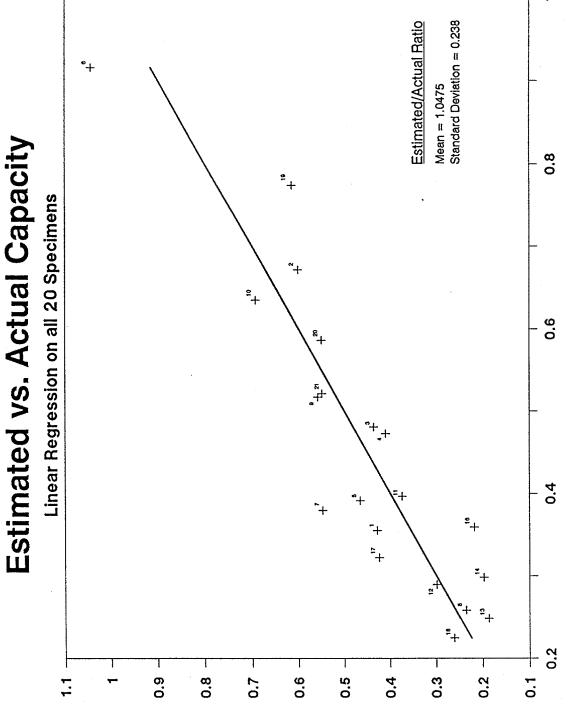
Figure 5-4

Capacity	/ Compa	ırison	Summary

Specimen	Test	FEA	FEA/Test	D/t	L/r	D _d /D
		<u>No</u>	dents or hole	<u>\$</u> .		
10	692	718	1.04	32.9	79.0	•
6	1043	1084	1.04	40.0	68.8	<u>.</u>
9	558	586	1.05	39.1	54.8	-
11	374	424	1.13	30.7	94.5	-
20	550	686	1.25	38.9	94.7	-
4	410	553	1.35	40.6	94.8	-
2*	601	816	1.36	52.0	42.6	_
3*	436	609	1.40	59.0	46.4	_
19*	614	940	1.53	47.3	80.8	-
		<u>One</u>	e dent or hole	<u>.</u>		
7	548	410	0.75	31.2	108.5	.098
17	420	368	0.88	30.2	85.8	.108
1*	424	438	1.03	66.7	37.5	.028
5*	465	496	1.07	59.4	35.5	.028
8*	236	273	1.16	36.7	86.4	.023
21*	549	659	1.20	58.2	55.3	- .
		Multiple	e dents and/or	holes		
12	299	319	1.07	36.3	108.1	- -
13	187	263	1.41	39.5	65.9	-
16	218	384	1.76	34.0	78.9	-
18*	262	231	0.88	40.7	48.2	-
14*	198	329	1.66	43.2	45.7	_

Note: \star denotes members which experienced local yielding and/or didn't buckle.

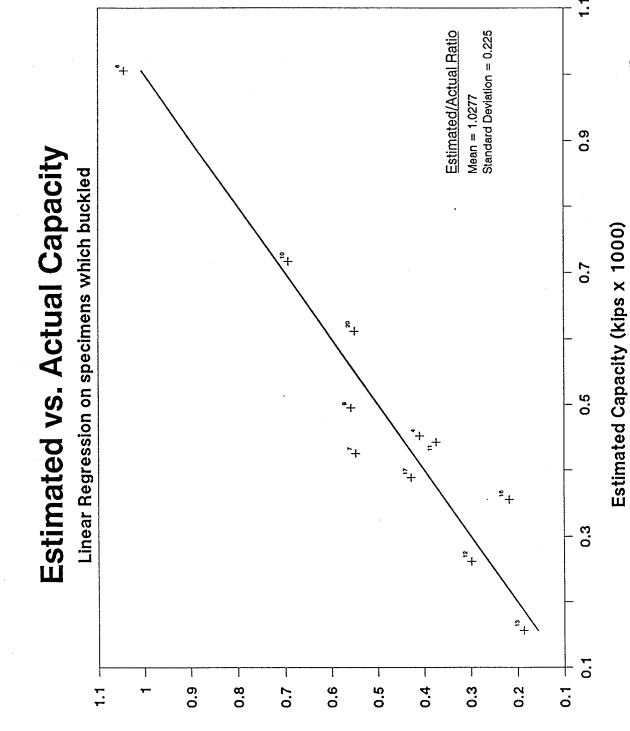
Actual Capacity (kips x 1000)



Estimated Capacity = 168.83 + 0.815 (FEA) - 2.874 (D/t) - 0.315 (L/r)

Estimated Capacity (kips x 1000)

Figure 5-6

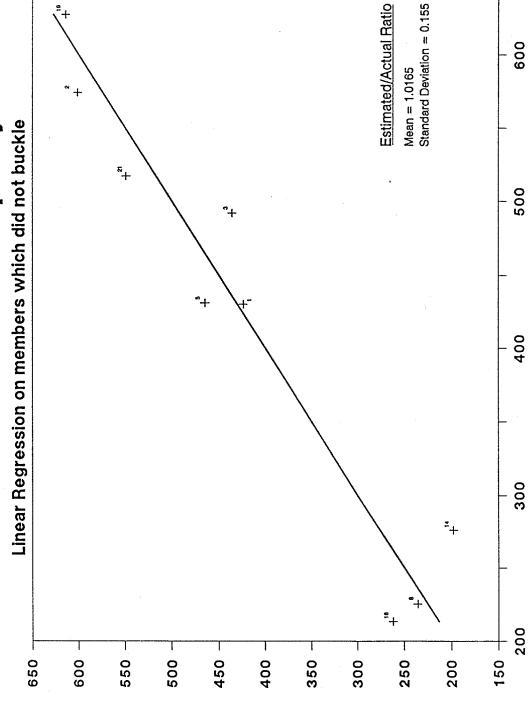


Estimated Capacity = 365.61 + 1.039 (FEA) - 12.62 (D/t) + 0.249 (L/r)

Figure 5-7

Actual Capacity (kips x 1000)

Estimated vs. Actual Capacity



Estimated Capacity = -85.95 + 0.538 (FEA) + 4.121 (D/t) + 0.151 (L/r)

Estimated Capacity (kips)

Actual Capacity (kips)

6.0 Summary and Conclusions

During the course of this project, full scale, axial compression tests were performed on salvaged, damaged tubular members. A procedure was developed for the analysis of the effects of in-service damage on tubular member capacity using both simplified and beam-column finite element (FE) analyses of the members.

The data from the full scale tests were directly compared with the FEA predictions and showed scattered results. For the twenty specimens tested, the predicted capacity exceeded the actual capacity by an average of 20.1%. Also, the predicted post-buckling capacity usually exceeded the capacity recorded during the full scale test. This may be in part due to the lack of dent growth capability in the beam column element.

When a regression analysis was performed on the specimens using the FEA results, the D/t ratios and the L/r ratios as the independent variables; a reasonable estimate of the actual capacity was formulated. This provided an equation that over predicted the peak capacity by an average of 4.75% with a standard deviation of about 24%.

In studies similar to this one (mentioned in the introduction), the predicted response of the specimens to axial loading matched well with the actual (test) response. The members used were new and their characteristics were easily identifiable. Even the damage, when present, was carefully controlled.

Results from this joint industry project do not show the same agreement between FEA predictions and actual response. The methods used in this project were based on and verified by valid studies which achieved good results. When compared to those studies, there are several major differences. These include the presence of corrosion, multiple damage areas on a single member and irregular rather than controlled damage shape and condition.

The scattered results were probably not the result of the irregular damage shape. A study by C.S. Smith (6) showed that the reduction in strength of a tubular member due to a dent was insensitive to the shape of the dent.

Multiple damage on a single member does not appear to be a likely cause of the discrepancies either. When re-analysed with only the most significant damage modelled, Specimen #12 showed the same response as the model which included all of the damage (see Figure 6-1). Also, the DENTA-2 results, which matched the FEA results very well, allow only a single damage condition to be modelled. This indicates that, despite multiple damage states, a member can be modelled as a single damage specimen without dramatically sacrificing results.

Another significant factor was corrosion. Corrosion was evident on most of the members and was the cause of many of the local problems encountered during the tests. Eight of the twenty members experienced local yielding prior to buckling. Most of these members had significantly reduced wall thicknesses (as measured by ultrasonic testing after testing) in the area of the local yielding. In some cases, the reduction in wall thickness caused the local D/t ratio to rise above the API (7) limit for local buckling considerations (see Figure 6-2). The corrosion lends a large degree of uncertainty to the properties of the entire member and significantly increases the likelihood of local anomalies.

Despite the problems with quantifying the corrosion damage reasonably, the regression estimates show good correlation with the test results. With a larger sample of data points and more accurate computer predictions, this estimate could be improved. Even so, the confidence interval (defined in the previous section) for the mean spans a fairly small range, only about 20%. This means that using the regression line formula created for all twenty specimens within reasonable bounds of D/t and L/r (about 30-70 and 35-110 respectively) can yield reasonable results. It is important to consider that these results were obtained from member information not readily available from present offshore inspection techniques. The effective wall thickness and the actual yield stress of the material used in this study are more exact quantities than a designer usually has at his disposal.

As a result of the experimental program the following specific observations and conclusions can be made:

- 1. The behavior of members with multiple forms of damage were generally dominated by one damage site. The origin of the failure mode was generally located at the dominate damage site.
- 2. Five specimens (Specimens 04, 13, 14, 16, and 17) had significant out-of-straightness damage. This damage dominated the behavior and the ultimate capacity of these members.
- 3. Two specimens (Specimens 05 & 21) had large through thickness cracks at a welded longitudinal seam. The behavior and ultimate capacity of these members were dominated by this damage.
- 4. Holes did not dominate the behavior or the ultimate strength of the specimens tested. Only one specimen (Specimen 12) of the nine specimens with holes, failed at the location of the hole. In the case of Specimen 12, the hole was actually a 4×7.5 inch tear located next to a $6 \times 10 \times 1.75$ inch dent.
- 5. Seven of the twenty specimens failed by yielding in a region of reduced cross section caused by severe corrosion damage. The failure region for six of these seven specimens was not located until after the full scale tests were performed.
- 6. The most severe corrosion can occur on the inside surface of the member. Thus, it is can be extremely difficult to locate and evaluate the most severely corroded areas using only visual and ultrasonic testing. The primary indication of this possible condition would be a hole in the member.
- 7. Ultrasonic wall thickness measurements tend to over predict the overall effective wall thickness (as determined from the full scale test data) of members with corrosion damage. Thirty ultrasonic measurements were taken

on each of the specimens. For these twenty specimens, the average effective wall thickness to ultrasonic wall thickness ratio, $(t_{eff}/t_{ut})_{avg}$, was 0.93. Further, the data indicates that a lower bound for t_{eff}/t_{ut} would be approximately 0.80.

- 8. Seven of the specimens tested failed by yielding in a severely corroded region. Additional ultrasonic measurements were taken in these regions to obtain the net cross sectional area so that an ultimate load based on yielding, P_{yld} , could be computed. The measured ultimate loads were less than the computed yield loads for all of these specimens. The P_{meas}/P_{yld} ratios ranged from 0.75 to 0.89.
- 9. The experimental, ultimate capacities were compared with three formulae for ultimate compressive strength as presented by AISC (API), CSA, and Cox. For the undamaged member (Specimen 06) the measured and computed capacities were nearly equal. The measured, ultimate capacities for all damaged members were less than the capacities computed by the referenced formulae. The most significant reduction in strength occurred in members with large initial out-of-straightness damage.

Some future work which might prove useful in developing a more accurate methodology for assessing damage conditions and determining damaged member strengths include the following:

Large scale members that have been damaged and subsequently repaired by should be experimentally tested and analytically modelled. These members may be artificially dented and/or bent, but it is recommended that in-service corrosion damage also be evaluated.

The development of a PC based analytical tool which would be more flexible than the present program DENTA-2 should be considered. The tool could be developed to handle multiple damage states, more varied end conditions and repaired members.

The methods currently used to inspect and assess damaged members should be further evaluated with emphasis on corrosion. A study which would seek to develop a rational, consistent system to qualitatively and quantitatively measure the amount of corrosion on a member and determine how it affects the overall strength of a member. This would be most useful if it could be based on present inspection techniques.

The members in offshore platforms are subject to axial and lateral loadings caused by the dynamic forces of wind and waves. Damaged or repaired members should be evaluated based on more complex loadings such as combined axial compression and bending. Further studies could also include complex dynamic combined loadings and load histories.

A study on the effect of holes on strength could be beneficial. The methods used in this study were an extension of previous work on dents since little literature existed during this study specific to hole damage. A recent paper (8) was presented at the ASCE Structures Congress dealing with hole effects which should prove useful.

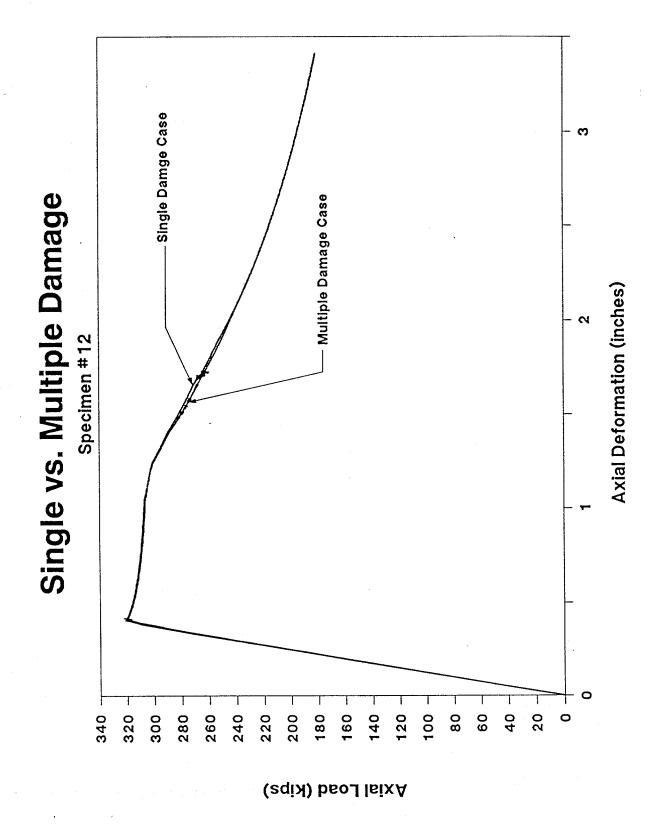


Figure 6-1

Local Buckling Effects

<u>Specimen</u>	<u>Diam.</u> (in.)	Effective t (in.)	Reduced t (in.)	<u>D/te</u>	<u>D/tr</u>
1	18.00	0.270	0.265	66.67	67.92
2	18.00	0.346	0.284	52.02	63.38
3	18.00	0.305	0.247	59.02	72.87
5	18.00	0.303	0.307	59.41	58.63
8	10.75	0.239	0.262	44.98	41.03
14	12.75	0.295	0.219	43.22	58.22
18	10.75	0.264	0.261	40.72	40.72
19	16.00	0.338	0.279	47.34	57.35

The specimens listed above yielded locally during the full scale test. The reduced thickness was measured at the point of yielding after the test using ultrasound. The first three have D/t ratios greater than 60, the maximum allowable value (API RP2A 3.2.2a). This indicates a tendency for local buckling to occur. The following shows the predicted capacity reduction for these members according the API procedures.

<u>Specimen</u>	Normal Yld. Str. (ksi)	Reduced <u>Yld. Str.</u> (ksi)	Capacity (col. buckling) (kips)	Capacity (local buckling) (kips)
1	35.7	35.0	530.27	510.52
. 2	43.6	43.2	821.42	670.59
3	36.6	35.4	608.73	478.74

The column buckling capacity was calculated with the effective thickness and the normal yield stress. The local buckling capacity was calculated with the reduced thickness and yield stress. The AISC Working Stress equations without the factor of safety were used to calculate capacity. API RP2A equation 3.2.2-4 was used to calculate the reduced yield stress.

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Testing and Evaluation of Damaged Jacket Braces

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APPENDIX A

SPECIMEN TEST RESULTS

SPECIMEN 01

DAMAGE SUMMARY

Specimen No. 1 2-14-90

DISTANCE FROM END "B"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
1 1 1	LEFT	RIGHT	
1. From 0' to 5'-0 1/4"		8"	3/4" longitudinal weld
2. 3'-2"		20"	8" round dent (See additional sheets)
3. 4'-7"	10 1/2"		Cut-off, round welded attachment 3" diameter
			End 1/4"wall &]3" \ End A
4. 5'-0"	14"		Cut-off, round welded attachment 7" diameter
			End B 3/8" woll T7" VEnd A
5. 5'-0 3/4"			3/4" circumferential butt weld
6. 6'-5 1/2"	22"		Cut-off, oblong welded attachment End 38 wall 7" (End
			11/2"
7. 7'-3"	1/2"		Cut-off, round welded attachment 7" diameter with heavy corrosion (and small hole) End Small corrosion hole

^{*}Looking from end "A" towards end "B"

DAMAGE SUMMARY

Specimen No. 1 (continued)

		DESCRIPTION OF DAMAGE
LEFT	RIGHT	
22 1/2"		Cut-off, round welded attachment 9" diameter End B 3/8"wall A
8"		Cut-off, round welded attachment 9" diameter End B 36" wall A
	6 1/2"	Cut-off, round welded attachment 9" diameter End B 38" wall A
22"		Cut-off, oblong welded attachment End B 1 1 3/8 wall A
8" end "A" towa	rds end "B"	Cut-off, oblong welded attachment End 7" 38" wall End A
	22 1/2" 8" 28"	22 1/2" 8" 6 1/2"

DAMAGE SUMMARY

Specimen No. 1 (continued)

DISTANCE FROM END "B"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
	LEFT	RIGHT	
13. 9'-2"	3/4"		Cut-off, oblong welded attachment End 7" A3" wall End A
14. 9'-9 1/4"	9 1/4"		Torch hole 2 1/2" long by 3/4" wide (at widest point)
			End 34" End A
15. From 5'-1" to 17'-0 1/4"	20 3/4"		3/4" longitudinal weld
16. 15'-2 1/2"	13 1/2"		Cut-off, 1/2" square welded attachment
17. 17'-0 5/8"			3/4" circumferential butt weld
18. From 17'-1" to 19'-7 1/4"		15 1/2"	3/4" longitudinal weld

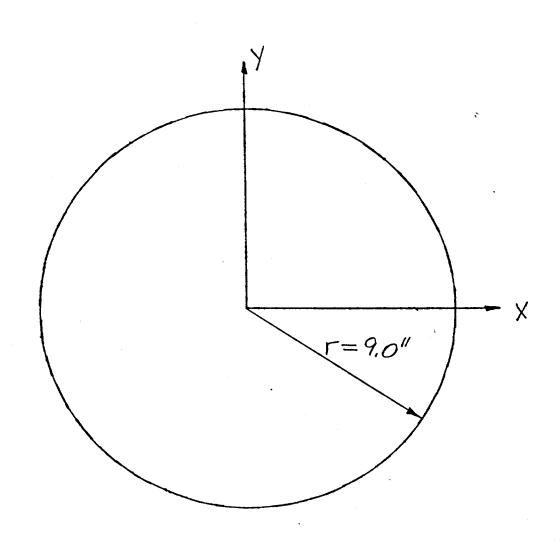
*Looking from end "A" towards end "B"

SOME LOCALIZED HEAVY CORROSION. END B APPEARS THIN (pprox .25 in.)

Specimen No. _/_

Damage No. _2

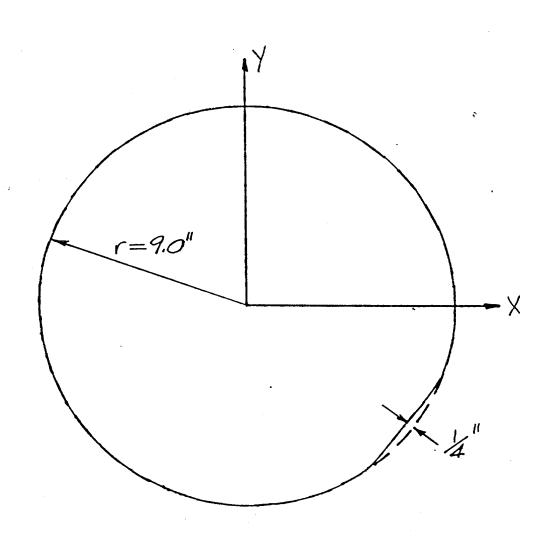
Distance from End B $\frac{2^{l}-l0^{l}}{24^{l}}$ Scale $\frac{l^{\prime\prime}=4.24^{l\prime}}{24^{l\prime}}$



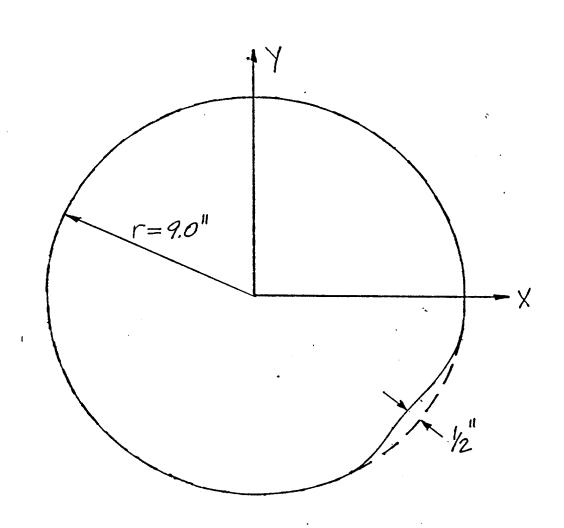
Specimen No. __/_

Damage No. __/_

Distance from End B 3'-0''Scale /'' = 4.24''



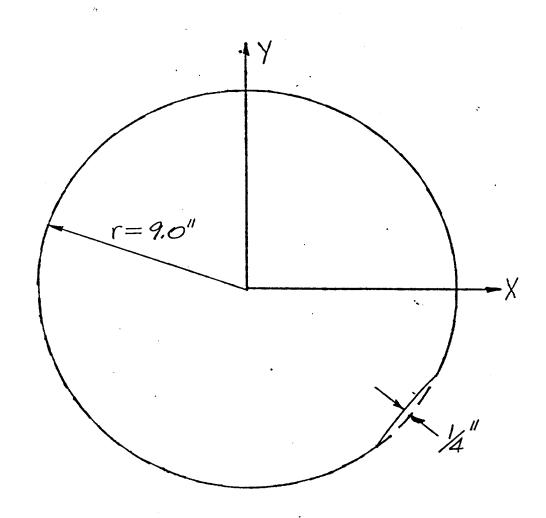
Specimen No. $_1$ Damage No. $_2$ Distance from End B 3'-2''Scale 1''=4.24''



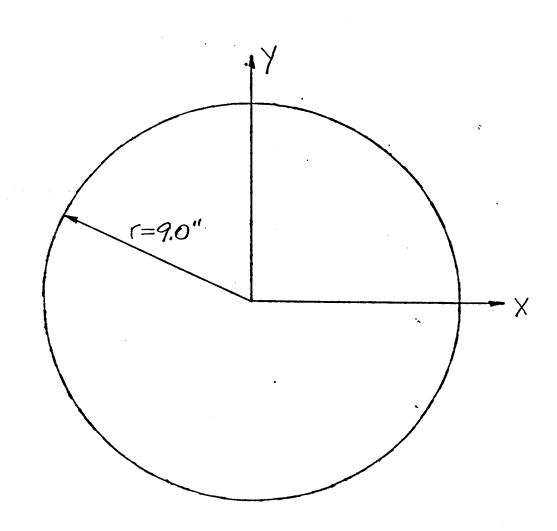
Specimen No. __/_

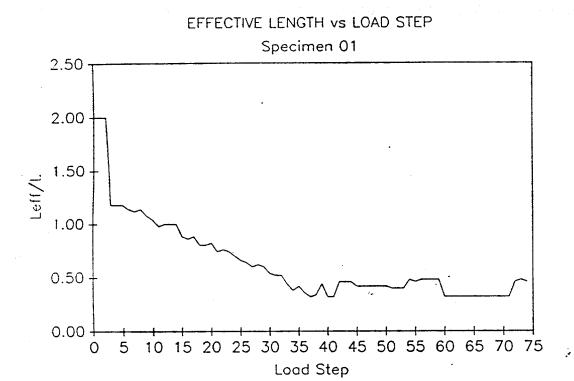
Damage No. __Z

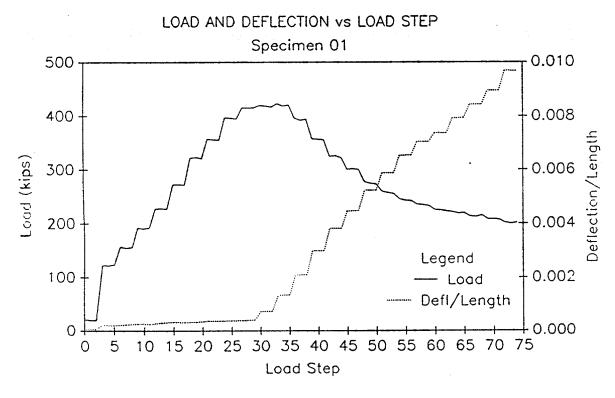
Distance from End B 3'-4''Scale $\underline{/''=4.24''}$

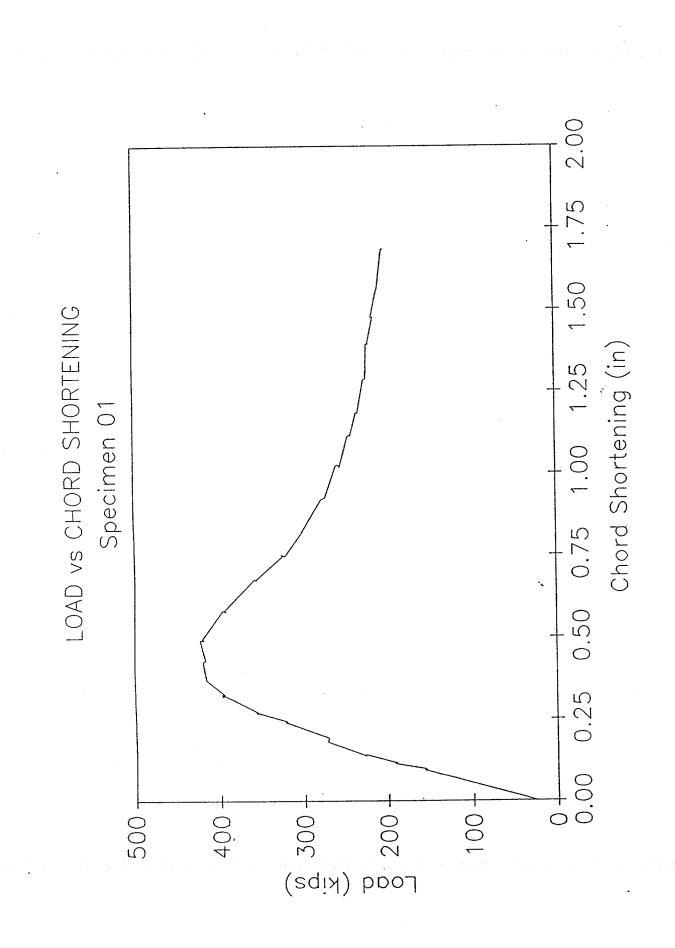


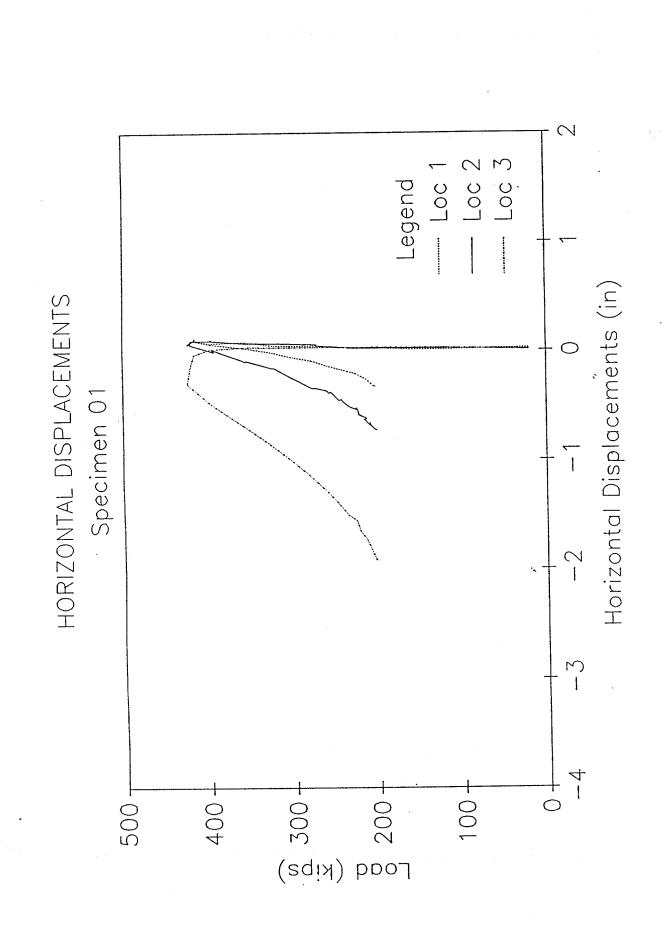
DENT CROSS SECTION

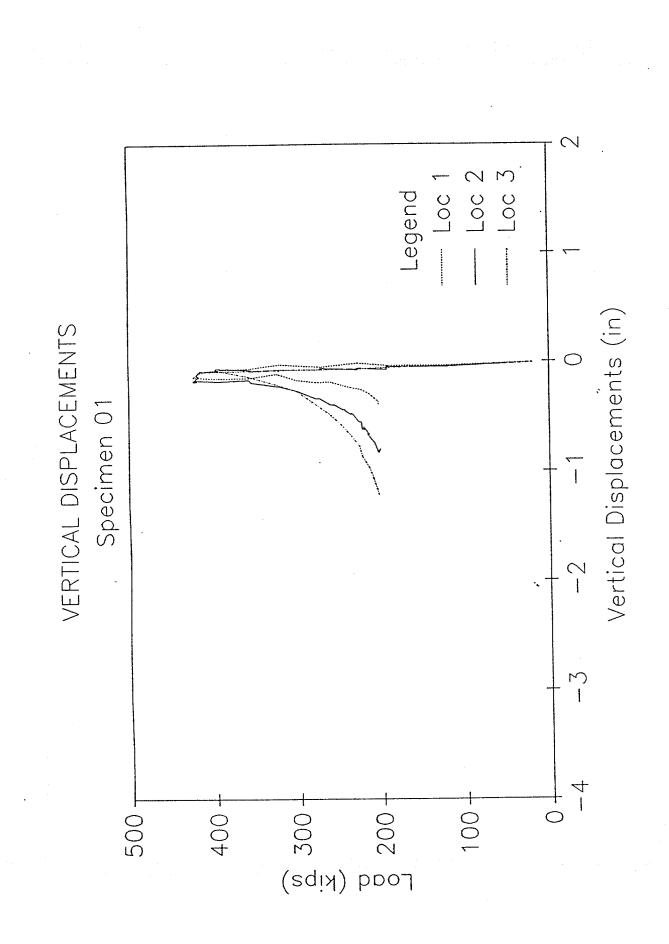


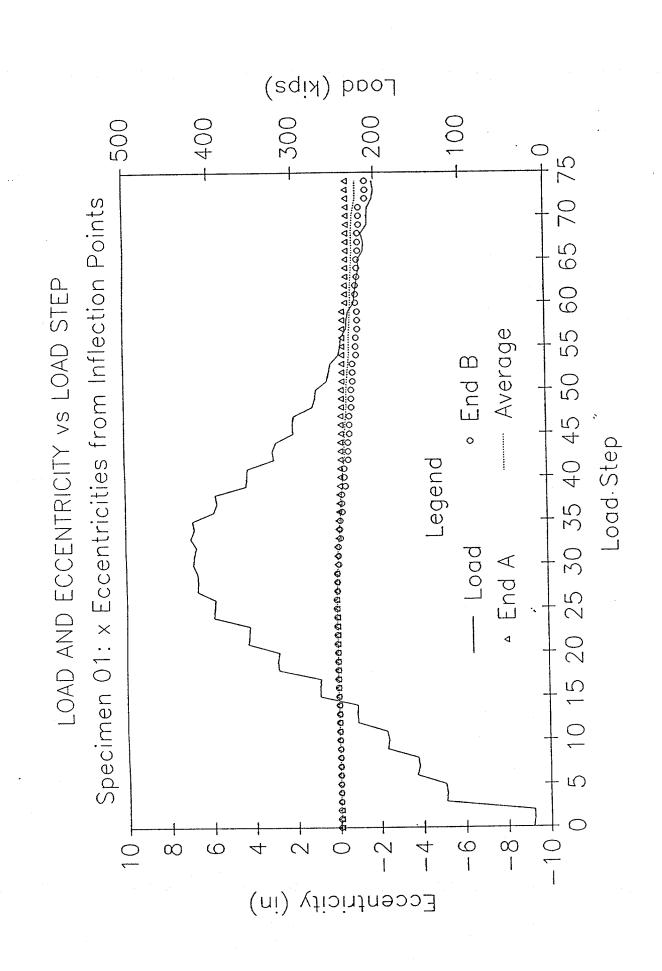


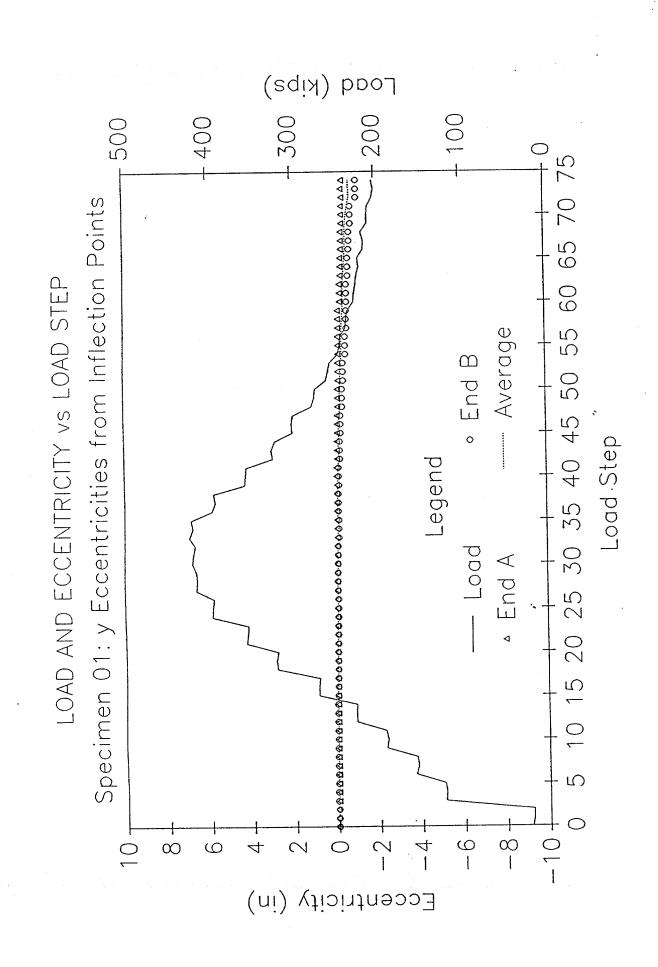


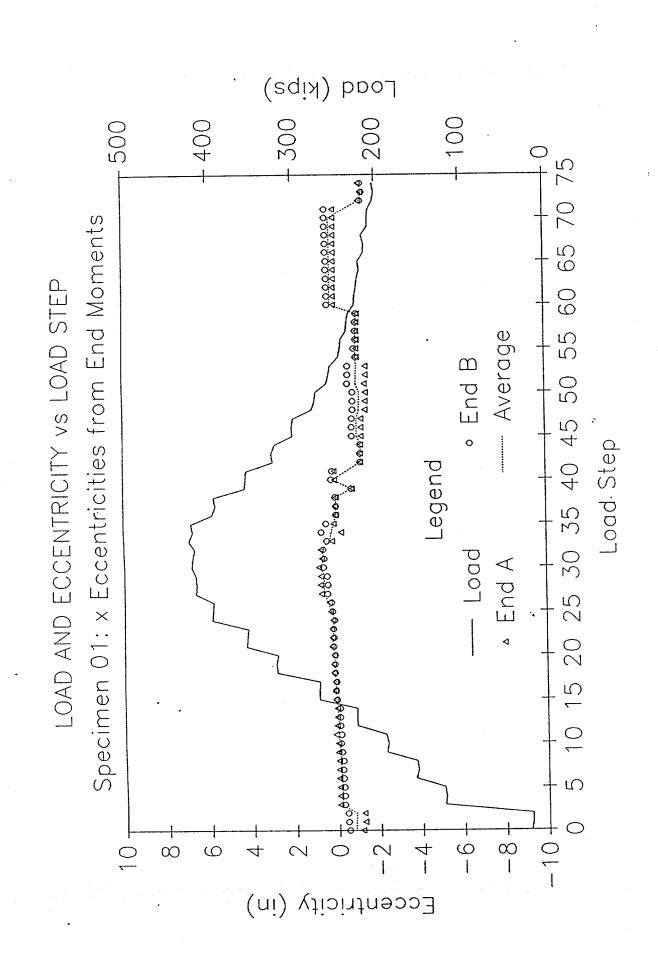


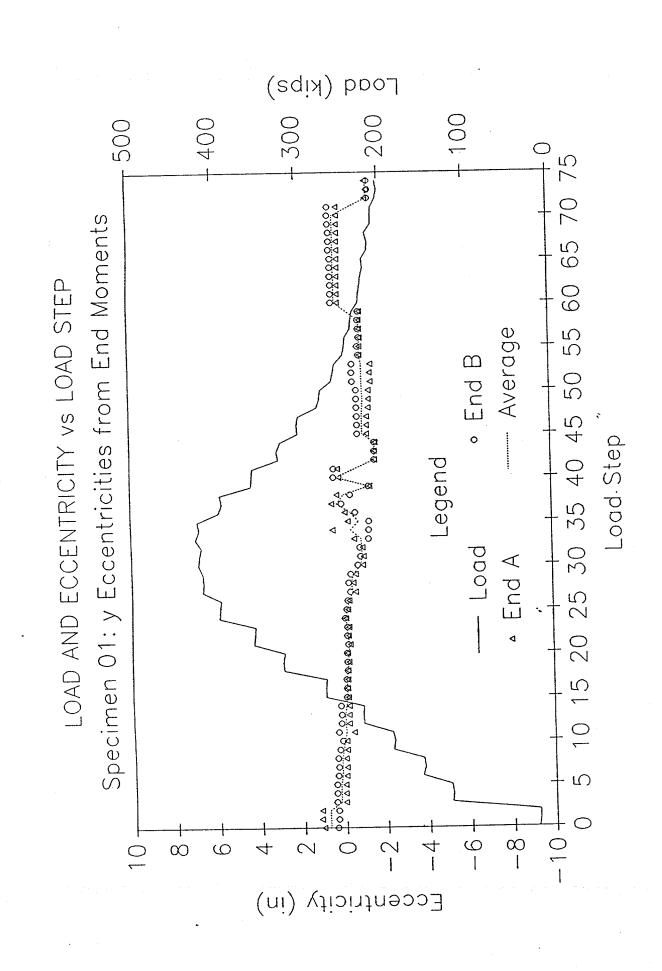




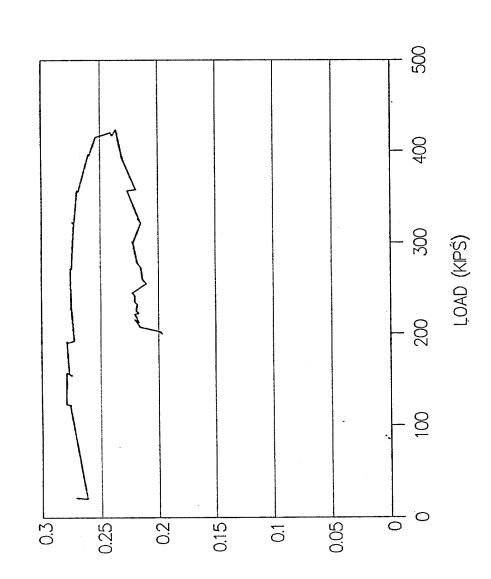




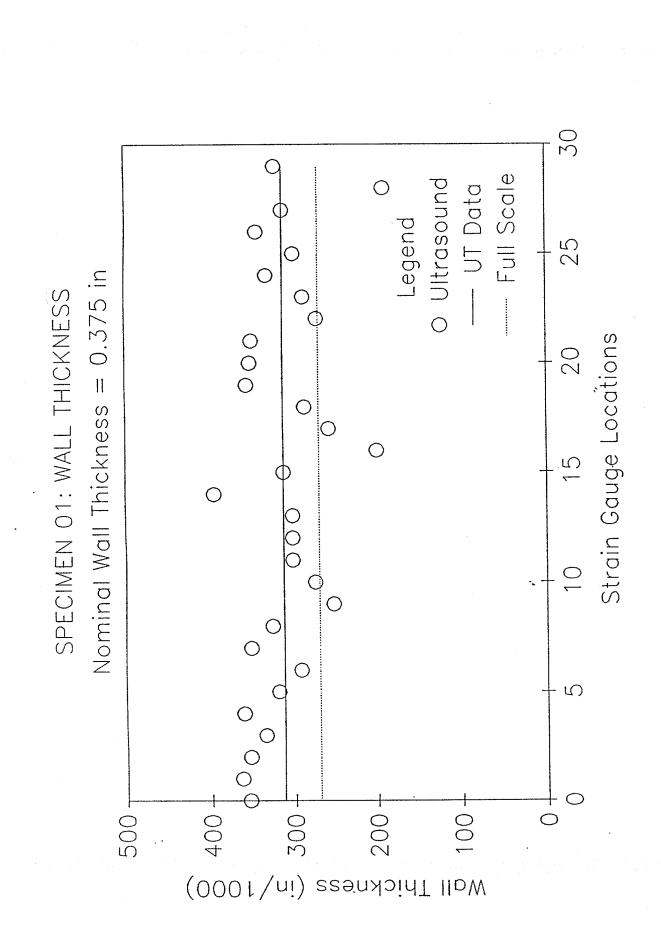




SPECIMEN 01-FULL SCALE TEST COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

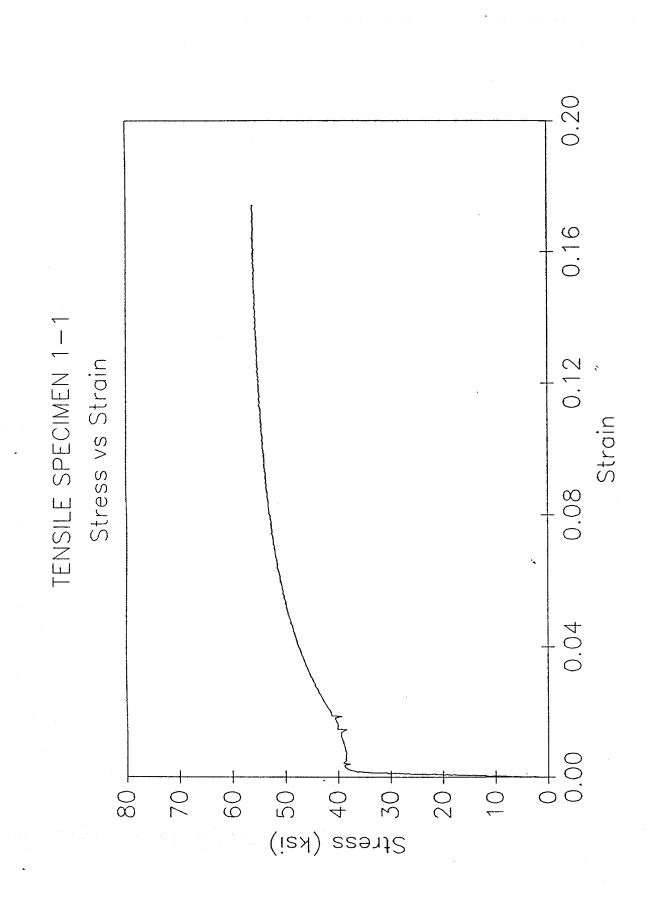


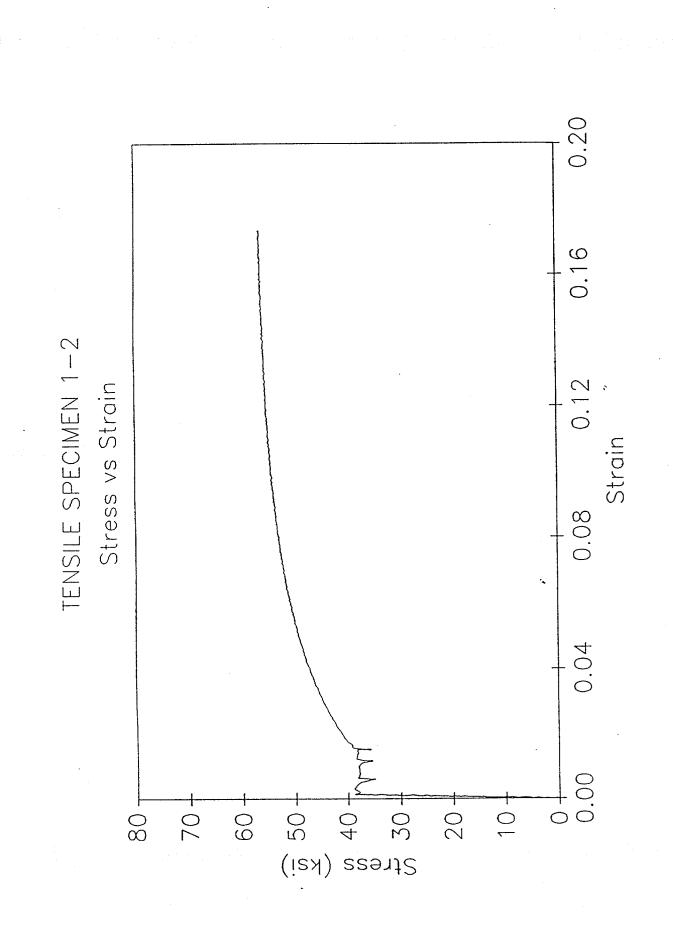
Ultrasound Data for Specimen 1 (All values in inches)

	Gauge	${f ur}$	$\mathbf{U}\mathbf{T}$
	No.	Thickness	Average
	0	0.355	
	1	0.364	
	2	0.354	
	3	0.336	
	4	0.362	
	5	0.320	0.348
	6	0.293	
	7	0.353	
	8	0.327	
	9	0.253	
	10	0.275	
	11	0.302	0.300
	12	0.302	
	13	0.302	
	14	0.396	
	15	0.313	
	16	0.200	
	17	0.258	0.295
	18	0.287	
	19	0.357	
	20	0.353	
	21	0.351	
	22	0.272	
	23	0.288	0.318
	24	0.333	
	25	0.300	
	26	0.344	
	27	0.313	
	28	0.191	
	29	0.322	0.301
	2,7	0.522	0.002
Overall	Average =	0.313	

Random Readings near Buckling Point

No.		Reading
	1	0.282
	2	0.261
	3	0.225
	4	0.292
	5	0.237
	6	0.292
Random Average	==	0.265





SPECIMEN 02

Specimen No. 2 2-2-90

DISTANCE FROM END "B"	*DISTANC CHALK		DESCRIPTION OF DAMAGE
1 1 1	LEFT	RIGHT	
1. 3′-4 3/8"			3/4" circumferential butt weld
2. From 3'-4 3/4" to 12'-1"	4"		3/4" longitudinal weld
3. 6'-1"	15"		Cut-off, oblong welded attachment End 38"wall 7" End A
4. 5'-10"		26"	Cut-off, oblong welded attachment
			End 7 End B
5. 6'-2"		12 3/4"	Cut-off, oblong welded attachment
			End 7" End B
6. 6'-11"	15"		Cut-off, round welded attachment with 1 1/2" corrosion hole in center
			End 7"dia 3/8"wall End A
*Looking from e	nd "A" towar	ds end "B"	

Specimen No. 2 (continued)

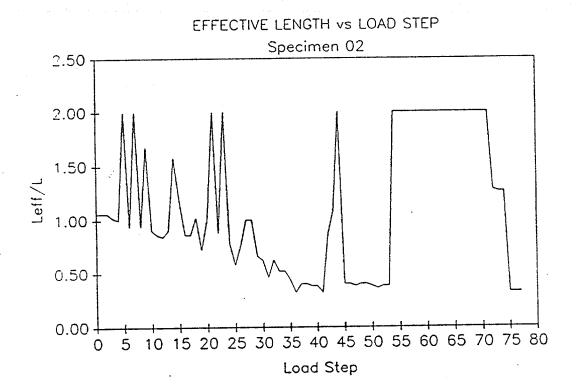
DISTANCE FROM END "B"	*DISTANG		DESCRIPTION OF DAMAGE
	LEFT	RIGHT	1111111
7. 7'-1"		27"	Cut-off, round welded attachment
			End A 3% wall T'dia B
8. 7'-3"		13'	Cut-off, round welded attachment
			End Somall Portage B
9. 7'-9"	4"		Cut-off, round welded attachment End B 3/8 wall T7 dia End A
10. 12'-1 3/8"		,	3/4" circumferential butt weld
11. From 12'-1 3/4" to 20'-3 1/4"		24"	3/4" longitudinal weld
12. 15'-0"	10"		Cut-off, round welded attachment
	·		End /4" wall & _z"dia End A
13. 20'-3 5/8"			3/4" circumferential butt weld
*Looking from er	nd "A" toward	ds end "B"	•

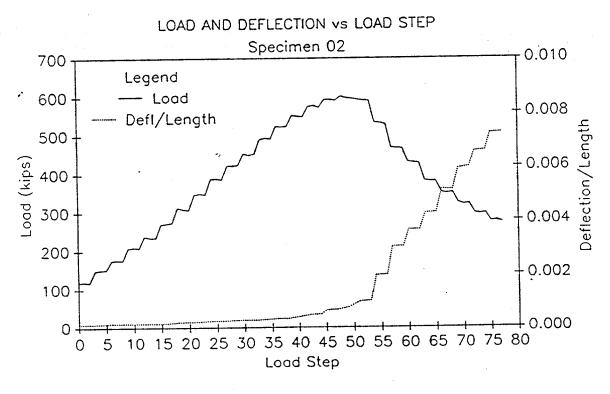
Specimen No. 2 (continued)

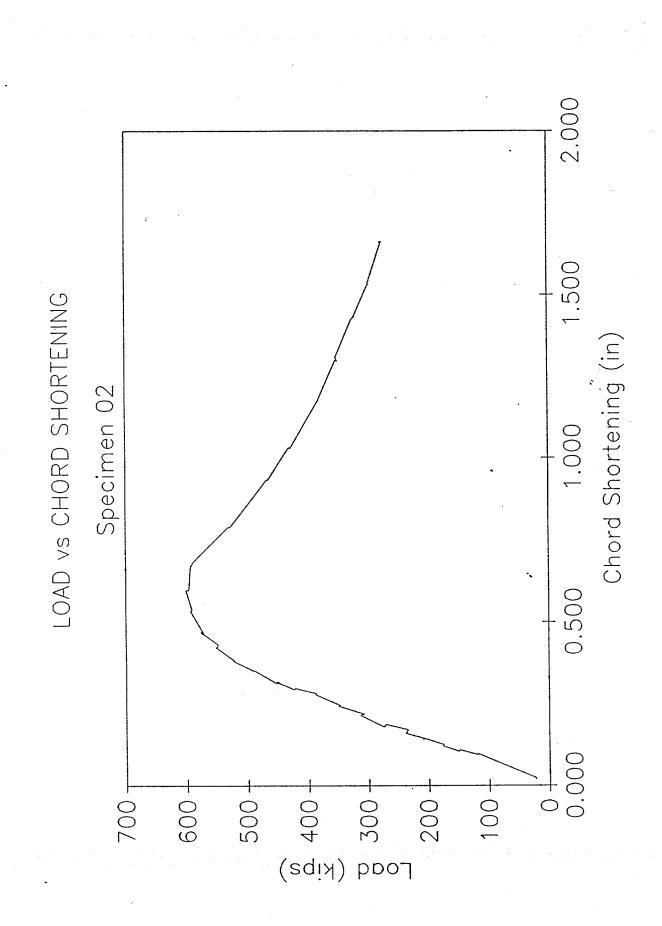
DISTANCE FROM END "B"	*DISTANG	LINE	DESCRIPTION OF DAMAGE
	LEFT	RIGHT	
14. From 20'-4" to 22'-1 1/2"	5"		3/4" longitudinal weld
15. From 0' to 3'-4"	26"		3/4" longitudinal weld

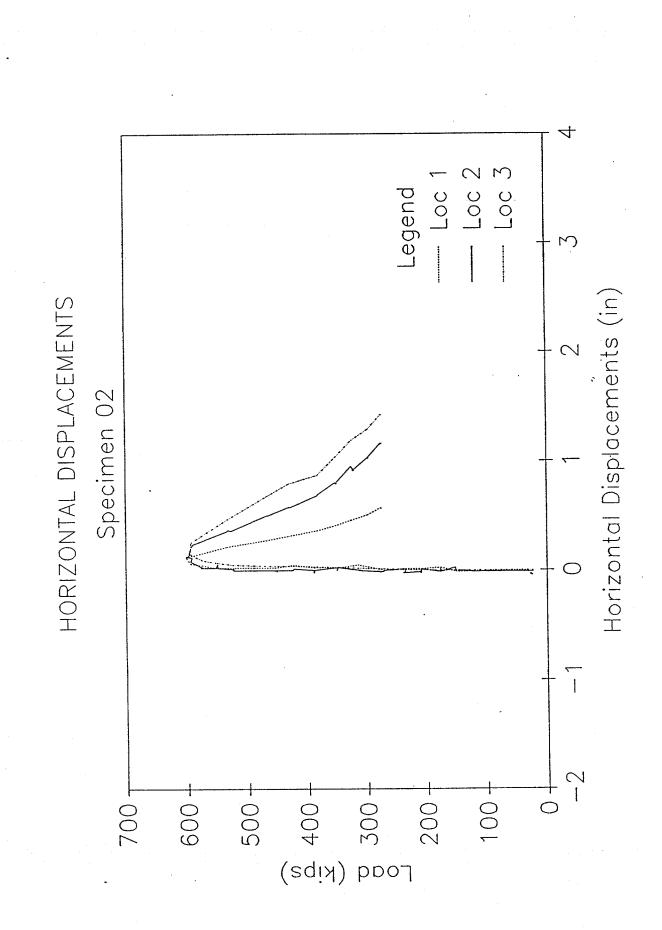
*Looking from end "A" towards end "B"

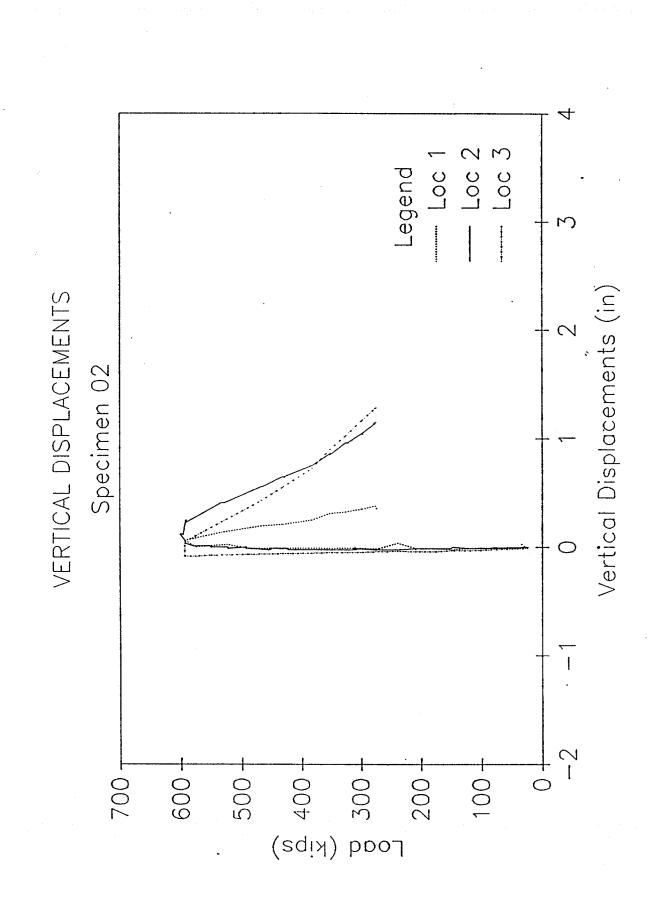
MODERATE CORROSION

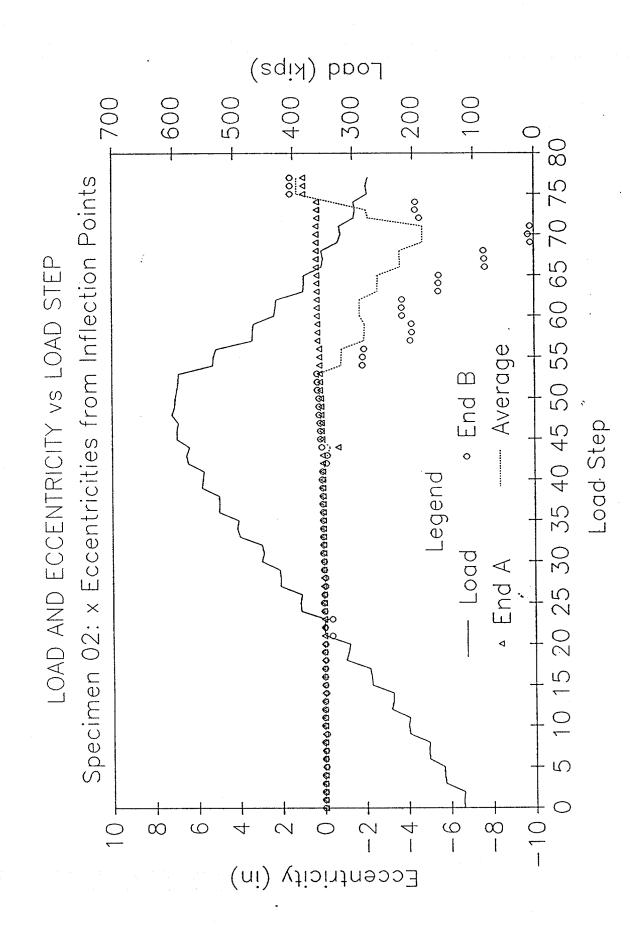


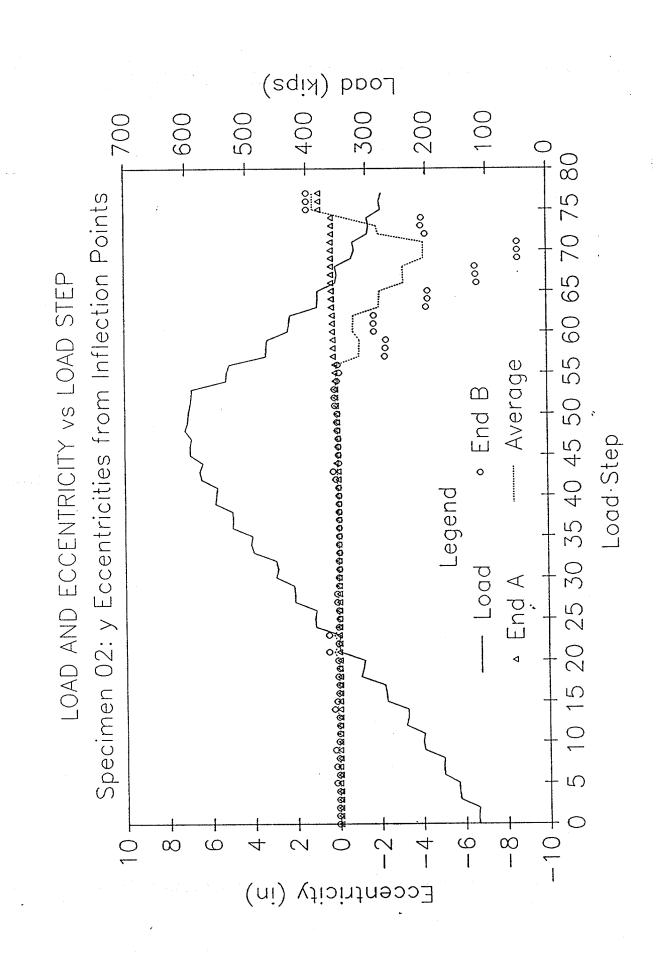


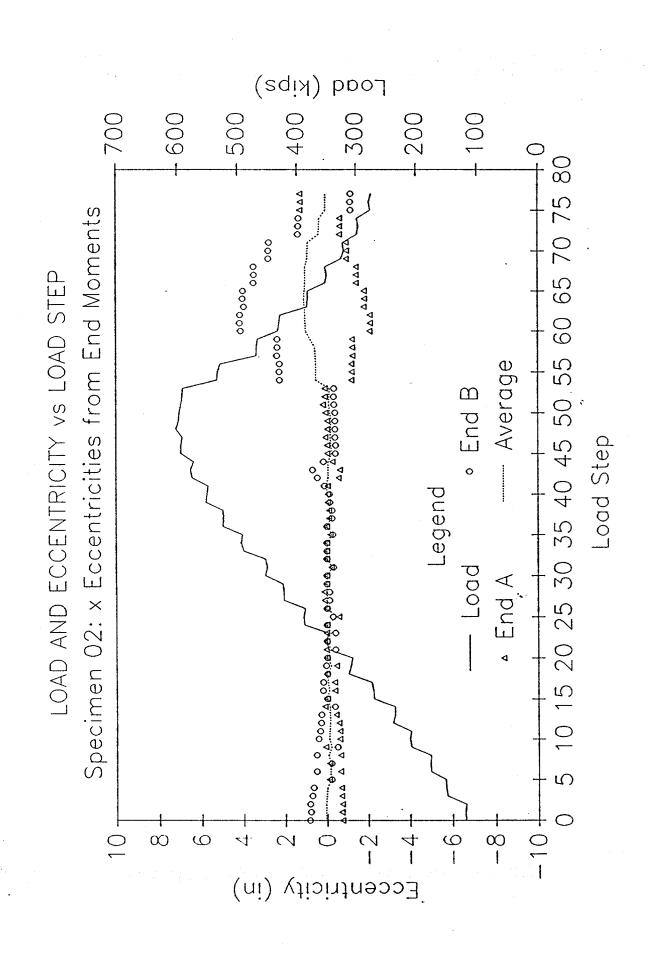


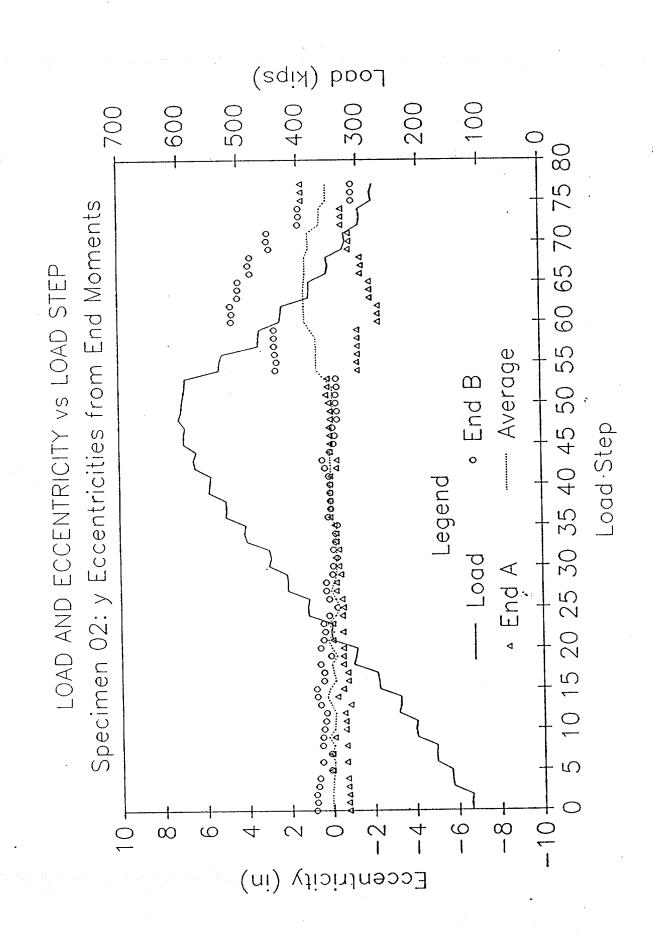






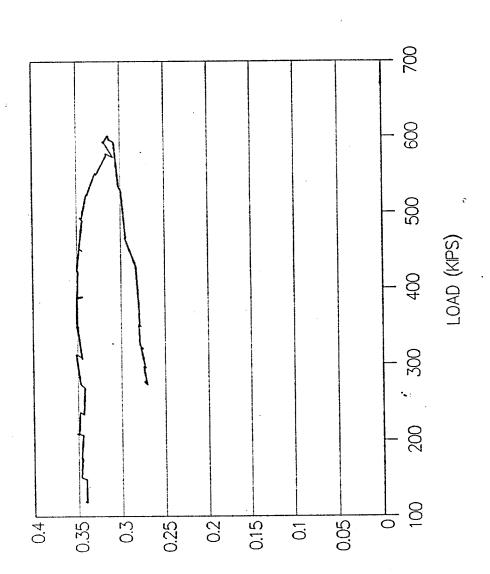




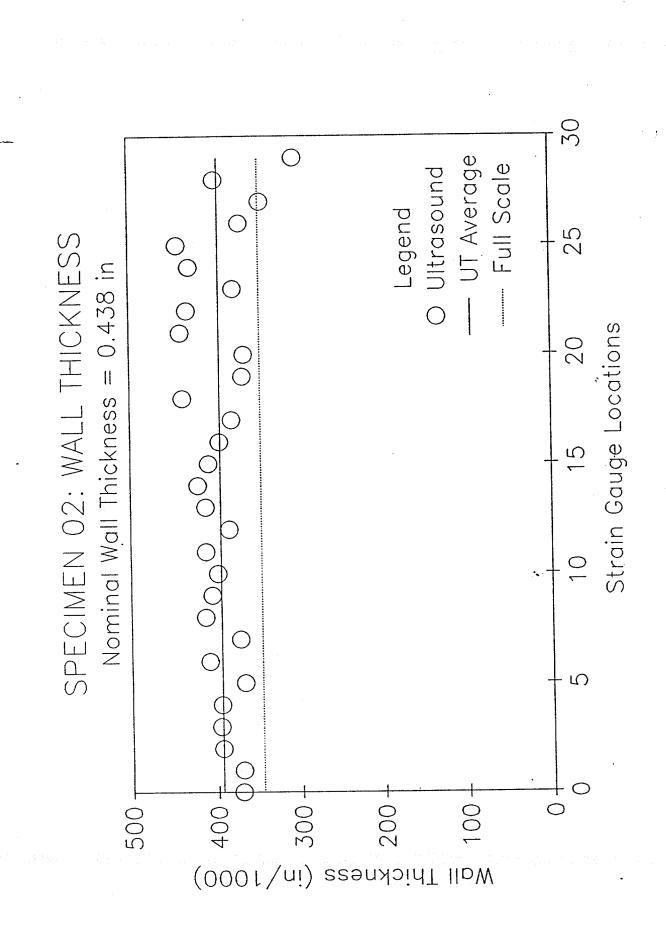


SPECIMEN 02-FULL SCALE TEST

COMPUTED WALL THICKNESS



COWB MALL THICKNESS (IN)



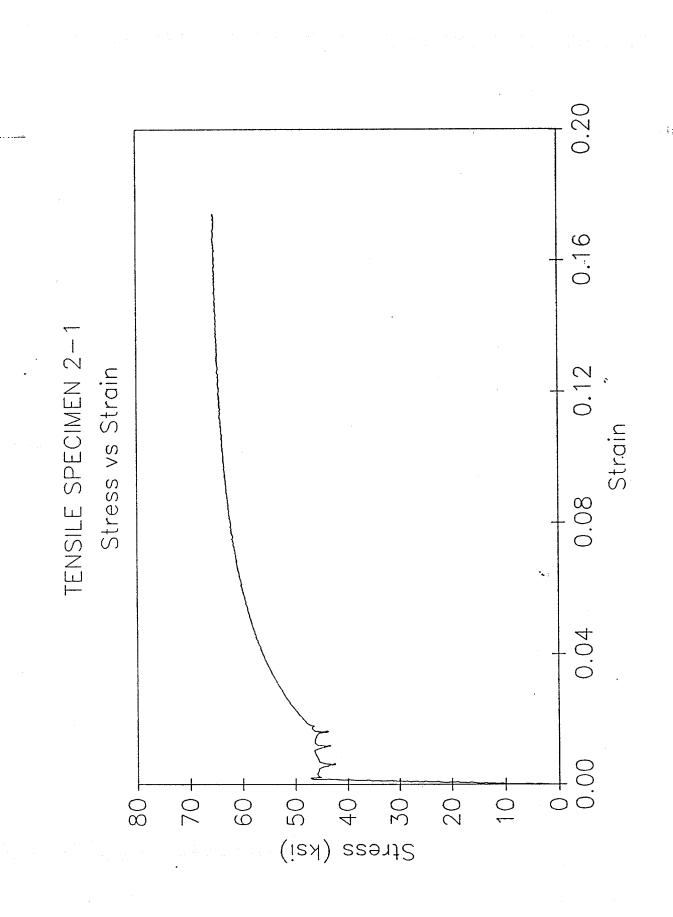
Ultrasound Data for Specimen 2 (All values in inches)

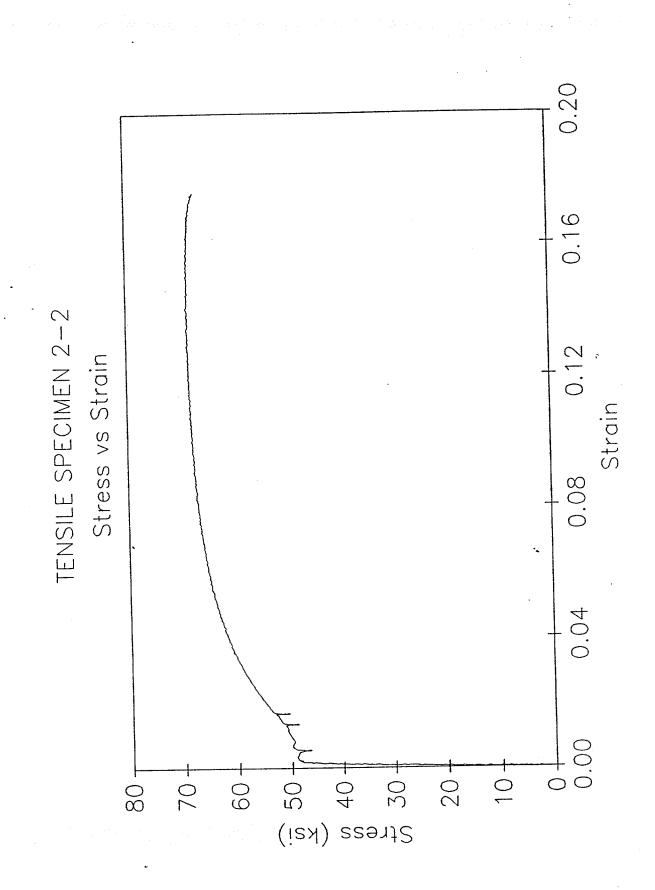
	Gauge	UT	UT
	No.	Thickness	Average
	0	0.371	
	1	0.370	
	2	0.394	
	3	0.396	
	4	0.395	
	5	0.367	0.382
	6	0.409	
	7	0.372	
	8	0.413	
	9	0.405	
	10	0.398	
	11	0.412	0.401
	12	0.384	
	13	0.412	
	14	0.421	
	15	0.408	
	16	0.395	
	17	0.380	0.400
	18	0.438	
	19	0.367	
	20	0.365	
	21	0.440	
	22	0.432	
	23	0.377	0.403
	24	0.429	
	25	0.443	
	26	0.369	
	27	0.344	
	28	0.398	
	29	0.304	0.381
Overall	Average =	0.394	

Random Readings near Buckling Point

	No.		Reading
		1	0.340
		2	0.250
		3	0.242
		4	0.253
		5	0.324
		6	0.300
		7	0.281
mo.5.	Average	=	0 284

Random Average = 0.284





SPECIMEN 03

Specimen No. 3

DISTANCE FROM END "B"	*DISTANC CHALK		DESCRIPTION OF DAMAGE
1111	LEFT	RIGHT	
1. From 0' to 4'-2 1/2"	3/4"		1/2" longitudinal weld (4'-2 1/2" long)
2. 4'-2 1/2"			1/2" circumferential butt weld
3. From 4'-2 1/2" to 12'-4 1/2"		26 1/2"	1/2" longitudinal weld (8'-2")
4. 9"-5"	23"		Cut-off round welded bracing attachment 7 1/2" diameter
			3 wall
5. 10'-3"		4"	Cut-off round welded bracing attachment 7 1/2" diameter
		,	36" wall
6. 10'-3"	11"		Cut-off round welded bracing attachement 7 1/2" diameter
			36 wall
7. 10'-3"		19"	Cut-off round welded bracing attachment 7 1/2" diameter
			7/2"
			3/8" woll

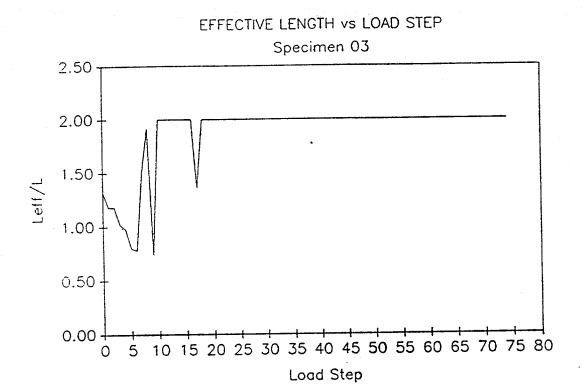
^{*}Looking from end "A" towards end "B"

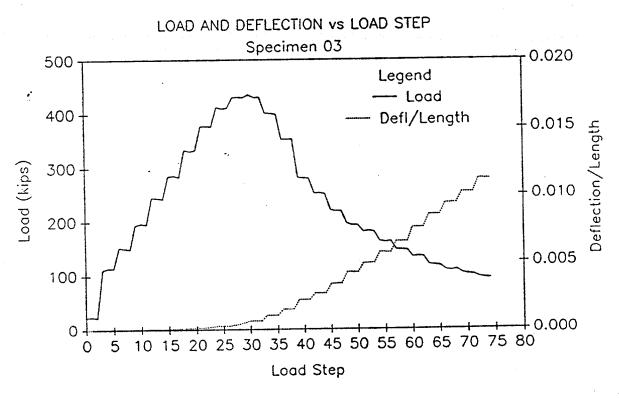
Specimen No. 3 (continued)

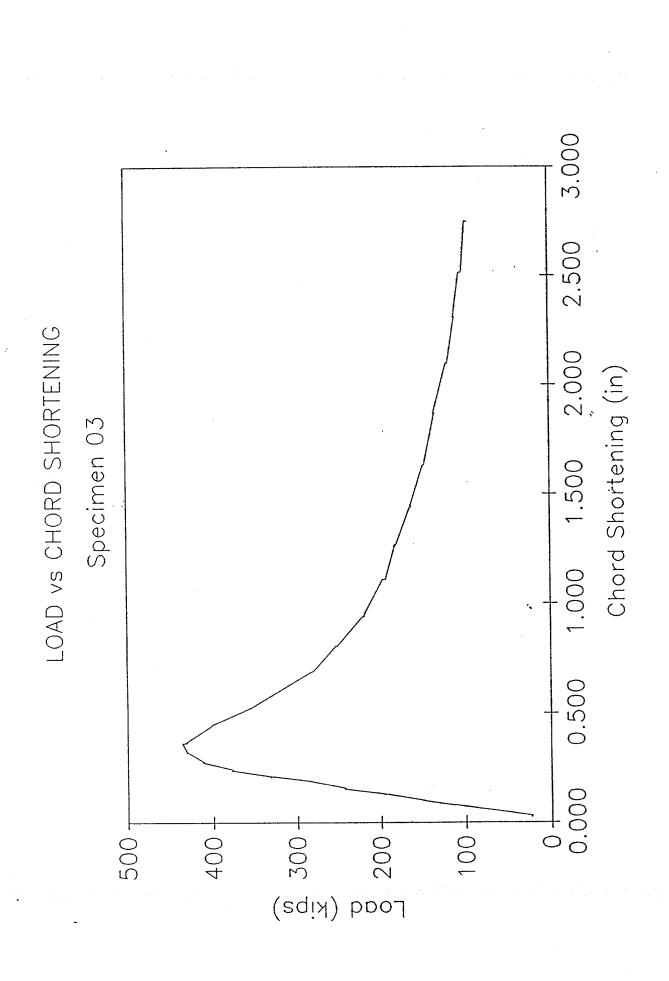
DISTANCE FROM END "B"	*DISTANC	LINE	DESCRIPTION OF DAMAGE
	LEFT	RIGHT	
8. 11'-8"		4"	Cut-off oblong welded bracing 7/2" 75" 15"
9. 11'-8"	11"		Cut-off oblong welded bracing 7/2"
10. 11'-8"		18"	Cut-off oblong welded bracing
11. 12'-4 1/2"			1/2" circumferential butt weld
12. From 12'- 4 1/2" to 20'-6 1/2"	5 1/2"		1/2" longitudinal weld (8'-2")
13. 20'-6 1/2"			1/2" circumferential butt weld
14. From 20'- 6 1/2" to 24'-2 3/8"		22"	1/2" longitudinal weld (3'-7 7/8")

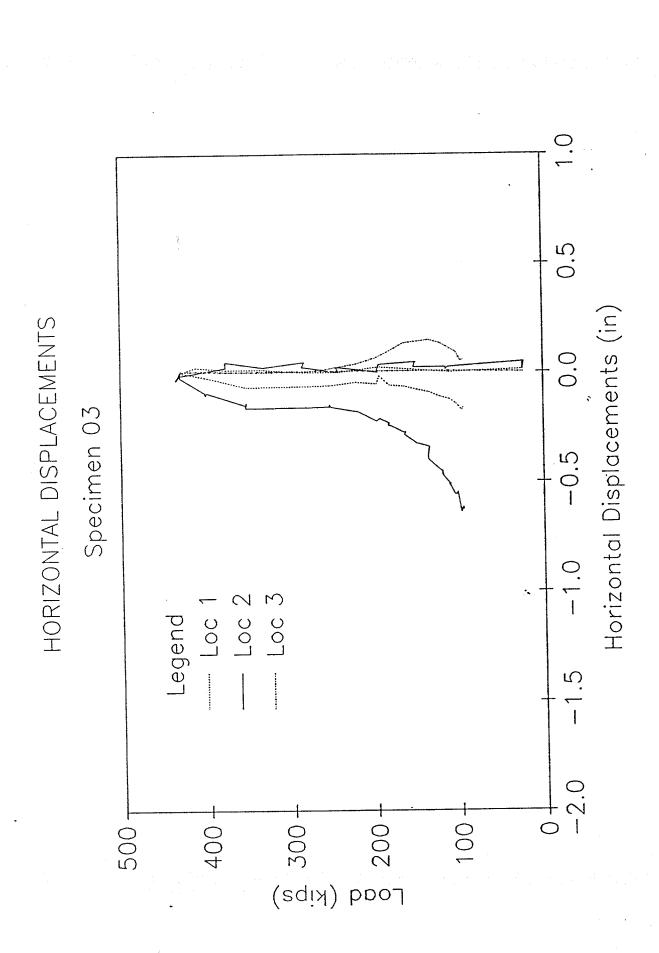
SPECIMEN IS VERY CORRODED!

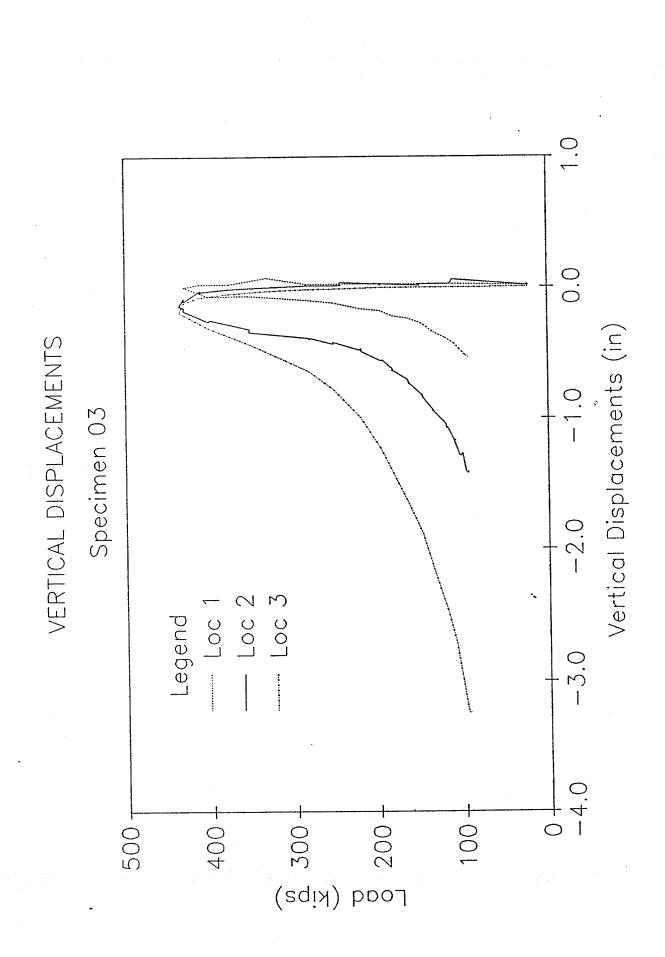
*Looking from end "A" towards end "B"

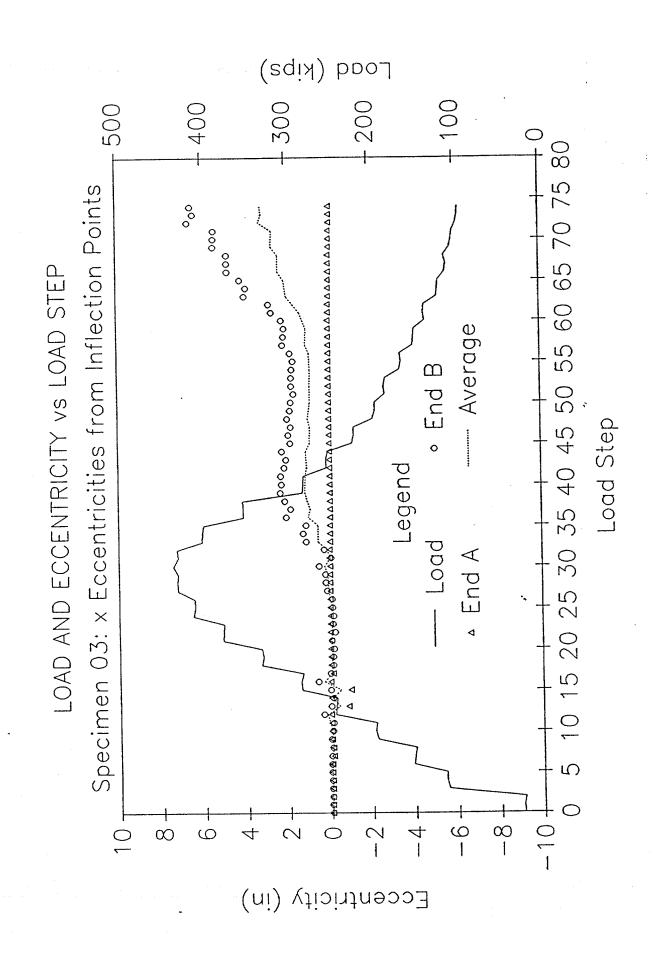


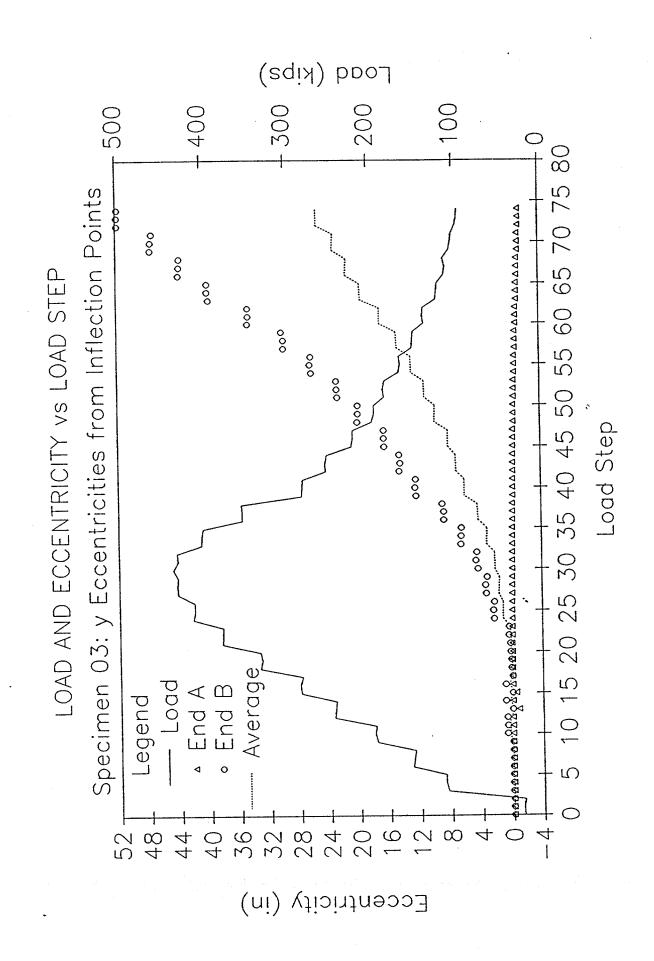


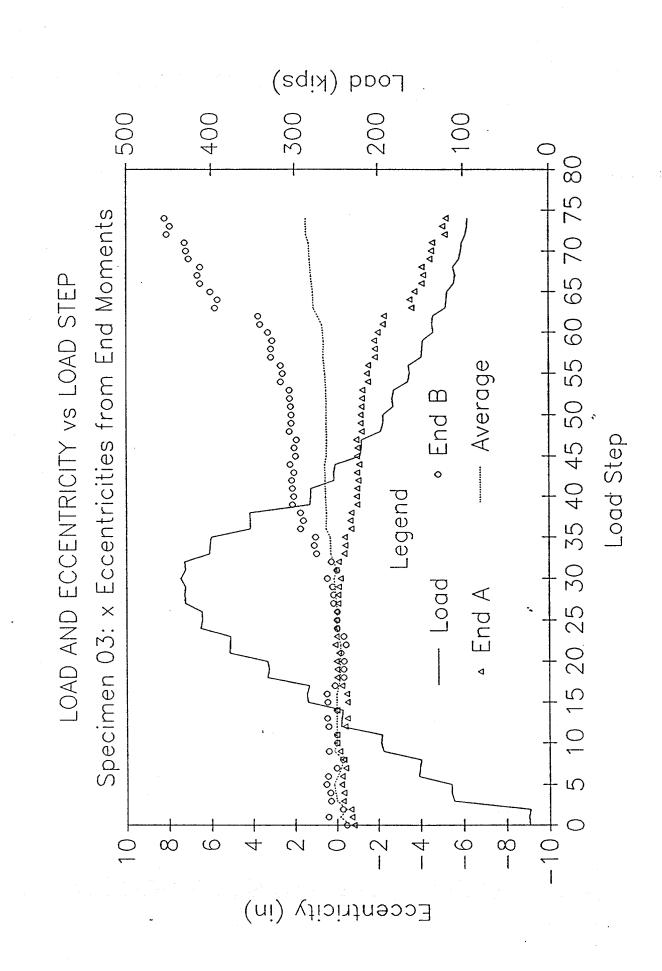


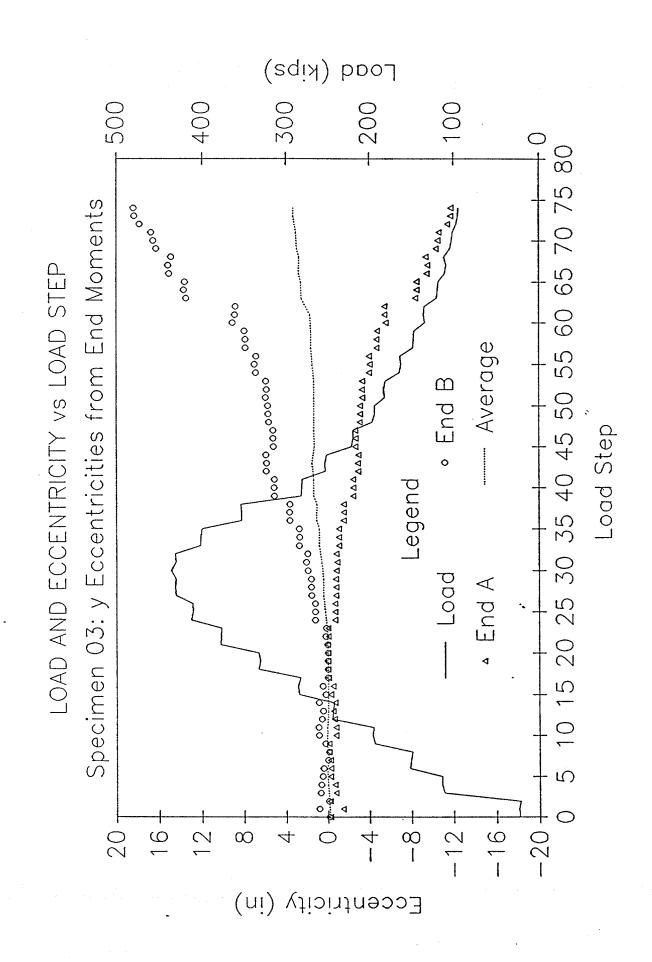






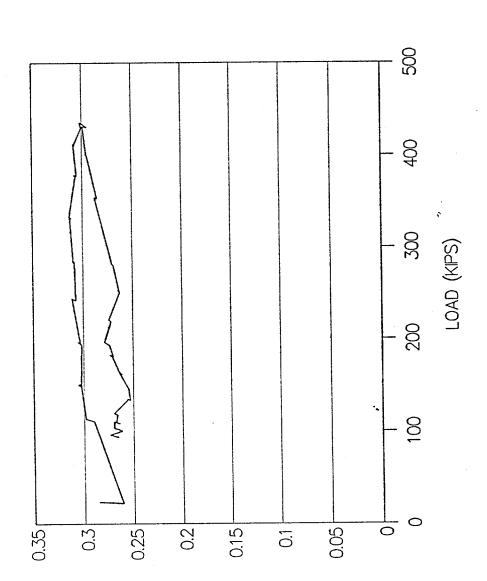




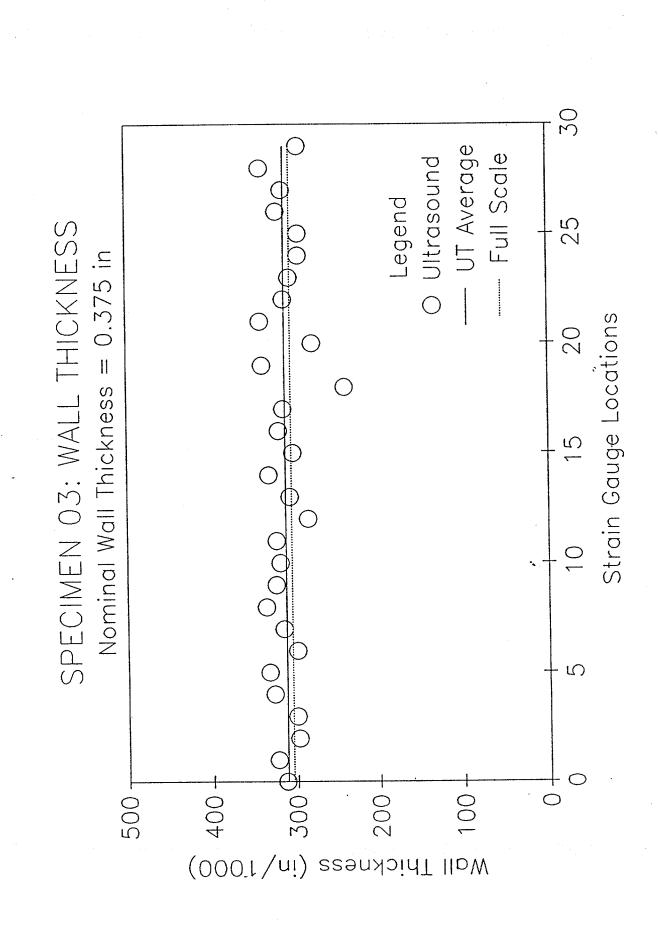


SPECIMEN 03-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

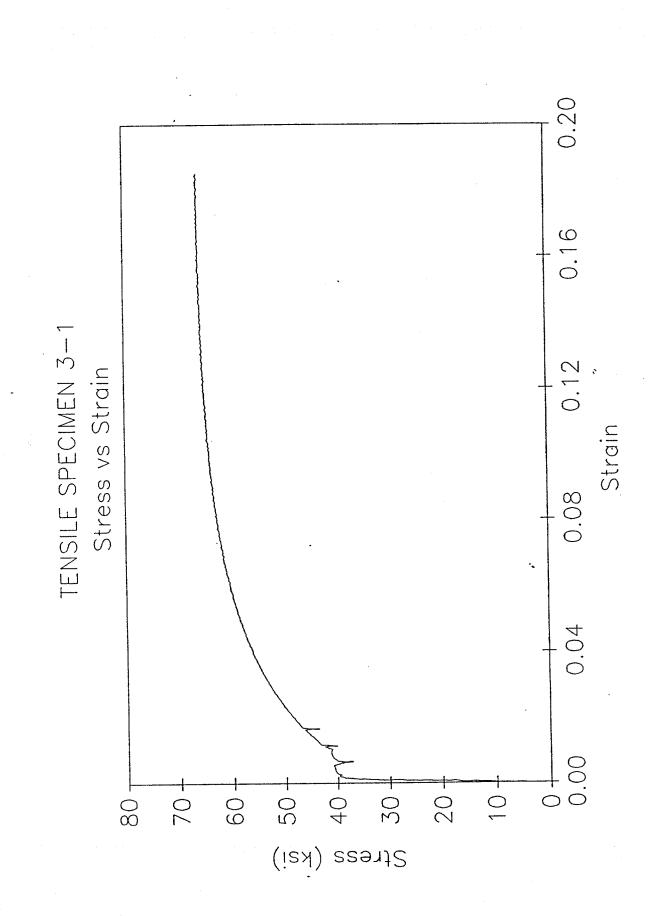


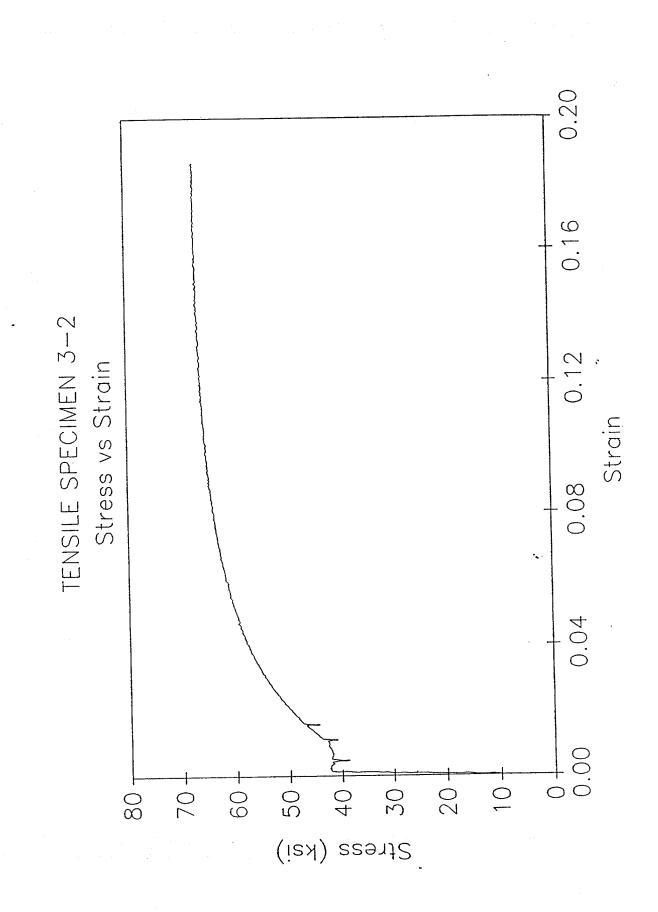
Ultrasound Data for Specimen 3 (All values in inches)

	Gauge	UT	UT
	No.	Thickness	Average
	0	0.313	
	1	0.323	
	2	0.298	
•	3	0.300	
	4	0.327	
	5	0.333	0.316
	6	0.299	
	7	0.315	
	8	0.336	
	9	0.324	
	10	0.319	
	11	0.323	0.319
	12	0.285	
	13	0.307	
	14	0.332	
	15	0.303	
	16	0.320	
	17	0.314	0.310
	18	0.240	
	19	0.339	
	20	0.279	
	21	0.341	
	22	0.313	
	23	0.306	0.303
	24	0.295	
	25	0.295	
	26		
	27	0.314	
	28	0.340	
	29	0.295	0.310
Overall	Average =	0.312	

Random Readings near Buckling Point

	No.		Reading
		1	0.239
		2	0.245
		3	0.259
		4	0.262
		5	0.240
		6	0.249
		7	0.234
		8	0.290
		9	0.264
		10	0.241
		11	0.192
Random	Average	=	0.247





SPECIMEN 04

Specimen No. 4

DISTANCE FROM END "B"	*DISTANC CHALK		DESCRIPTION OF DAMAGE
1 1 1 1	LEFT	RIGHT	
1. 18'-5"		7 1/2"	Oblong welded bracing attachment (cut off) 3/8" wall End A 12/2" B
2. 17'-3"		7 1/2"	Oblong welded bracing attachment (cut off) 3/8 wall End A 12 1/2 B
3. 17'-10"		10 3/4"	Welded in torch cut 5 1/4" long X 5/8" wide (circumferential)
4. 17"-0"	3 3/4"		Oblong welded bracing attachment (cut off) End B 34"wall 17" A
5. 18'-9"	3 3/4"		Oblong welded bracing attachment (cut off) 34"wall + 16" End End A
6. 3'-9 1/2"		17 1/2"	5 1/2" long X 1/2" wide circumferential weld

The specimen is curved. See additional page for initial out-of-straightness information.

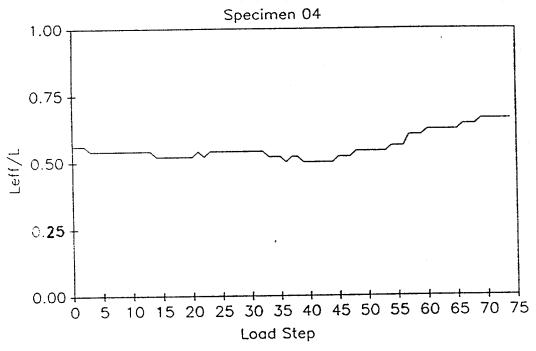
^{*}Looking from end "A" towards end "B"

Out-of-Straightness Measurements for Specimen 04

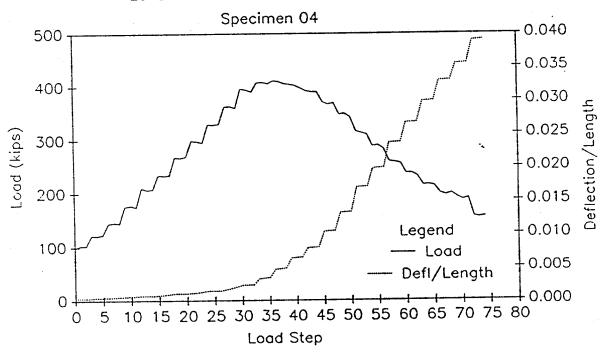
The specimen was initially curved in the yz-plane and straight in the xz-plane. The following measurements are in the y-direction.

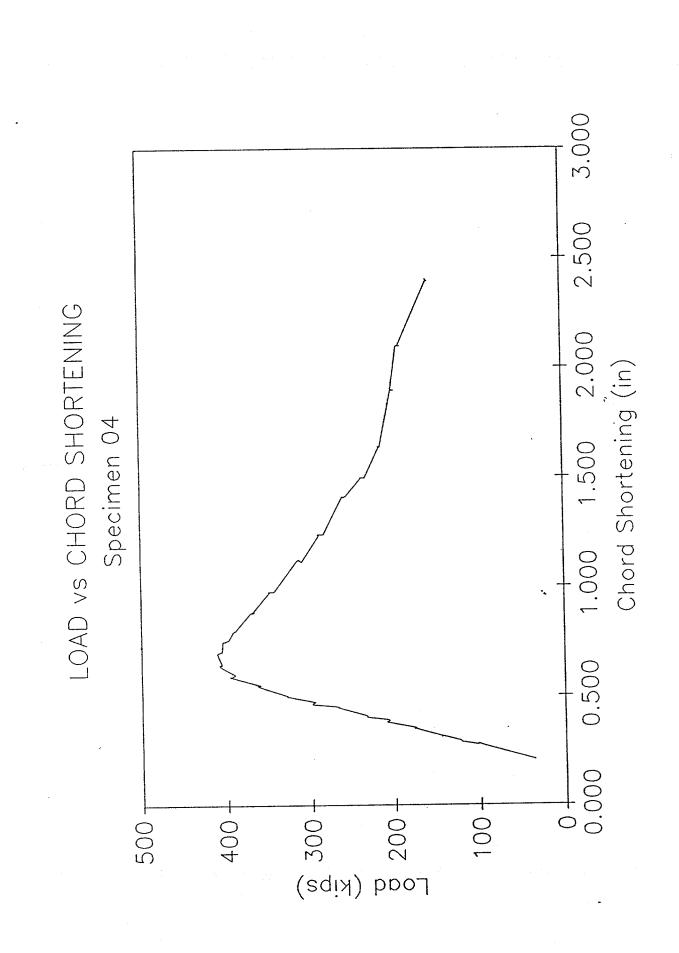
Distance	Distance from	Out -of
from	stringline to	straightness
End B	top of pipe	in y direction
(ft)	(in)	(in)
0	3.375	` o´
ĭ	3.375	0
2	3.4375	-0.0625
3	3.5	-0.125
4	3.5625	-0.1875
5	3.625	-0.25
6	3.6875	-0.3125
7	3.8125	-0.4375
8	3.875	-0.5
9	3.9375	-0.5625
10	4	-0.625
11	4.125	-0.75
12	4.1875	-0.8125
13	4.25	-0.875
14	4.375	-1
15	4.4375	-1.0625
16	4.625	-1.25
17	4.6875	-1.3125
18	4.6875	-1. 3125
19	4.6875	-1.3125
20	4.625	-1.25
21	4.5	-1.125
22	4.375	-1
23	4.3125	-0.9375
24	4.25	-0.875
25	4.125	-0.75
26	4.0625	-0.6875
27	4	-0.625
28	3.875	-0.5
29	3.75	-0.375
30	3.6875	-0.3125
31	3.625	-0.25
32	3.5625	-0.1875
33	3.4375	-0.0625
34	3.375	0
34.75	3 .37 5	0

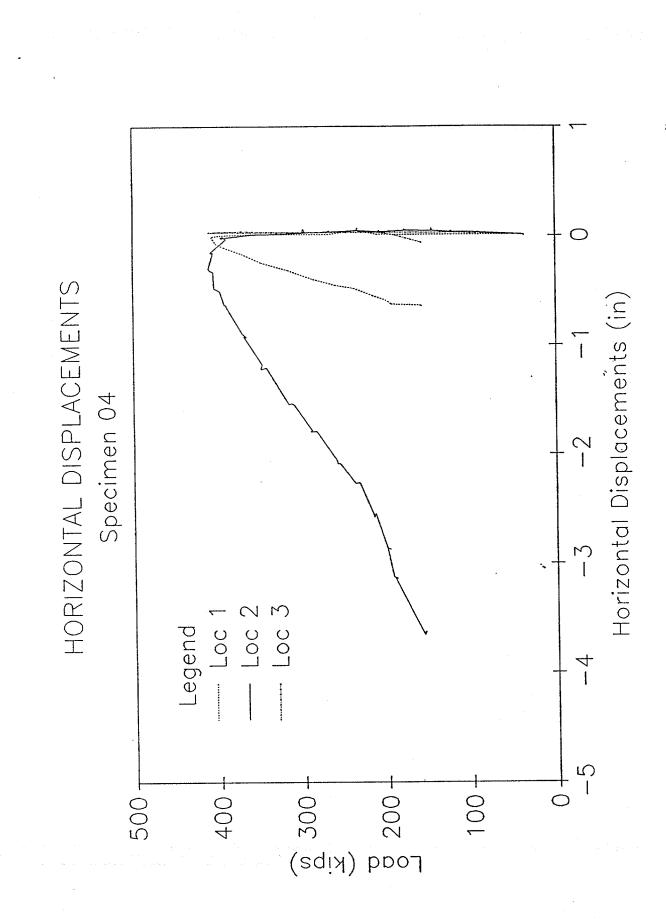


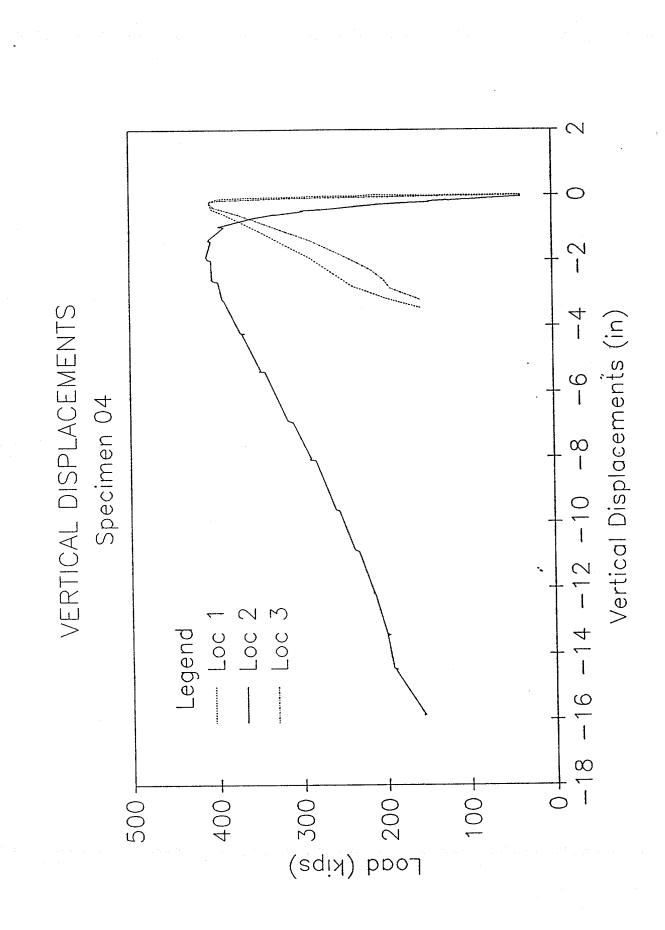


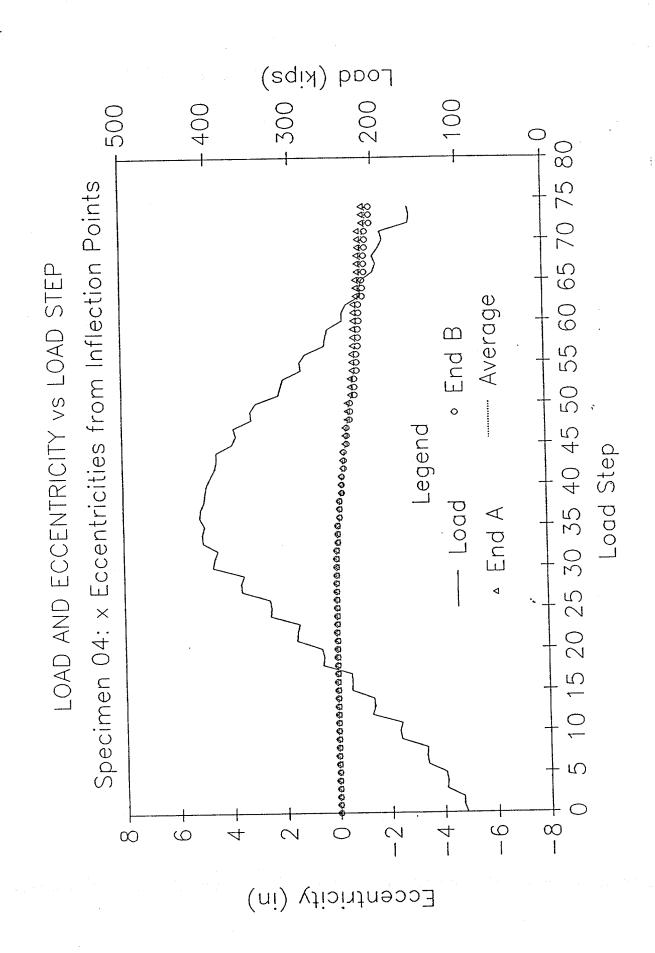
LOAD AND DEFLECTION vs LOAD STEP

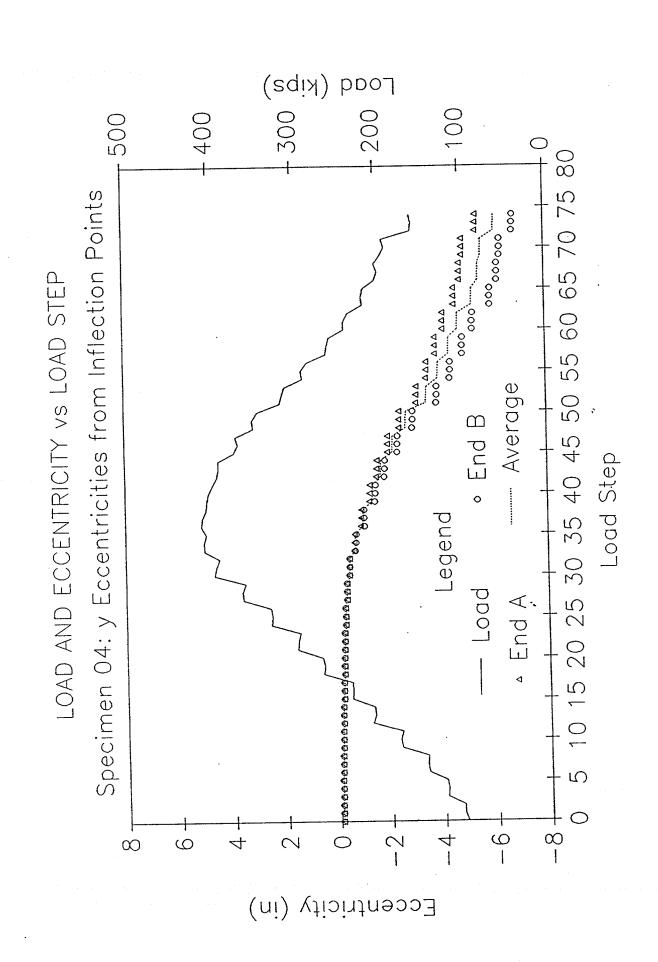


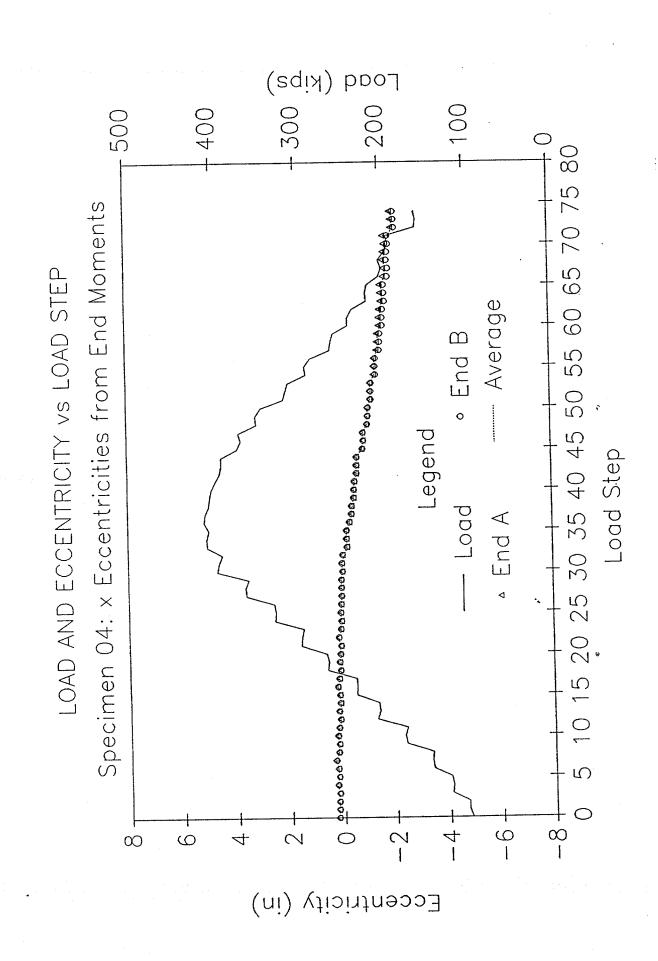


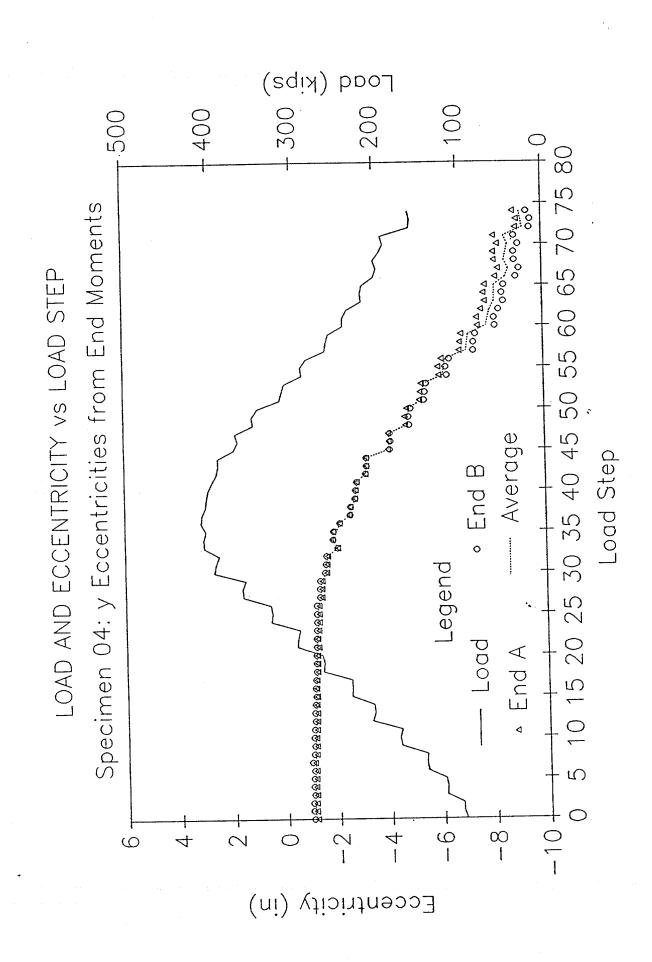




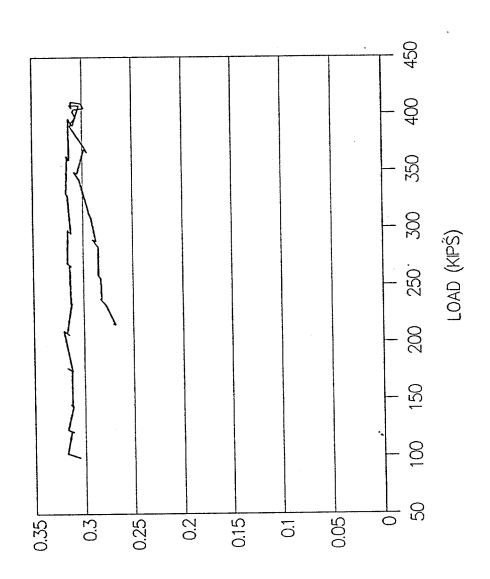






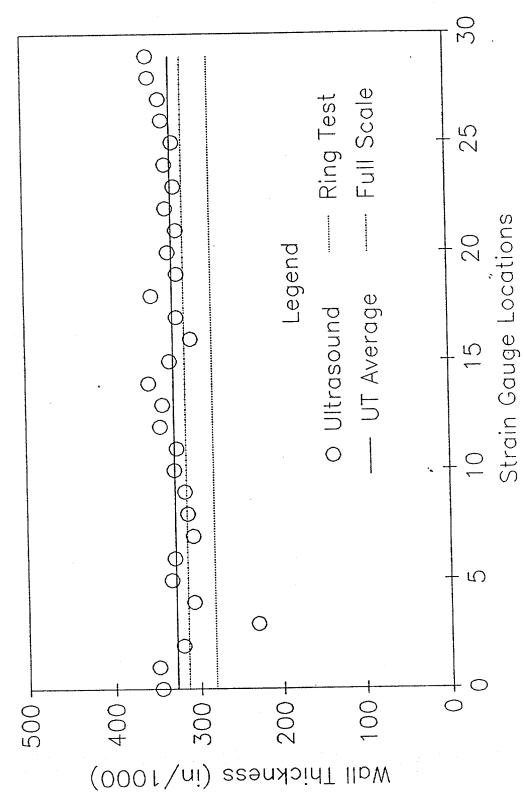


SPECIMEN 04-FULL SCALE TEST COMPUTED WALL THICKNESS



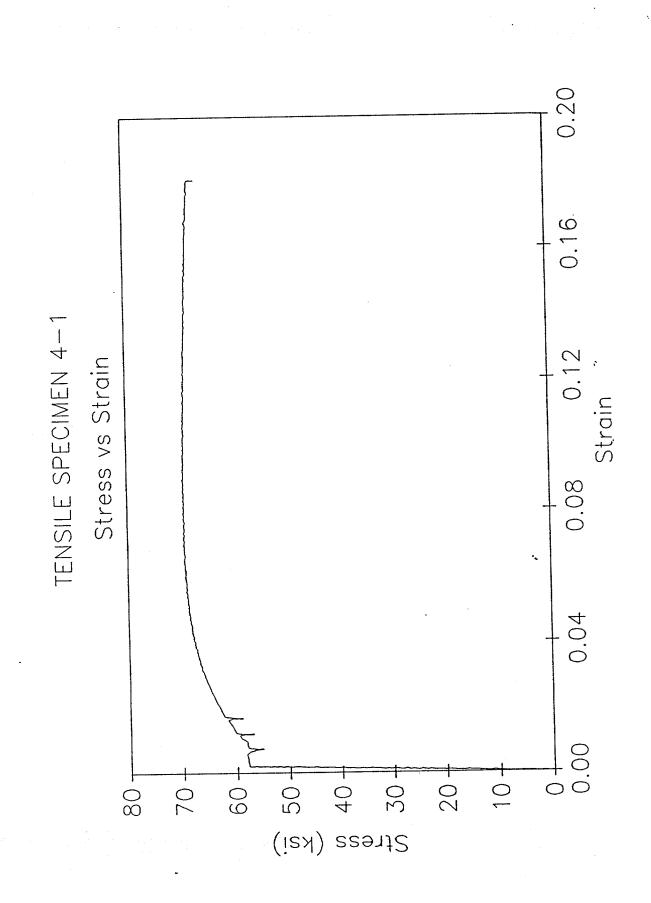
COMP WALL THICKNESS (IN)

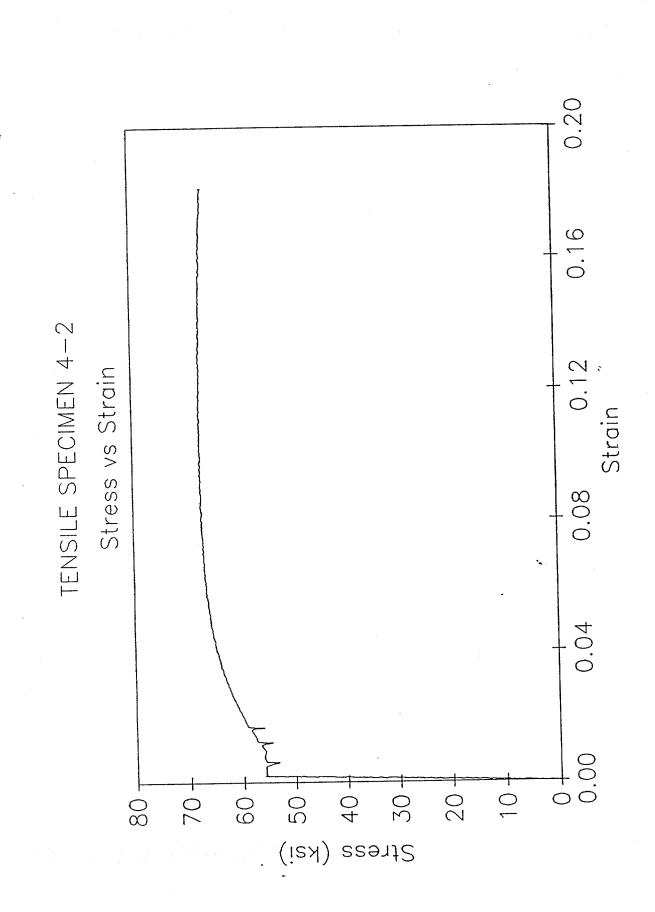
SPECIMEN 04: WALL THICKNESS Nominal Wall Thickness = 0.375 in



Ultrasound Data for Specimen 4

	Gauge	${f UT}$	UT
	No.	Thickness	Average
	0	0.346	
	1	0.349	
	2	0.320	
	3	0.230	
	4	0.307	
	5	0.333	0.314
	6	0.329	
	7	0.307	
	8	0.313	
	9	0.316	
	10	0.328	
	11	0.325	0.320
	12	0.344	
	13	0.341	
	14	0.357	
	15	0.332	
	16	0.307	
	17	0.323	0.334
	18	0.352	
	19	0.322	
	20	0.332	
	21	0.322	
	22	0.334	
	23	0.324	0.331
	24	0.334	
	25	0.325	
	26	0.337	
	27	0.340	
	28	0.352	
	29	0.354	0.340
Overall	Average =	0.328	





SPECIMEN 05

Specimen No. 5 2-21-90

DISTANCE FROM END "B"	*DISTANCI CHALK !	FROM I	DESCRIPTION OF DAMAGE
- FND P	LEFT	RIGHT	
1. From 0' to 2'-9 1/4"	2 3/4"		1/2" longitudinal weld From 1'-8" to 2'-4" the seam is split
2. 2"-9 1/2"			1/2" circumferential butt weld
3. 2'-9"	9 3/4"		Small corrosion hole
4. 1'-4 1/2"		16 1/2"	Cut-off, round welded attachment, 3" diameter End A 1/4"wall 7 3" B
5. 4'-1"		7"	Cut-off, oblong welded attachment End 6/2 36" wall End B
6. 4'-5 1/2"		13 1/2"	Cut-off, oblong welded attachment End
7. 4'-6"	1 1/2"		Cut-off, oblong welded attachment End 38" wall 17" End A
*Looking from	end "A" towa	rds end "B"	-

Specimen No. 5 (continued)

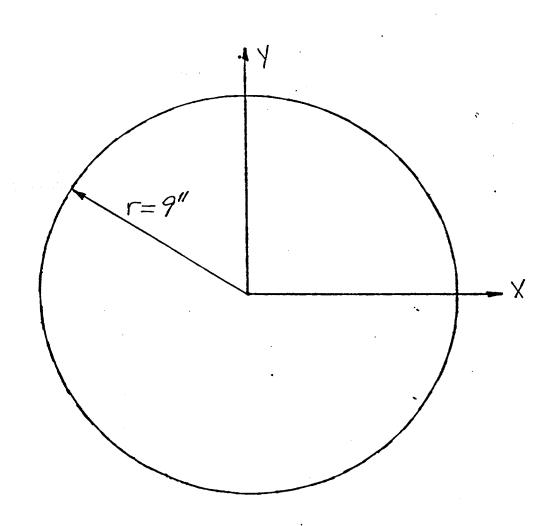
DISTANCE FROM END "B"	*DISTANCE CHALK L LEFT		DESCRIPTION OF DAMAGE
8. 5'-7 1/4"	1 1/2"		Cut-off, round welded attachment 9" diameter End End End End A
9. 5'-7 1/4"		13"	Cut-off, round welded attachment 9" diameter End [1/4" wall] [9"] End B
10. 5'-7 1/4"		28"	Cut-off, round welded attachment 9" diameter with additional denting (See additional sheets) End A 4"wall 9" End B
11. 6'-2 1/2"		5 3/4"	Cut-off, round welded attachment 7" diameter End A 1/4"wall D 17" End B
12. 6'-6"		16 3/4"	Cut-off, round welded attachment 3" diameter End A 1/4" wall 8 B
*Looking from	end "A" towar	rds end "B"	•

Specimen No. 5 (continued)

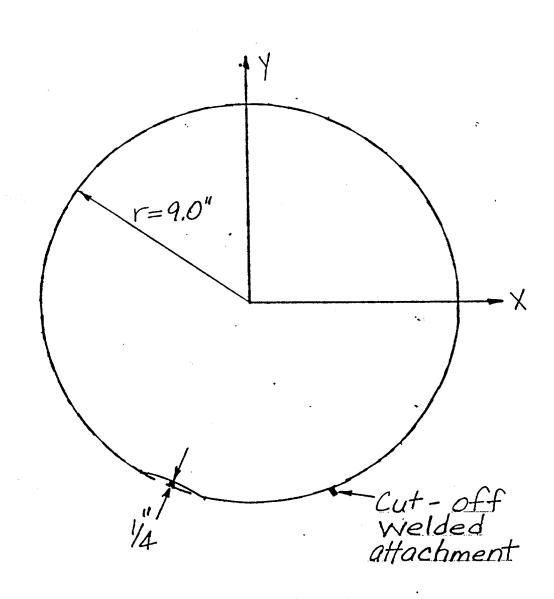
DISTANCE FROM END "B"	*DISTANC CHALK LEFT		DESCRIPTION OF DAMAGE
13. 6'-11"	1 1/2"		Cut-off, oblong welded attachment End 15 Small End A
14. From 2'-9 3/4" to 14'-9 1/2"		17"	1/2" longitudinal weld
15. 12'-8 1/4"		17"	Cut-off, round welded attachment 3" diameter End A Wall PT3" End B
16. 14'-9 3/4"			1/2" circumferential butt weld
17. From 14'-10" to 18'-6 1/4"	11 1/2"		1/2" longitudinal weld
18. 17'-9 1/2"		16 3/4"	Cut-off, round welded attachment 3" diameter End A //4 wall P = 3" \ End B

^{*} Looking from end "A" towards end "B"

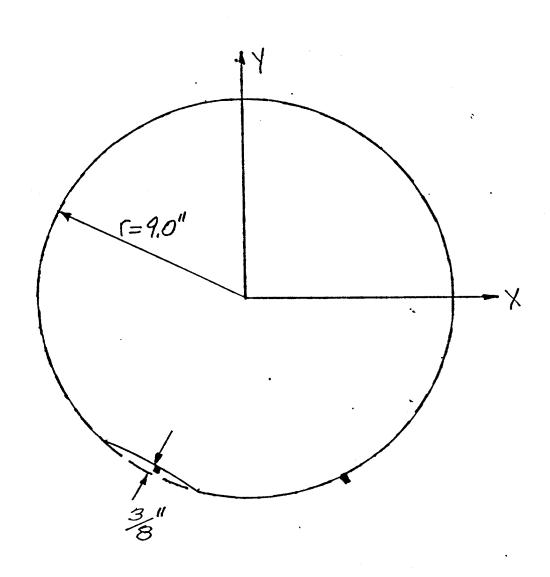
Specimen No. $\underline{5}$ Damage No. $\underline{10}$ Distance from End B $\underline{5'-2''}$ Scale $\underline{1''=4.24''}$



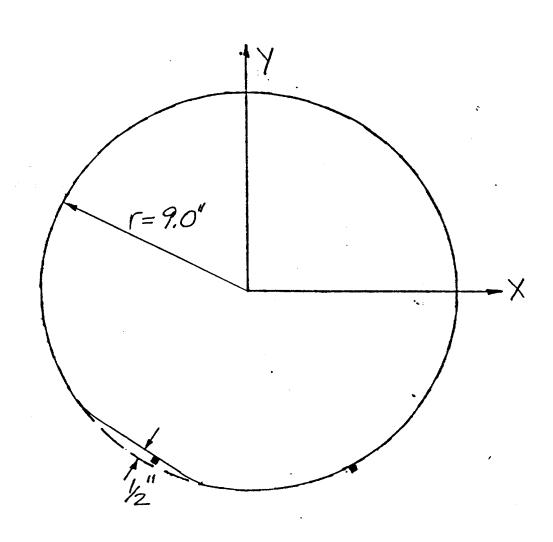
Specimen No. $_{5}$ Damage No. $_{10}$ Distance from End B $_{5}^{1}$ Scale $_{1}^{\prime\prime}$ = 4.24"



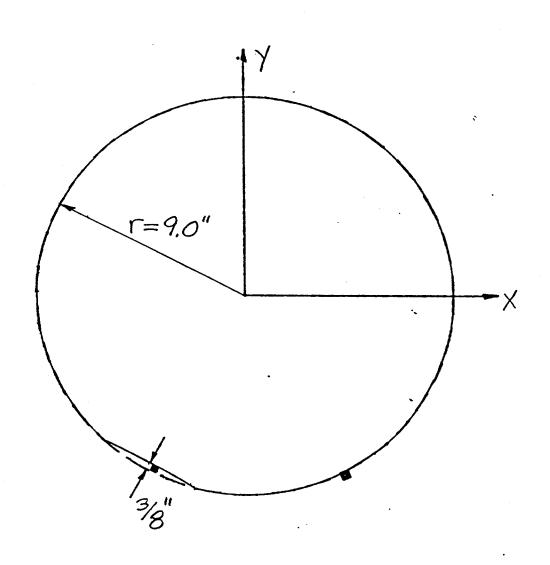
Specimen No. $_5$ Damage No. $_10$ Distance from End B $5^{'}-6^{''}$ Scale $_1^{''}=4.24^{''}$



Specimen No. $\underline{5}$ Damage No. $\underline{/0}$ Distance from End B $\underline{5'-7''}$ Scale $\underline{/''=4.24''}$

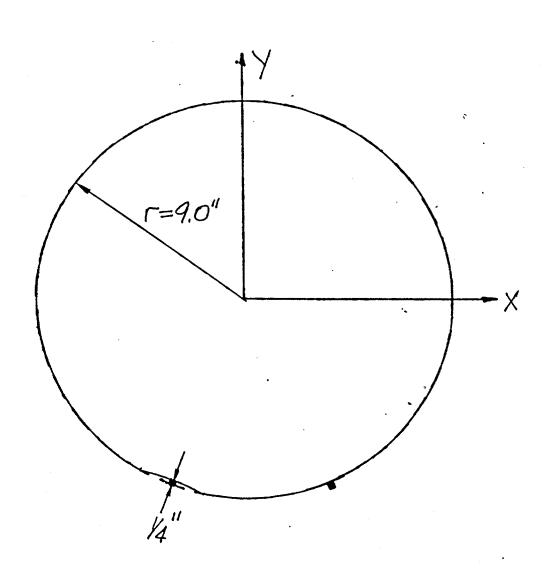


Specimen No. $_{5}$ Damage No. $_{10}$ Distance from End B $_{5}$ Scale $_{1}$ $_{10}$



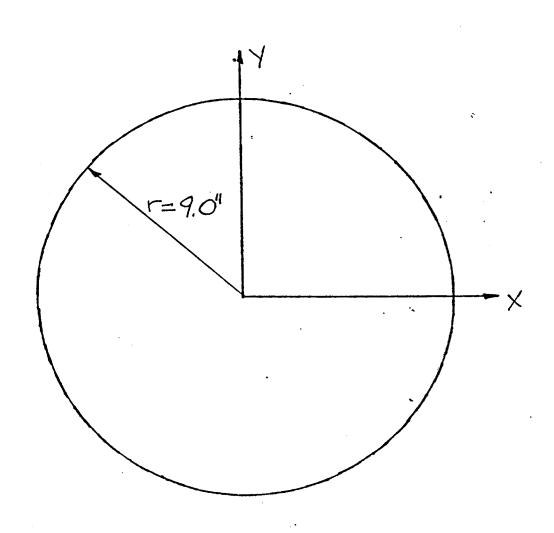
DENT CROSS SECTION

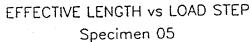
Specimen No. $\underline{5}$ Damage No. $\underline{/0}$ Distance from End B $\underline{5'-10''}$ Scale $\underline{/''=4.24''}$

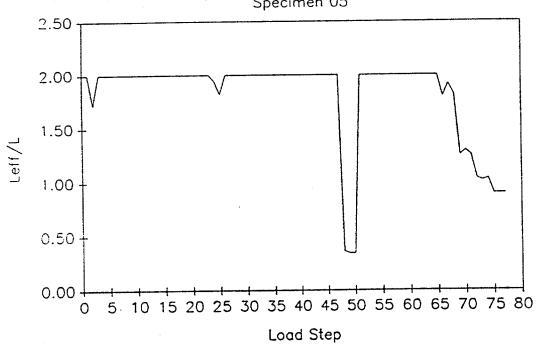


DENT CROSS SECTION

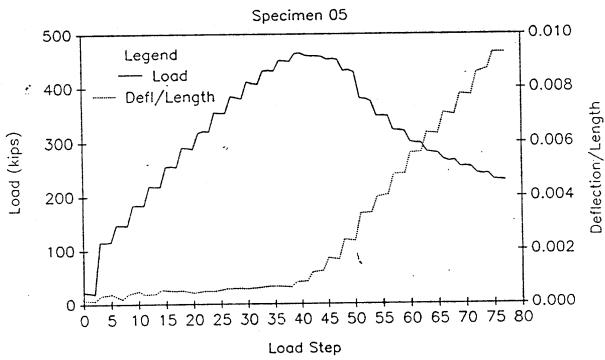
Specimen No. $\underline{5}$ Damage No. $\underline{/0}$ Distance from End B $\underline{6-0}''$ Scale $\underline{/''=4.24''}$

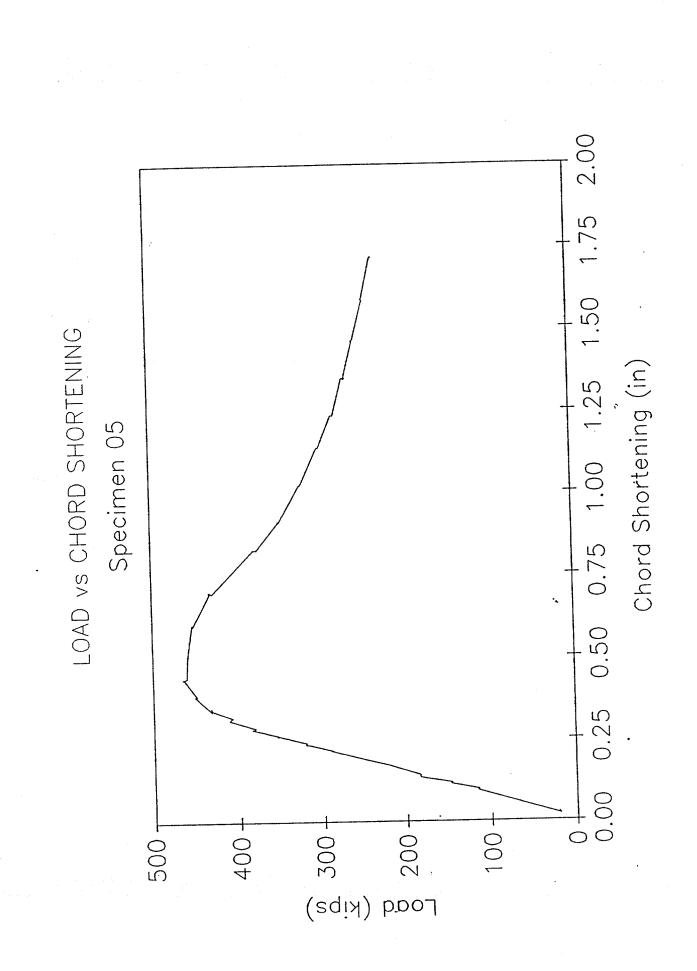


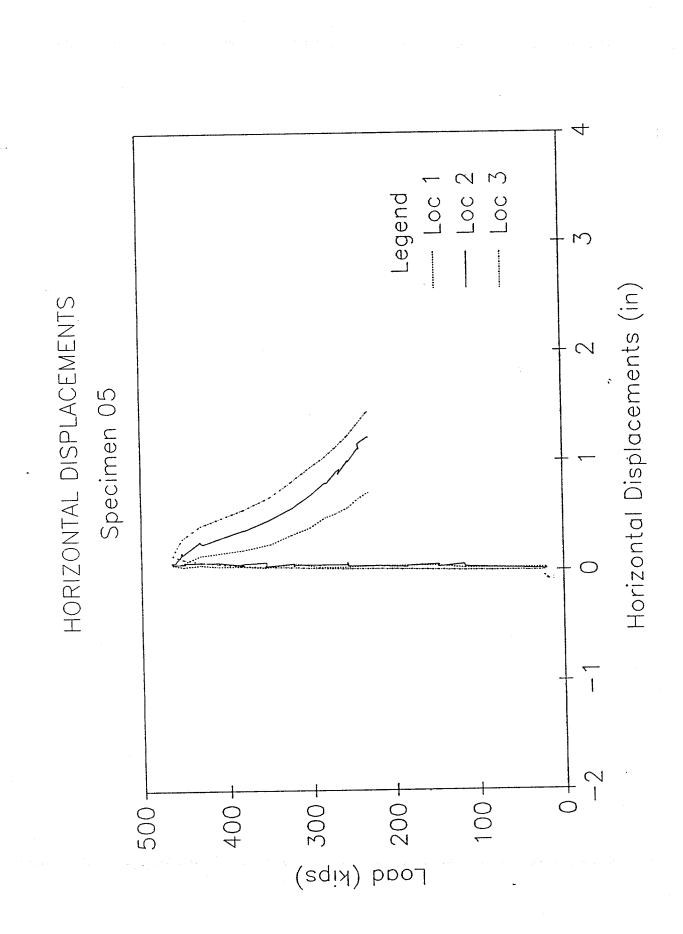


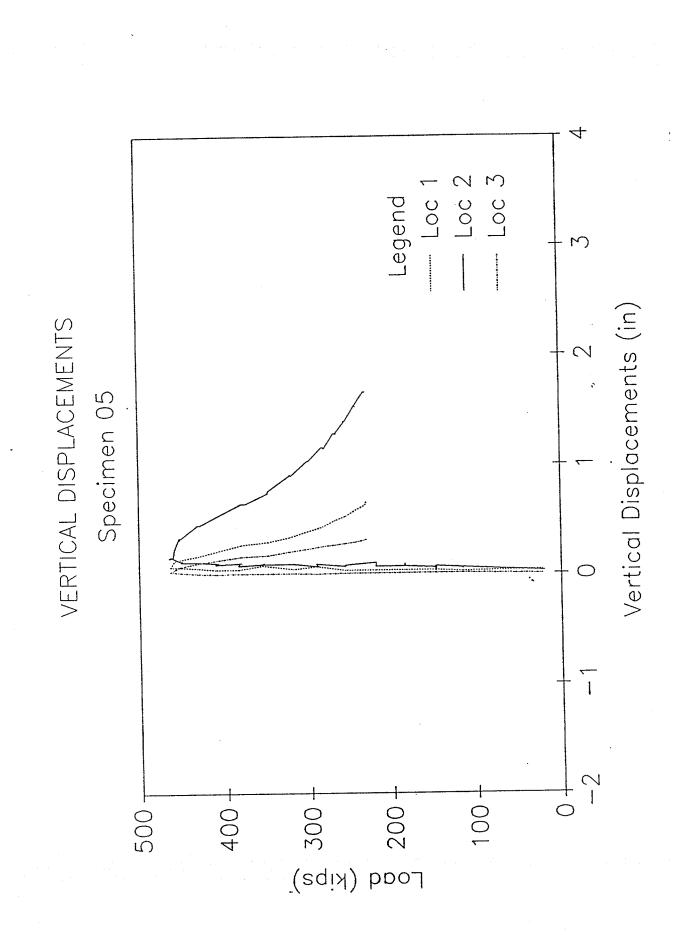


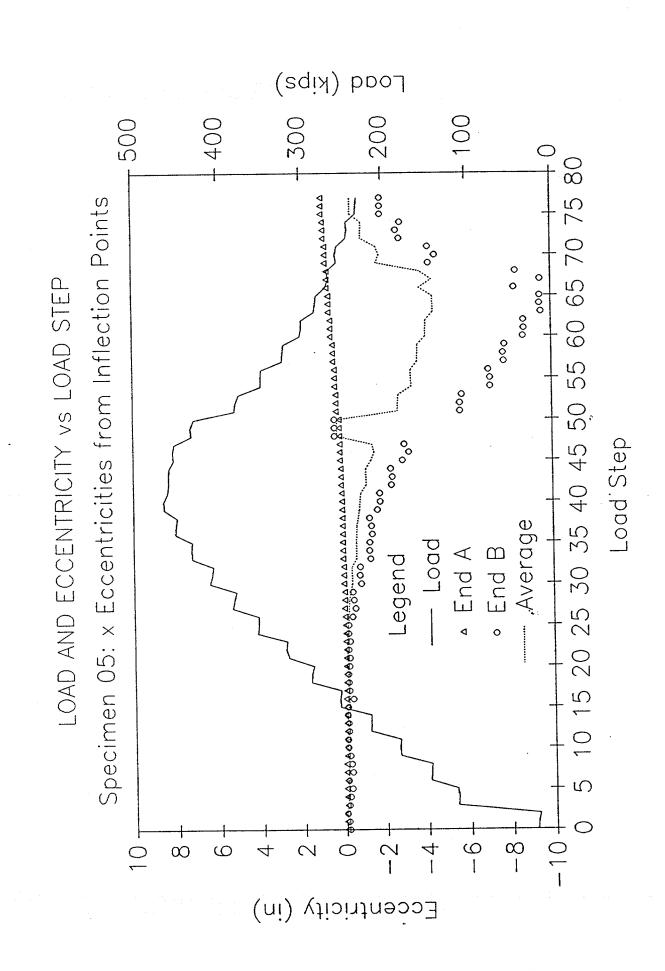
LOAD AND DEFLECTION vs LOAD STEP

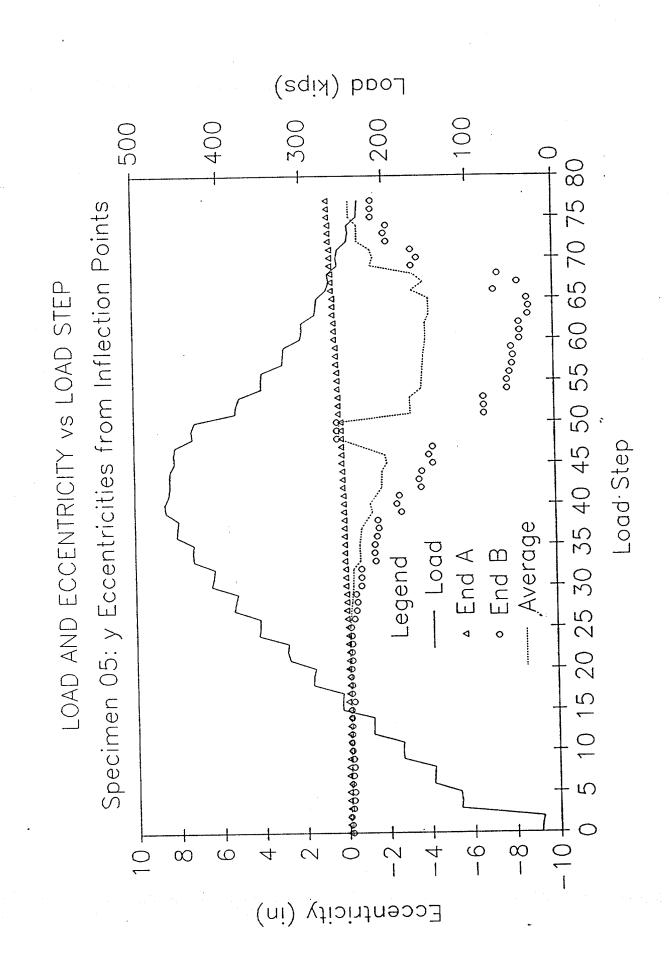


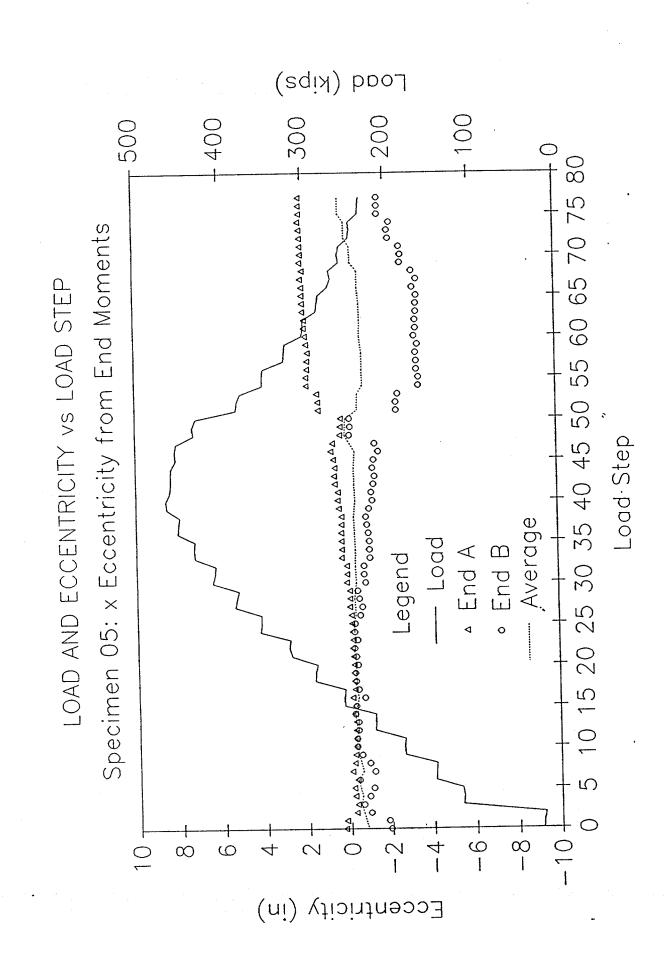


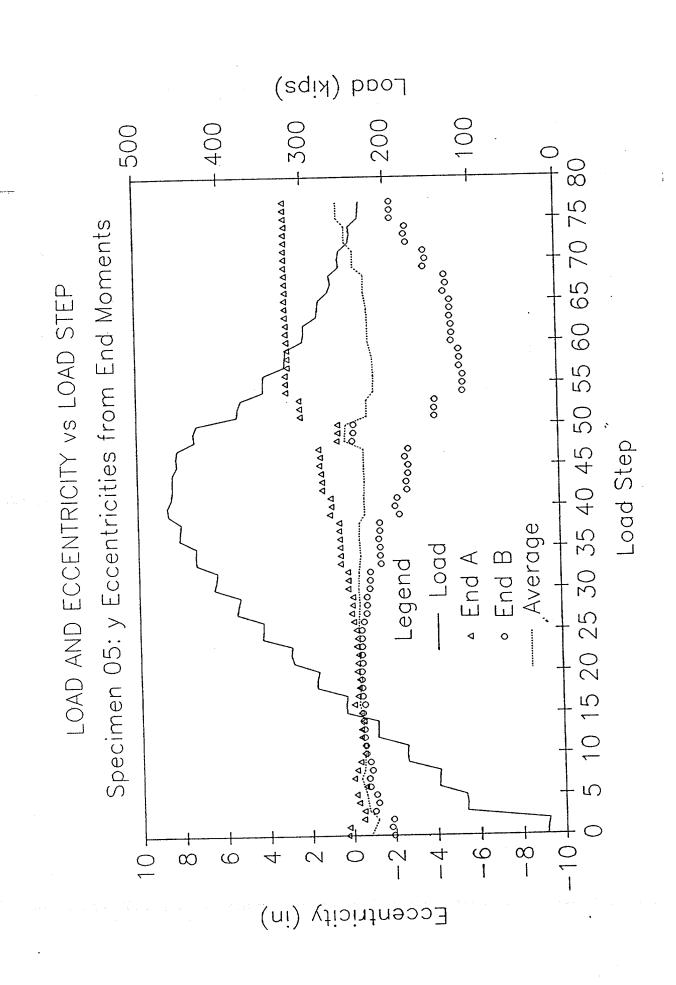






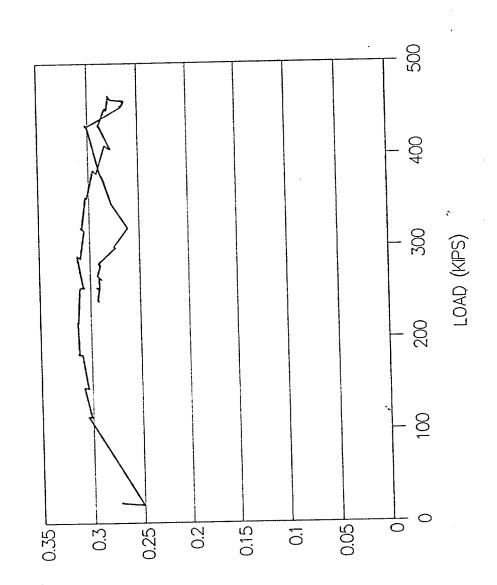






SPECIMEN 05-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

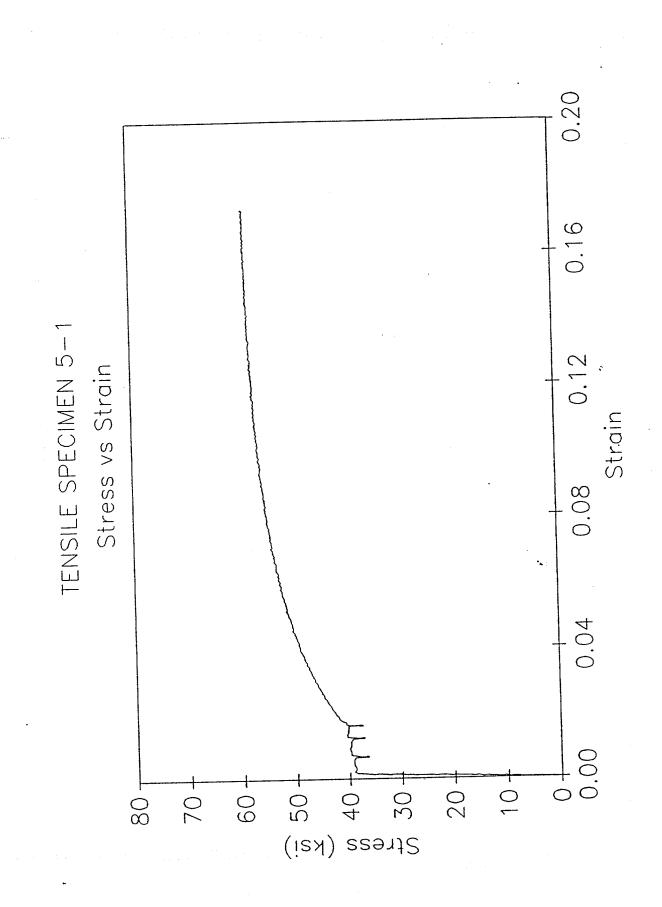
Legend
O Ultrasound
---- UT Data
----- Full Scale 25 Nominal Wall Thickness = 0.375 in SPECIMEN 05: WALL THICKNESS Strain Gauge Locations 20 5 S 100 (0001/ni) 300 0 200 500 Wall Thickness

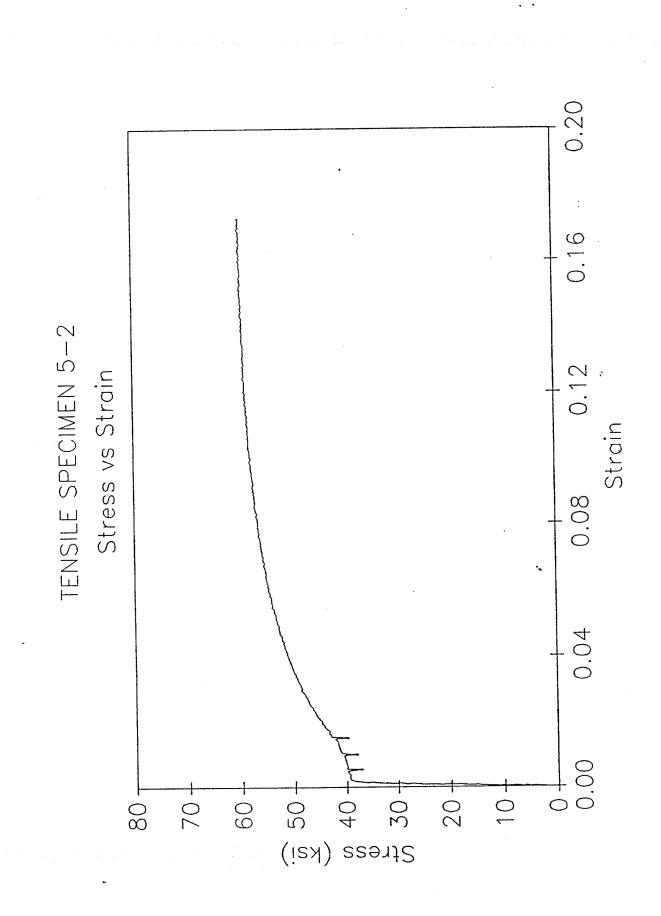
Ultrasound Data for Specimen 5 (All values in inches)

Gauge	UT	UT	
No.	Thickness	Average	
	0.226		
0	0.326		
1	0.345		
2	0.298		
3	0.316		
4		0.319	
5		0.313	
6			
7		•	
8			
9			
10	_	0.336	
11		0.330	
12			
13			
14			
19			
10		0 222	
1'		0.332	
1:	_		
1:			
2			
2			
. 2		0.216	
2		0.316	
2			
	5 0.356		
	6 0.286		
	7 0.315		
	8 0.334		
2	9 0.294	0.309	
Overall Average	= 0.322	:	

Random Readings near Buckling Point

	No.		Reading
		1	0.302
		2	0.316
		3	0.318
		4	0.330
		5	0.251
		6	0.259
		7	0.338
		8	0.338
Random	Average	=	0.306





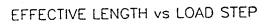
SPECIMEN 06

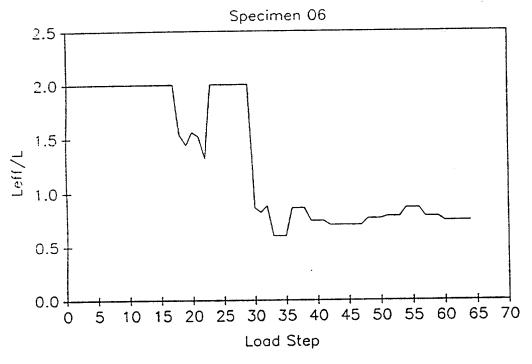
DAMAGE SUMMARY

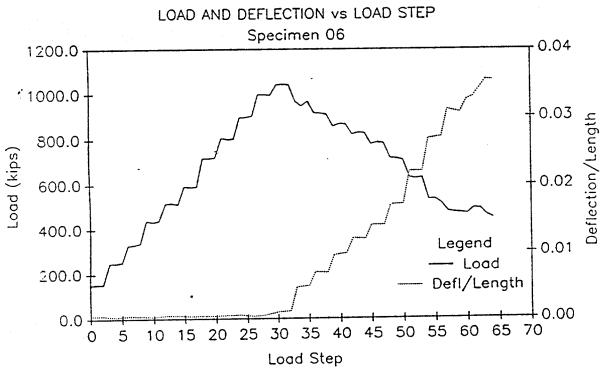
Specimen No. 6

DISTANCE FROM END "A"	*DISTANO CHALK LEFT		DESCRIPTION OF DAMAGE
	NO V	ISIBLE EXTER	NAL DAMAGE!
Some minor corr	 osion pitting 	 g on inside 	wall surface of ring test specimen.
	·		

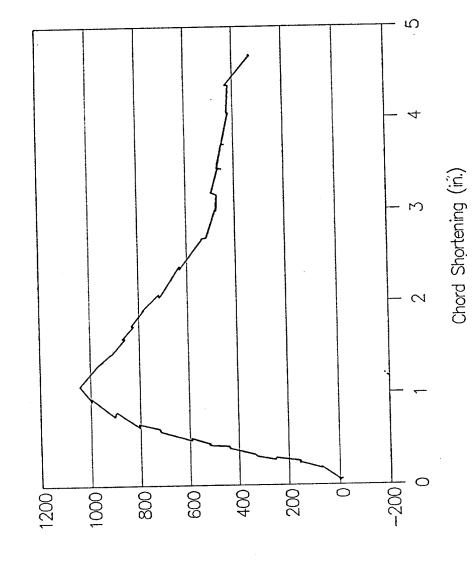
^{*}Looking from end "A" towards end "B"



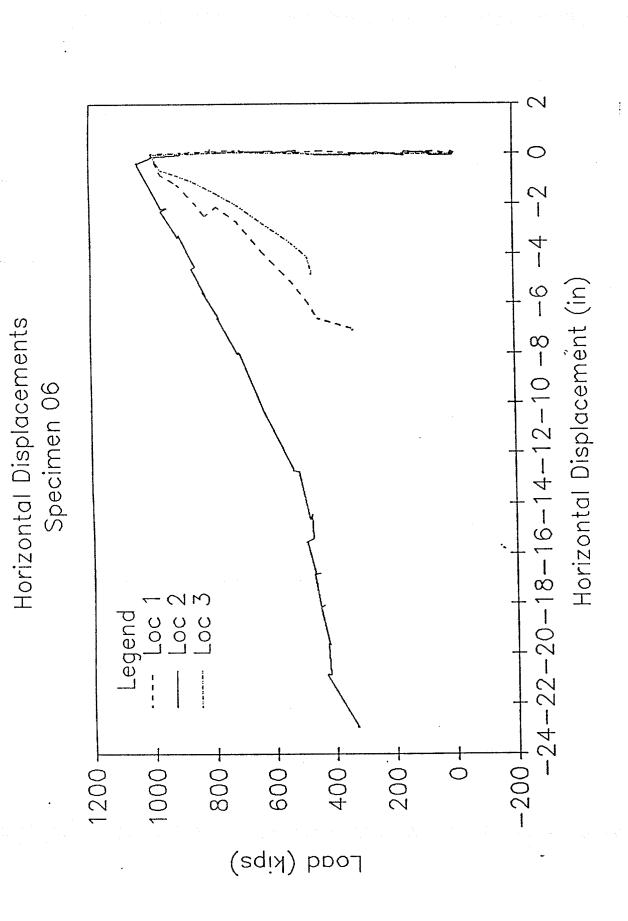


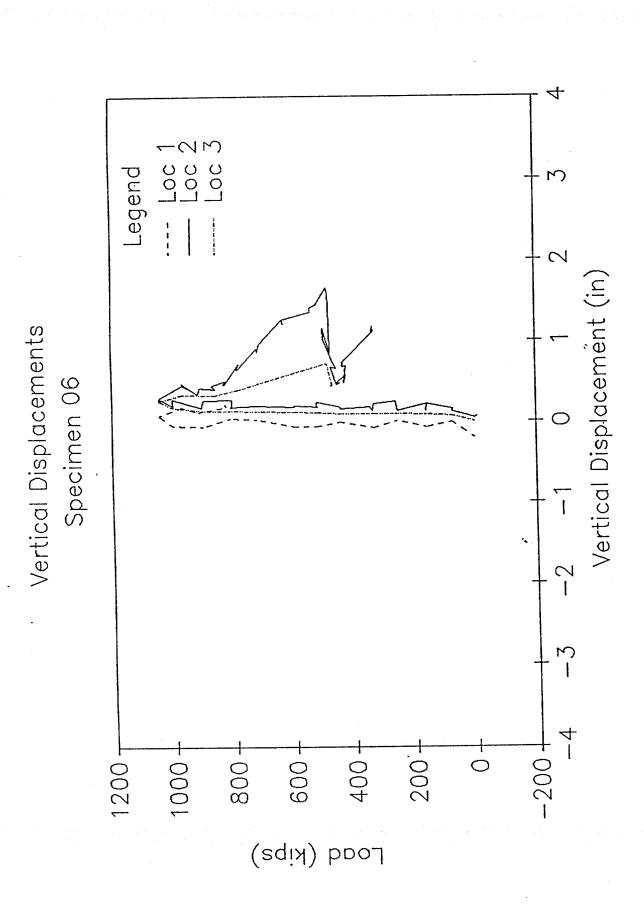


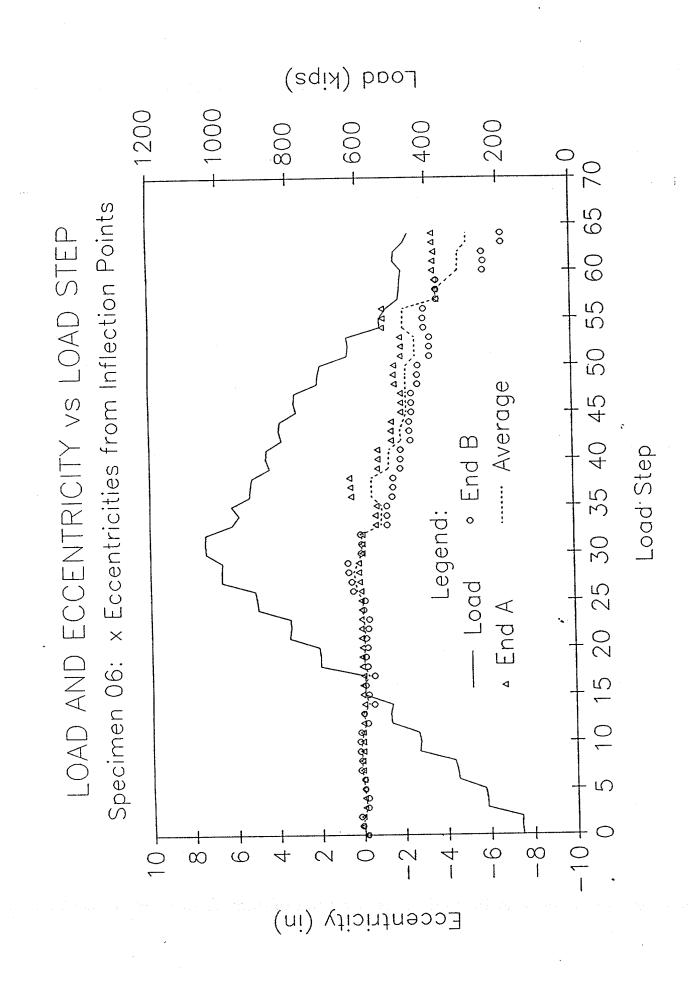
Chord Shortening Specimen 06

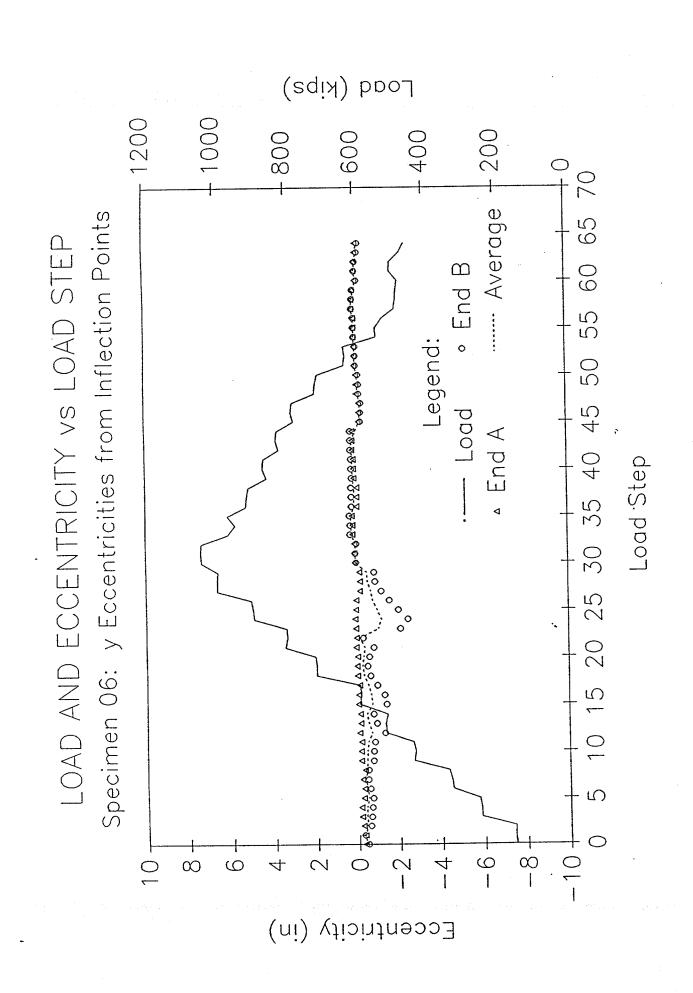


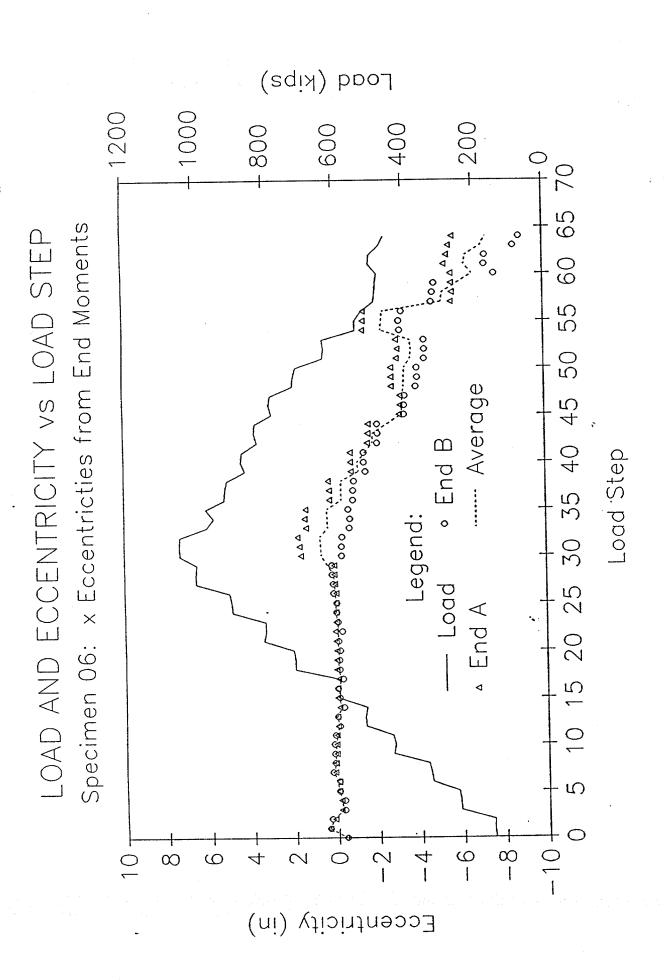
Food (kips)

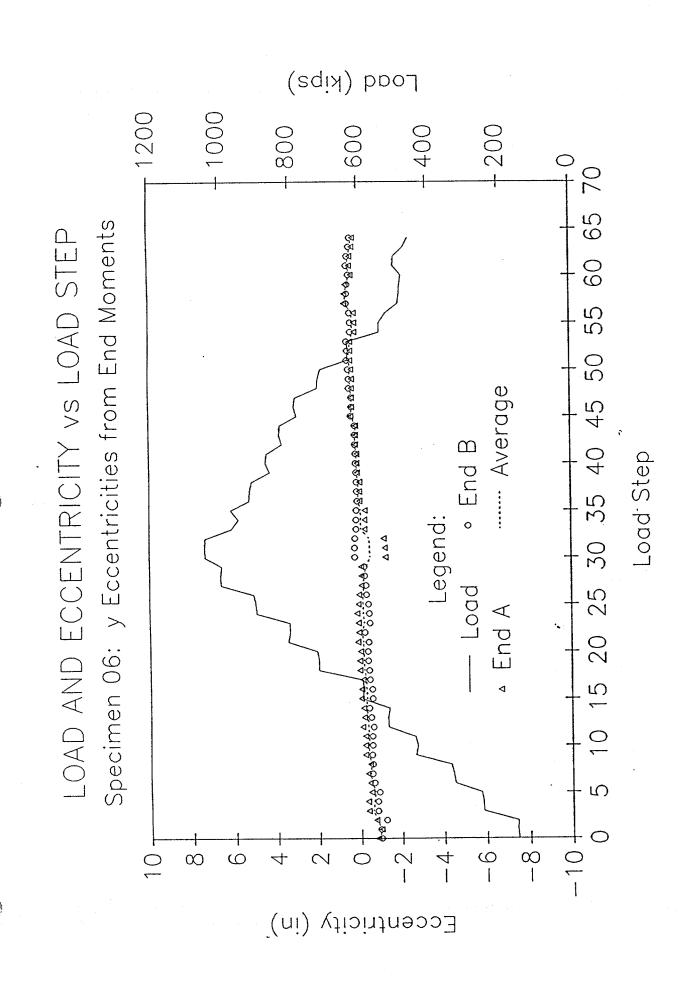






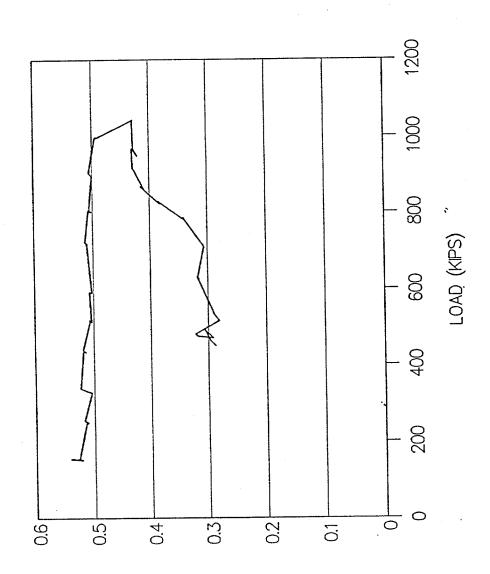






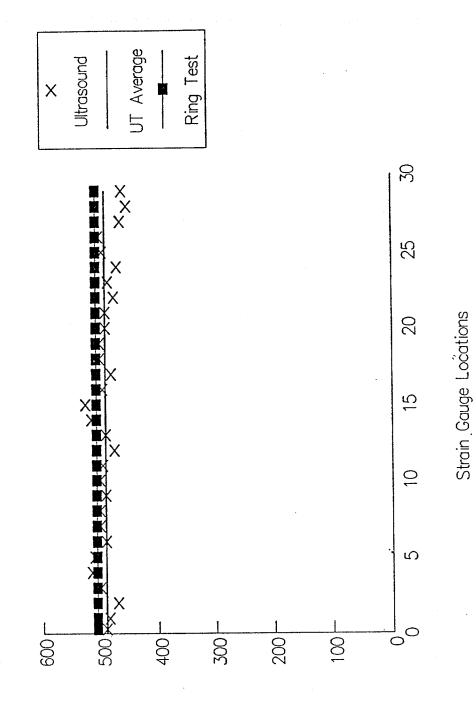
SPECIMEN 06-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

Specimen 06: Wall Thickness Nominal Thickness = 0.500 in



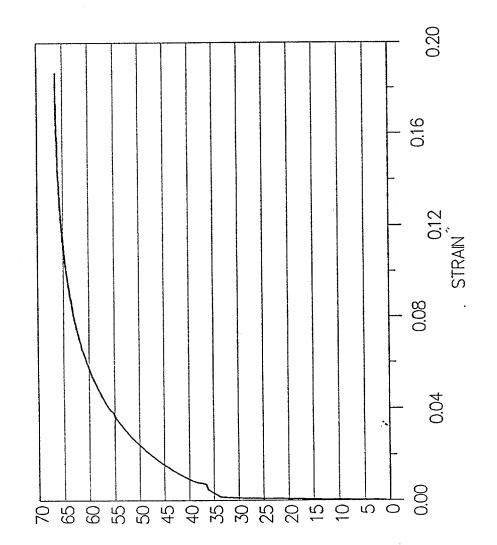
(0001/ni) assentation (1000)

Ultrasound Data for Specimen 6 (All values in inches)

	Gauge	${f UT}$	UT	
	No.	Thickness	Average	
		* * * * * * * * * * * * * * * * * * *		
	0	0.491		
	1	0.486		
	2	0.471		
	3	0.501		
	4	0.516		
	5	0.511	0.496	
	6	0.491		
	7	0.501		
	8	0.501		
•	9	0.491		
	10	0.501		
	11	0.496	0.497	
	12	0.476		
	13	0.491		
	14	0.516		
	15	0.526		
	16	0.496		
	17	0.481	0.498	
	18	0.501	•	
	19	0.501		
	20	0.491		
	21	0.491		
	22	0.476		
	23	0.486	0.491	
	24	0.464		
	25	0.502		
	26	0.496		
	27	0.470		
	28	0.461		
	29	0.453	0.474	
Overall	Average =	0.491		

TENSILE SPECIMEN 6-3

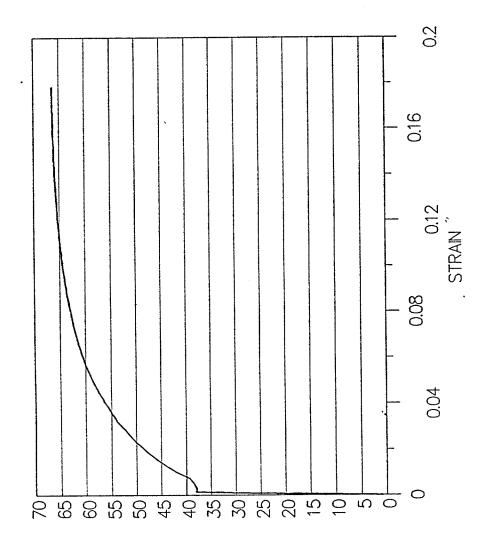
Stress vs Strain



(Thousands)

TENSILE SPECIMEN 6-4

Stress vs Strain



STRESS (psi) (Thousands)

SPECIMEN 07

DAMAGE SUMMARY

Specimen No. 7

DISTANCE FROM	*DISTANG CHALK		DESCRIPTION OF DAMAGE
END "A"	LEFT	RIGHT	
1. 5'-10"		12 1/4"	C-section welded to pipe (rectangular) 6" X 3"
2. 11'-0"		10 3/4"	C-section welded to pipe (rectangular) 6" X 3"
3. 18'-3 3/4"			3/4" circumferential butt weld
4. 18'-2 3/4"	10"		Oblong welded bracing attachment 15" END"A" END"B" 20"
5. 20'-0"	9 5/8"		Oblong welded bracing attachment END"B" 15½ END"A"
6. 20'-3 3/4"		9"	Dent - 8" circular, CROSS-SECTION 1 1/2" deep at center AT & OF DENT DENT-PROFILE END "B" EDGE OF DENT
7. 30′-1"		11 5/8"	C-section welded to pipe (rectangular) 6" X 3"

^{*}Looking from end "A" towards end "B"

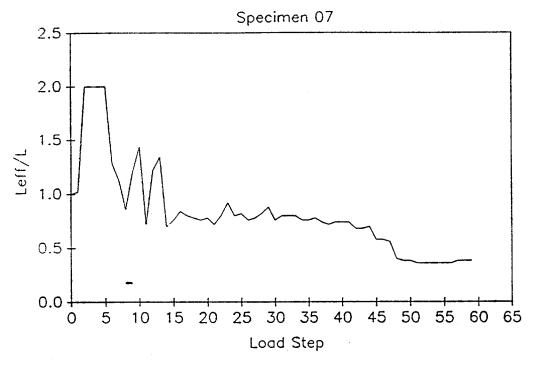
DAMAGE SUMMARY

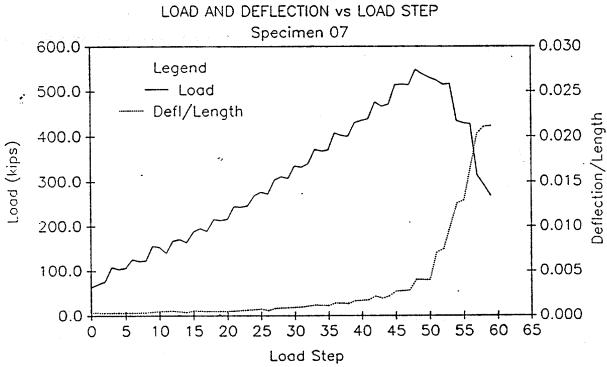
Specimen No. 7

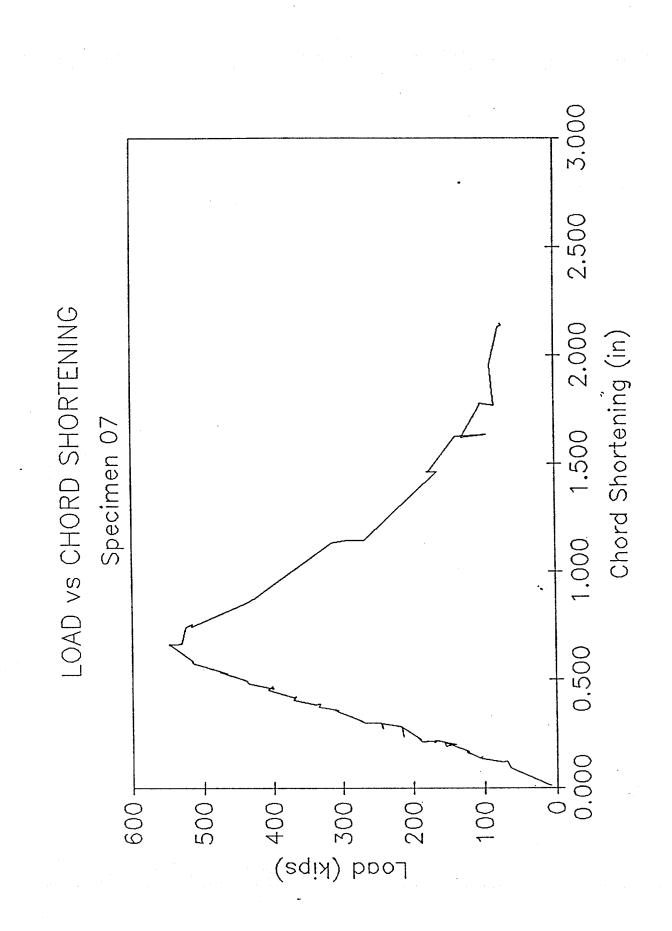
DISTANCE FROM END "A"	*DISTANG		DESCRIPTION OF DAMAGE
1111	LEFT	RIGHT	
8. 35′-2"		11 3/8"	C-section welded to pipe (rectangular) 6" X 3"
9. 19'-2"	21"		6 1/2" diameter circular round bracing connection, 1/4" wall thick
	LIGHT	ORROSION	

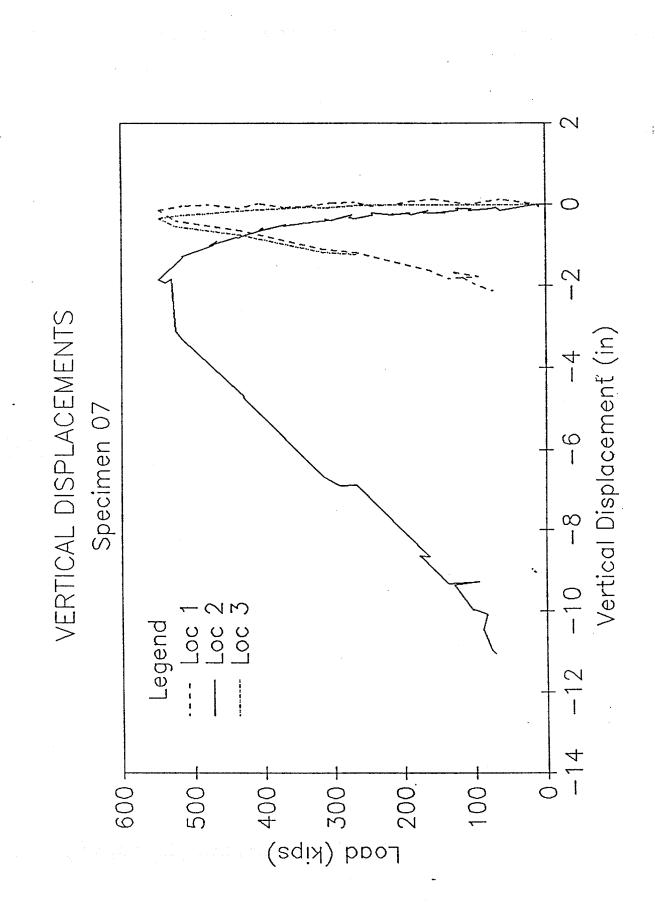
^{*}Looking from end "A" towards end "B"

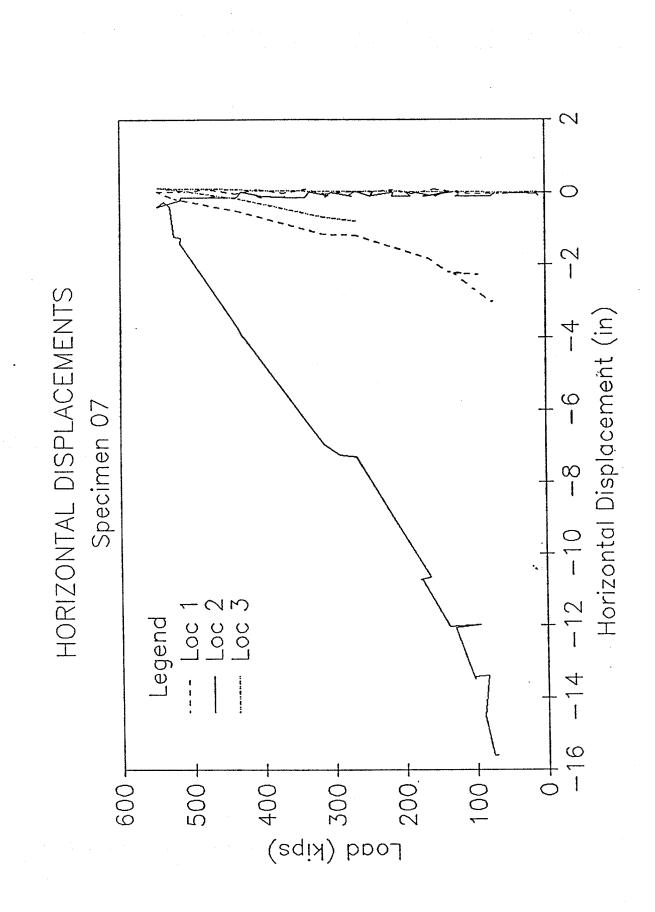


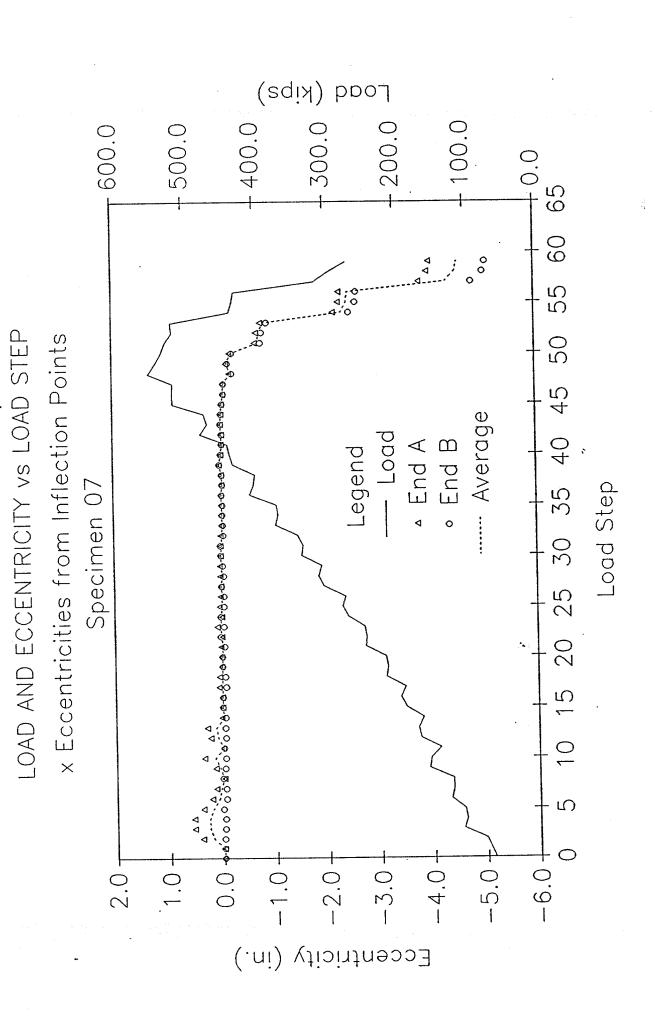


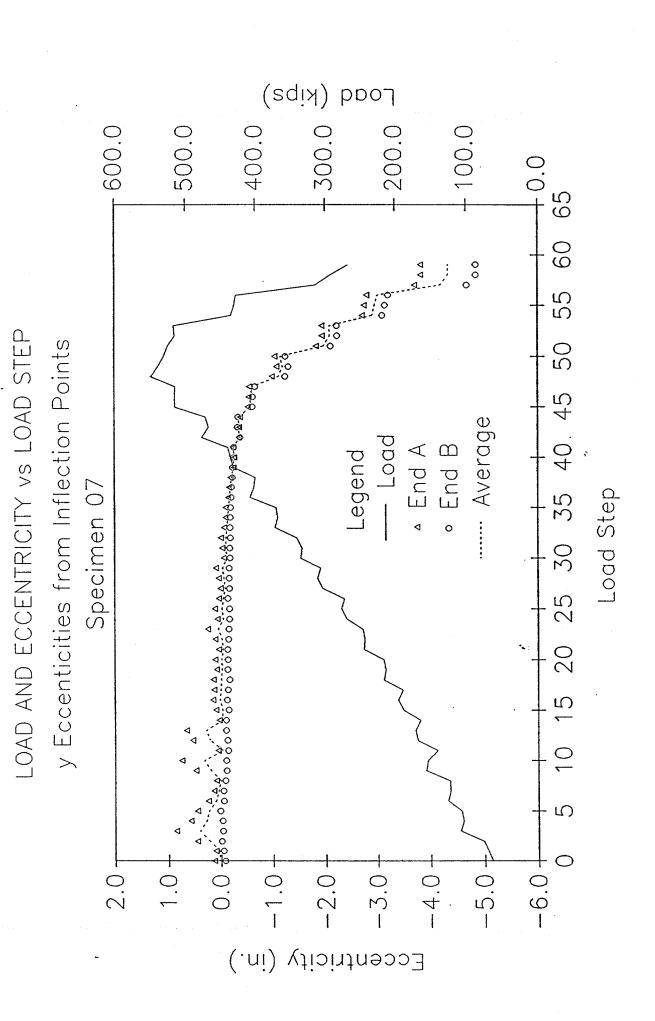


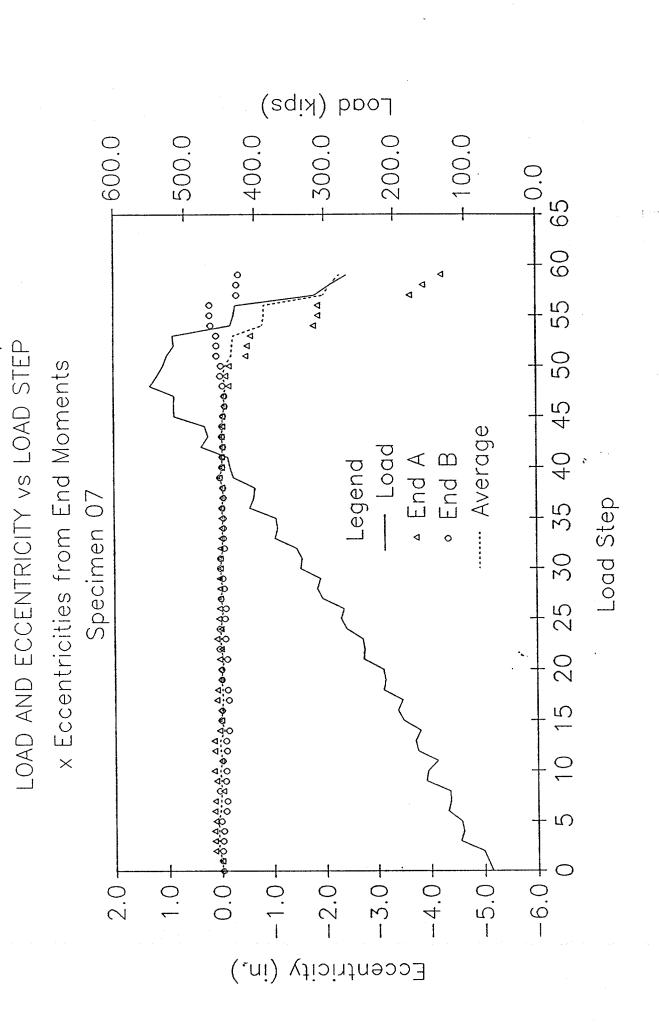


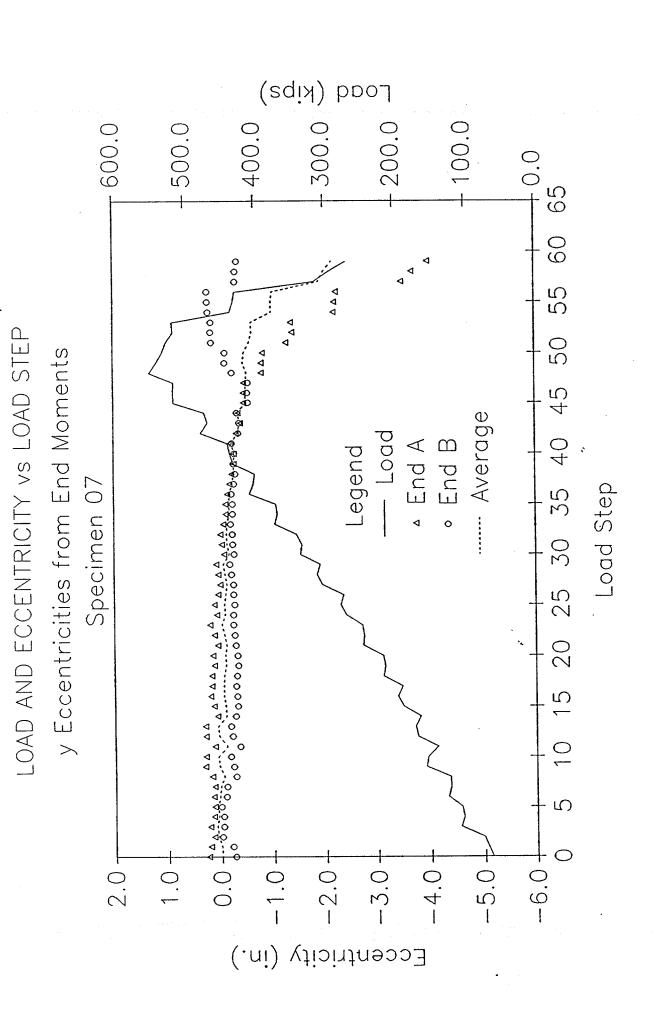






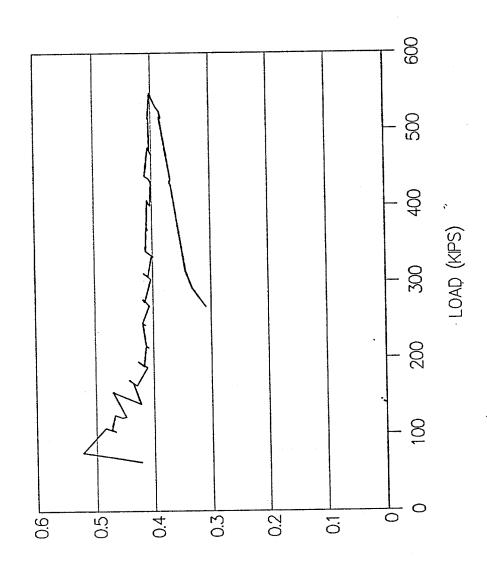






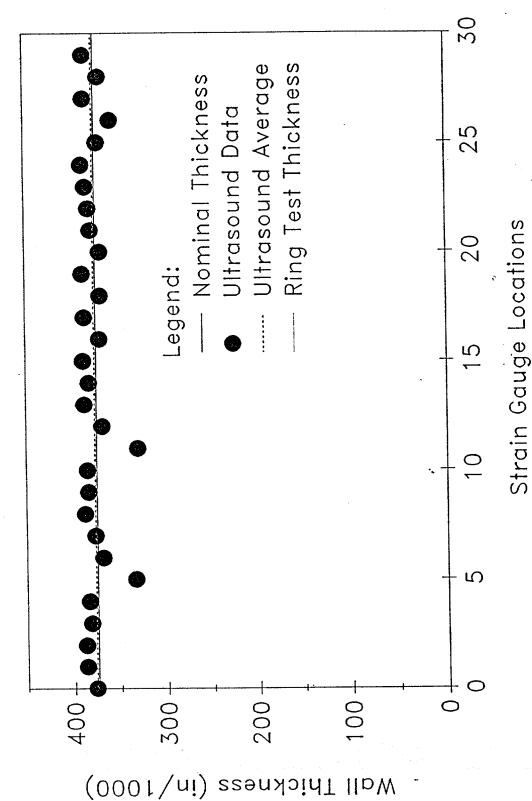
SPECIMEN 07-FULL SCALE TEST

COMPUTED WALL THICKNESS



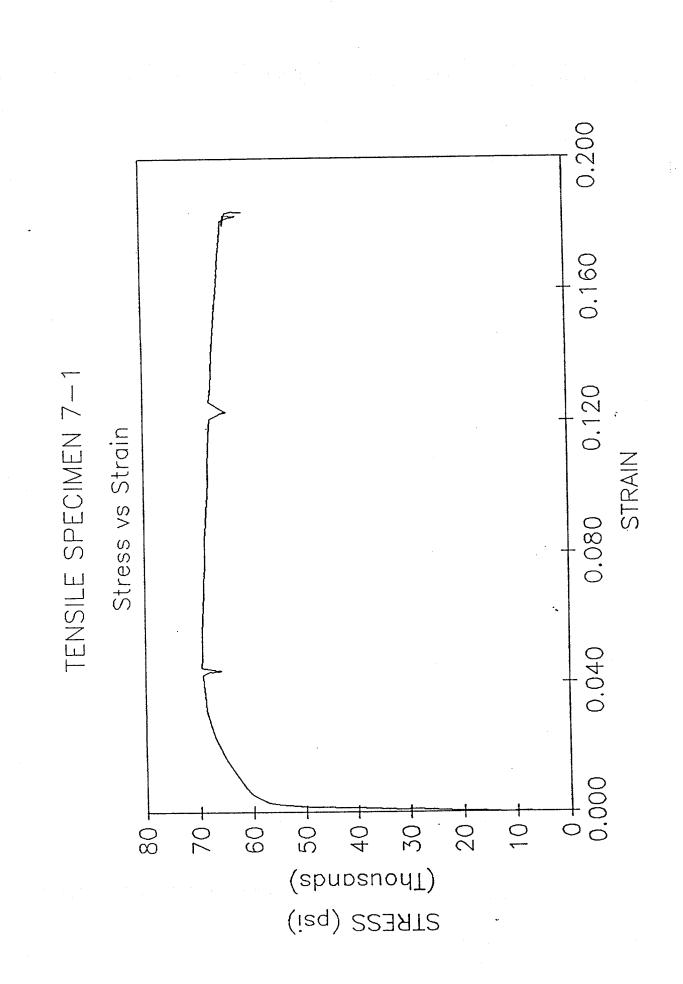
COMP WALL THICKNESS (IN)

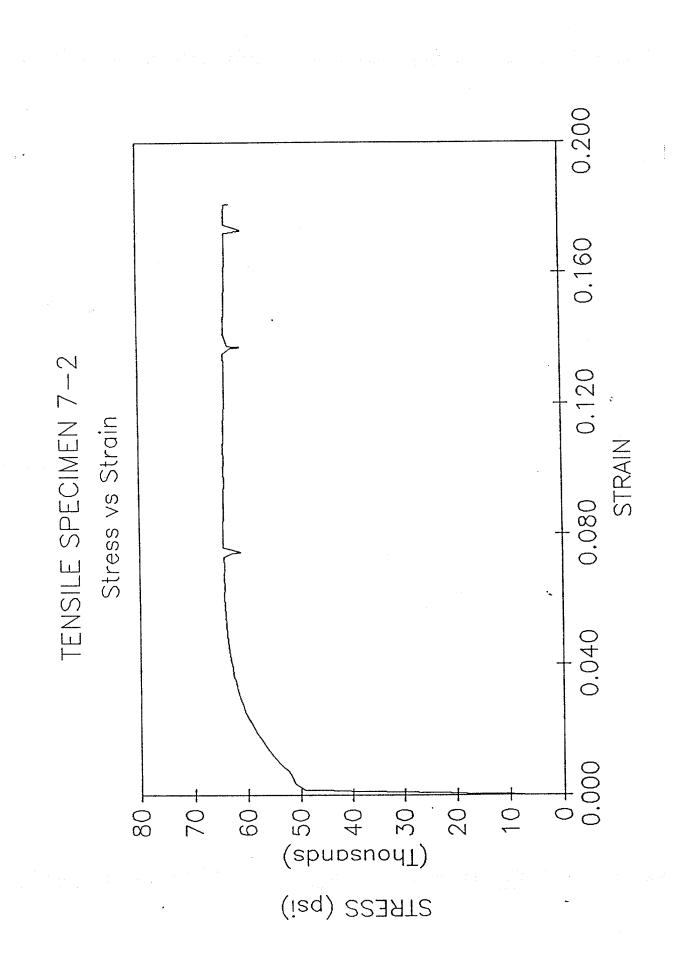
Specimen 07: Wall Thickness Nominal Thickness = 0.375 in



Ultrasound Data for Specimen 7 (All data in inches)

	Gauge	UT	UT	
	No.	Thickness	Average	
	0	0.377		
	1	0.387		
	2 3	0.388		
		0.382		
	4	0.384		
	5	0.334	0.375	
	6	0.369		
	7	0.377		
	8	0.388		
	9	0.384		
	10	0.385		
	11	0.331	0.372	
	12	0.369		
	13	0.388		
	14	0.383		
	15	0.389		
	16	0.371		
	17	0.387	0.381	
	18	0.370		
	19	0.389		
	20	0.370		
	21	0.380		
	22	0.382		
	23	0.385	0.379	
	24	0.389		
	25	0.372		
	26	0.358		
	27	0.386		
	28			
	29		0.377	
Overall	Average =	0.377		





SPECIMEN 08

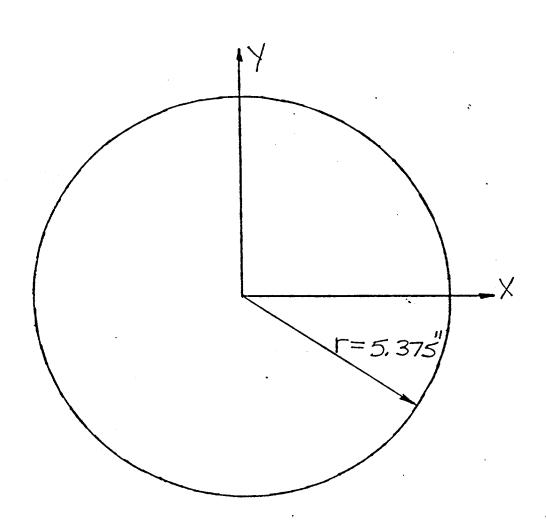
DAMAGE SUMMARY

Specimen No. 8

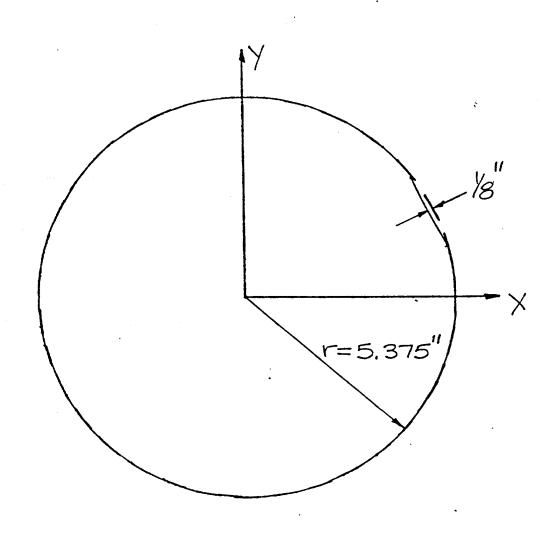
DISTANCE FROM END "B"	*DISTANC CHALK LEFT		DESCRIPTION OF DAMAGE 3/4" circumferential butt weld
2. 3'-8"		6"	Dent - 5" diameter with 1/4" deflection at center (See additional sheets)
3. See drawing for location	6 1/2"		Cut-off welded attachment 2"wall thickness End A

^{*} Looking from end "A" towards end "B"

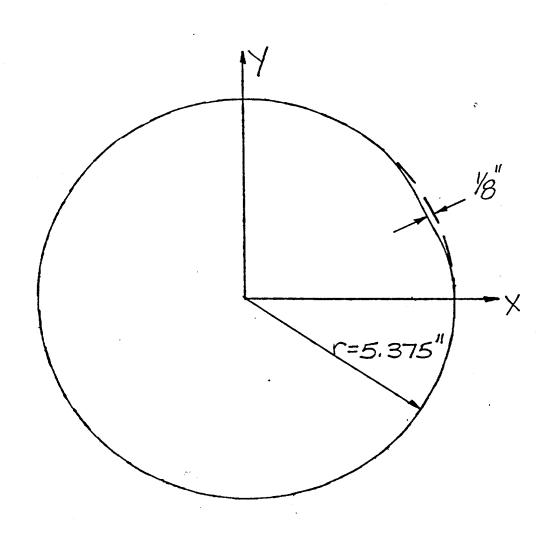
Specimen No. $\underline{8}$ Damage No. $\underline{2}$ Distance from End B $\underline{3^{l}-5^{ll}}$ Scale $\underline{1^{ll}=2.53^{ll}}$



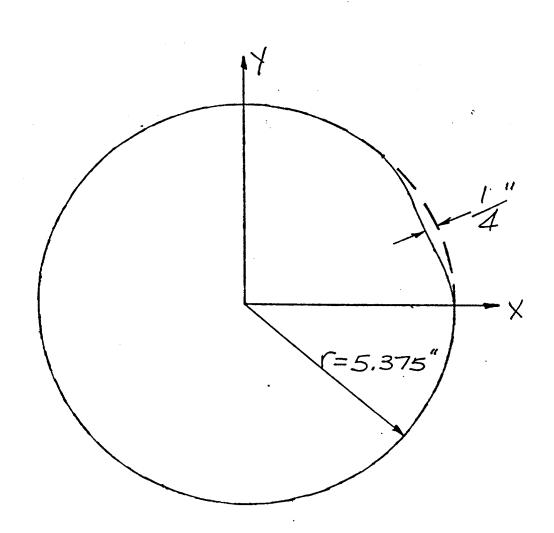
Specimen No. 8Damage No. 2Distance from End B 3^{\prime} Scale $1^{\prime\prime}$ = 2.53"



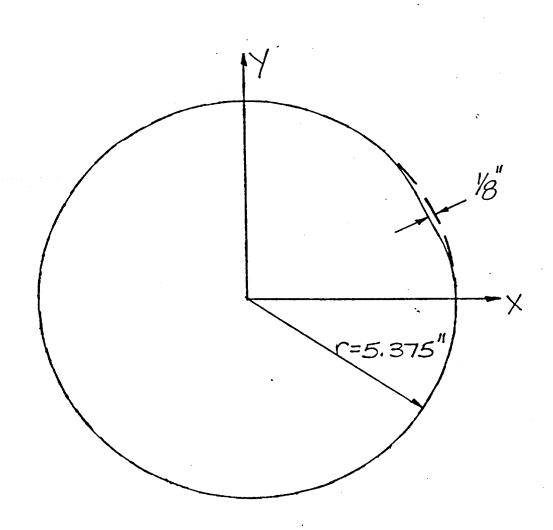
Specimen No. $\underline{8}$ Damage No. $\underline{7}$ Distance from End B $\underline{3^{1}-7^{\prime\prime}}$ Scale $\underline{/''=2.53^{\prime\prime}}$



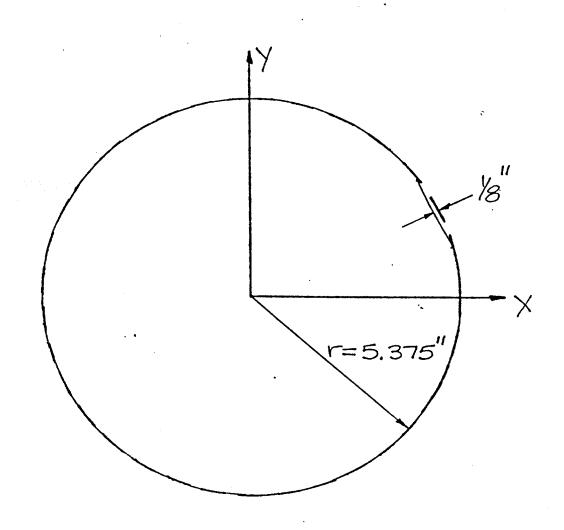
Specimen No. $\underline{8}$ Damage No. $\underline{2}$ Distance from End B $\underline{3'-8''}$ Scale $\underline{I''=2.53''}$



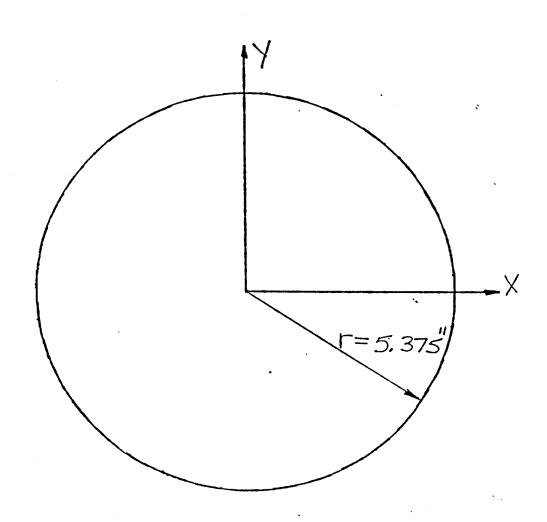
Specimen No. 8Damage No. 2Distance from End B $3^{l}-9^{ll}$ Scale $1^{ll}=2.53^{ll}$

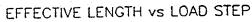


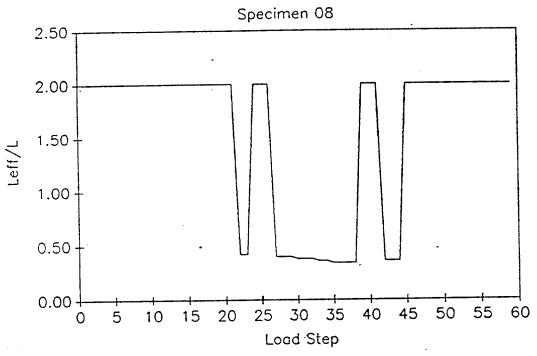
Specimen No. $\underline{8}$ Damage No. $\underline{2}$ Distance from End B $\underline{3^{l}-10^{u}}$ Scale $\underline{1^{ll}=2.53^{u}}$



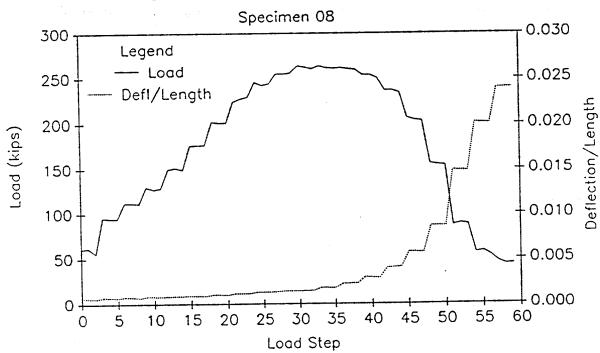
Specimen No. 8Damage No. 2Distance from End B 3^{1} Scale 1''=2.53''

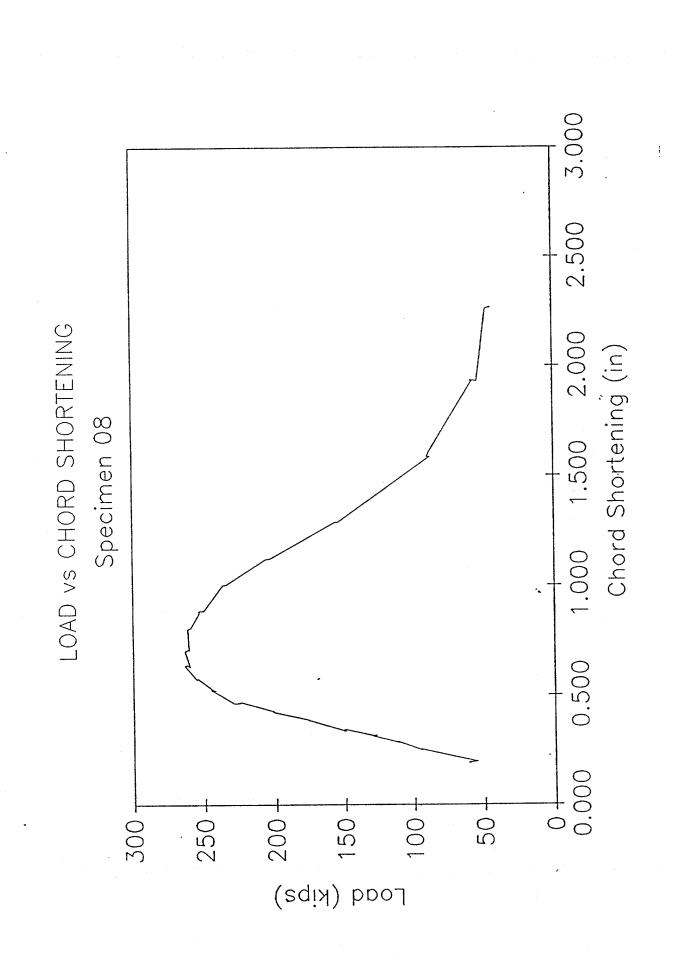


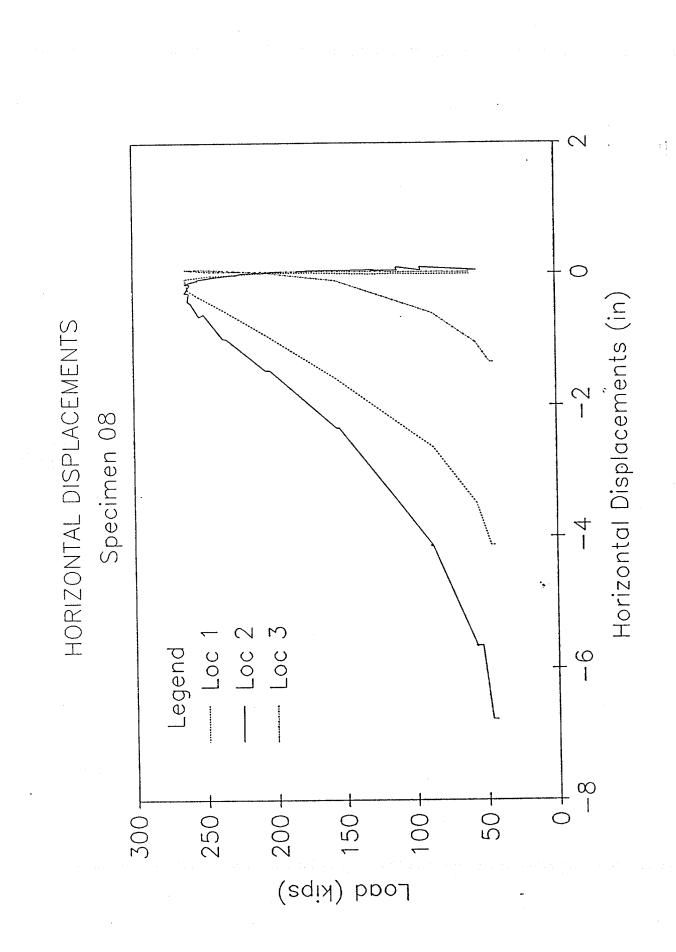


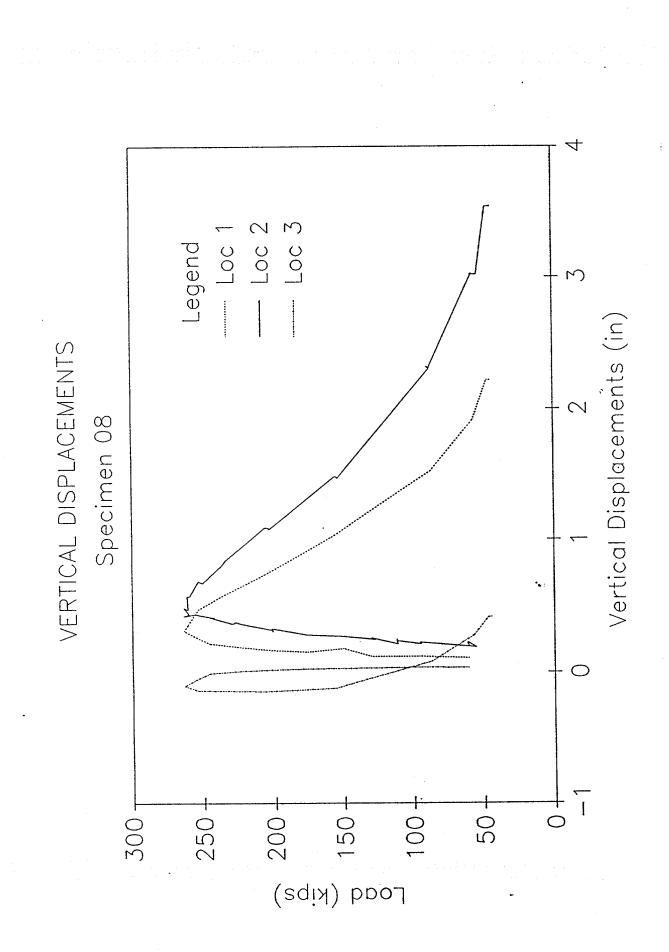


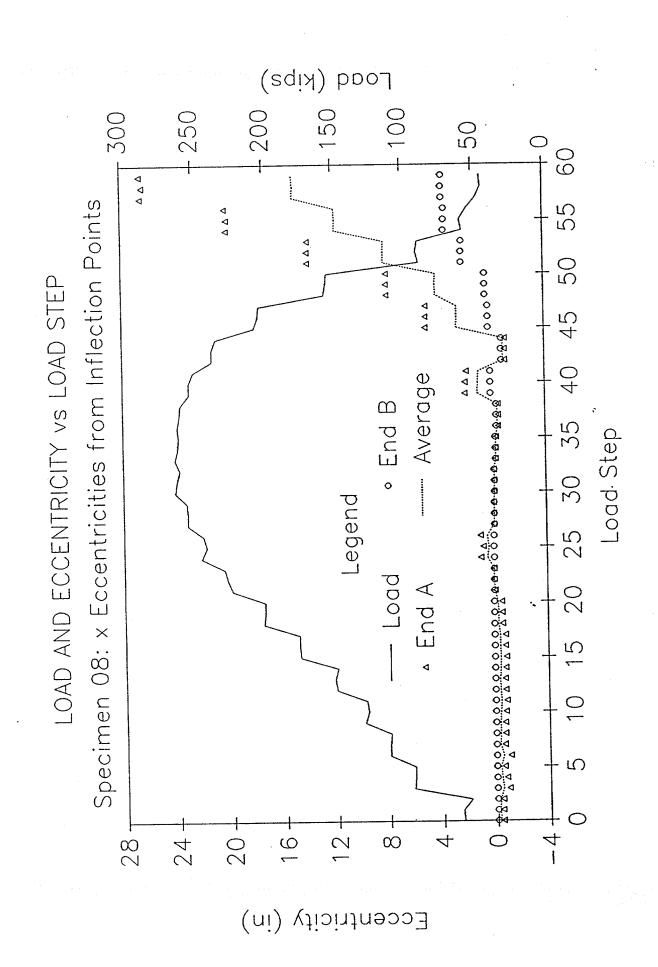


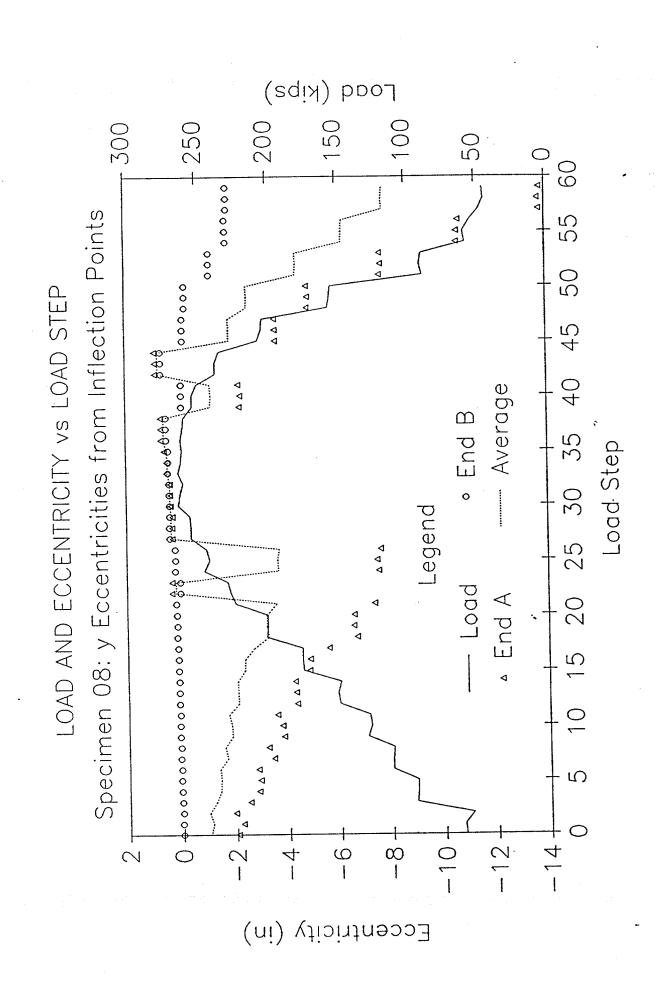


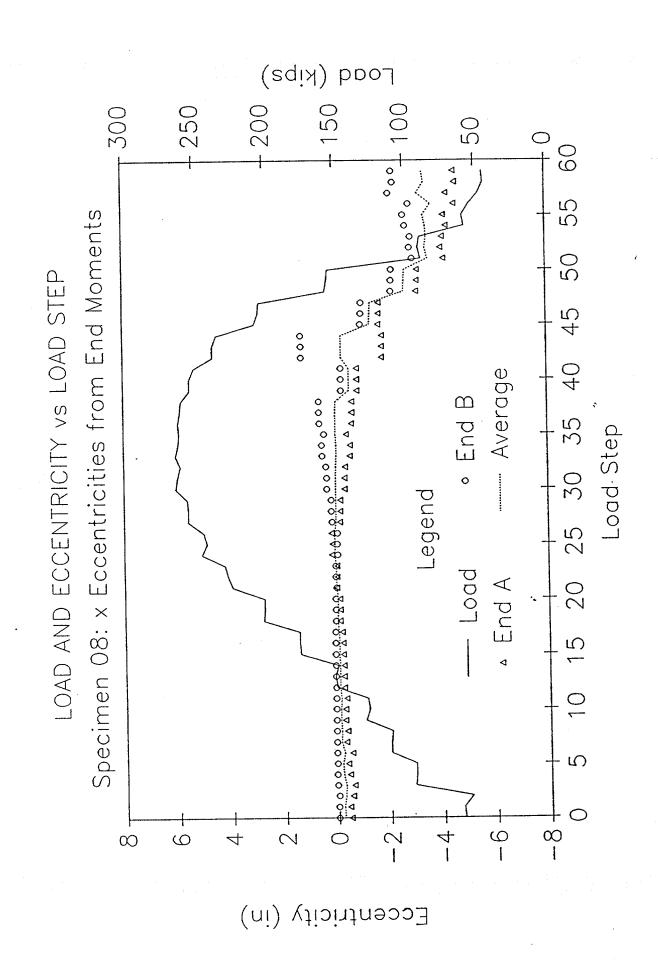


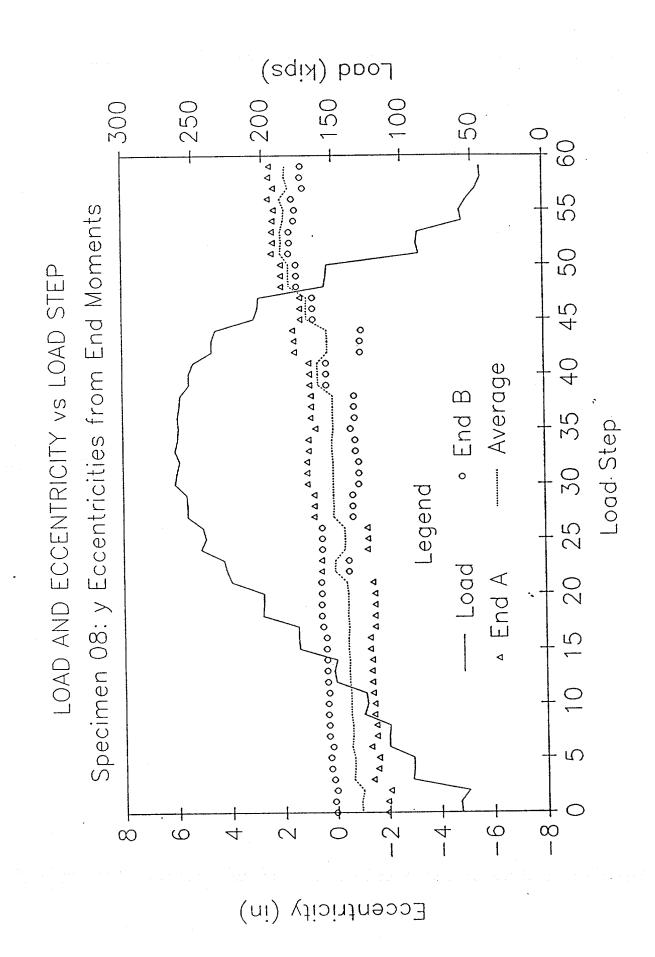






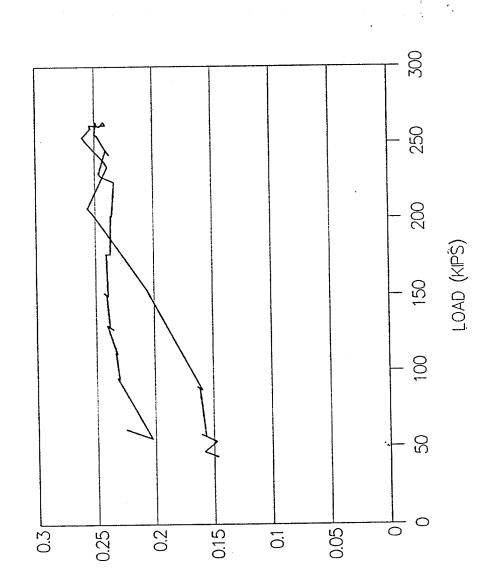






SPECIMEN 08-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

SPECIMEN 08: WALL THICKNESS Nominal Wall Thickness = 0.375 in UT Average Legend O Ultrasound ---- Full Scale Strain Gauge Locations ر ر Ω (000 l/u!) Wall Thickness

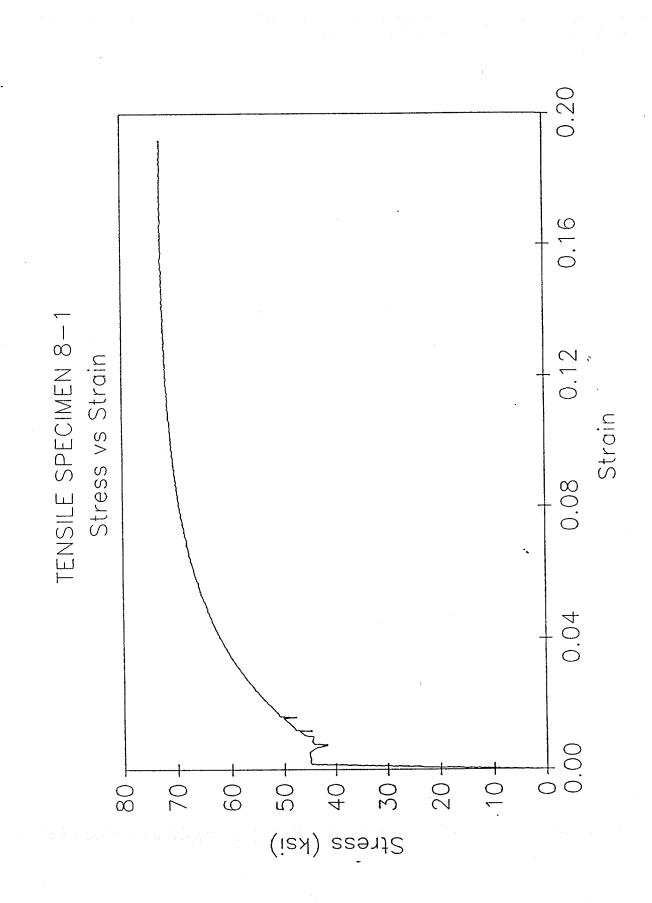
Ultrasound Data for Specimen 8 (All values in inches)

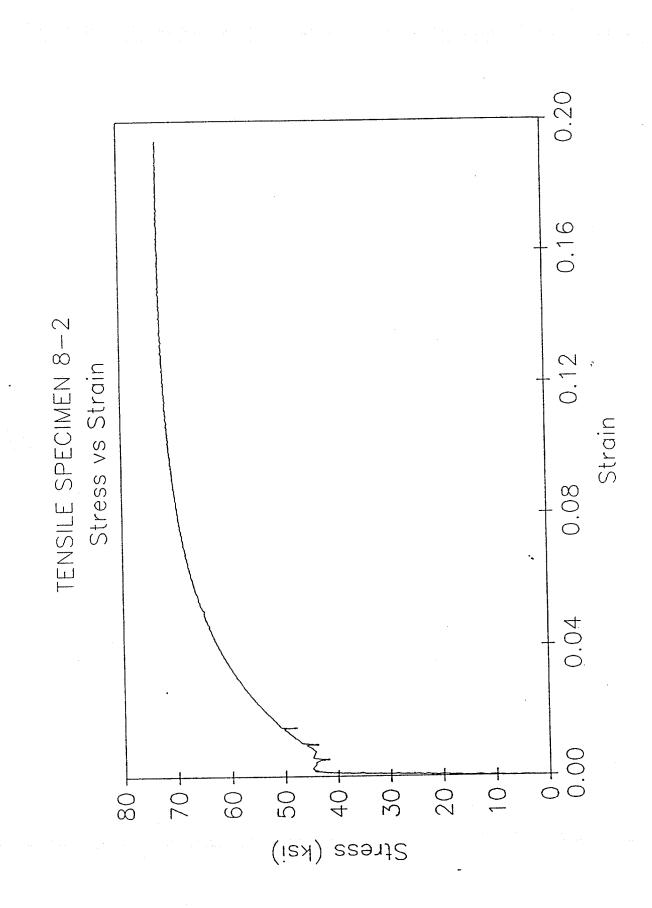
	Gauge	UT	UT
	No.	Thickness	Average
	0	0.257	
	1	0.277	
	2	0.218	
	3	0.283	
	4	0.299	
	5	0.322	0.276
	6	0.148	
	7	0.388	
	8	0.282	
	9	0.241	
	10	0.397	
	11	0.386	0.307
	12	0.291	
	13	0.293	
	14	0.251	
	15	0.364	
	16	0.348	
	17	0.373	0.320
	18	0.264	
	. 19	0.361	
	20	0.370	
	21	0.298	
	22	0.265	
	23	0.231	0.298
	24	0.371	
	25	0.360	
	26	0.356	
	27	0.387	
	28		
	29	0.374	0.375
Overall	Average =	0.315	

Random Readings near Buckling Point

No. 1 2 3 4 5 6 7 8	Reading 0.212 0.280 0.213 0.277 0.224 0.292 0.294 0.249
8 9 10 11 12 13	0.208 0.100 0.335 0.268 0.289
14 15	0.366

Random Average = 0.262





SPECIMEN 09

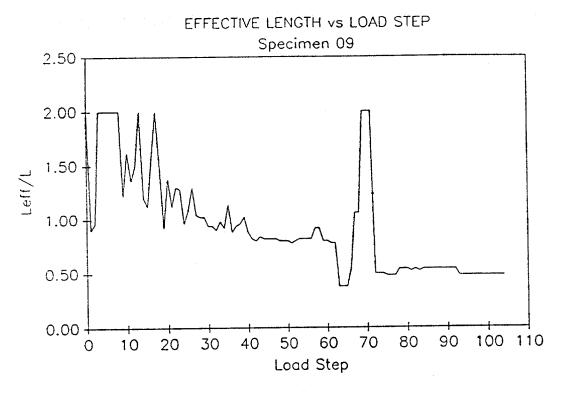
DAMAGE SUMMARY

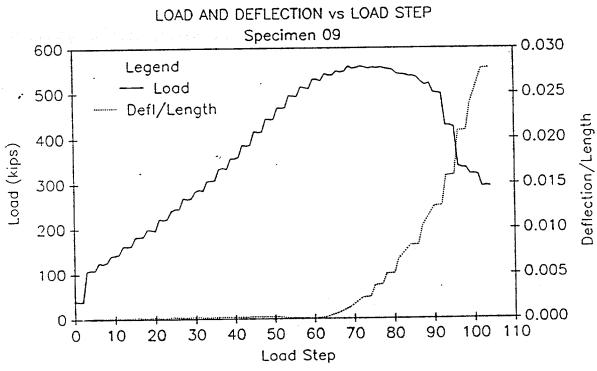
Specimen No. 9

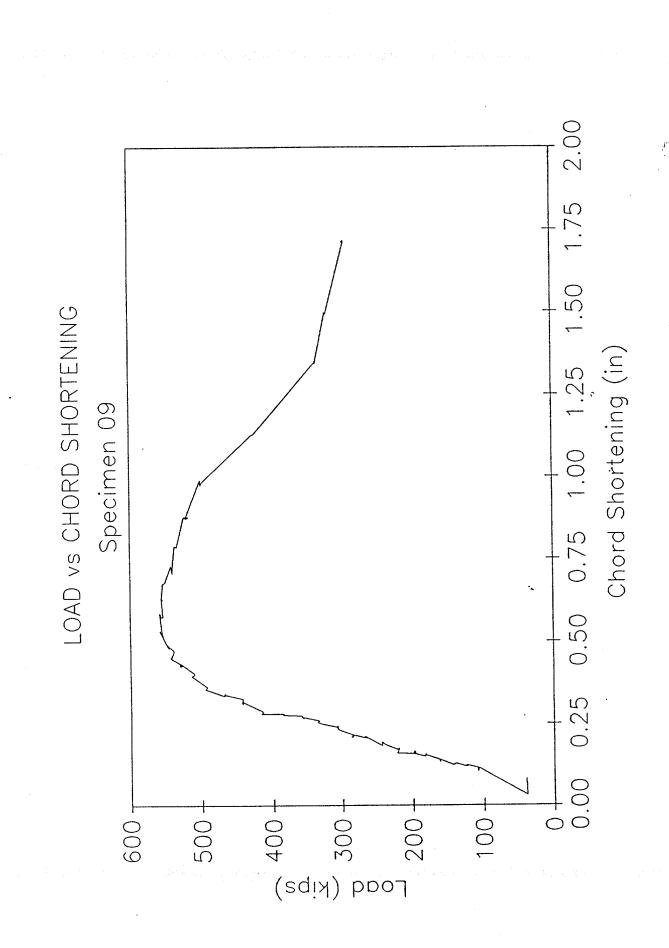
DISTANCE FROM END "B"	*DISTANG CHALK	CE FROM	DESCRIPTION OF DAMAGE
1111	LEFT	RIGHT	
1. 14'-0 3/8"			3/4" circumferential butt weld

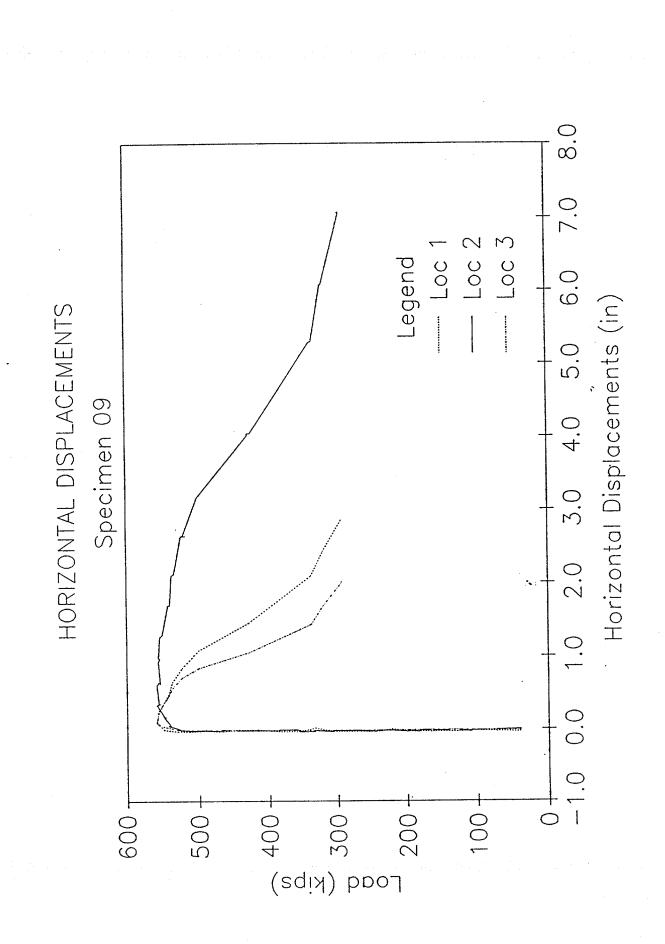
WIDESPREAD CORROSION ON SPECIMEN!

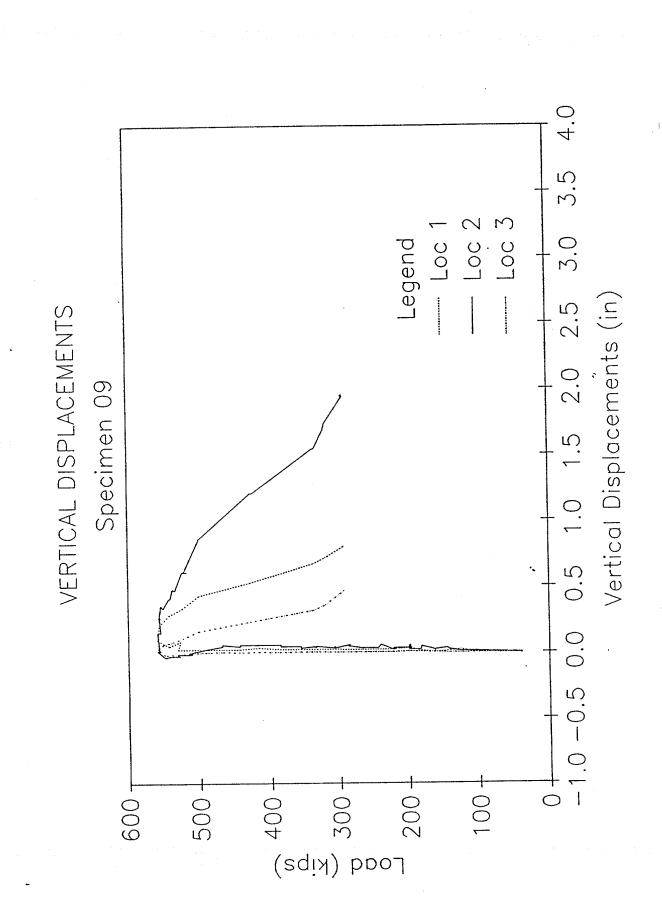
*Looking from end "A" towards end "B"

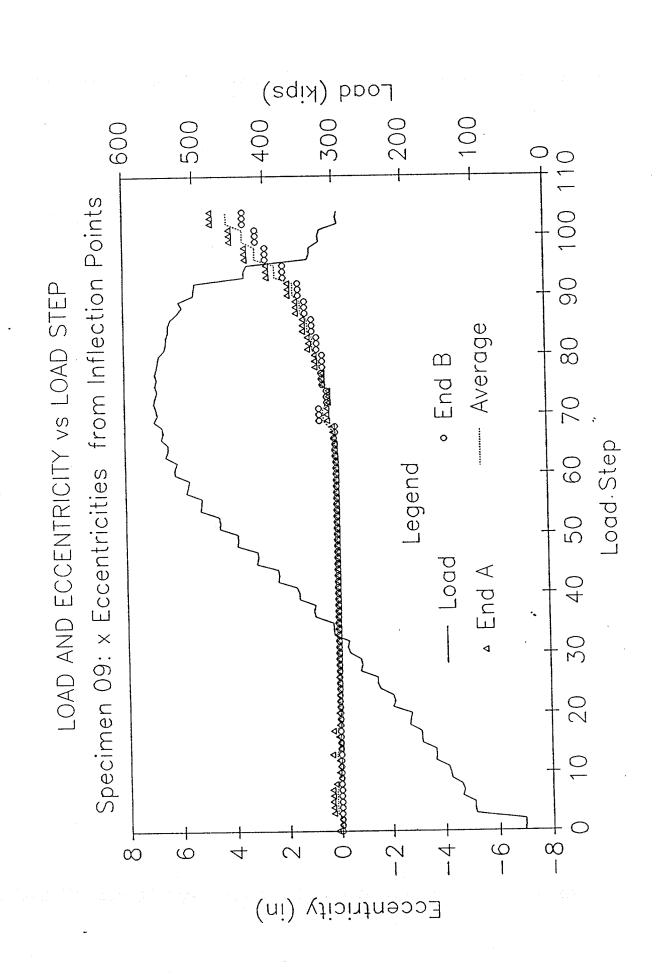


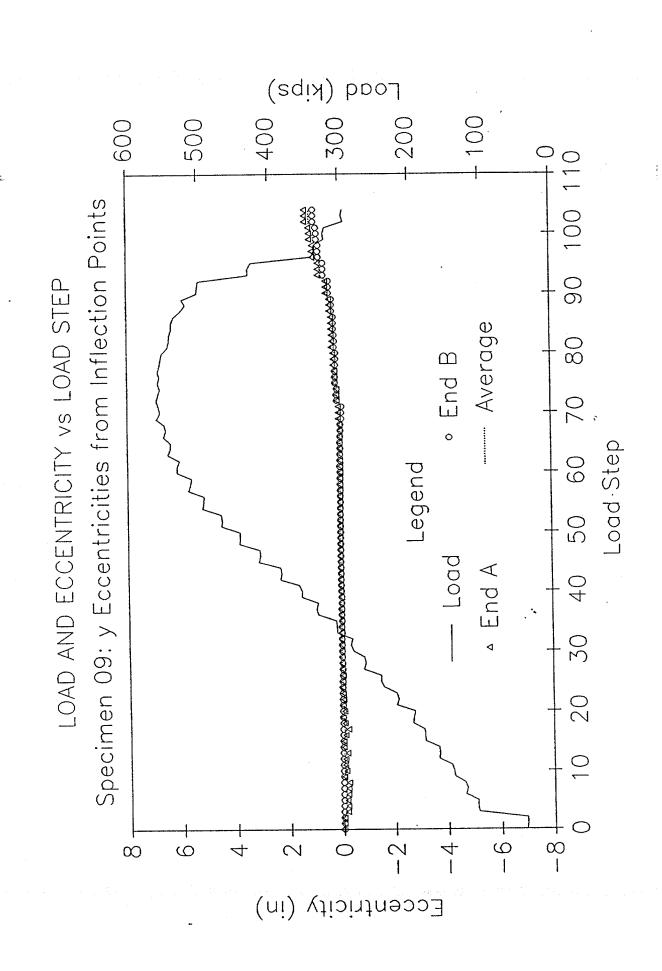


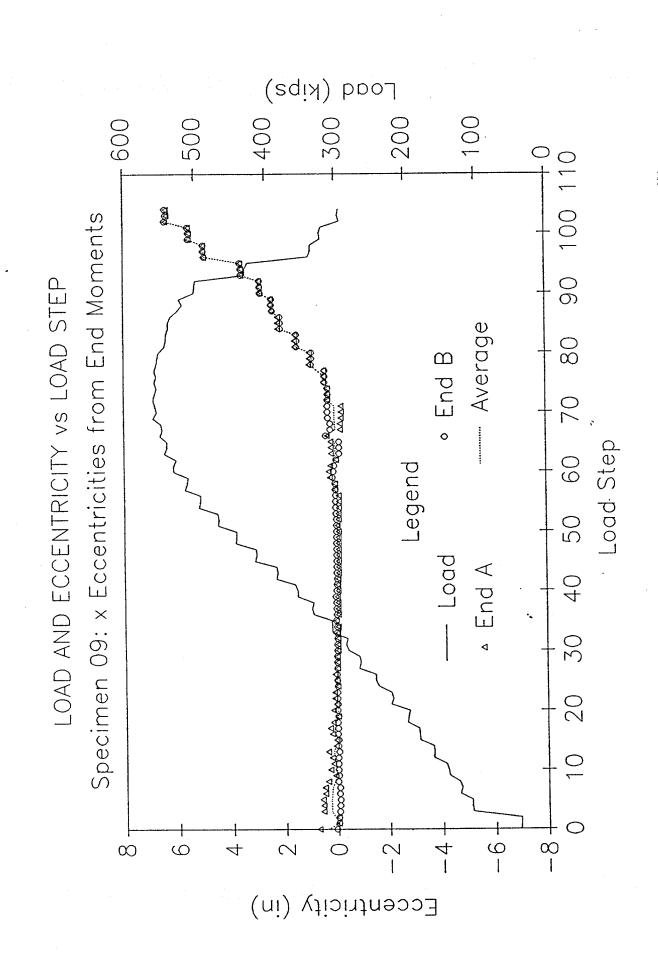


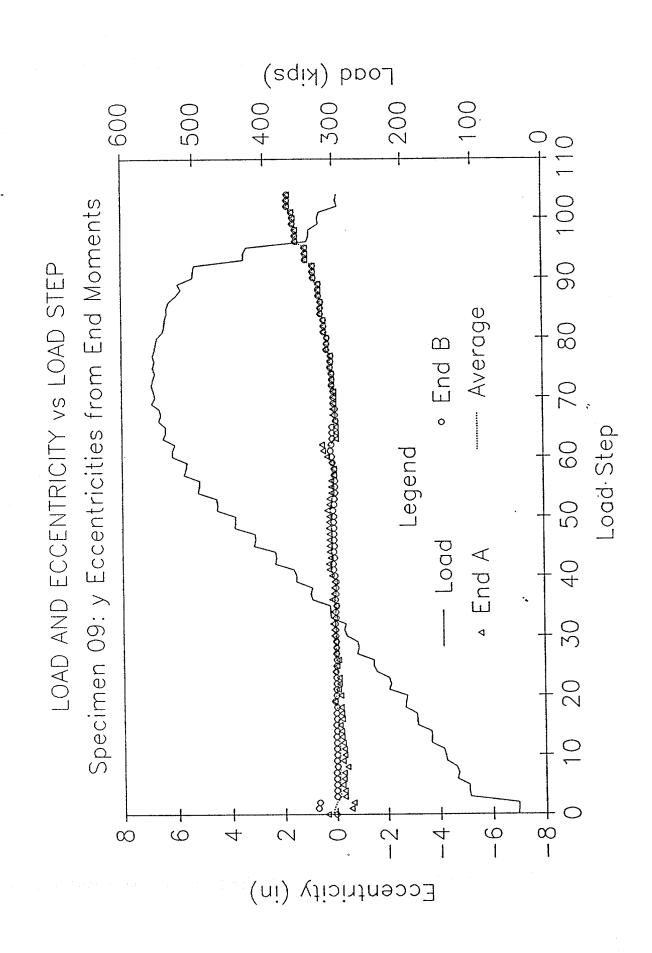






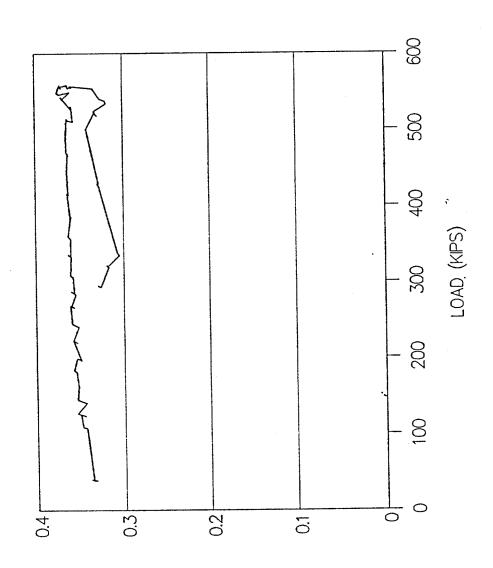


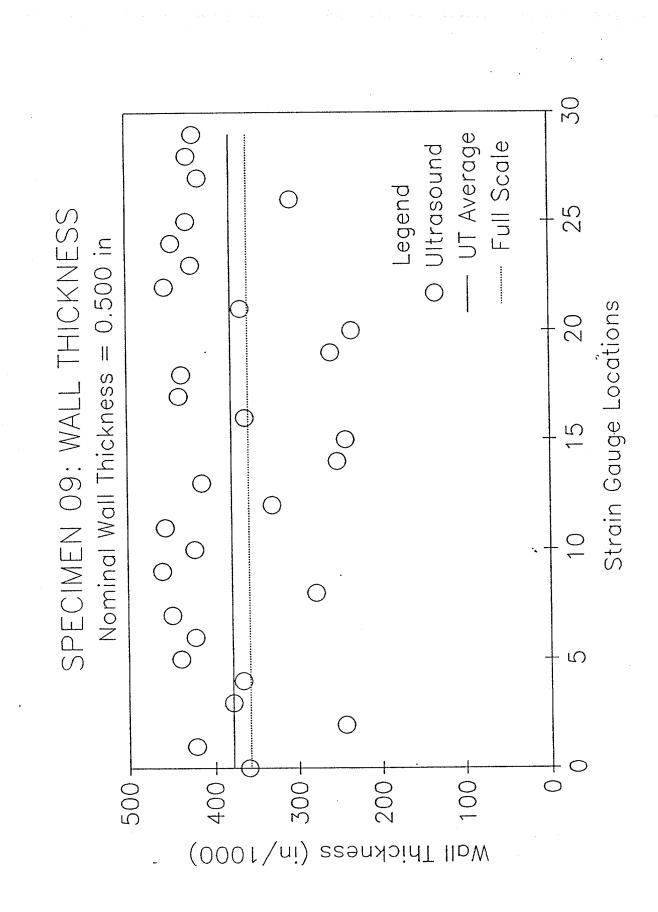




SPECIMEN 09-FULL SCALE TEST

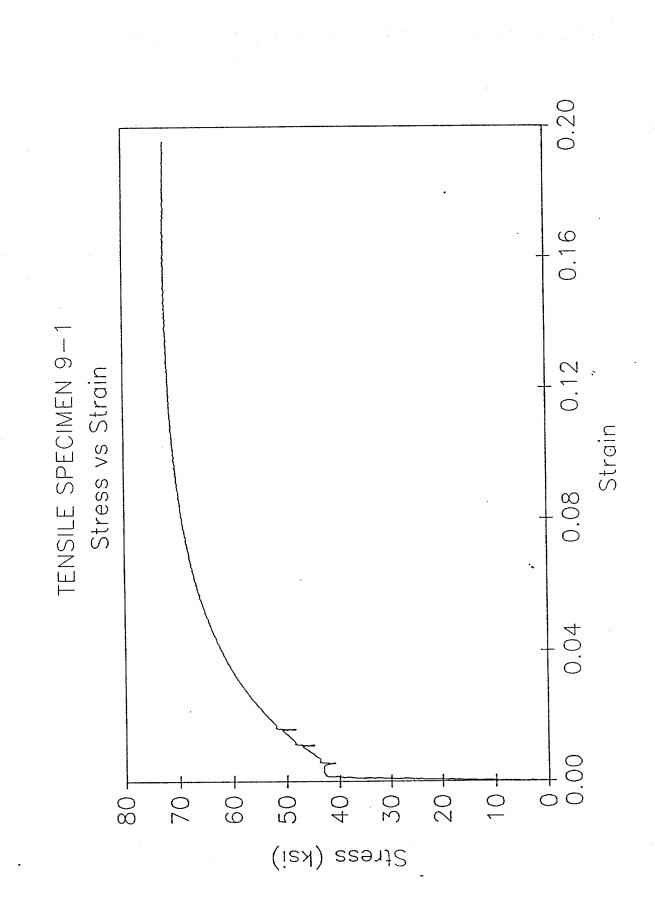
COMPUTED WALL THICKNESS

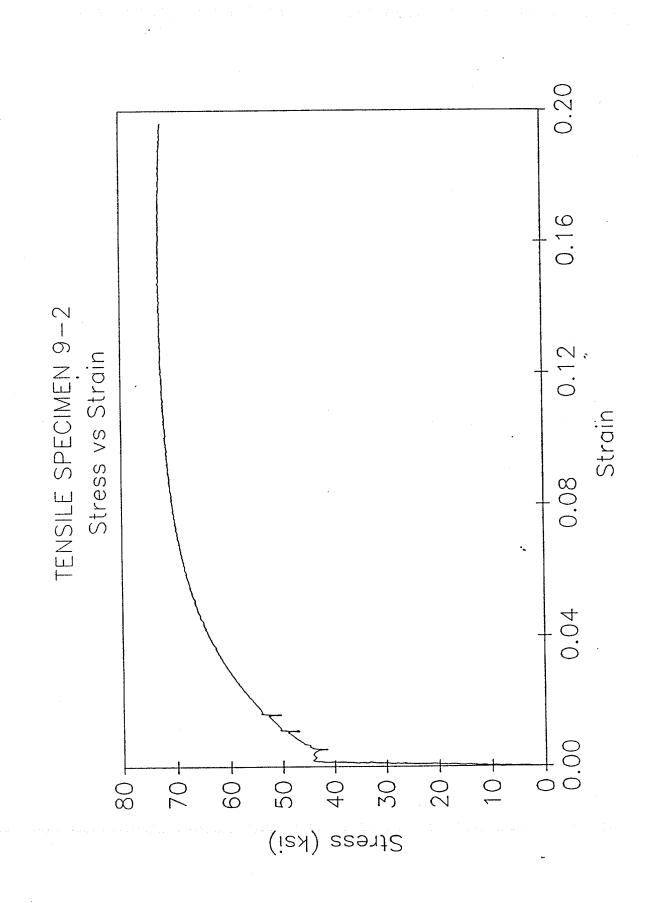




Ultrasound Data for Specimen 9 (All values in inches)

	Gauge No.	UT Thickness	UT Average
	0	0.360	
	1	0.422	
	2	0.244	
	3	0.378	
	4	0.366	
	5	0.439	0.368
	6	0.422	
	7	0.449	•
	8	0.278	
	9	0.460	
	10	0.422	
	11	0.456	0.415
	12	0.330	
	13	0.413	
	14	0.252	
	15	0.242	
	16	0.362	
	17	0.439	0.340
	18	0.436	
	19	0.259	
	20	0.234	
	21	0.366	
	22	0.455	
	23	0.424	0.362
	24	0.447	
	25	0.429	
	26	0.306	
	27	0.415	
	28	0.428	
	29	0.421	0.408
Overall	Average =	0.378	





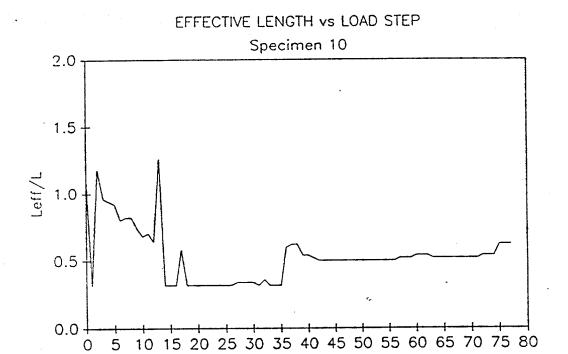
SPECIMEN 10

DAMAGE SUMMARY

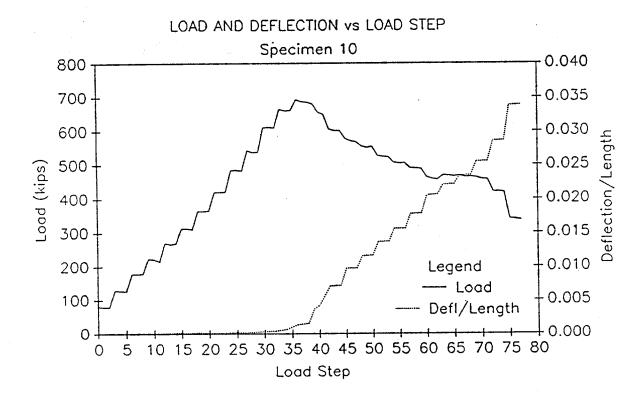
Specimen No. 10

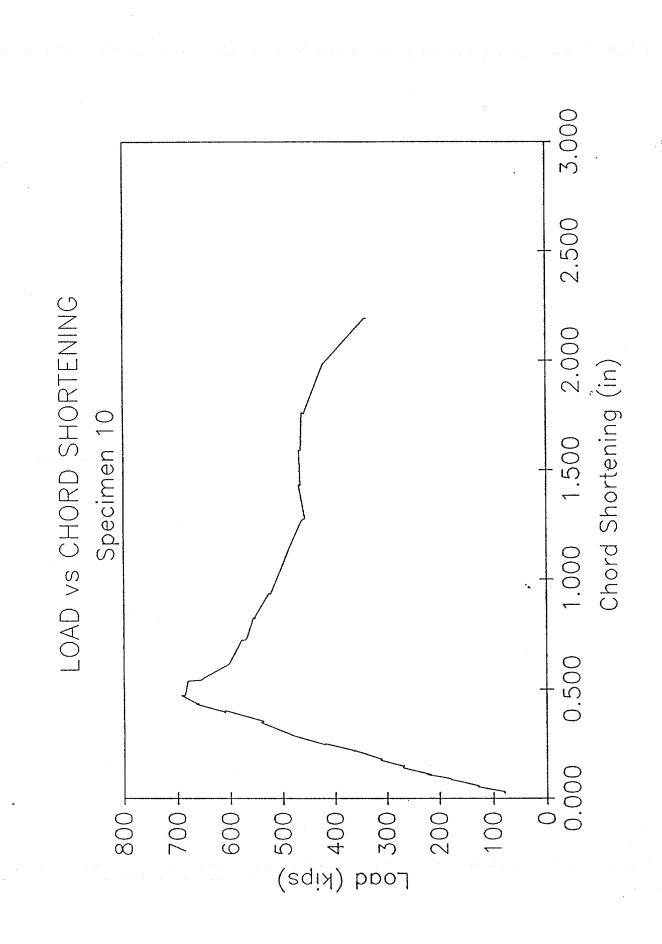
DISTANCE FROM END "B"	*DISTANC CHALK	LINE	DESCRIPTION OF DAMAGE
1. 24'-1/2"	LEFT	RIGHT	3/4" circumferential butt weld
2. 30'-3 1/2"		12"	Welded up torch cuts 1) 3" long X 3/4" wide 2) 4 1/2" long X 1" wide
3. 26'-1"	7 3/4"		Small torch gouge (long.) 1" long X 1/4" wide X 1/4" deep
4. 26'-6 1/4"	9"	•	Small torch gouge (circum.) 7/8" long X 1/4" wide X 1/4" deep
5. 21'-1"	8 1/2"		2 pits - round 1/2" diameter X 1/4" deep
6. 15'-10"	21 1/2" (to center)		Elliptic welded bracing attachment (cut off) 1/2 Wall End
/			B
7. 5'-6"	20 7/8"		Round welded bracing attachment (cut off) 12/2 dia.
8. 21'-5 1/2"	7 1/4"		Small torch gouge 1 1/4" long X 1/4" wide X 1/4" deep

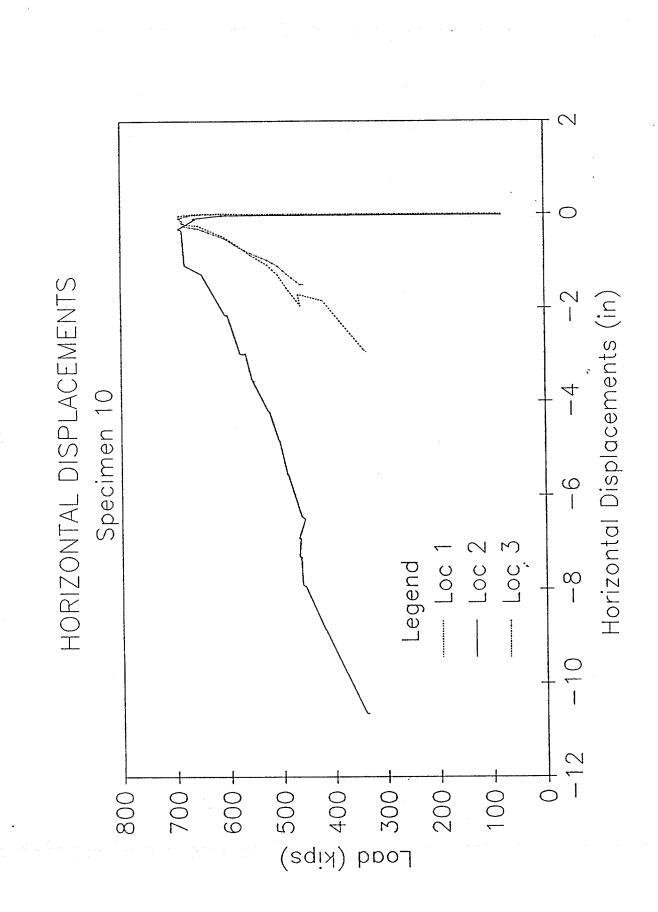
^{*}Looking from end "A" towards end "B"

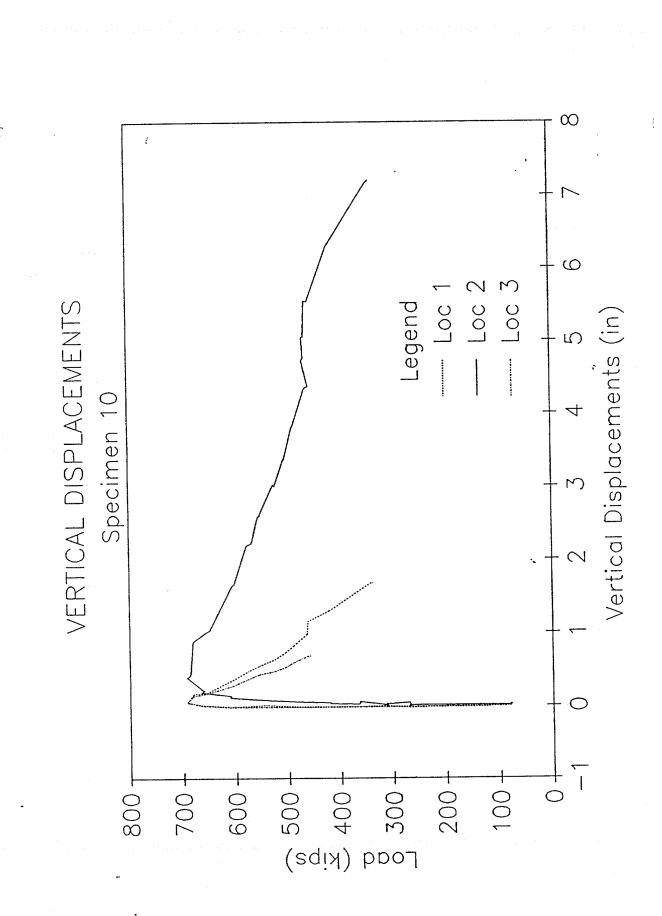


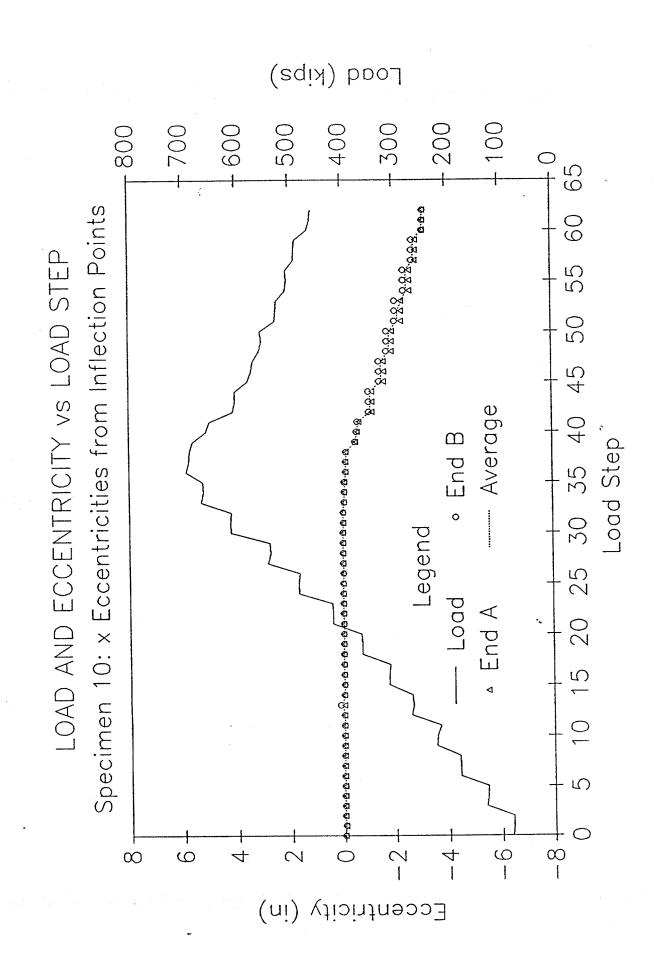
Load Step

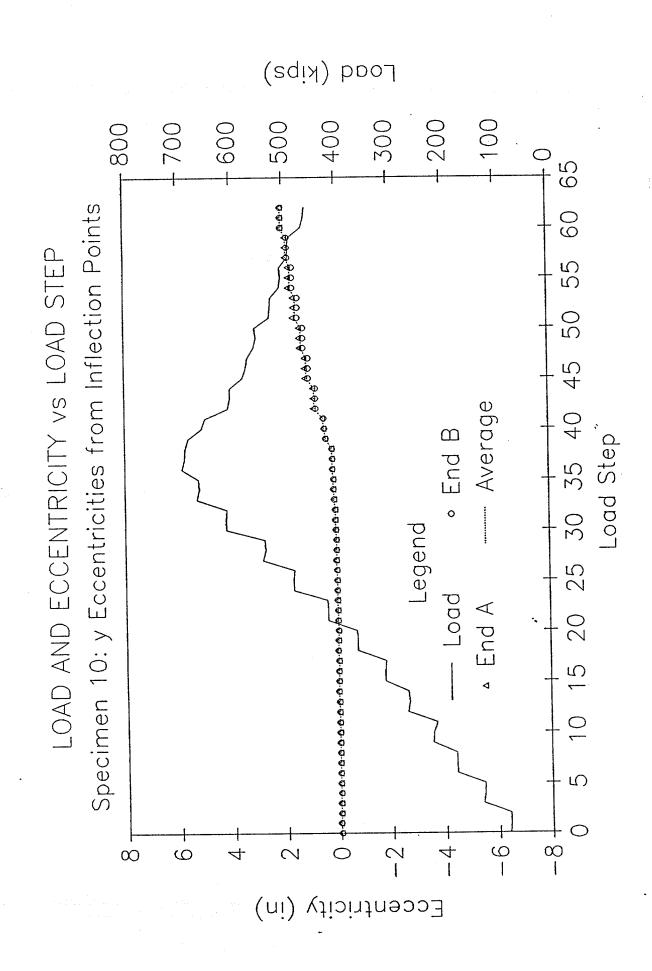


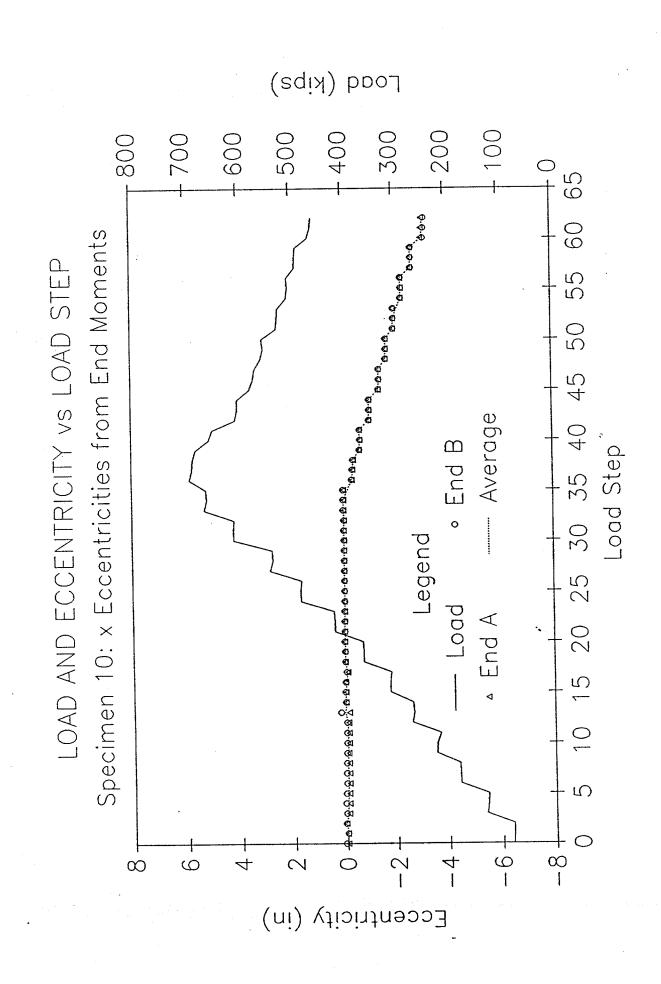


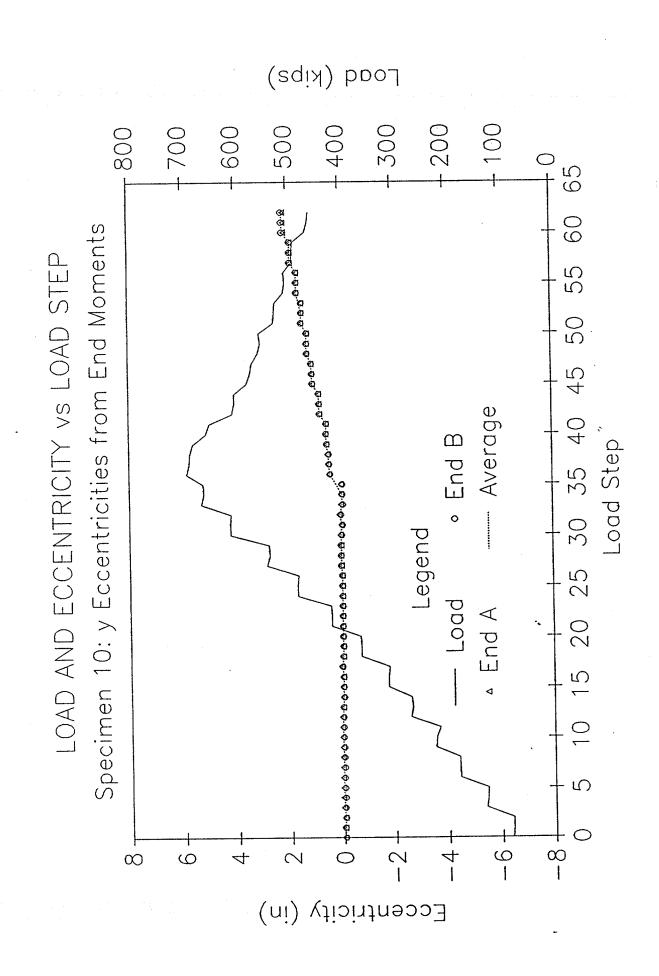






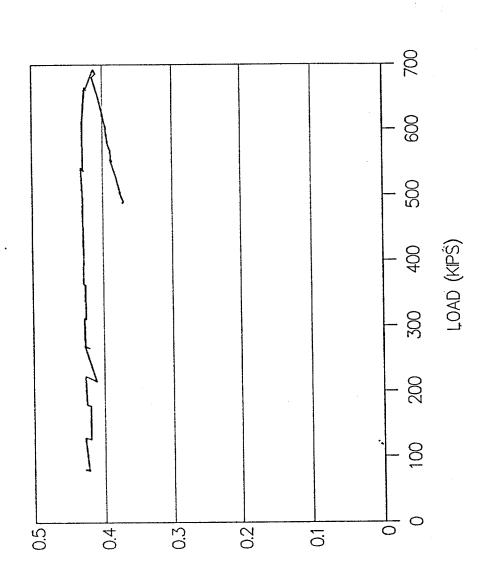






SPECIMEN 10-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

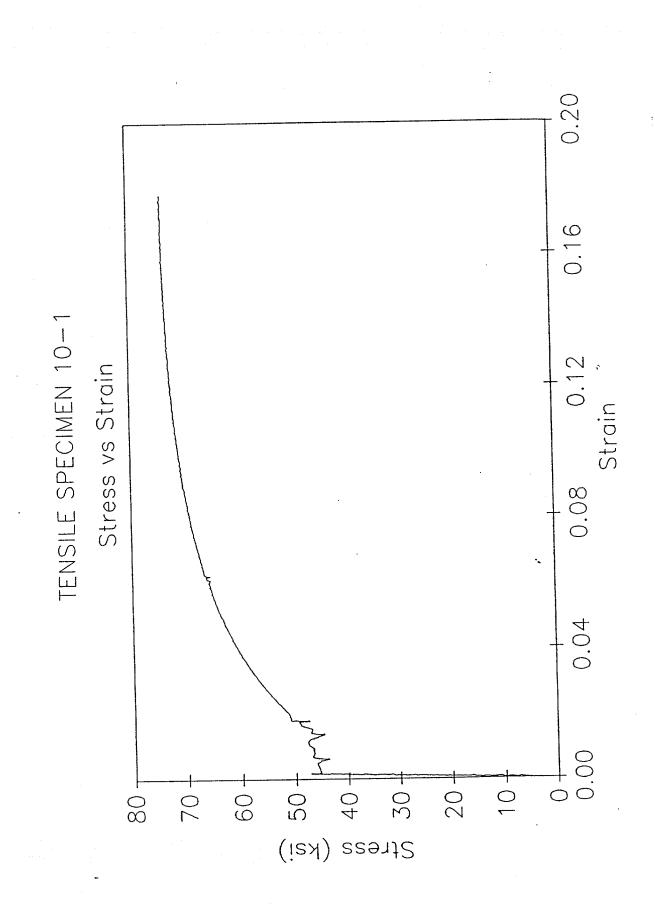
30 Full Scale Ring Test 25 SPECIMEN 10: WALL THICKNESS Nominal Wall Thickness = 0.500 in Strain Gauge Locátions Legend 20 UT Average O Ultrasound 15 5 + 100-200-400-300 009 500

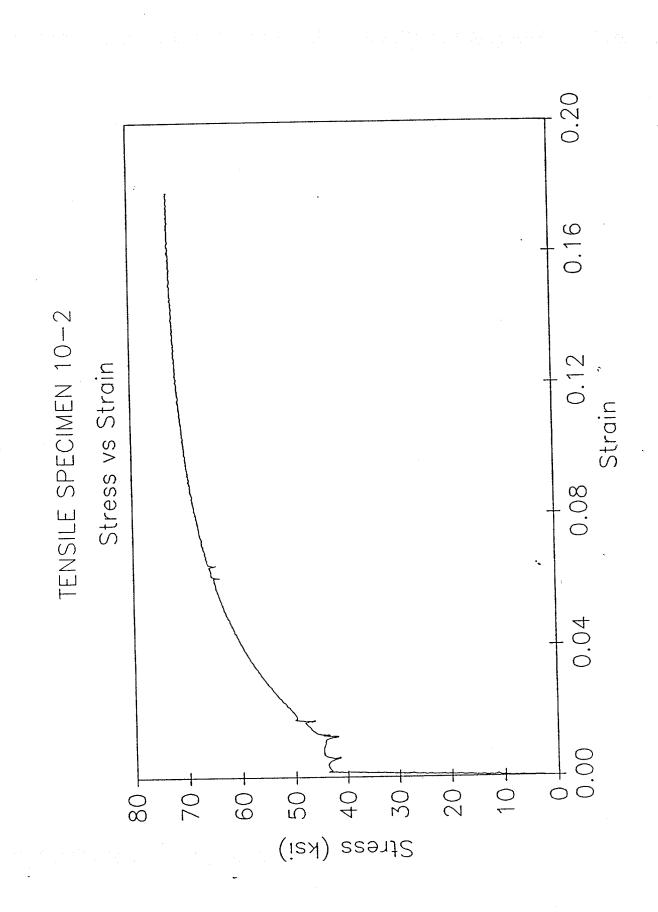
(000 L/u!)

Wall Thickness

Ultrasound Data for Specimen 10 (All values in inches)

Gauge	${f UT}$	UT
No.	Thickness	Average
0	0.430	
1	0.465	
2	0.420	
3	0.458	
4	0.429	
5	0.450	0.442
6	0.464	
7	0.475	·
8	0.433	
9	0.441	
10	0.422	
11	0.443	0.446
12	0.457	
13	0.468	
14	0.444	
15	0.449	
16	0.433	
17	0.456	0.451
18	0.457	•
19	0.457	
20	0.451	
21	0.443	
22	0.448	
23	0.460	0.453
24	0.426	
25	0.428	
26	0.435	
27	0.489	
28	0.421	
29	0.436	0.439
Overall Average =	0.446	





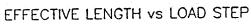
SPECIMEN 11

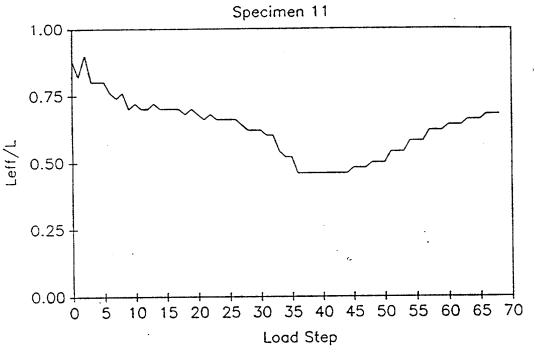
DAMAGE SUMMARY

Specimen No. 11

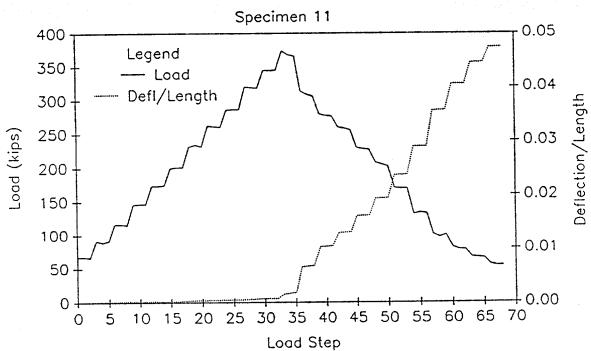
DISTANCE FROM END "B"	*DISTANC CHALK	LINE	DESCRIPTION OF DAMAGE
1111	LEFT	RIGHT	
1. 10'-1"			3/4" circumferential butt weld
2. 12'-6"		10"	3" diameter, round, welded bracing attachment (cut-off)
			Jacking accomments (east of your wall)
,			
3. 17'-5 1/2"		7 1/4"	3" diameter, round, welded bracing attachment (cut-off)
			3" 4" wall

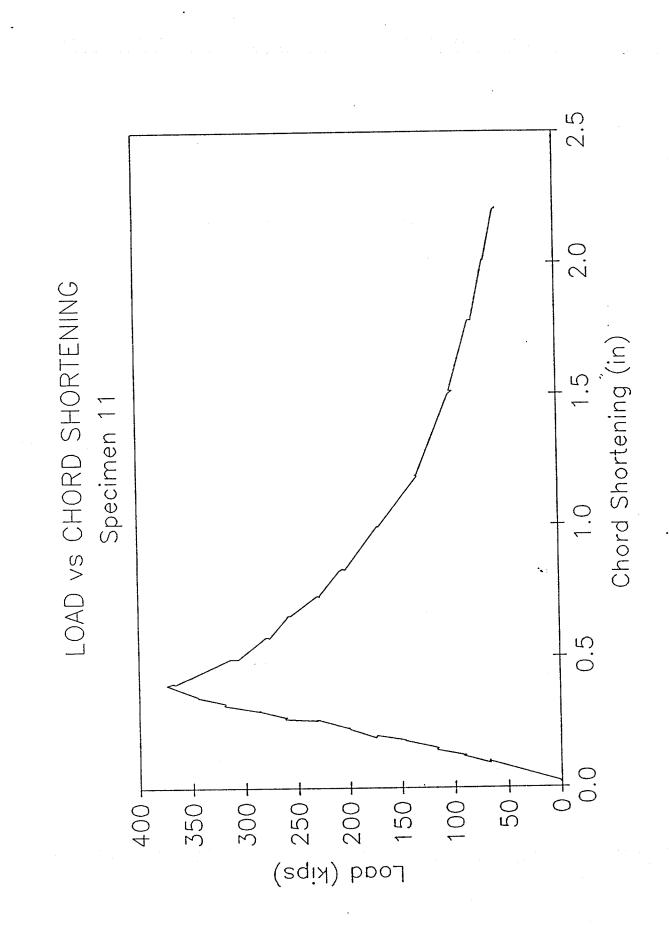
^{*}Looking from end "A" towards end "B"

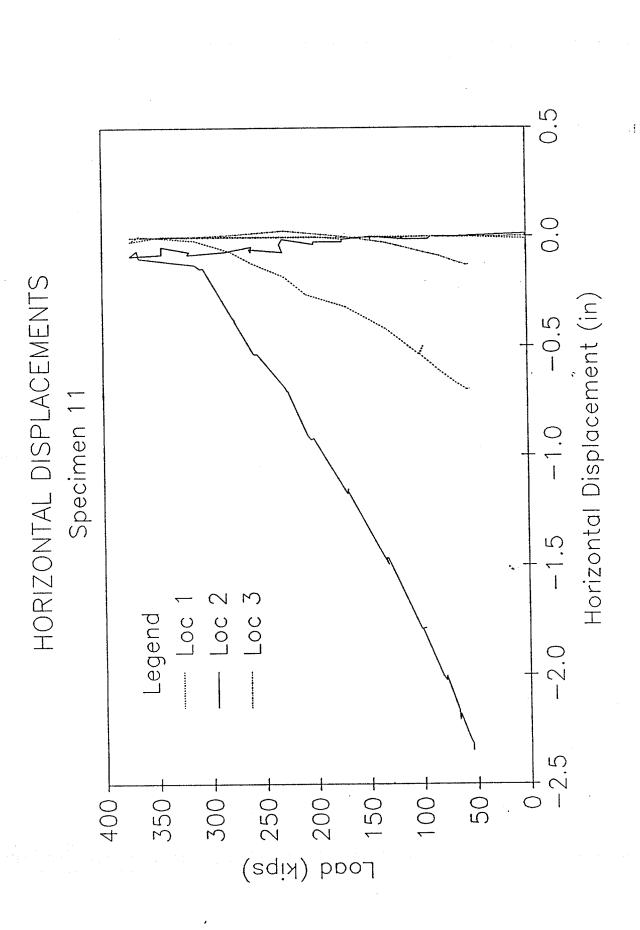


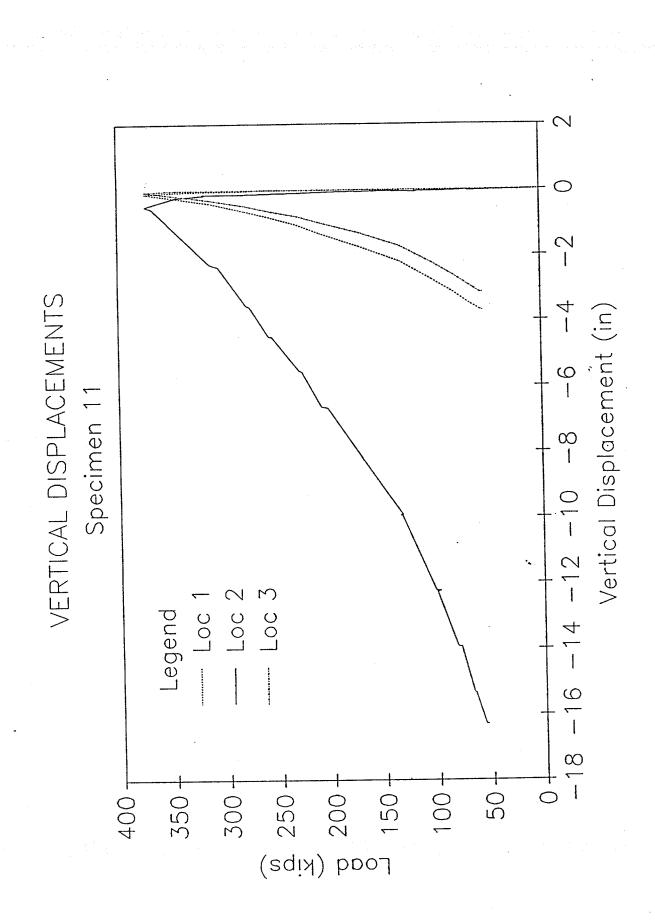


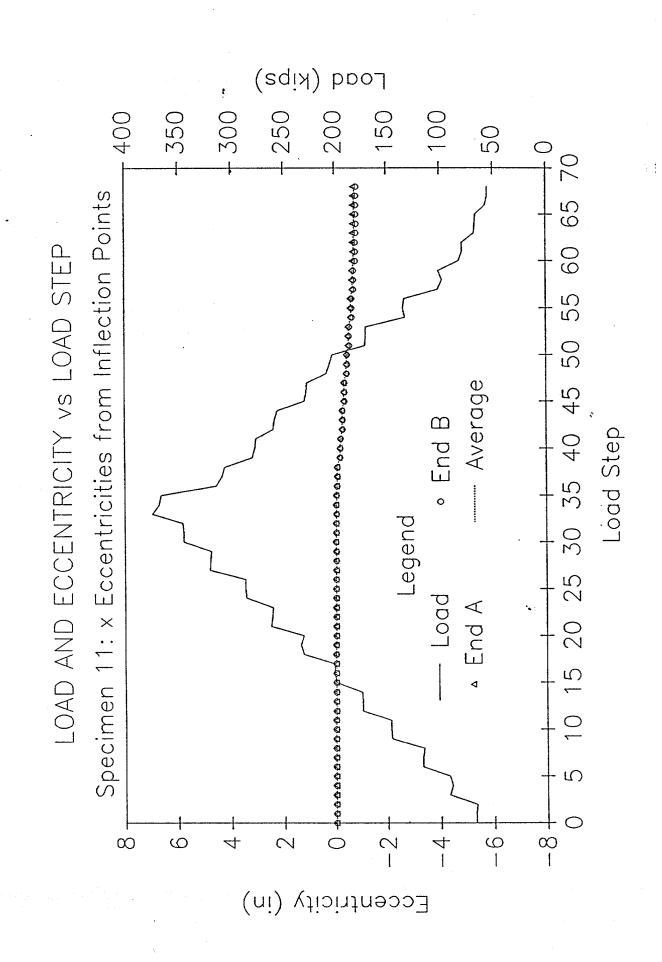
LOAD AND DEFLECTION VS LOAD STEP

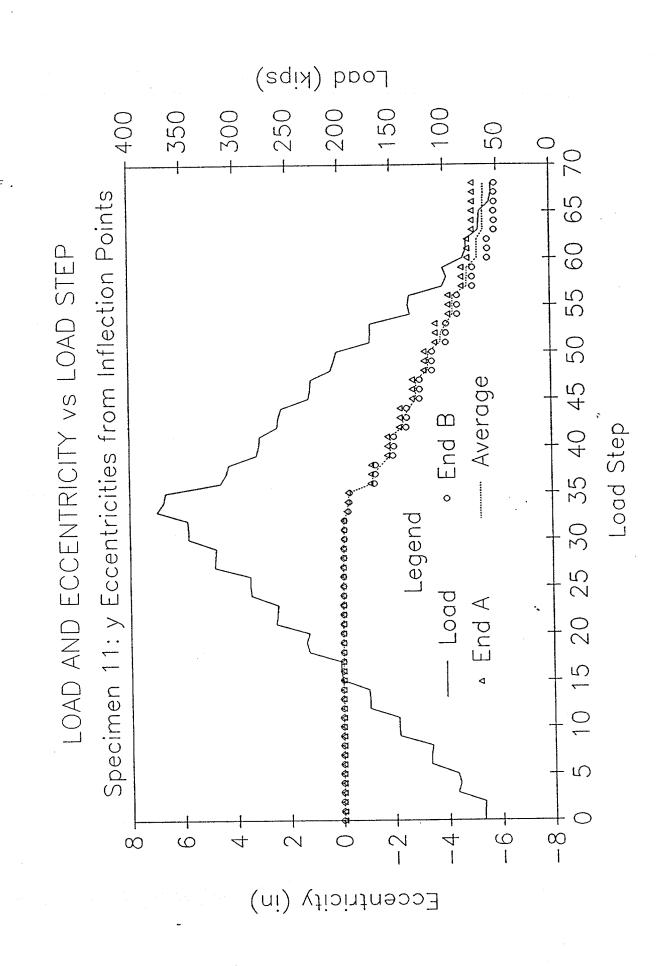


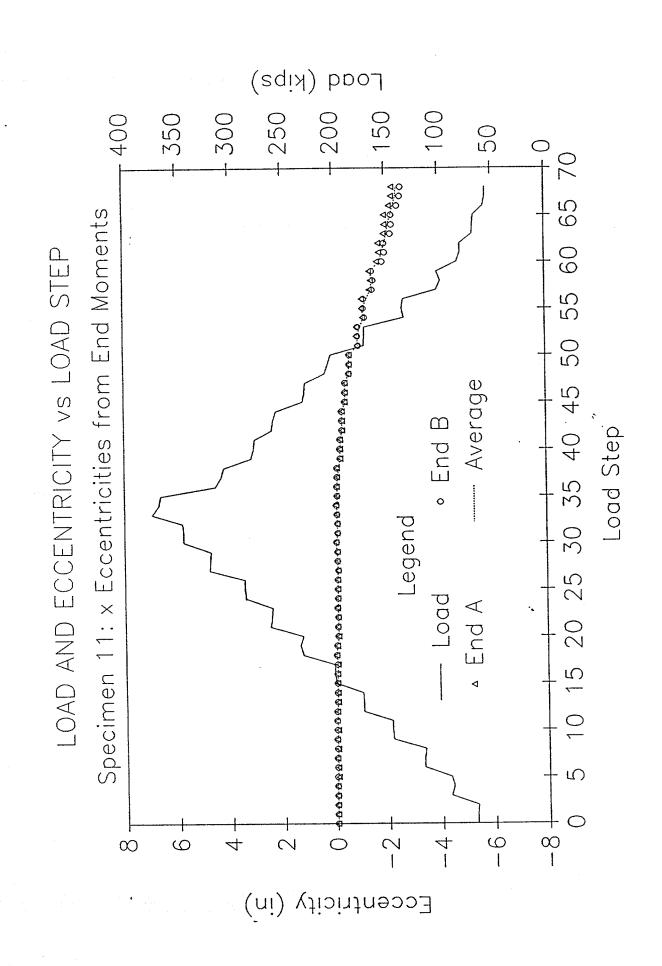


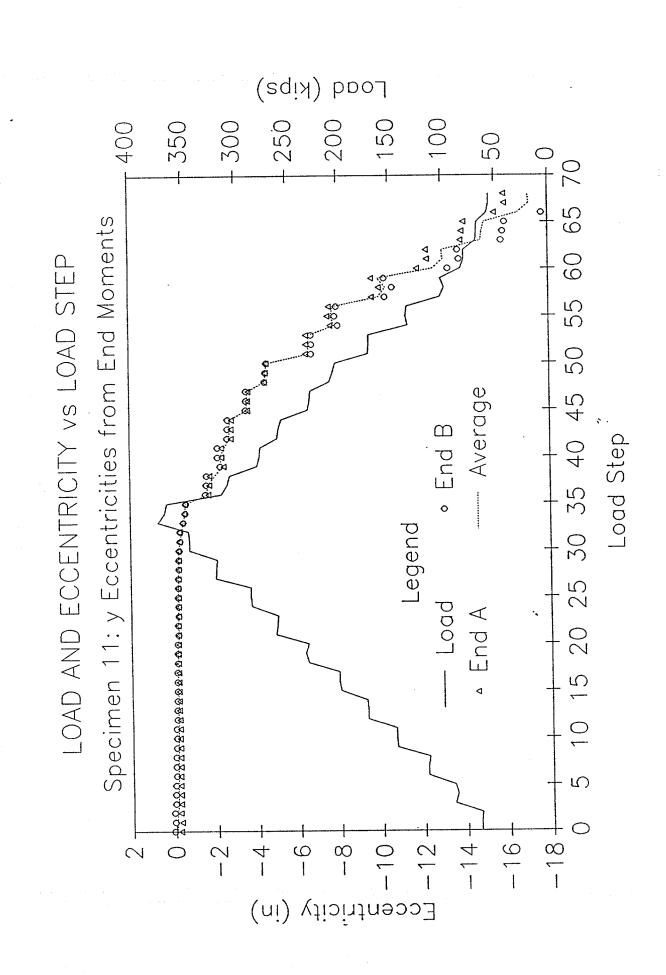




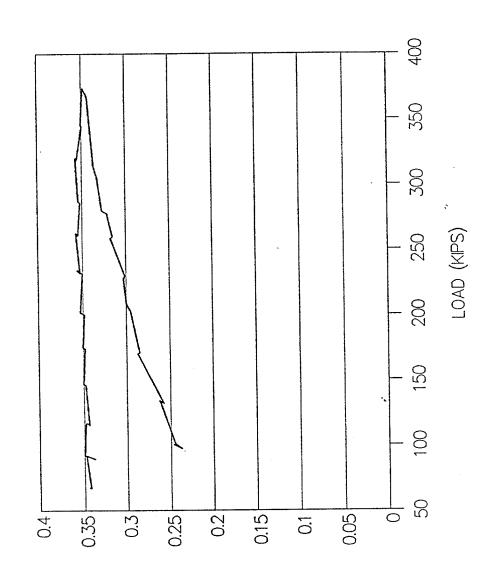






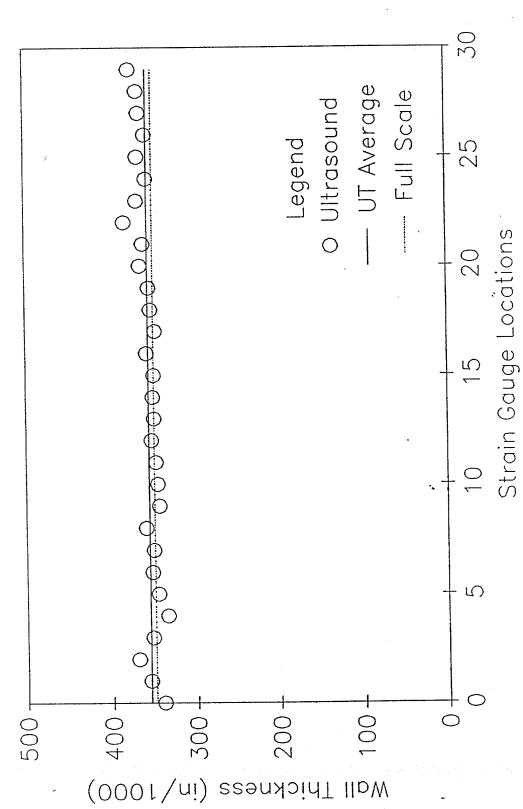


COMPUTED WALL THICKNESS



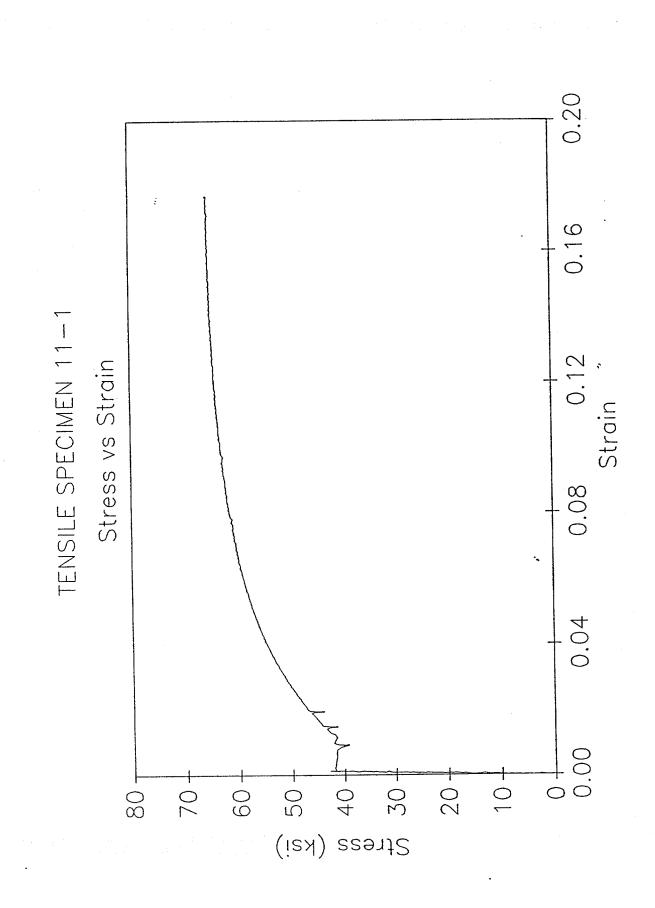
COMP WALL THICKNESS (IU)

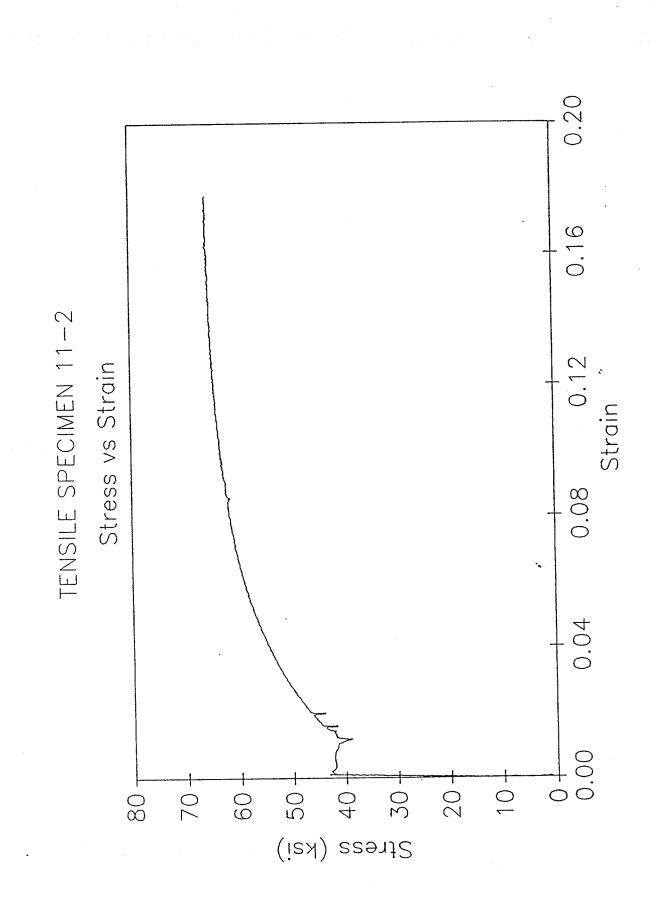
SPECIMEN 11: WALL THICKNESS Nominal Wall Thickness = 0.375 in



Ultrasound Data for Specimen 11 (All values in inches)

	Gauge	${f UT}$	UT
	No.	Thickness	Average
	0	0.340	
	1	0.356	
	2	0.370	
	3	0.353	
	4	0.335	
	5	0.346	0.350
	6	0.353	
	7	0.351	
	8	0.360	
	9	0.344	
	10	0.346	
	11	0.348	0.350
	12	0.353	
	13	0.350	
	14	0.351	
	15	0.350	
	16	0.358	
	17	0.348	0.352
	18	0.353	
	19	0.355	
	20	0.365	
	21	0.361	
	22	0.383	
	23	0.368	0.364
	24	0.357	
	25	0.367	
•	26	0.358	
	27	0.365	
	28	0.367	
	29	0.376	0.365
Overall	Average =	0.356	





SPECIMEN 12

Specimen No. 12

DISTANCE FROM END "A"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
1 1 1 1	LEFT	RIGHT	
1. 5'-9 1/2" (to center)		1'-4"	C-section welded to pipe (rectangular) 6" X 3"
2. 10'-5" (to center)		5 1/2"	7" diameter (round) bracing connection, 5/16" wall thickness
3. 10'-5" (to center)	1'-3"		7" diameter (round) bracing connection, 5/16" wall thickness
4. 10'-9" (to_center)		1'-3 1/4"	C-section welded to pipe (rectangular) 6" X 3"
5. 17'-11" (to_center)		5 1/2"	7" diameter (round) bracing connection, 5/16" wall thickness
6. 17'-11" (to_center)	1'-2 1/4"		7" diameter (round) bracing connection, 5/16" wall thickness
7. 18'-5"	4 1/2"		Oblong welded bracing attachment Second Sec
8. 20'-7"	4 1/2"		Oblong welded attachment Chalk Line 4½ END "B" 19½ "A" END "A"

^{*}Looking from end "A" towards end "B"

Specimen No. 12

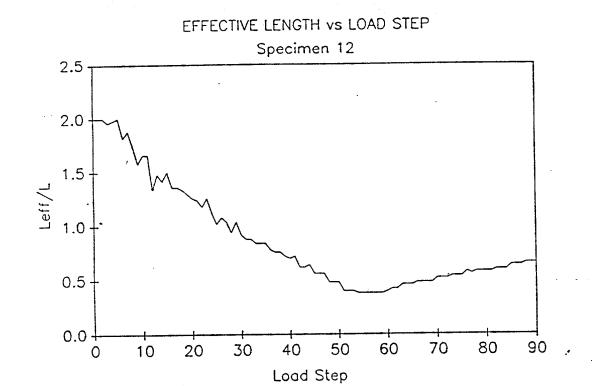
DISTANCE FROM END "A"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
1111	LEFT	RIGHT	
9. 20'-11" (to center)		1'-4"	4" diameter circular hole 4" diameter
			hole
			Elliptic <u>dent</u> with center same as hole-3" deep at hole's edge
10. 21'-3 1/4" (to center)		5 1/2"	7" diameter (round) bracing connection, 5/16" wall thickness
11. 21'-3 1/4" (to center)	1'-3"		7" diameter (round) bracing connection, 5/16" wall thickness
12. 22'-1 1/2" (to center)		6"	Rectangular <u>tear</u>
			5½ END END "A" B"
			4" long <u>dent</u> on bottom of tear, 2 1/4" deep at holes edge
13. 25'-1" (to center)	1'-4"		Rectangular <u>tear</u>
			END 4" Tear B" END "A" 7½" A"
			On bottom of pipe <u>dent</u> , 6" long X 10" wide, on bottom of tear, 1 3/4" deep at holes edge

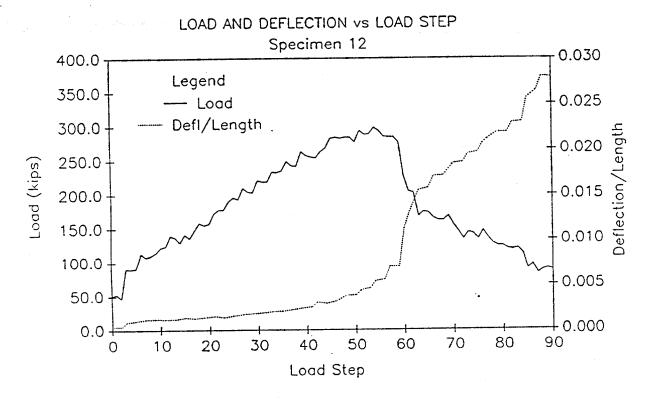
^{*}Looking from end "A" towards end "B"

Specimen No. 12

DISTANCE FROM END "A"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
1 1 1 1	LEFT	RIGHT	
14. 28'-9" (to center)		5"	7' diameter (round) bracing connection, 5/16" wall thickness
15. 28'-9" (to center)	1'-3"		7" diameter (round) bracing connection, 5/16" wall thickness
16. 29'-10 1/2" (to center)		1'-3"	C-section welded to pipe (rectangular) 6" X 3"
17. 29'-8" (to center)	1'-3 1/2"		10" diameter (round) old bracing connection, 3/8" wall thickness
18. 26'-9 1/4" (to center)			circumferential butt weld, 5/8" thick
19. 30'-10" \center of	5 1/2" weld/		20" long, longitudinal weld, 5/8" thick
20. 35'-0"		1'-2 3/4"	C-section welded to pipe (rectangular) 6" X 3"

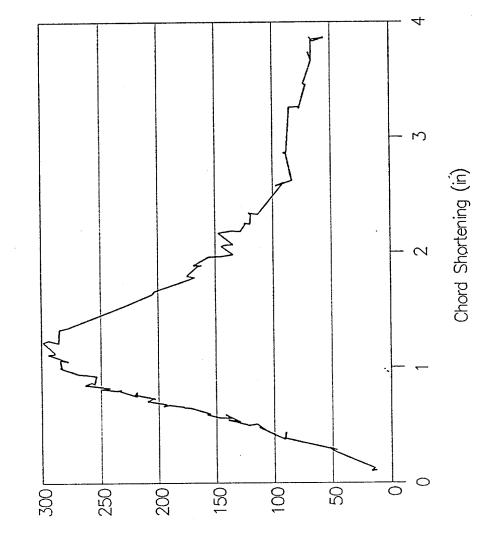
^{*}Looking from end "A" towards end "B"



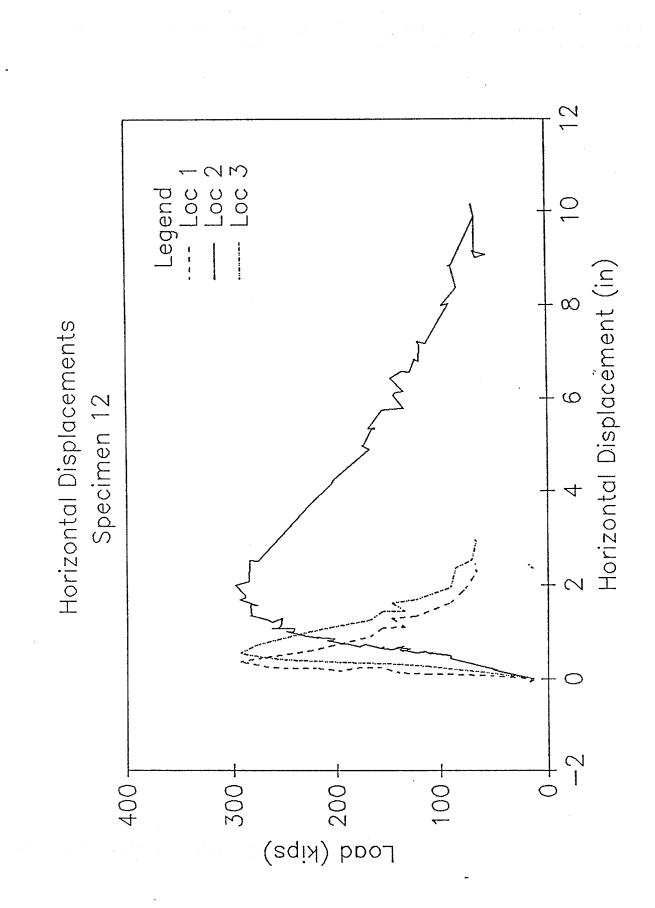


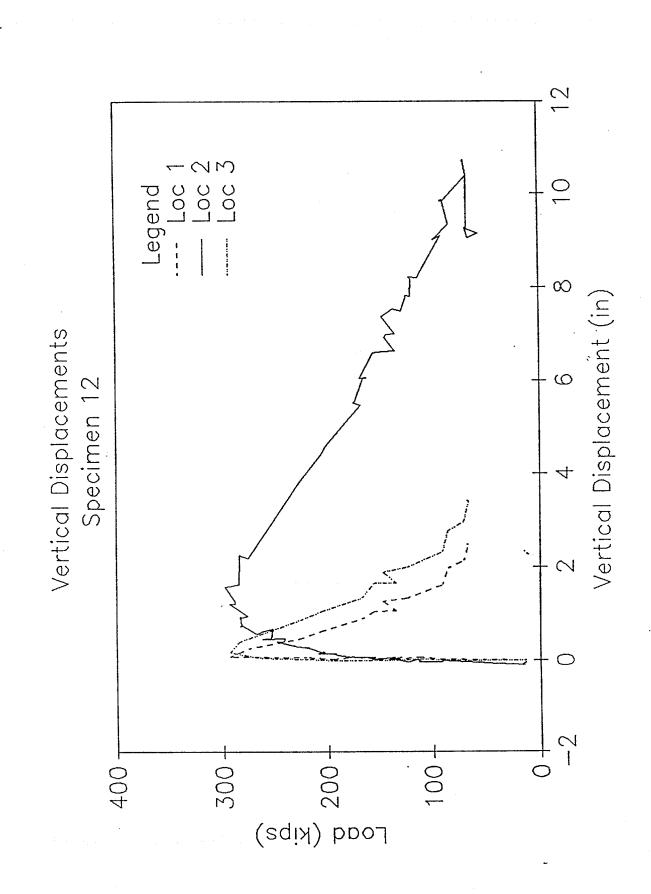
Chord Shortening

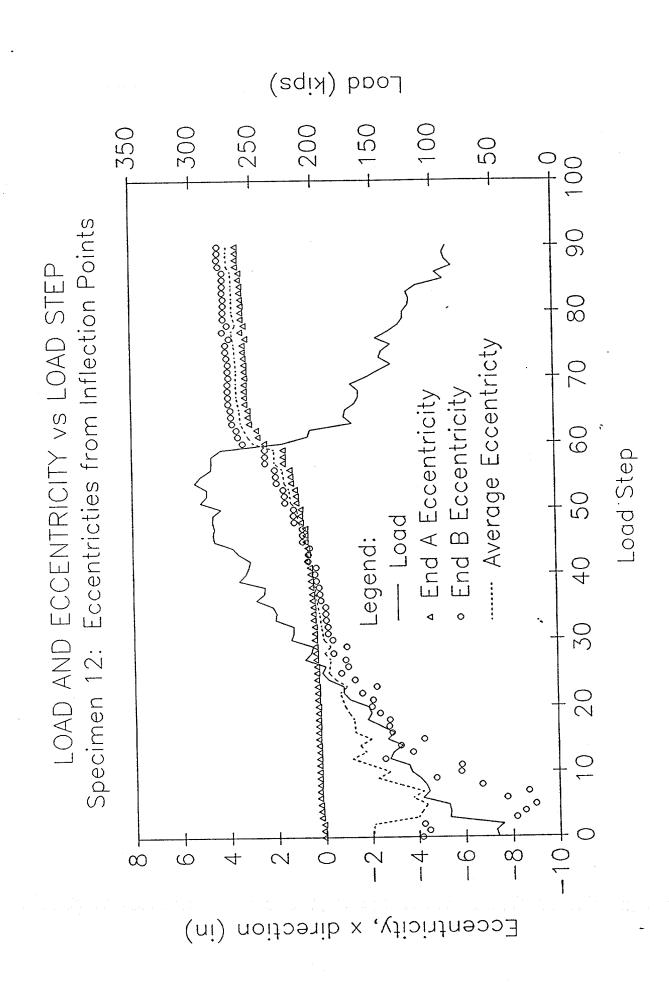


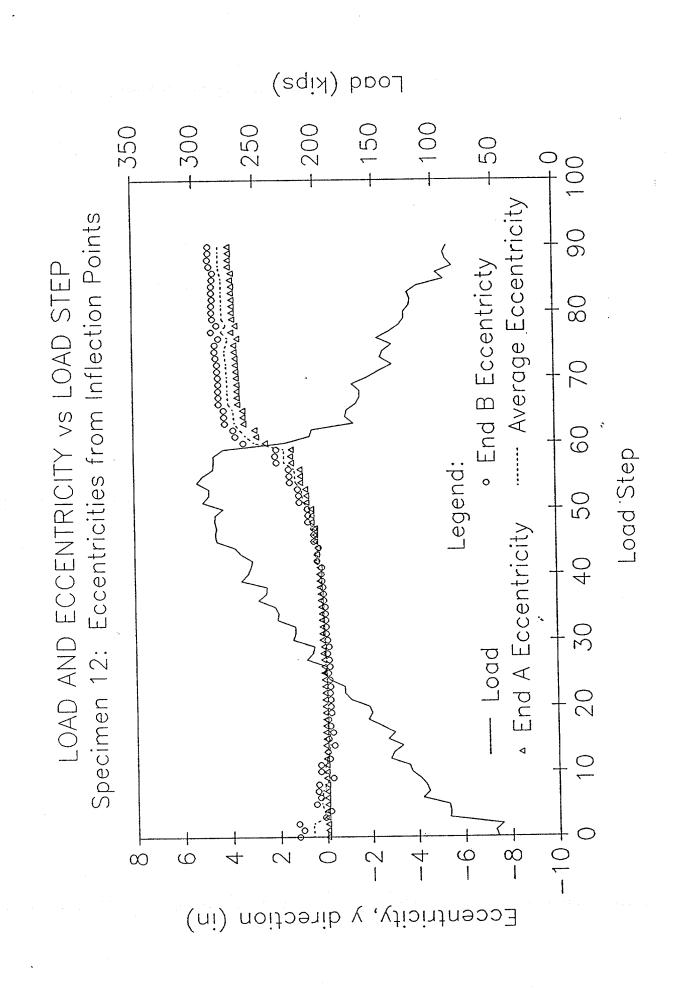


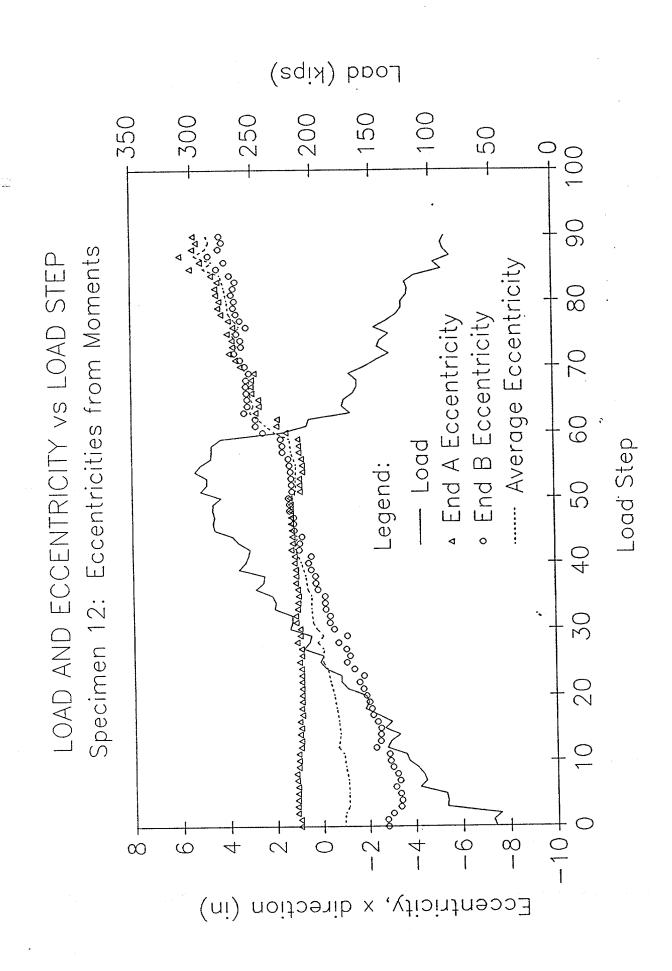
Load (kips)

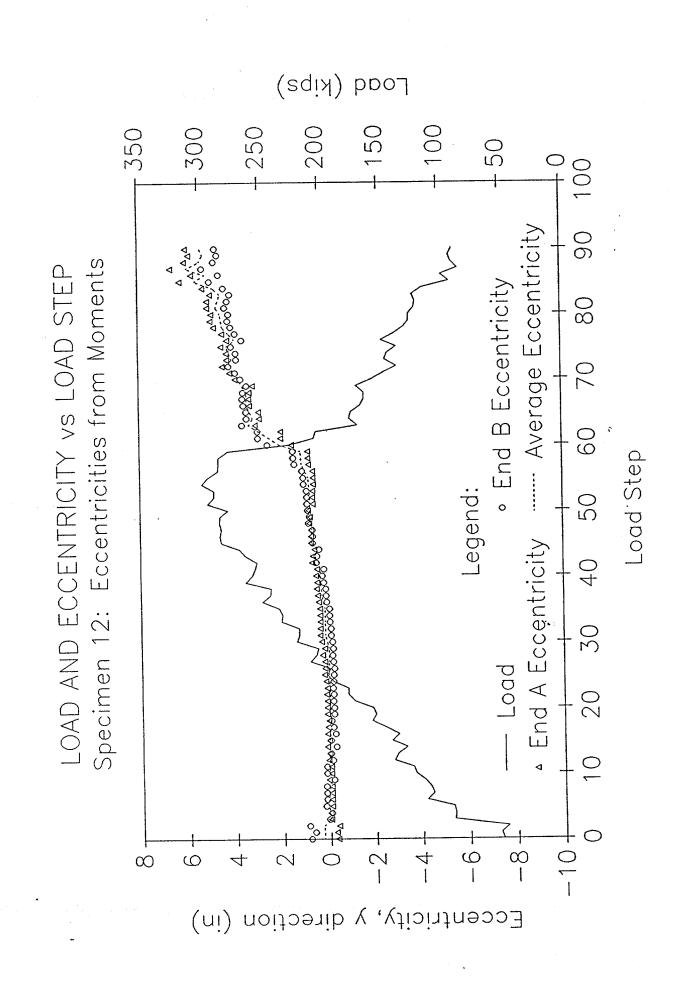






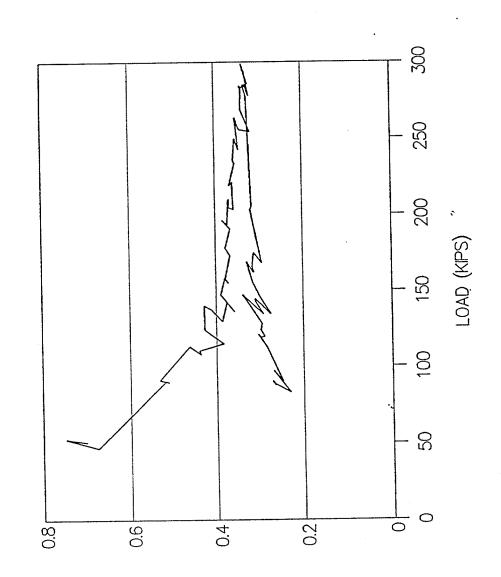






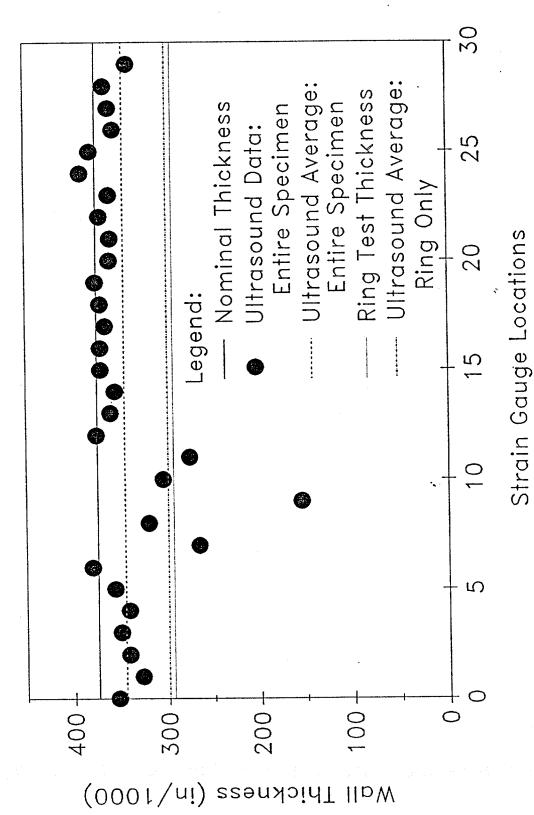
SPECIMEN NO 12-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IU)

Specimen 12: Wall Thickness Nominal Thickness = 0.375 in

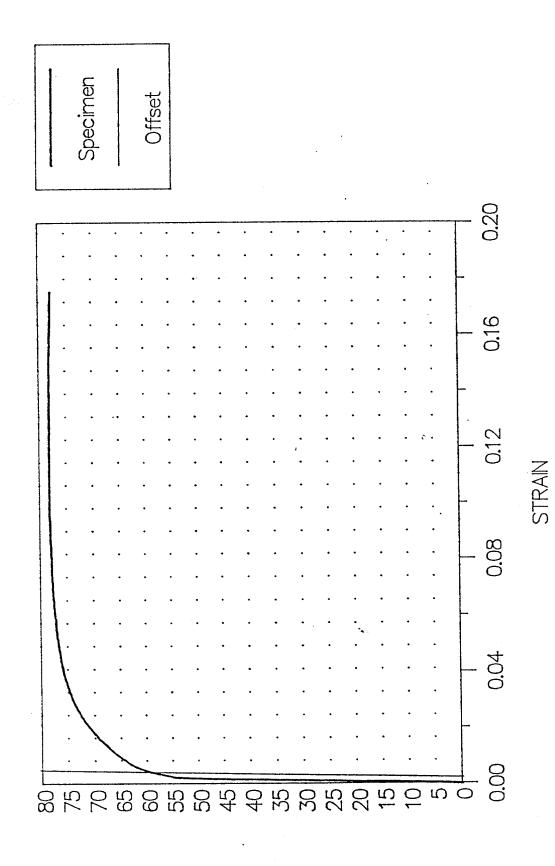


Ultrasound Data for Specimen 12 (All data in inches)

Gaug	де	UT	UT
No		Thickness	Average
	0	0.354	
	1	0.328	
	2	0.342	
	3	0.351	
	4	0.342	
	5	0.357	0.346
	6	0.381	
	7	0.266	
	8	0.321	
	9	0.155	
	10	0.305	
	11	0.276	0.284
	12	0.376	
	13	0.361	
	14	0.356	
	15	0.371	
	16	0.371	
	17	0.366	0.367
	18	0.371	
	19	0.376	
	20	0.361	
	21	0.360	
	22	0.371	
	23	0.361	0.367
	24	0.391	
	25	0.381	
	26	0.356	
	27		
	28	0.366	
	29	0.341	0.366
Overall Averag	e =	0.346	

TENSILE SPECIMEN 12-

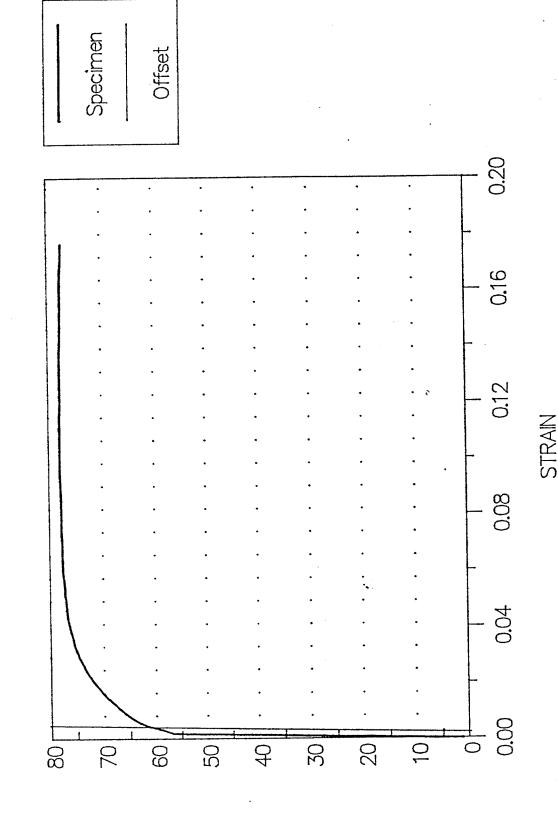
Stress vs Strain



(thousands)

TENSILE SPECIMEN 12-2





(isq) SZRES (thousands)

SPECIMEN 13

Specimen No. 13 12/20/89

DISTANCE FROM END "B"	*DISTANC CHALK LEFT		DESCRIPTION OF DAMAGE
1. 7'-9"	0′-6"	KIGHT	Dent. See additional sheets.
2. 8'-6"		0'-1"	Dent. See additional sheets.
3. 10'-9"	0'-4"		Dent. See additional sheets.
4. 17′-8"	0'-6 1/2"		Dent. See additional sheets.

WIDESPREAD CORROSION OVER ENTIRE SPECIMEN.

*Looking from end "A" towards end "B"

Out-of-Straightness Measurements for Specimen 13

The specimen was initially curved in the yz-plane and in the xz-plane. The following measurements are in the x-direction.

Distance	Distance from	Out-of
from	stringline to	straightness
End B	top of pipe	in x direction
(ft)	(in)	(in)
0	4.25	0
1 2 3 4	4.25	0
2	4.0	0.25
3	4.0	0.25
4	4.0	0.25
5	3.75	0.5
6	3.75	0.5
7	3.625	0.625
8	3.25	1
9	3.125	1.125
10	3.125	1.125
11	3.0	1.25
12	2.75	1.5
13	2.625	1.625
14	2.5	1.75
15	2.5	1.75
16	2.0	2.25
17	1.75	2.5
18	1.75	2.5
19	2.0	2.25
20	2.5	1.75
21	3.0	1.25
22	3.375	0.875
23	3.75	0.5
24.125	4.25	0
C4 • TC3	7 • 65	•

Out-of-Straightness Measurements for Specimen 13

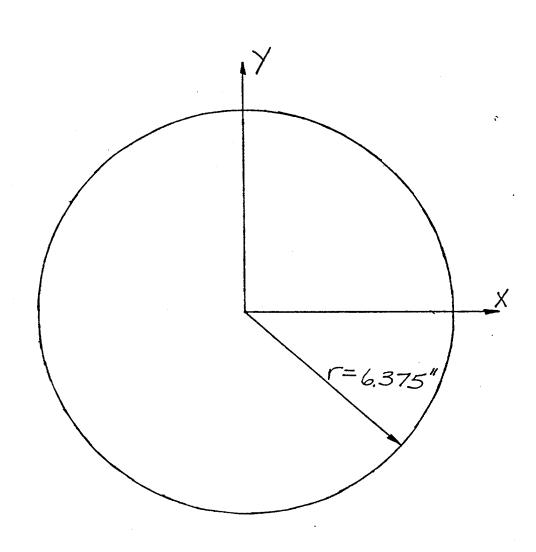
The specimen was initially curved in the yz-plane and in the xz-plane. The following measurements are in the y-direction.

Distance	Distance from	Out-of
from	stringline to	straightness
End B	top of pipe	in y direction
(ft)	(in)	(in)
0	3.875	Ò
1	4.75	-0.875
2	5.25	-1.375
2 3	5.75	-1.875
4	6.5	-2.625
5	7.25	-3.375
6	8.0	-4.125
7	8.875	- 5
8	10.25	-6.375
8.5	12.0	-8.125
9	11.0	-7.125
10	10.125	-6.25
11	9.5	-5.625
12	9.125	-5.25
13	8.875	- 5
14	8.5	-4.625
15	8.25	-4.375
16	8.0	-4.125
17	7.5	-3.625
18	7.25	-3.375
19	6.625	-2.75
20	6.375	-2.5
21	5.75	-1.875
22	5.0	-1.125
23	4.375	-0.5
24.125	3.875	0

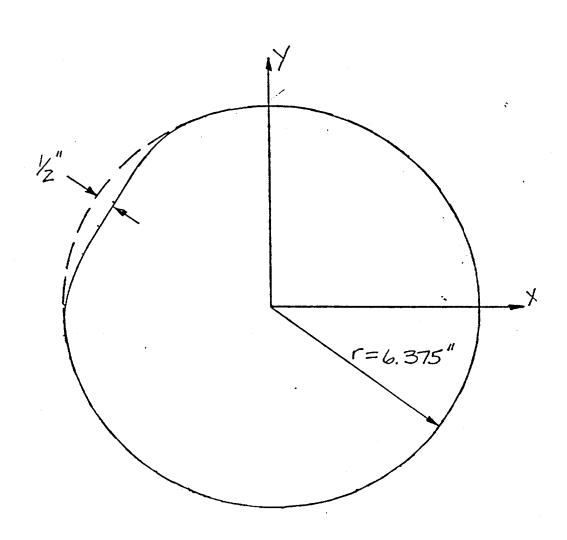
Specimen No. __/3_

Damage No. __/

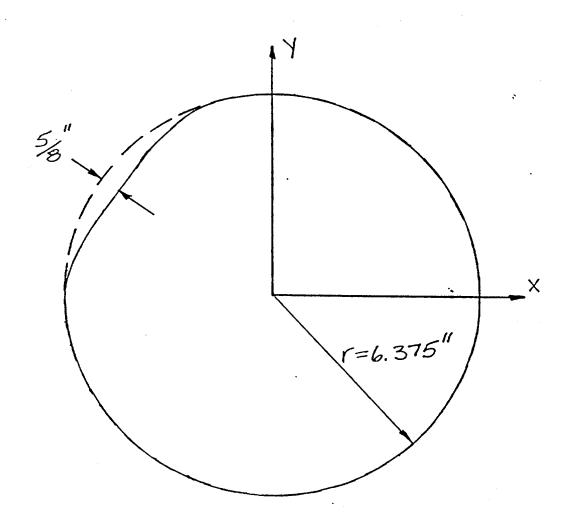
Distance from End B $6^{\prime}-9^{\prime\prime}$ Scale $1^{\prime\prime}=3^{\prime\prime}$



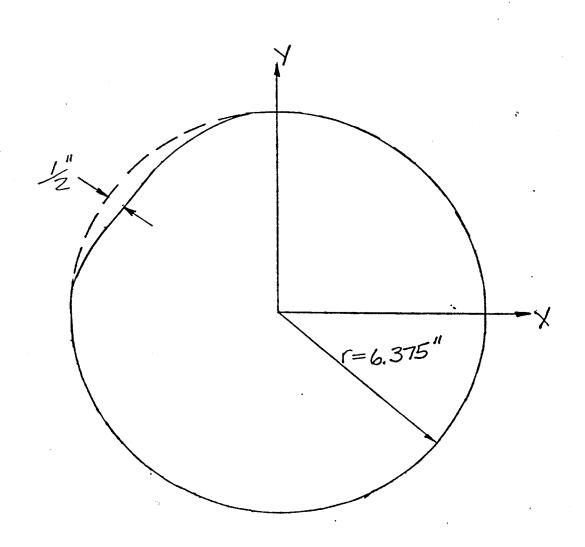
Specimen No. $_/3$ Damage No. $_/_$ Distance from End B $_7 - 0''$ Scale $_/'' = 3''$



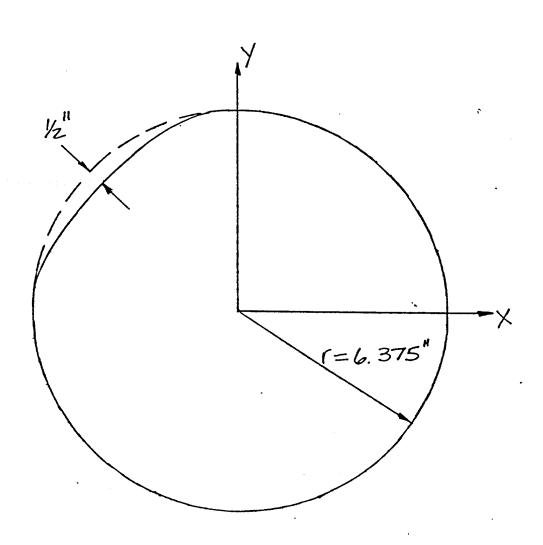
Specimen No. $_/3$ Damage No. $_/$ Distance from End B $\boxed{7'-3''}$ Scale $\boxed{/''=3''}$



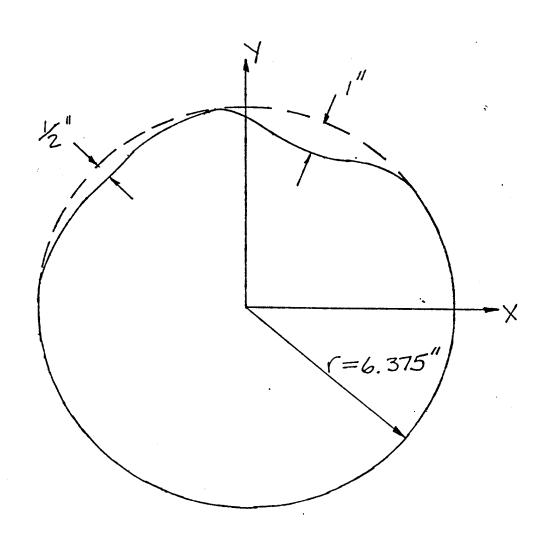
Specimen No. $_/3$ Damage No. $_/$ Distance from End B 7^{\prime} Scale $/''=3^{\prime\prime}$



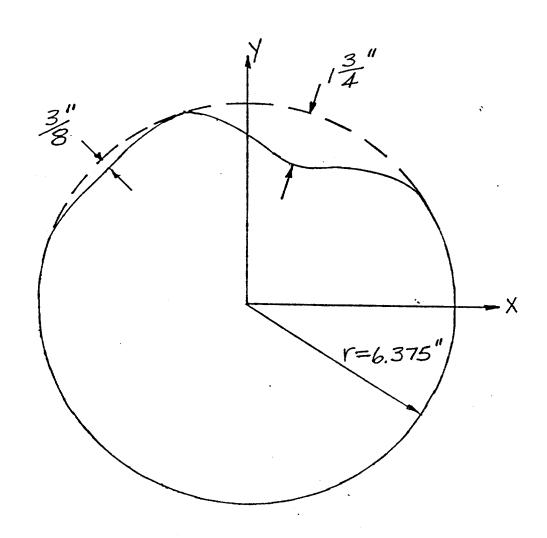
Specimen No. $_/3$ Damage No. $_/$ Distance from End B $7^{\prime}-9^{\prime\prime}$ Scale $/^{\prime\prime}=3^{\prime\prime}$



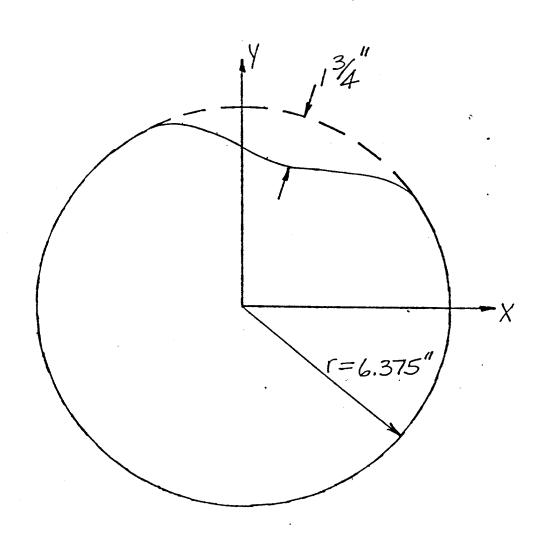
Specimen No. $\underline{/3}$ Damage No. $\underline{/42}$ Distance from End B $\underline{8'-0''}$ Scale $\underline{/''=3''}$



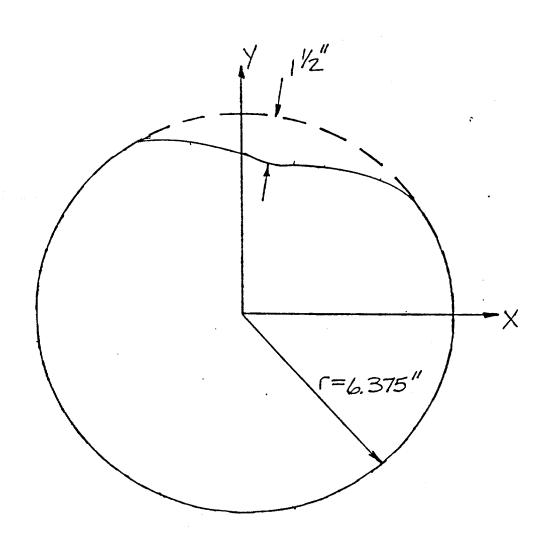
Specimen No. /3Damage No. /42Distance from End B $8^{\prime}-3^{\prime\prime}$ Scale $/^{\prime\prime}=3^{\prime\prime}$



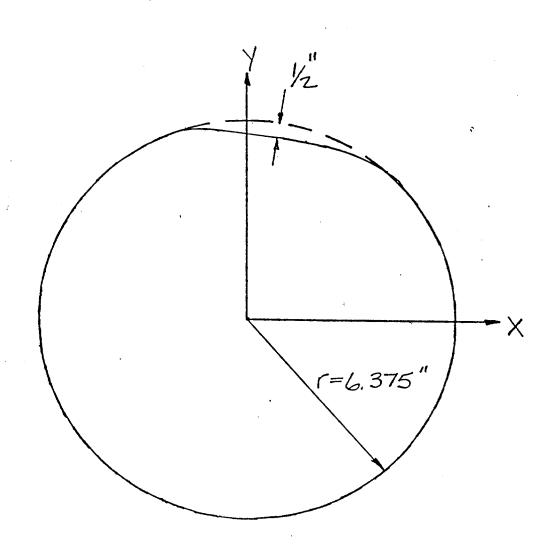
Specimen No. $_/3$ Damage No. $_2$ Distance from End B 8^{-6} Scale $/=3^{-6}$



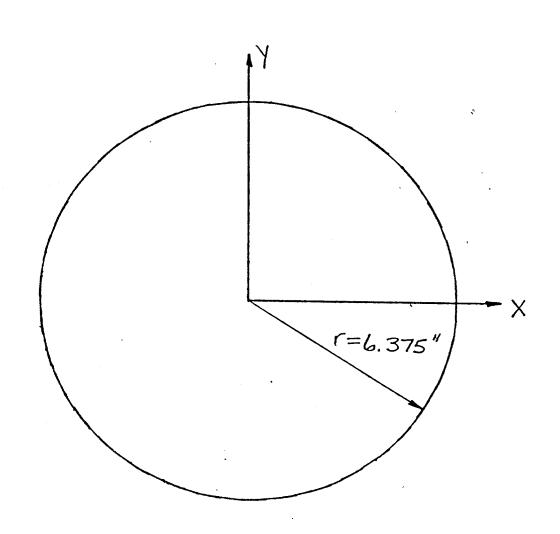
Specimen No. $_/3$ Damage No. $_2$ Distance from End B 8'-9''Scale $_/''=3''$



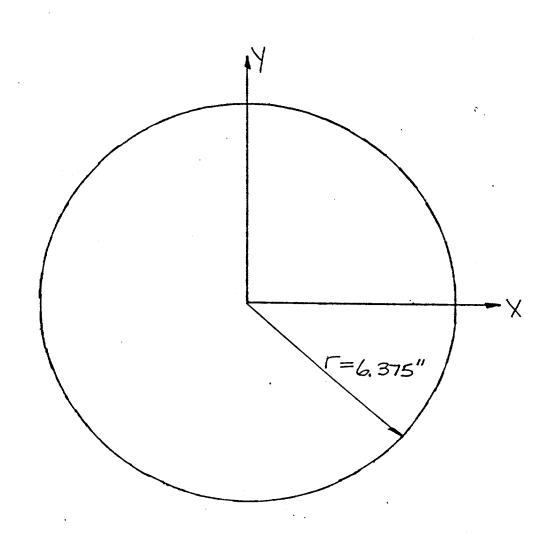
Specimen No. $_{/3}$ Damage No. $_{2}$ Distance from End B $_{9}^{\prime}$ - $_{0}^{\prime\prime}$ Scale $_{/}^{\prime\prime}$ = $_{3}^{\prime\prime}$



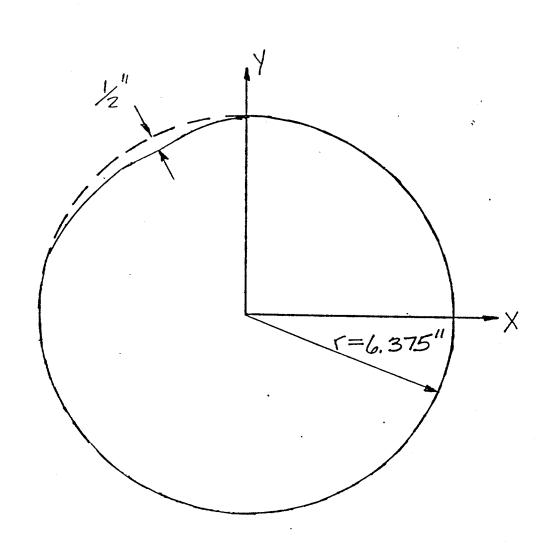
Specimen No. $_/3$ Damage No. $_2$ Distance from End B $\underline{9^{1}-3^{"}}$ Scale $\underline{/"=3^{"}}$



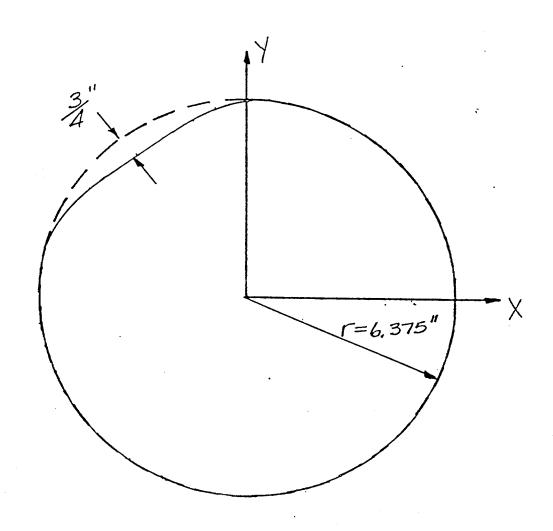
Specimen No. $_/3$ Damage No. $_3$ Distance from End B $_/0'-0''$ Scale $_/''=3''$



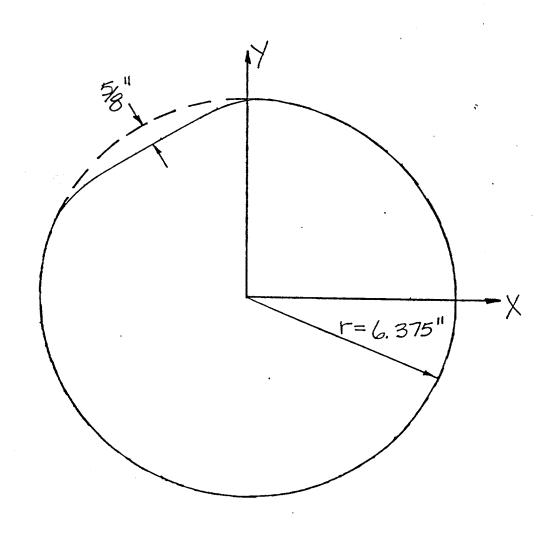
Specimen No. $_/3$ Damage No. $_3$ Distance from End B $_/0'-3''$ Scale $_/''=3''$



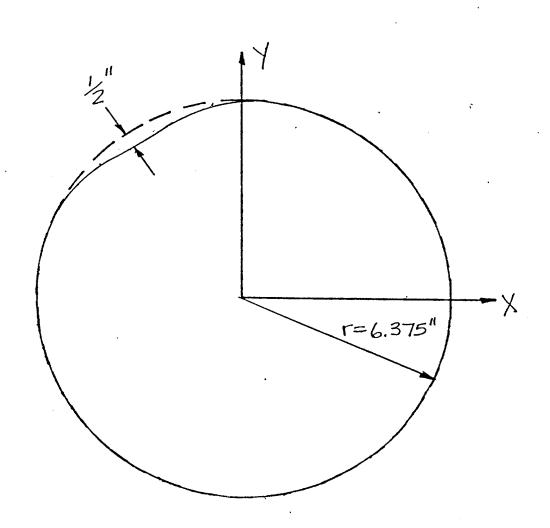
Specimen No. $\underline{13}$ Damage No. $\underline{3}$ Distance from End B $\underline{10^{l}-6}^{"}$ Scale $\underline{1^{"}=3}^{"}$



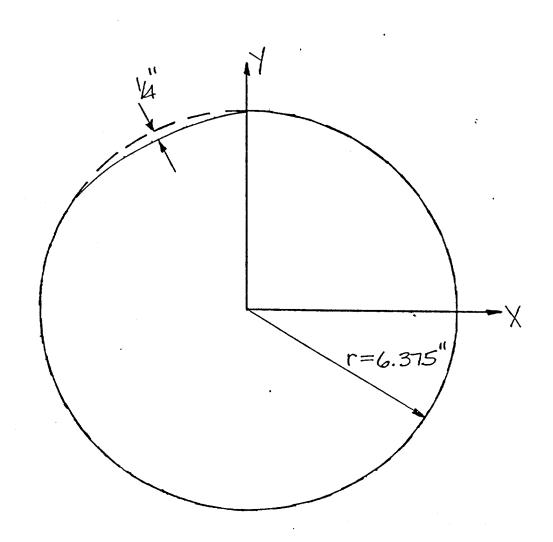
Specimen No. $_/3$ Damage No. $_3$ Distance from End B $_/0^{\prime}-9^{\prime\prime}$ Scale $_/^{\prime\prime}=3^{\prime\prime}$



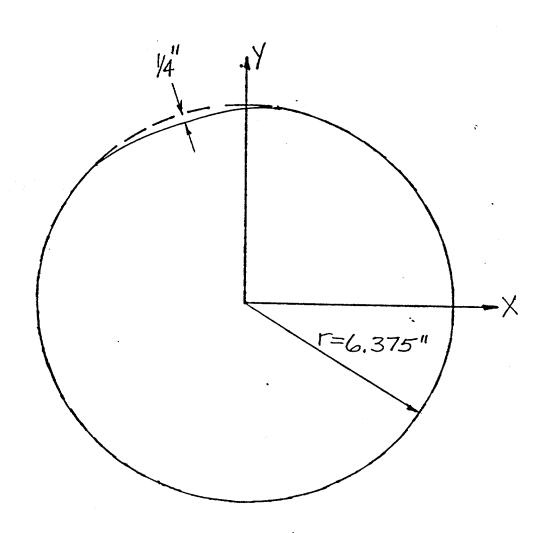
Specimen No. $_/3$ Damage No. $_3$ Distance from End B $_//-o''$ Scale $_/''=3''$



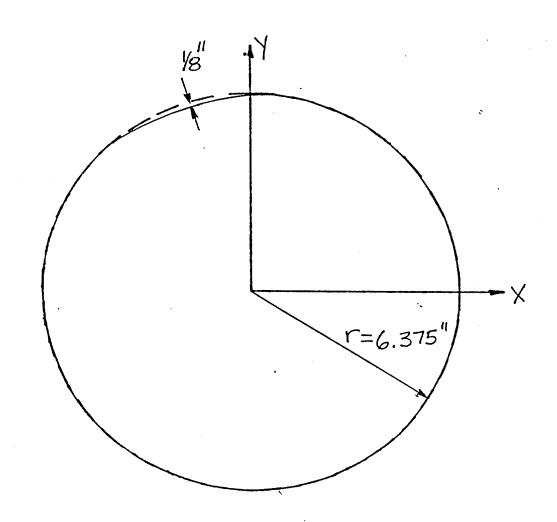
Specimen No. $_/3$ Damage No. $_3$ Distance from End B $_//-3''$ Scale $_/''=3''$



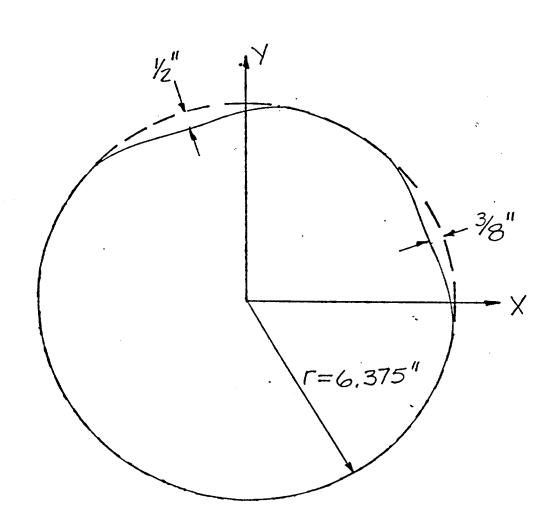
Specimen No. $_/4$ Damage No. $_244$ Distance from End B $_/-8''$ Scale $_/''=3''$



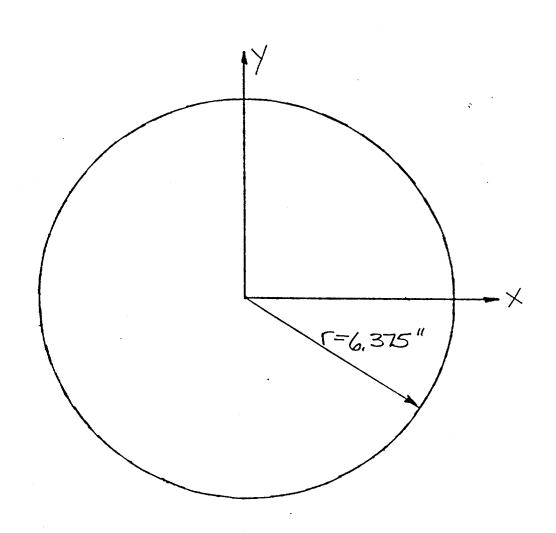
Specimen No. $_/4$ Damage No. $_4$ Distance from End B $_/-/0''$ Scale $_/''=3''$



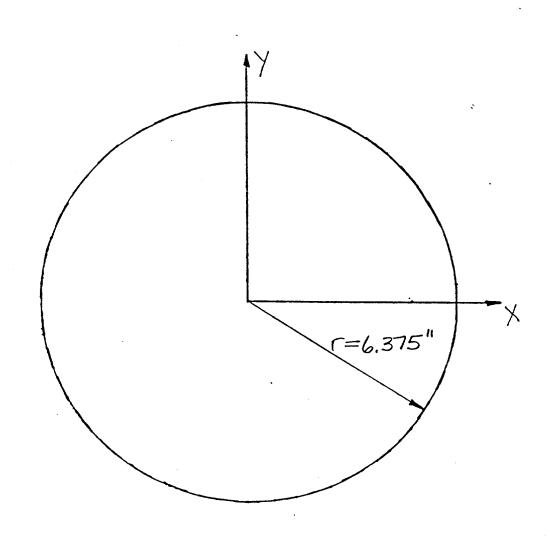
Specimen No. $\underline{/4}$ Damage No. $\underline{243}$ Distance from End B $\underline{/'-4''}$ Scale $\underline{/''=3''}$



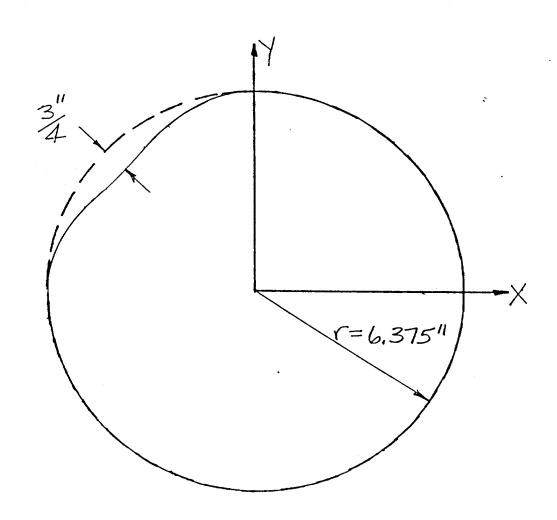
Specimen No. $\underline{13}$ Damage No. $\underline{3}$ Distance from End B $\underline{11^{l}-6^{ll}}$ Scale $\underline{1^{l'}=3^{ll}}$



Specimen No. $\underline{/3}$ Damage No. $\underline{4}$ Distance from End B $\underline{/7^{\prime}-0^{\prime\prime}}$ Scale $\underline{/^{\prime\prime}=3^{\prime\prime}}$

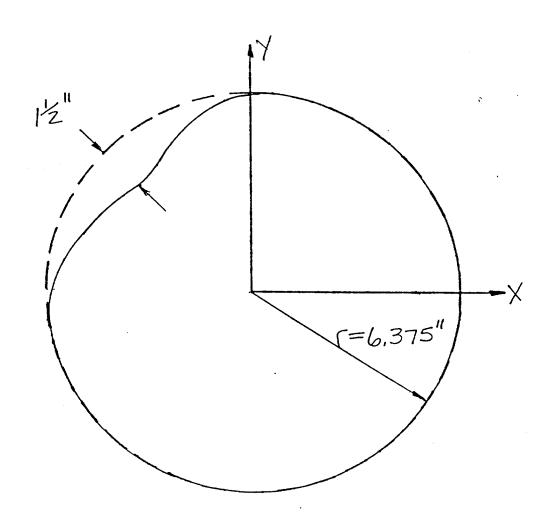


Specimen No. $_/3$ Damage No. $_4$ Distance from End B $17^{l}-3^{l'}$ Scale $_/''=3^{l'}$

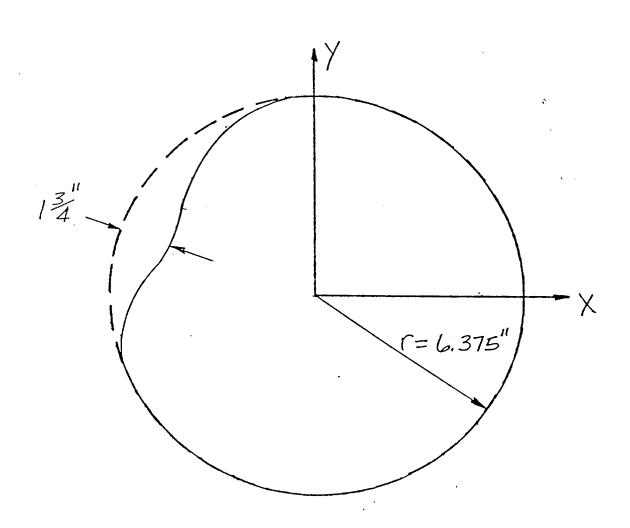


Specimen No. $_/3$ Damage No. $_4$ Distance from End B $_/7^{-}$ _6"

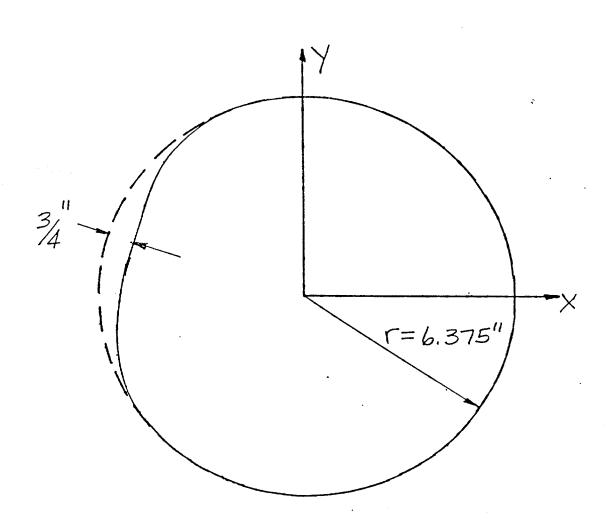
Scale $_/"=3"$



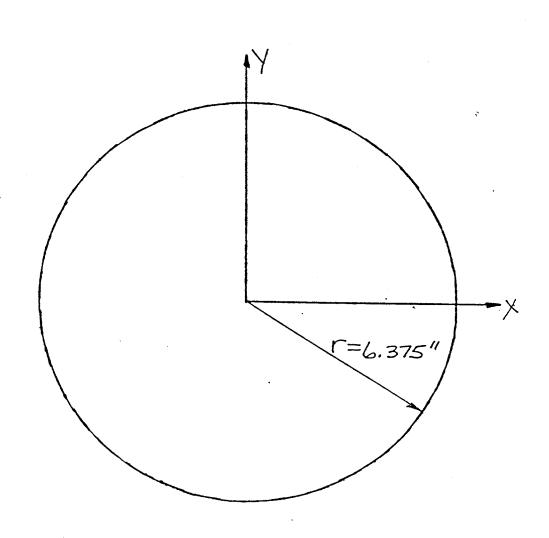
Specimen No. $\underline{/3}$ Damage No. $\underline{4}$ Distance from End B $\underline{17}^{\underline{1}}\underline{-9}^{\underline{\prime\prime}}$ Scale $\underline{/''}\underline{=3}^{\underline{\prime\prime}}$

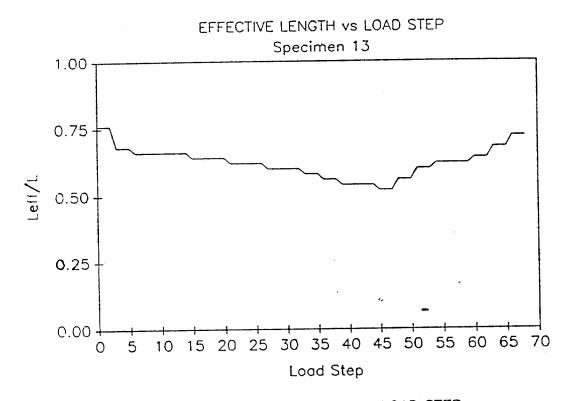


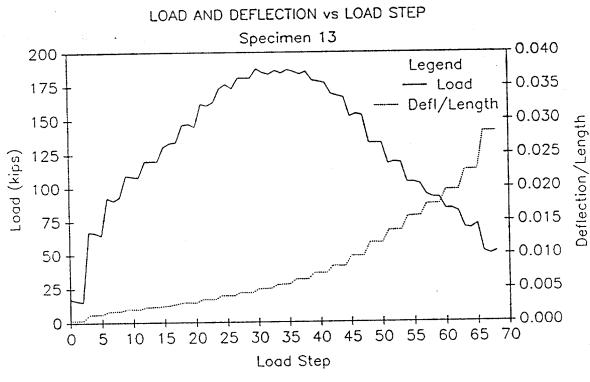
Specimen No. $\underline{13}$ Damage No. $\underline{4}$ Distance from End B $\underline{/8'-0''}$ Scale $\underline{/''=3''}$

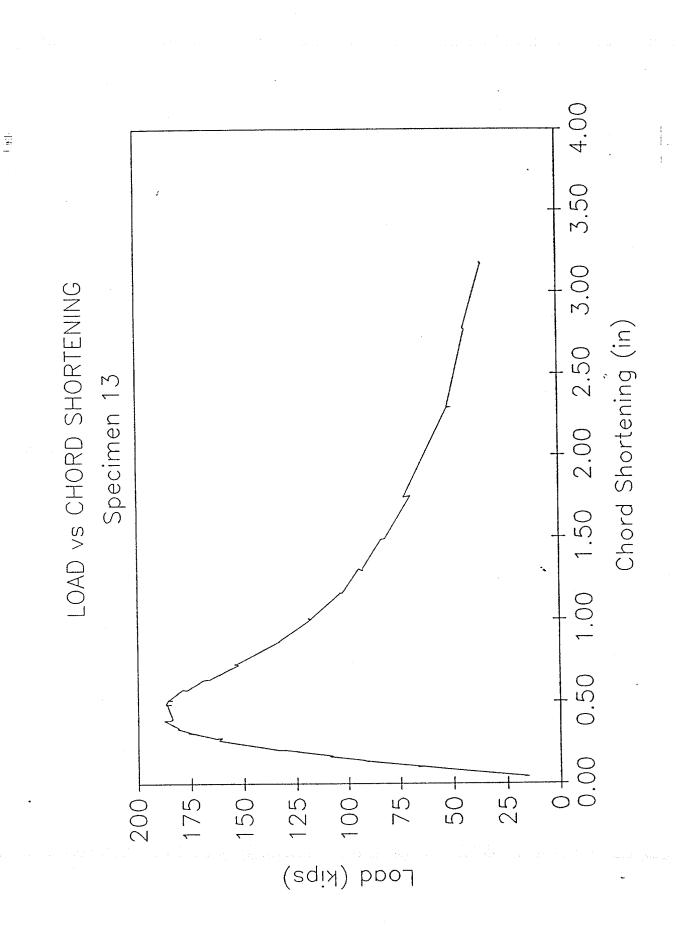


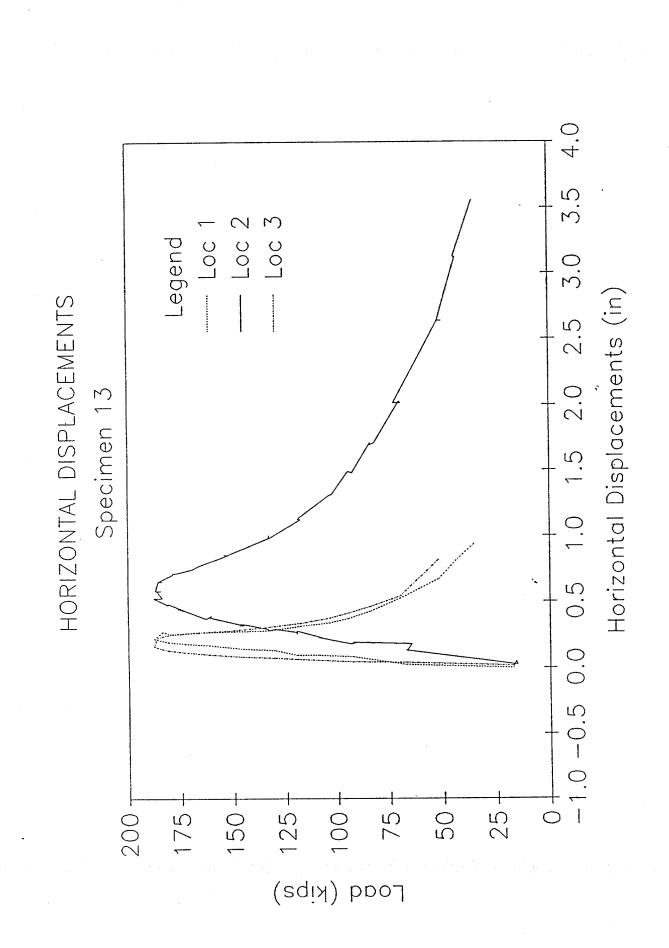
Specimen No. $_/3$ Damage No. $_4$ Distance from End B $_/8^{-}-3^{-}$ Scale $_/''=3^{-}$

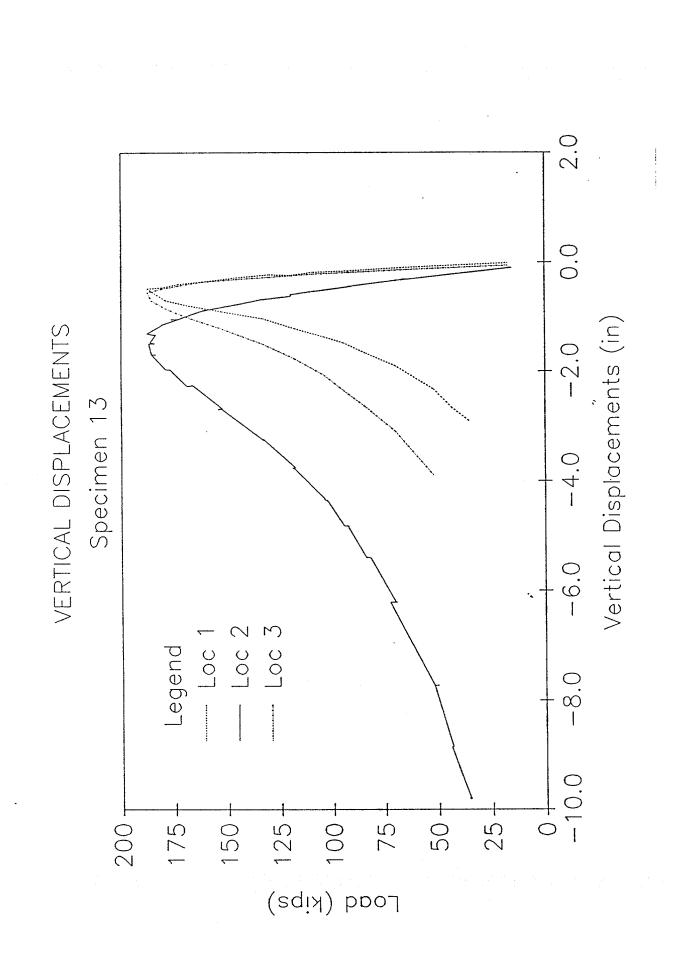


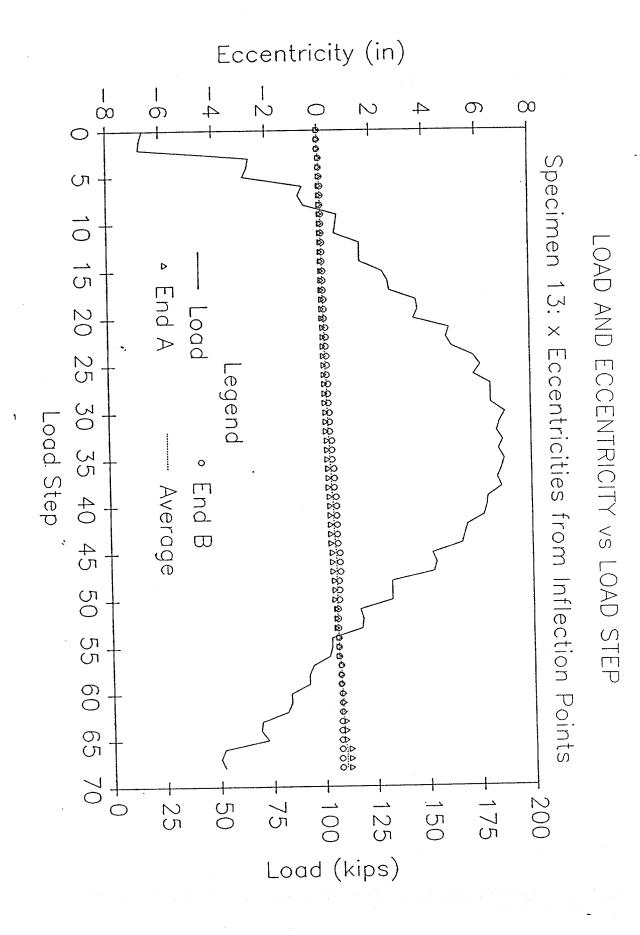


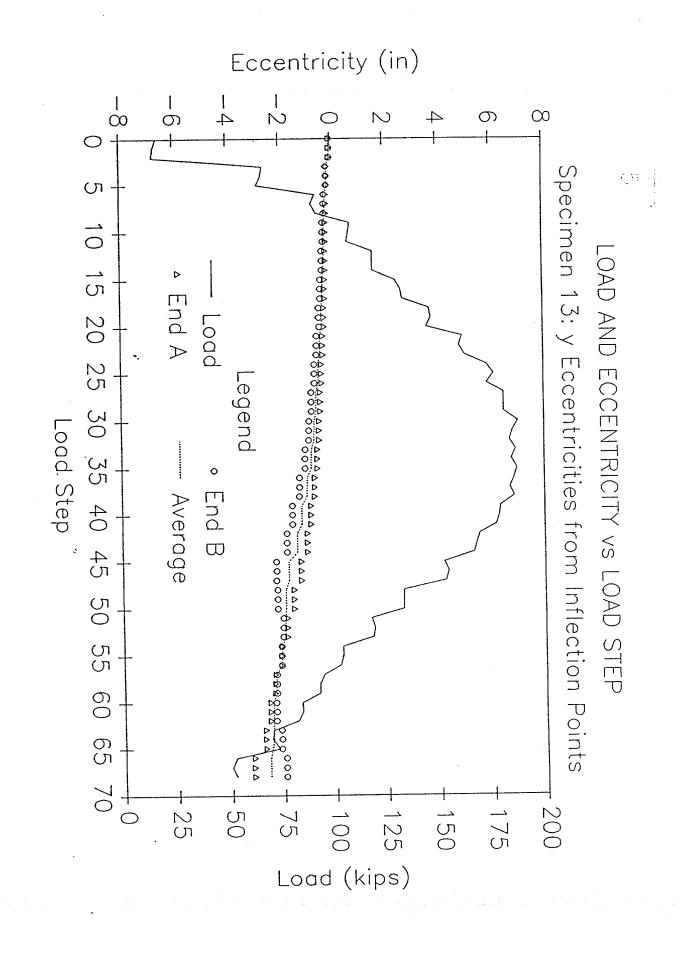




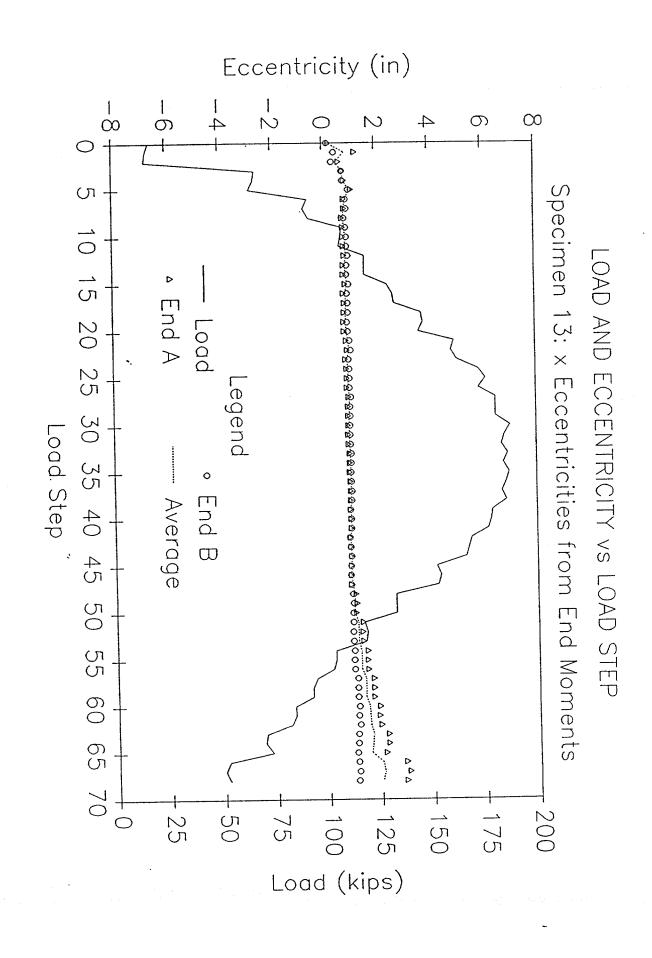


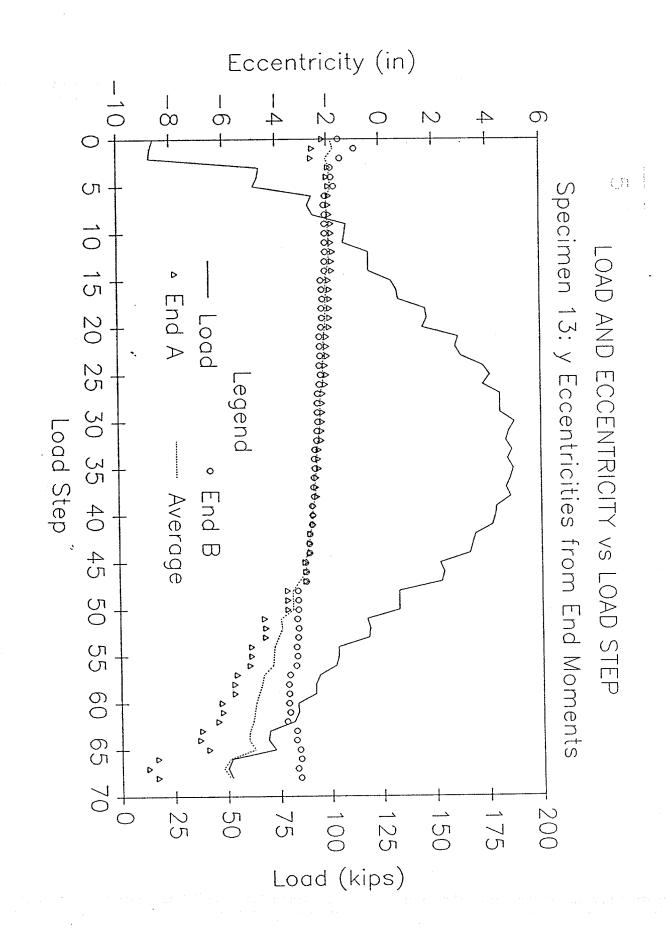


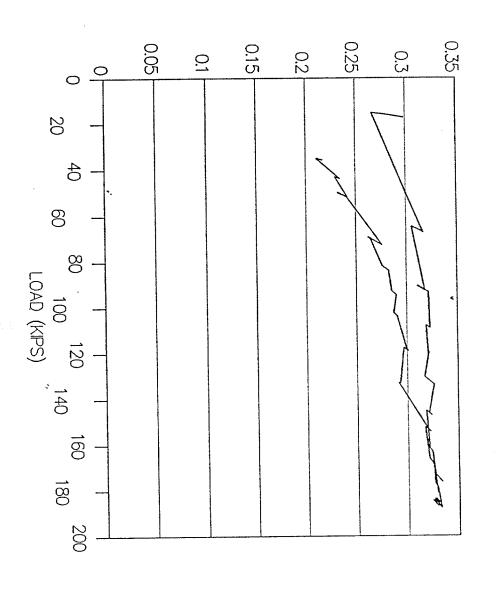




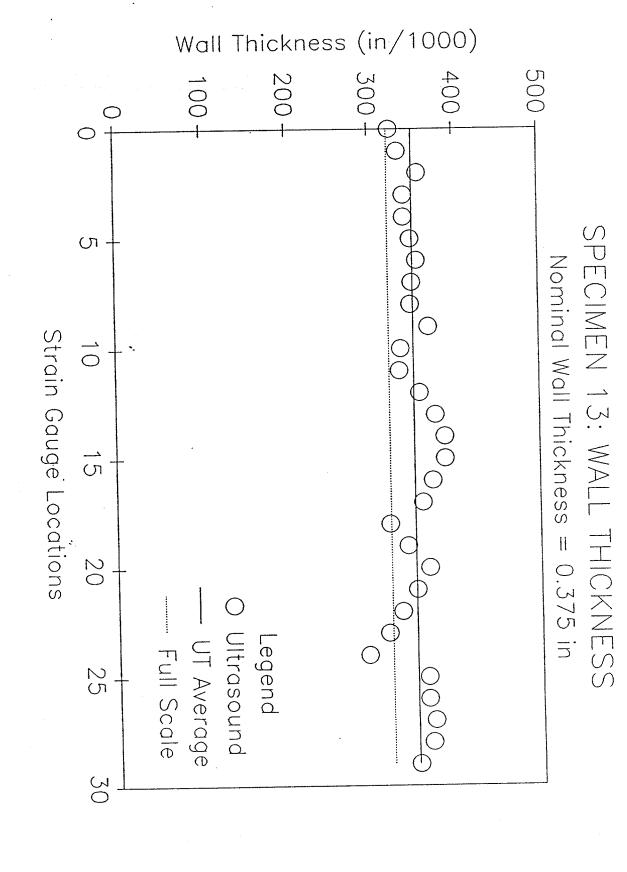
=







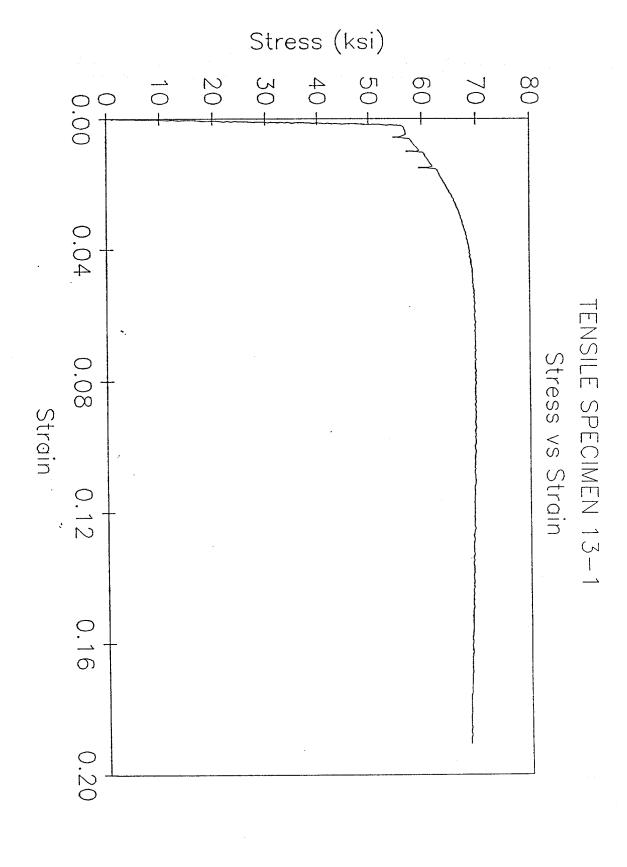
SPECIMEN 13-FULL SCALE TEST COMPUTED WALL THICKNESS

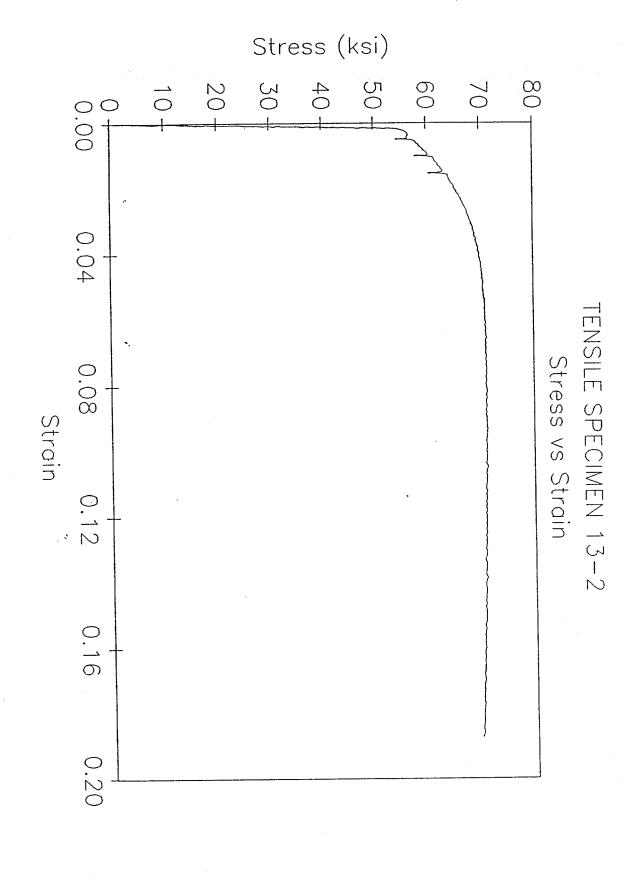


-

Ultrasound Data for Specimen 13 (All values in inches)

	0.352	ynerage =	Overall
0.353	698.0 638.0	58 82	
	275.0	77	
	98.0	56	
	998.0	52	
	962.0	24	
0,340	616.0	23	
	0.335	22	
	635.0	SJ	
	896.0	20	
	646.0	6 T	
	0.322	18	
₽ 7€.0	198.0	LΤ	
	676.0	9T	
	886.0	TP	
	886.0	7 T	
	775.0	ετ	
	698.0	75	
0.350	988.0	TT	
	755.0	0T 6	
	0.370	8	
	135.0 0,349	L	
	735.0	9	
248.0	035.0	S	
215 0	0.342	₽	,
	246.0	ξ.	
	635.0	Ž	
	355.0	τ	
	0.326	0	
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\mathtt{TU}	TU	gande	





SPECIMEN 14

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DAMAGE SUMMARY

Specimen No. 14 3-3-90

DISTANCE FROM END "B"	*DISTANC CHALK		DESCRIPTION OF DAMAGE
1. 1'-1 1/4"	LEFT	12"	1/2" ø corrosion hole
2. 1'-4"		8"	Dent - See additional sheets
3. 1'-4"	2"		Dent - See additional sheets
4. 1′-8"	2"		Dent - See additional sheets
5. 4'-1"	5 1/2"		3" x 1/4" cut-off attachment
6. 4'-0"		13"	6" (long) x 3/8" (wide) cut-off attachment (Runs circumferentially)
7. 4'-9"		8"	Heavily corroded area, 2 small holes = 1"ø, 3/4"ø
8. 4'-11"			3/4" circumferential butt weld
9. 5'-3"			3/4" circumferential butt weld
10. 10'-10"	17"		3" x 1/4" cut-off attachment

*Looking from end "A" towards end "B"

SEE ADDITIONAL SHEETS FOR OUT-OF-STRAIGHTNESS MEASUREMENTS WIDESPREAD HEAVY CORROSION

Out-of-Straightness Measurements for Specimen 14

The specimen was initially curved in the yz-plane and in the xz-plane. The following measurements are in the x-direction.

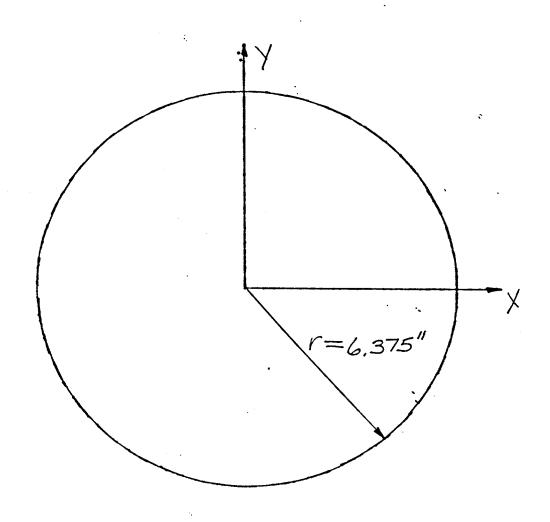
Distance	Distance from	Out-of
from	stringline to	straightness
End B	top of pipe	in x direction
(ft)	(in)	(in)
0	3.75	0
i	3.875	-0.125
2	3.875	-0.125
3	4.0	-0.25
	4.125	-0.375
4 5	4.25	-0.5
6	4.0	-0.25
7	4.0	-0.25
8	3.875	-0.125
9	3.875	-0.125
10	3.875	-0.125
11	3.8125	-0.0625
12	3.8125	-0.0625
13	3.75	0
14	3.75	0
15	3.75	0
16	3.75	0
16.75	3.75	•0

Out-of-Straightness Measurements for Specimen 14

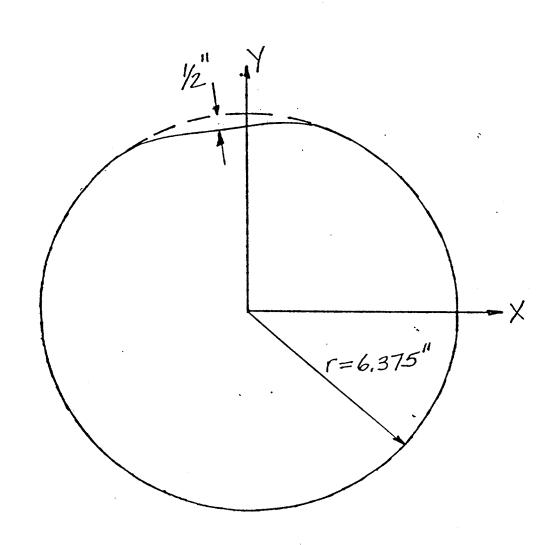
The specimen was initially curved in the yz-plane and in the xz-plane. The following measurements are in the y-direction.

Distance	Distance from	Out-of
from	stringline to	straightness
End B	top of pipe	in y direction
(ft)	(in)	(in)
0	3.875	0
1	4.375	-0.5
2	5.125	-1.25
3	5.5	-1.625
4	6.0	-2.125
5	6.75	-2.875
6	6.875	-3
7	6.5	-2.625
8	6.25	-2.375
9	5.875	-2
10	5.625	-1. 75
11	5.375	-1. 5
12	5.125	-1.25
13	4.75	-0.875
14	4.5	-0.625
15	4.25	-0.375
16	4.0	-0.125
16.75	3.875	0

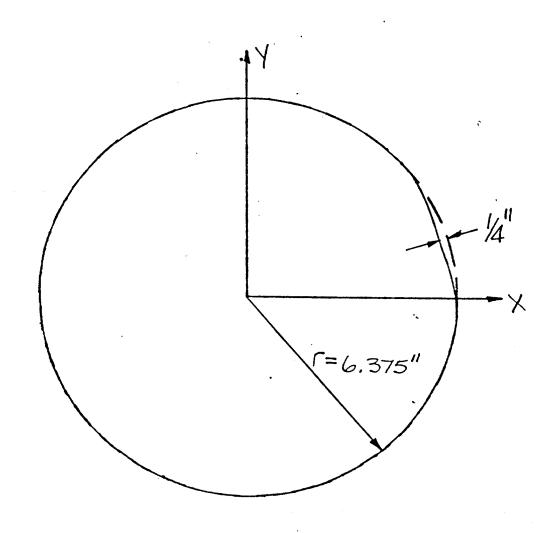
Specimen No. $_/4$ Damage No. $_3$ Distance from End B $_/-0''$ Scale $_/''=3''$



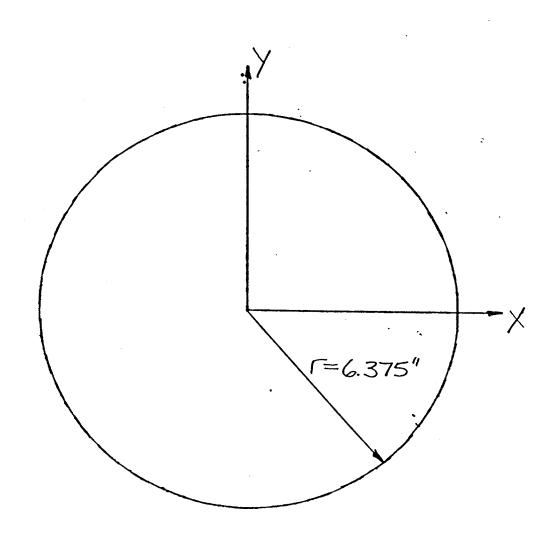
Specimen No. $\underline{14}$ Damage No. $\underline{243}$ Distance from End B $\underline{1'-2''}$ Scale $\underline{1''=3''}$



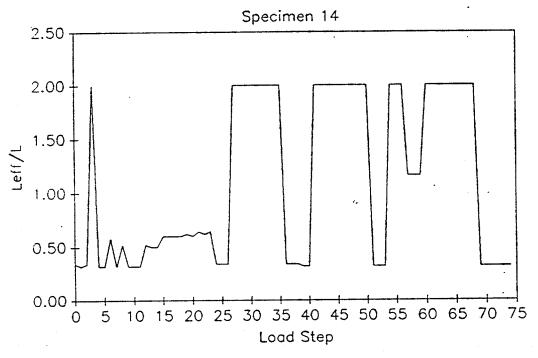
Specimen No. $\underline{/4}$ Damage No. $\underline{2,3,44}$ Distance from End B $\underline{/-6}''$ Scale $\underline{/''=3}''$



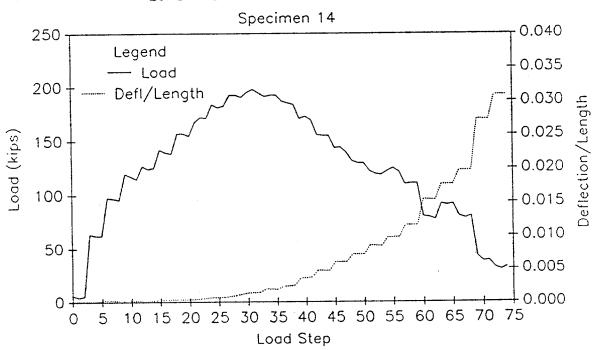
Specimen No. 14Damage No. 4Distance from End B 2-0Scale 1''=3''

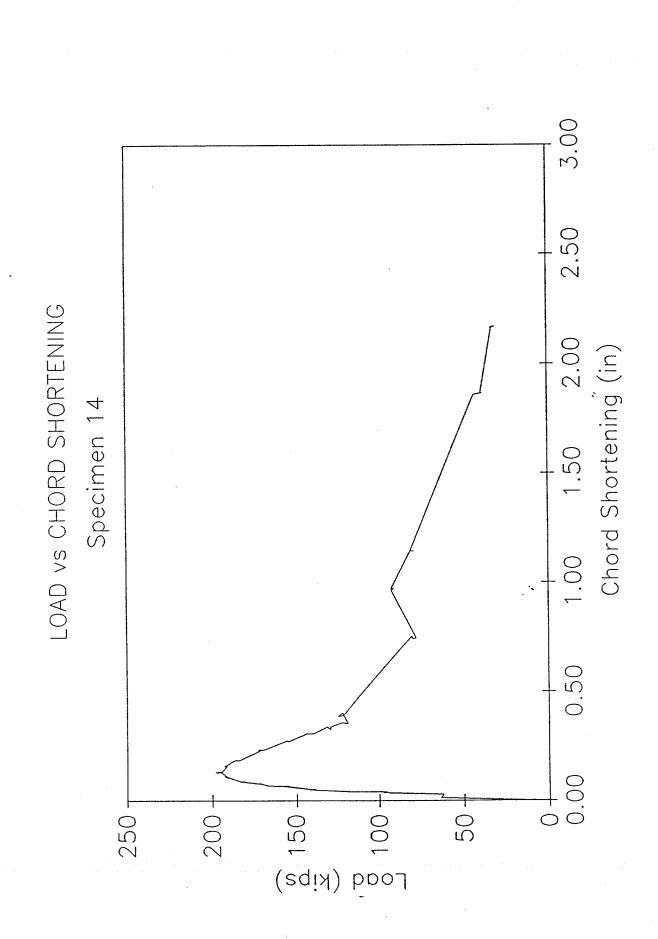


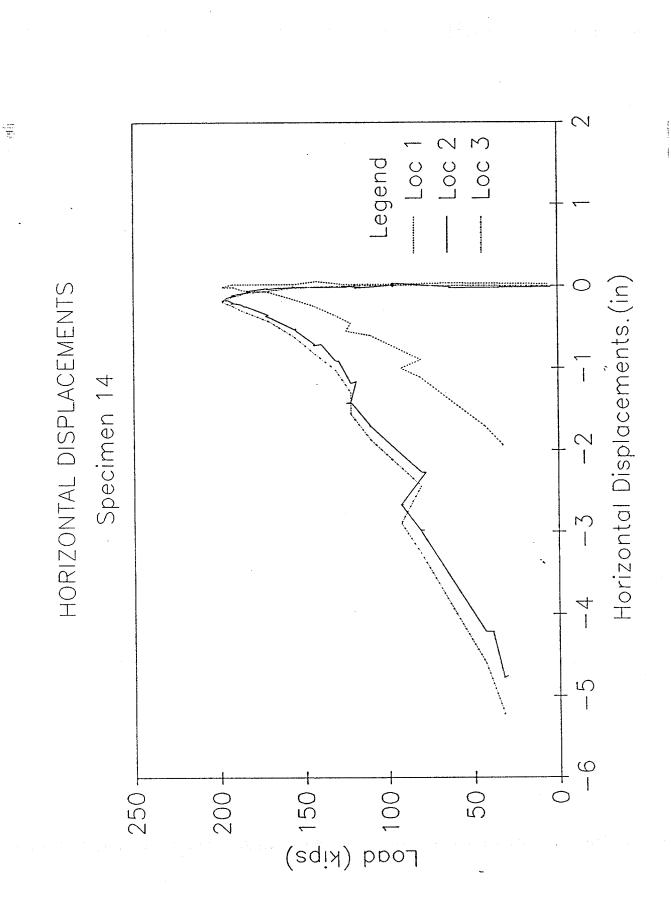


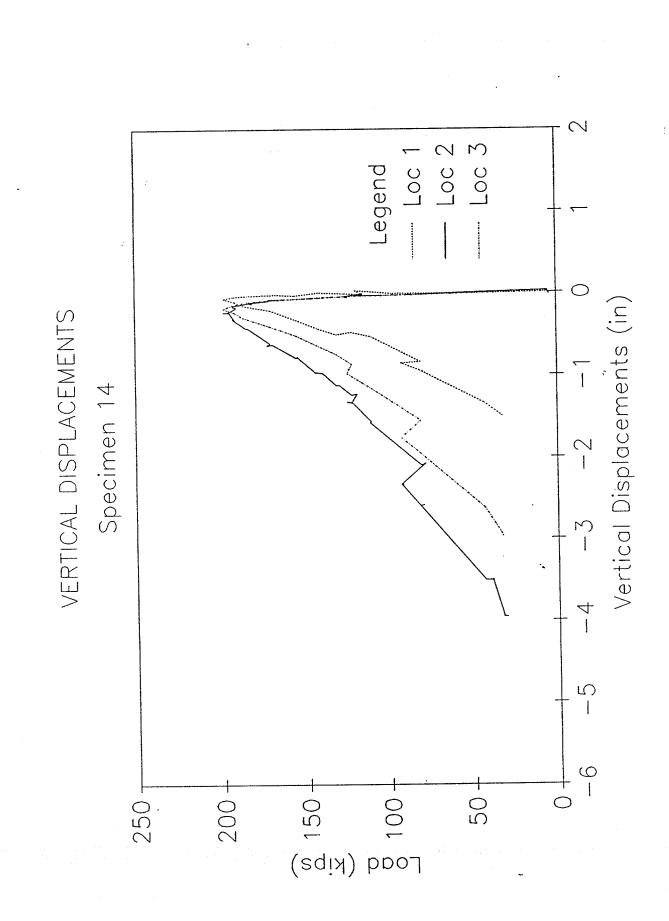


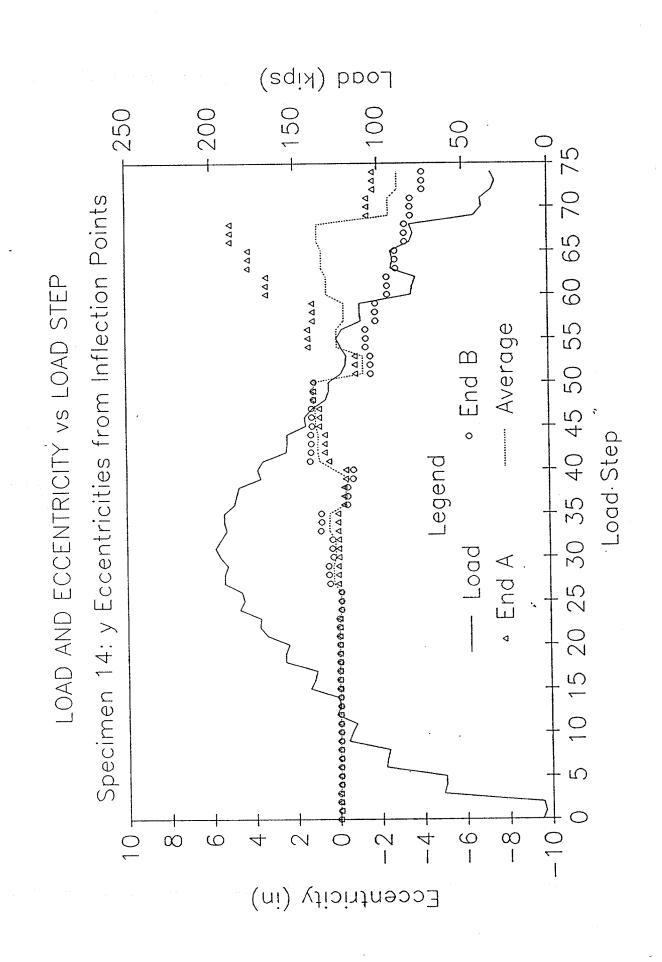
LOAD AND DEFLECTION vs LOAD STEP

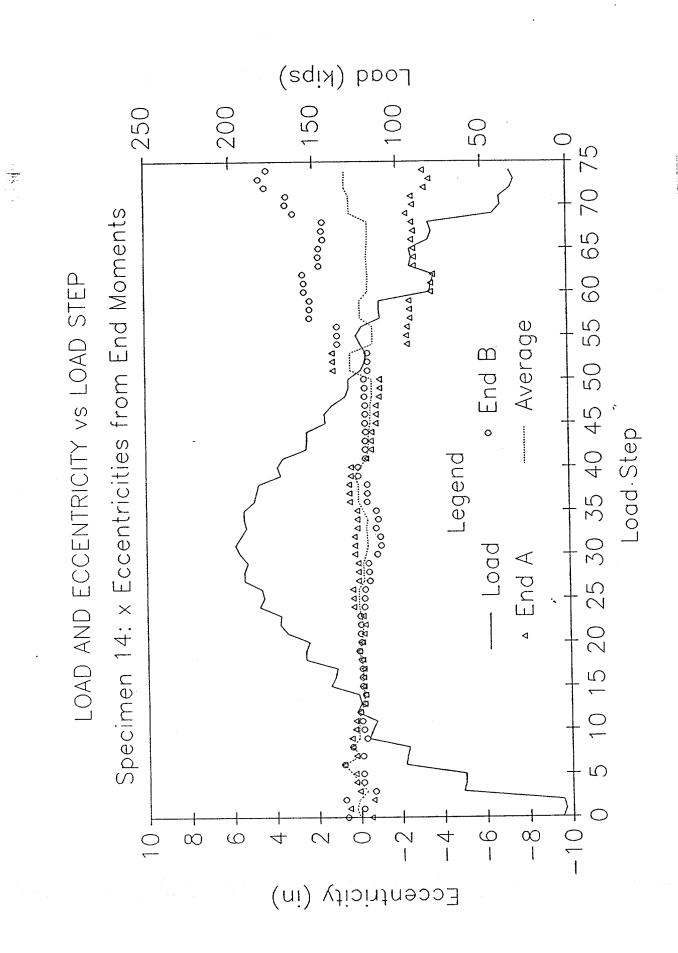


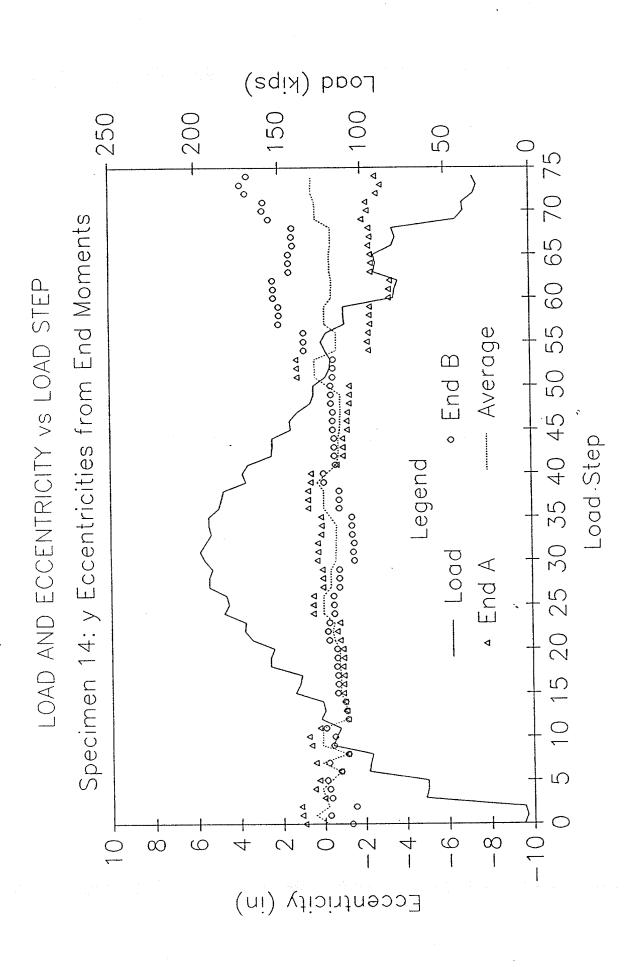




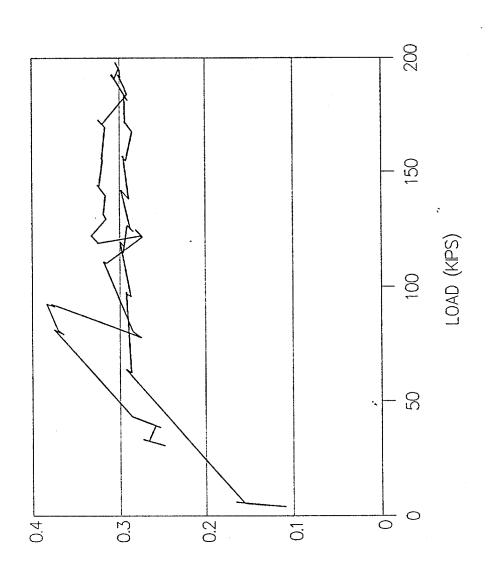








SPECIMEN 14-FULL SCALE TEST COMPUTED WALL THICKNESS



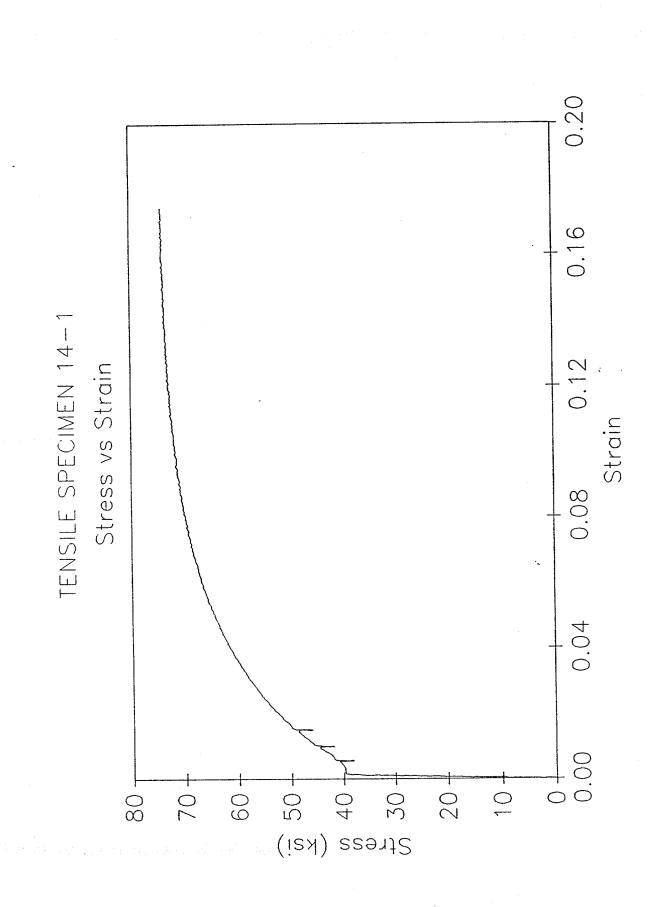
COMP WALL THICKNESS (IU)

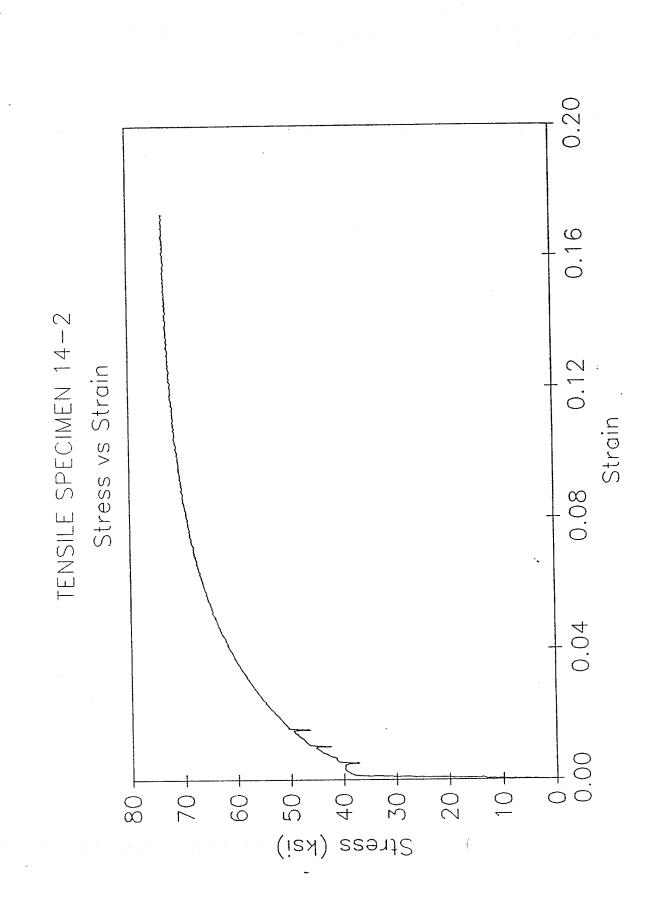
Ultrasound Data for Specimen 14 (All values in inches)

	Gauge	UT	${f UT}$
	No.	Thickness	Average
	0	0.303	
	. 1	0.356	
	2	0.358	
	3	0.391	
	4	0.263	
	5	0.226	0.316
	6	0.327	
	7	0.389	
	8	0.410	
	9	0.290	
	10	0.301	
	11	0.308	0.337
	12	0.379	
	13	0.397	
	14	0.355	
	15	0.363	
	16	0.364	
	17	0.352	0.368
	18	0.389	
	19	0.455	
	20	0.402	
	21	0.323	
	22	0.360	
	23	0.429	0.393
	24	0.347	
	25	0.242	
	26		
	27	0.257	
	28	0.236	
	29	0.197	0.279
Overall	Average =	0.339	

Random Readings near Buckling Point

	No.		Reading
		1	0.247
		2	0.211
		3	0.208
		4	0.235
		5	0.203
		6	0.212
Random	Average	=	0.219





SPECIMEN 16

DAMAGE SUMMARY

Specimen No. 16

	.DYCTANCI	- CDOM	!
DISTANCE FROM	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
END "B"		RIGHT	
	LEFT	9"	Rectangular welded attachment
1. 1'-6"		9	(cut-off) 5" long x 3/4" wide
.]			1 (omignted langifudinally)
	0"		Poctangular welded attachment
2. 4'-6"	0"		(cut-off) 5" long X 3/4" wide
	Į.		(oriented longitudinally)
			T Poctangular welded attachment
3. 6'-8"	0"		1 (cut-off) 5" long X 3/4" Wide
			(oriented longitudinally)
			Rectangular welded attachment
4. 4'-6"	20"		(cut-off) 5" long X 3/4" wide
			(oriented longitudinally)
			1/2" thick collar welded to pipe
5. 4'-7"			Widest point longitudinally = 24"
			Widest point longitudinally =
			Smallest point longitudinally =
			18" (See additional page for
			sketch and more information)
6. 8'-8"		10"	Dent - 3" X 3" with 1/8" depth at
0. 0			center (See additional pages for
1			cross sections)
7. 9'-5"	1/2"		Dent - 8" long by 3 1/2" wide,
7. 9 - 9	-/ -	•	1/4" depth at center (See
			additional pages for cross
·			sections)
8. 13'-1"	0"		Dent - 6" X 6" - 1/4" depth at
8. 15 -1	· ·		center (See additional pages for
			l arace sections)
9. 13'-10"		7"	Dent - 4" long X 5" wide - 1/4"
9. 15 -10			I denth at center (See additional
			nages for cross sections)
10. 20'-5 1/2"	0"		T_coction welded to DiDe
10. 20 -5 1/2			(cut-off) - 14'-9" long (See
		1	additional page for sketch)
	0"		5/8" hole (torch hole)
11. 17'-3 1/2"	0		
101 0 1 /0#			1/4" circumferential butt weld
12. 18'-3 1/2"			
10 07/ 08		10"	1" diameter hole
<u>13. 27'-9"</u>	1		

The specimen is curved in the x- and y- directions. See additional pages for initial out-of-straightness information.

^{*}Looking from end "A" towards end "B"

Out-of-Straightness Measurements for Specimen 16

The specimen was initially curved in the yz-plane and in the xz-plane. The following measurements are in the x-direction.

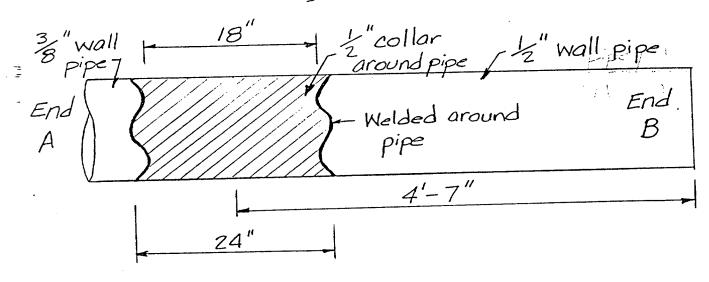
			Out-of-
Distance	Distance fr		straightness
from	stringline		in x direction
End B	top of pipe	2	
(ft)	(in)		(in)
0	2.125	2.125	0
1	2.5	2.125	-0.375
2	3.25	2.125	-1.125
3	3.75	2.125	-1.625
4	3.875	2.125	-1.75
5	4	2.125	-1.875
6	3.875	2.125	-1.75
7	3.75	2.125	-1.625
8	3.625	2.125	-1.5
9	3.375	2.125	-1.25
10	3.125	2.125	-1
11	3.125	2.125	-1
12	3	2.125	-0.875
13	2.75	2.125	-0.625
14	2.625	2.125	-0.5
15	2.75	2.125	-0.625
16	2.625	2.125	-0.5
	2.625	2.125	-0.5
17	2.025	2.125	-0.375
18	2.375	2.125	-0.25
19	2.375	2.125	-0.25
20		2.125	
21	2.25	2.125	-0.125
22	2.25	2.125	-0.125
23	2.25		_
24	2.125	2.125	
25	2.125	2.125	
26	2.125	2.125	
27	2.125	2.125	
28	2.125	2.125	_
28.667	2.125	2.125	0

Out-of-Straightness Measurements for Specimen 16

The specimen was initially curved in the yz-plane and in the xz-plane. The following measurements are in the y-direction.

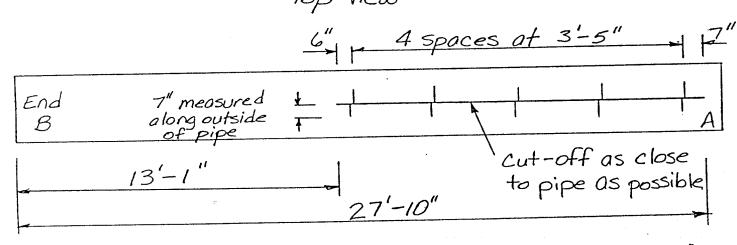
	5. 1	0
Distance	Distance from	Out-of-
from	stringline to	straightness
End B	top of pipe	in y direction
(ft)	(in)	(in)
0	2.5	0
1 2	3.25	-0.75
2	3.625	-1.125
3 4	4.875	-2.375
4	5.5	-3
5	6.375	-3.875
6	7	-4.5
7	7.375	-4.875
8	7.875	-5.375
9	8.5	- 6
10	8.625	-6.125
11	8.75	-6.25
12	8.875	-6.375
13	9.125	-6.625
14	9	-6.5
15	8.4375	-5.9375
16	8.125	-5.625
17	7.375	-4.875
18	7.25	-4.75
19	6.875	-4.375
20	6.375	-3.875
21	6	-3.5
22	5.625	-3.125
23	5.25	-2.75
24	4.875	-2.375
25	4.375	-1.875
26	3.875	-1.375
27	3.75	-1.25
28	2.75	-0.25
28.667	2.5	0

Specimen No. 16 Domage No. 5

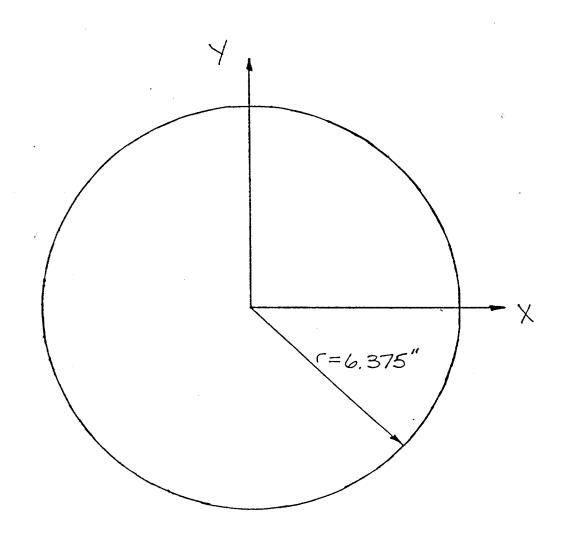


The length of pipe (3/8" or 1/2") under the collar is unknown. We assume that 1/2" wall pipe extends under half the collar (to 4'-7") and that the rest of the pipe is 3/8" thick.

Damage No. 10 Top View



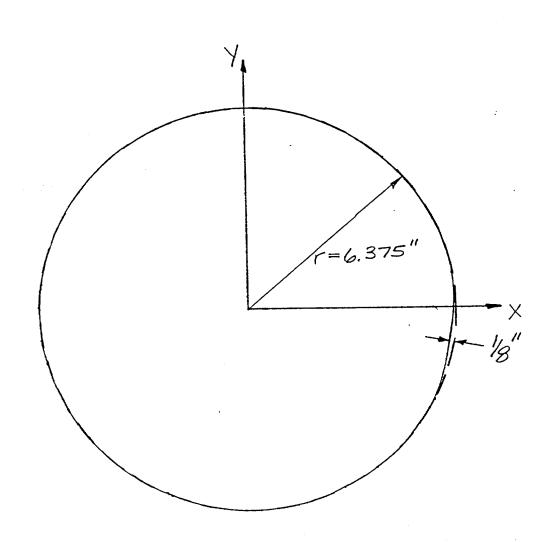
Specimen No. $_16$ Damage No. $_6$ Distance from End B $\cancel{8}^{\cancel{-}7''}$ Scale $\cancel{1''=3''}$



Specimen No. _/6___

Damage No. __6__

Distance from End B 8'-8''Scale 1''=3''

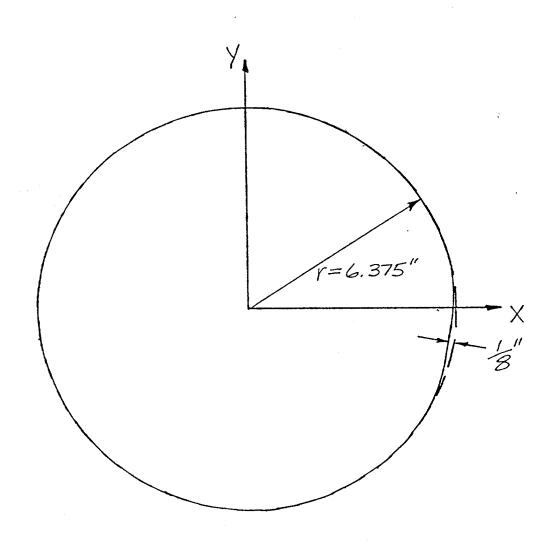


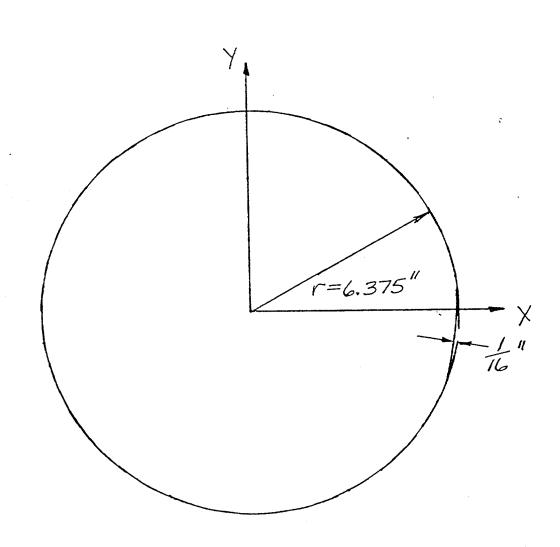
Specimen No. _/_6__

Damage No. __6__

Distance from End B 8^{-9} ''

Scale $2^{''}=3^{''}$



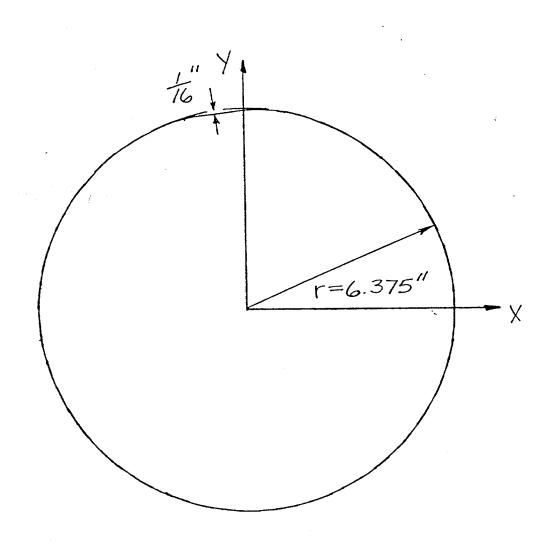


Specimen No. __/6_

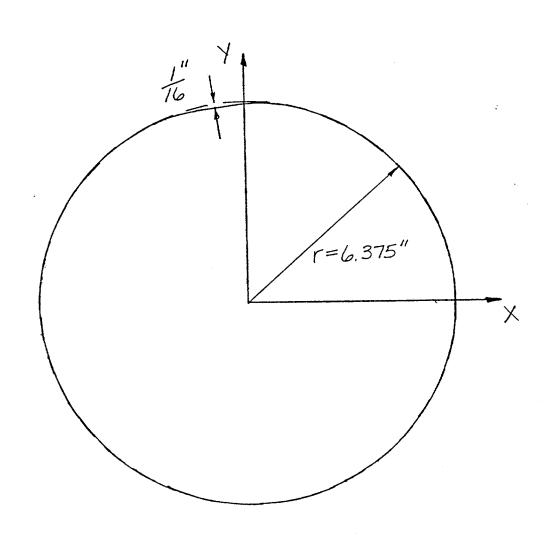
Damage No. __/647

Distance from End B __B'-//

Scale /'' = 3''



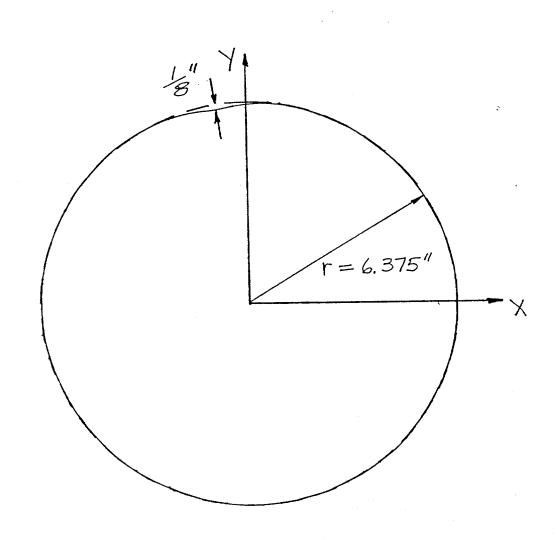
Specimen No. 16Damage No. 7Distance from End B 9'-0''Scale 1''=3''



Specimen No. _/___

Damage No. _____

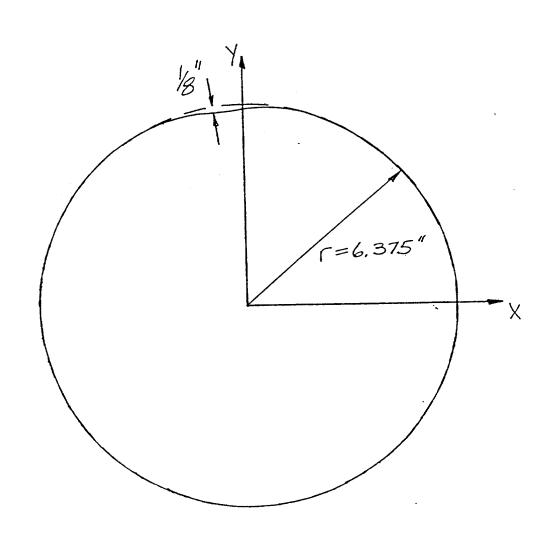
Distance from End B $\frac{9'-1''}{9'-1''}$ Scale $\frac{1''=3''}{9'-1''}$



Specimen No. _/6_

Damage No. __7_

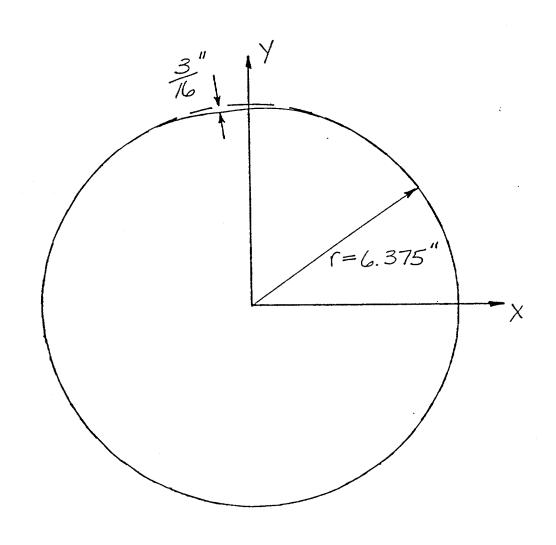
Distance from End B $9^{\prime}-2^{\prime\prime}$ Scale $\underline{/''=3''}$

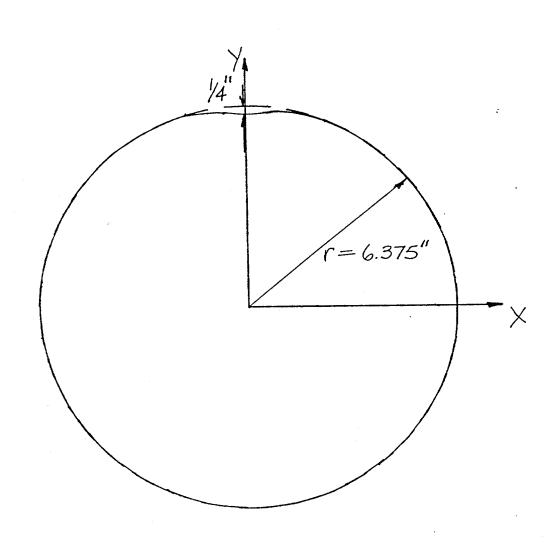


Specimen No. _/6__

Damage No. __7__

Distance from End B 9^{l} - $3^{l'}$ Scale $1^{l''}$ = $3^{l'}$

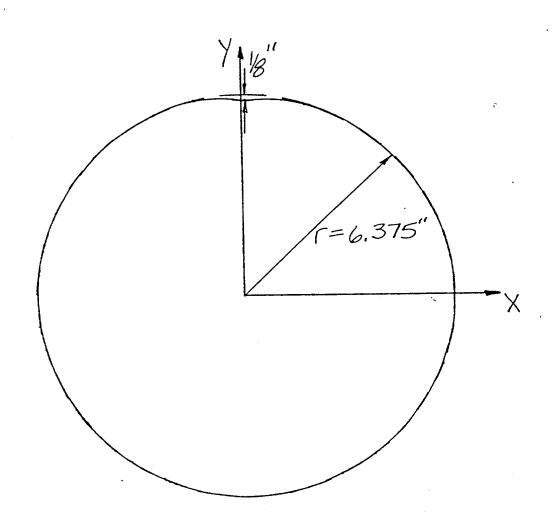




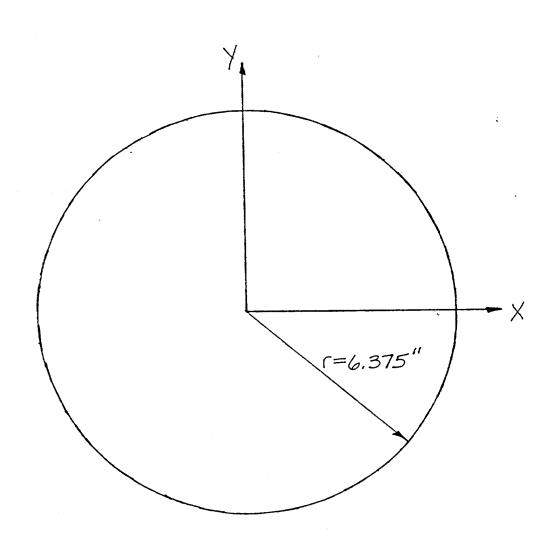
Specimen No. __/6__

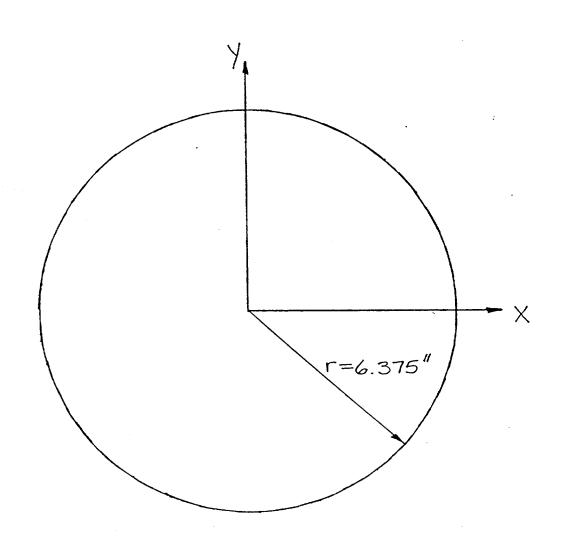
Damage No. __/7__

Distance from End B 9'-5'', 9'-6'', 49'-7''Scale 1''=3''



Specimen No. $_/6$ Damage No. $_/7$ Distance from End B $_9'-8''$ Scale $_/''=3''$

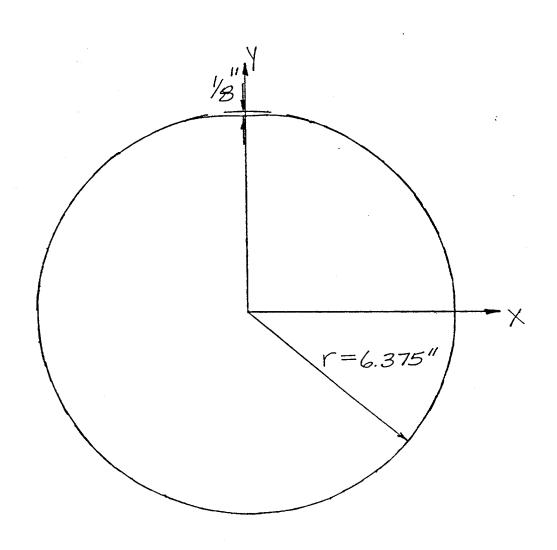




Specimen No. _/___

Damage No. _ \mathcal{B} _

Distance from End B 12^{\prime} -// $^{\prime\prime}$ Scale $1^{\prime\prime}=3^{\prime\prime}$

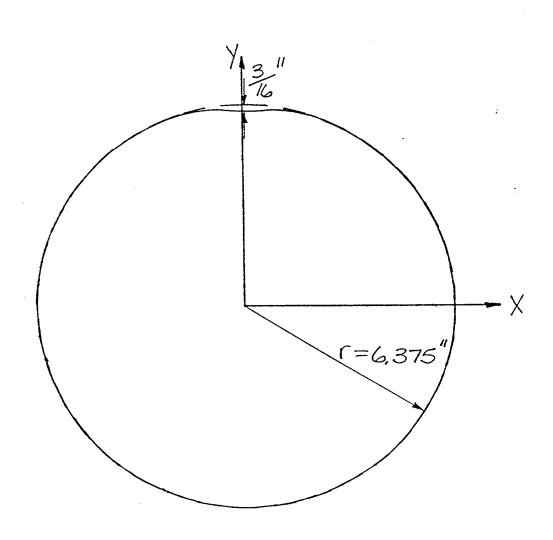


Specimen No. __/___

Damage No. __ \mathcal{B} __

Distance from End B __/ \mathcal{S}' ______

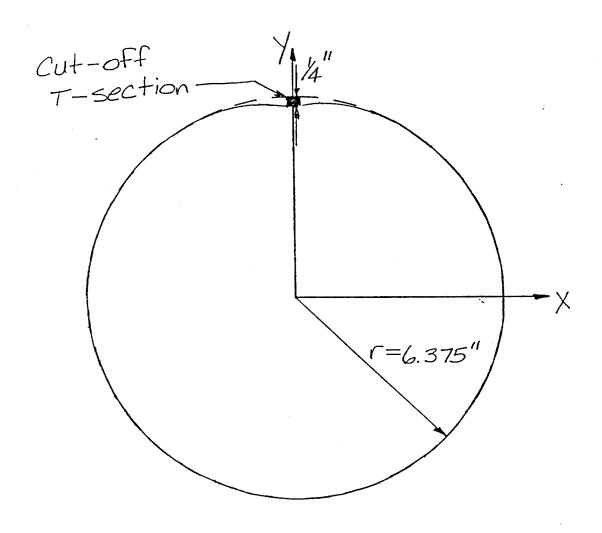
Scale __/"= \mathcal{S}''



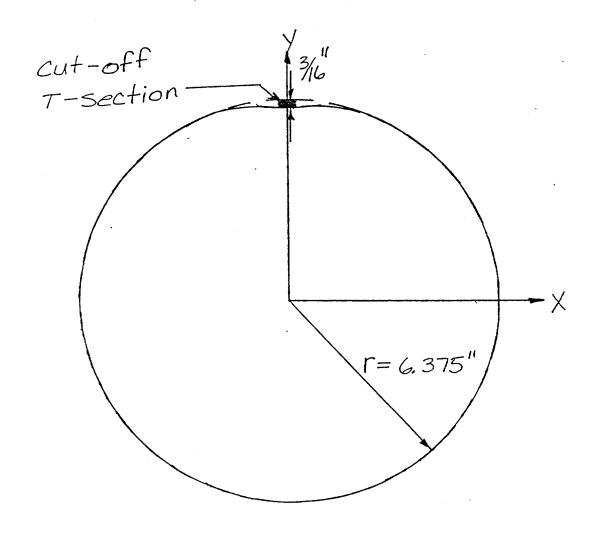
Specimen No. __/_6_

Damage No. __8_

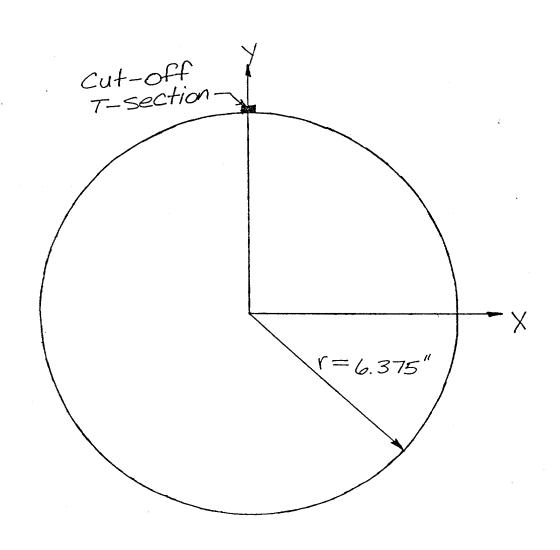
Distance from End B $\frac{13^{\prime}-1^{\prime\prime}}{2}$ Scale $\frac{1^{\prime\prime}=3^{\prime\prime}}{2}$



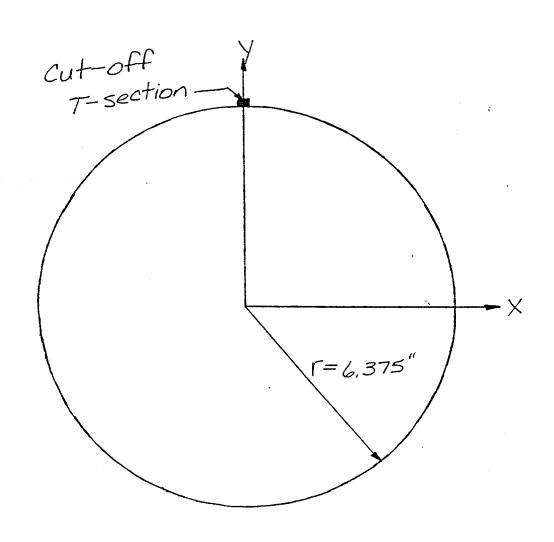
Specimen No. 16Damage No. 8Distance from End B $13^{\prime}-2^{\prime\prime}$ Scale $1^{\prime\prime}=3^{\prime\prime}$



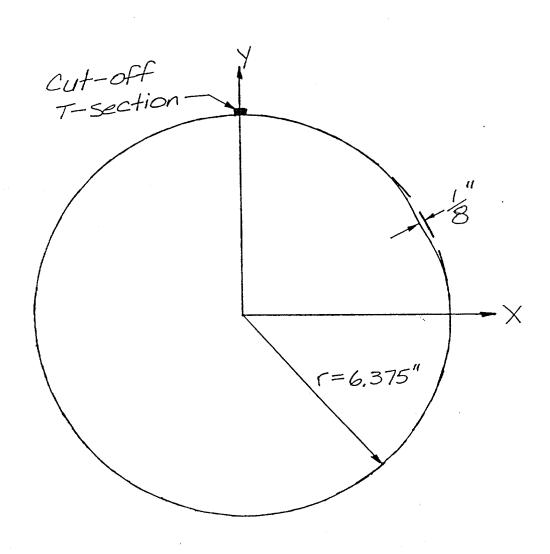
Specimen No. $_/6$ Damage No. $_8$ Distance from End B $_/3'-3''$ Scale $_/''=3''$



Specimen No. $\underline{/6}$ Damage No. $\underline{9}$ Distance from End B $\underline{/3'-8''}$ Scale $\underline{/''=3''}$



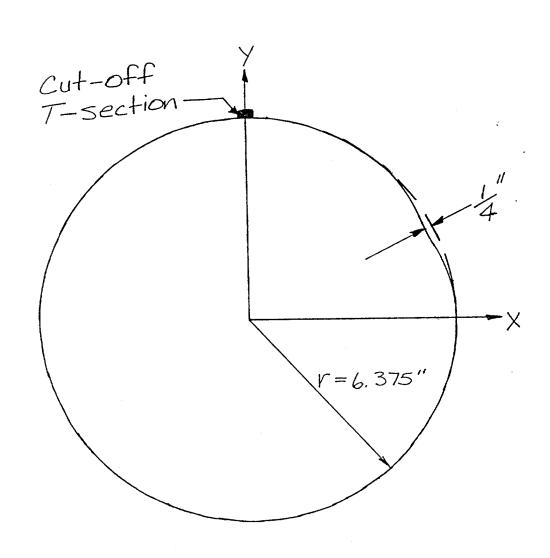
Specimen No. $_/6$ Damage No. $_9$ Distance from End B $_/3'-9''$ Scale $_/''=3''$



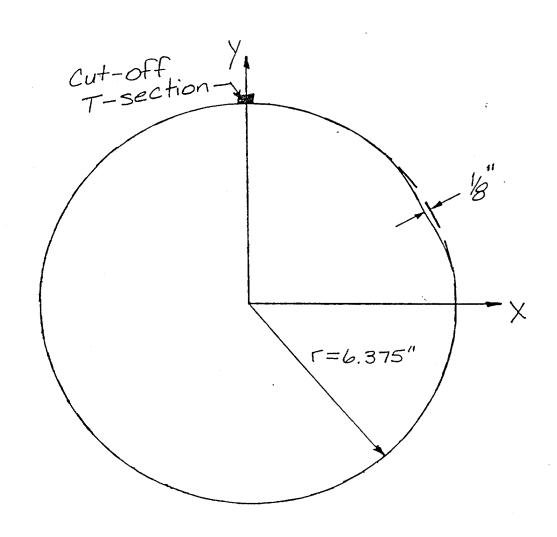
Specimen No. _/6_

Damage No. _9_

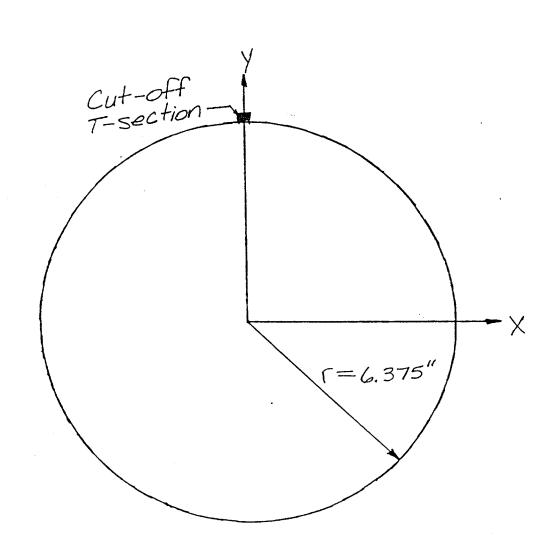
Distance from End B 13^{1} _ $0^{"}$ Scale $1^{"}$ = $3^{"}$

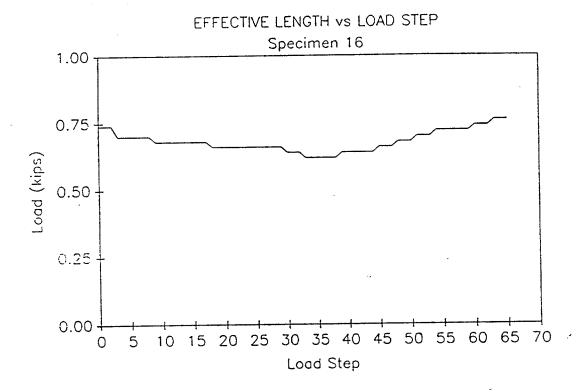


Specimen No. $_/6$ Damage No. $_9$ Distance from End B $/3^{\prime}-//^{\prime\prime}$ Scale $/^{\prime\prime}=3^{\prime\prime}$

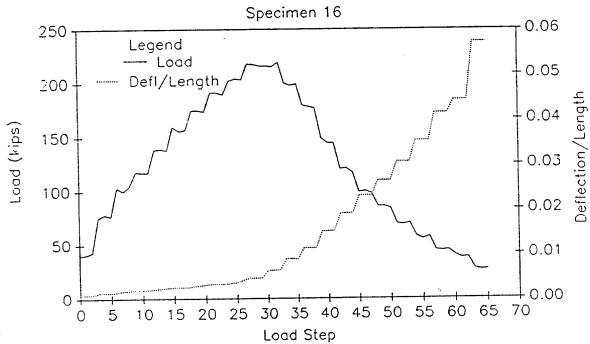


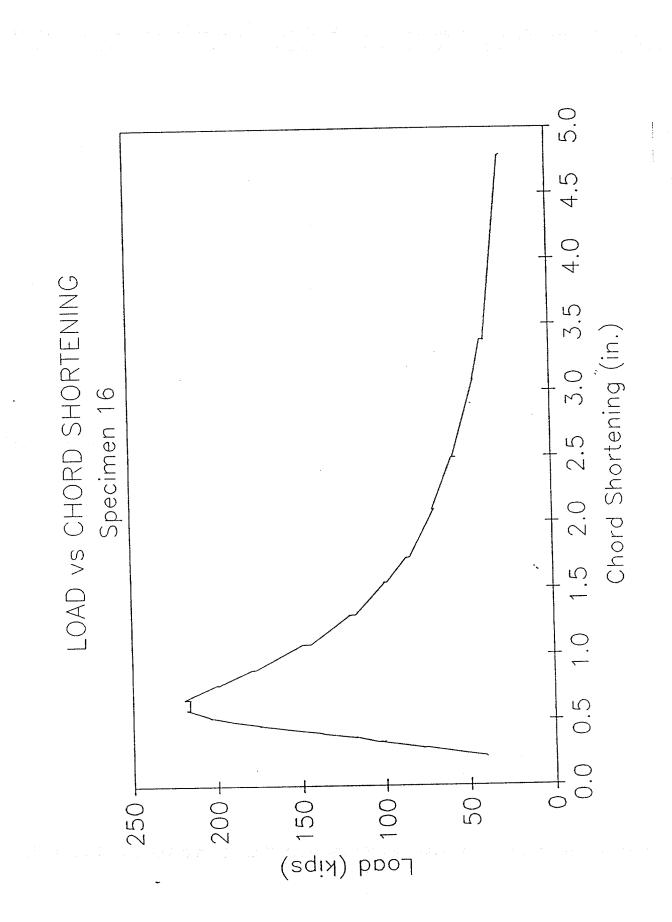
Specimen No. $_/6$ Damage No. $_9$ Distance from End B $/4^{\prime}-0^{\prime\prime}$ Scale $/''=3^{\prime\prime}$

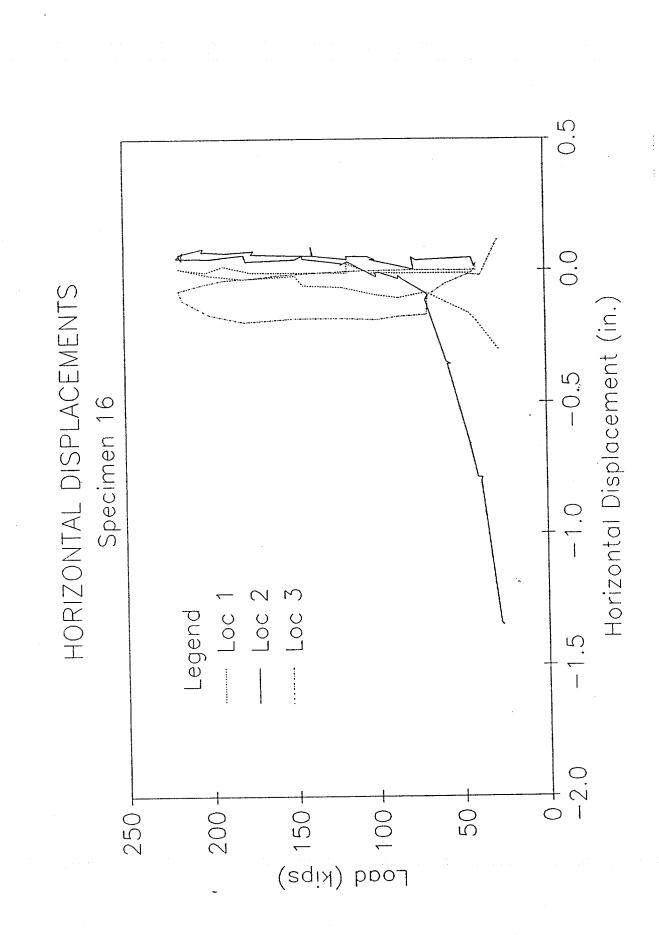


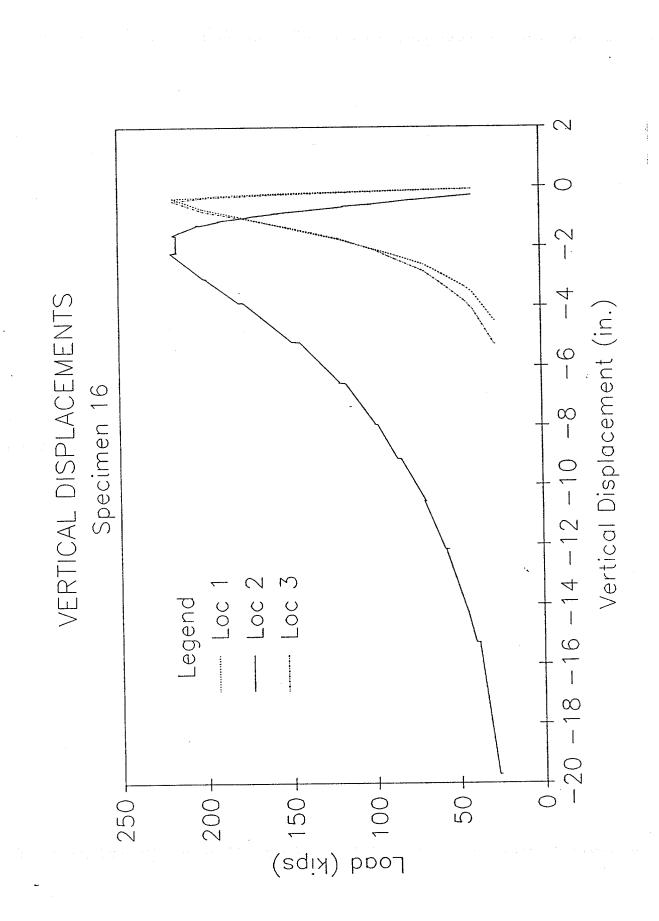


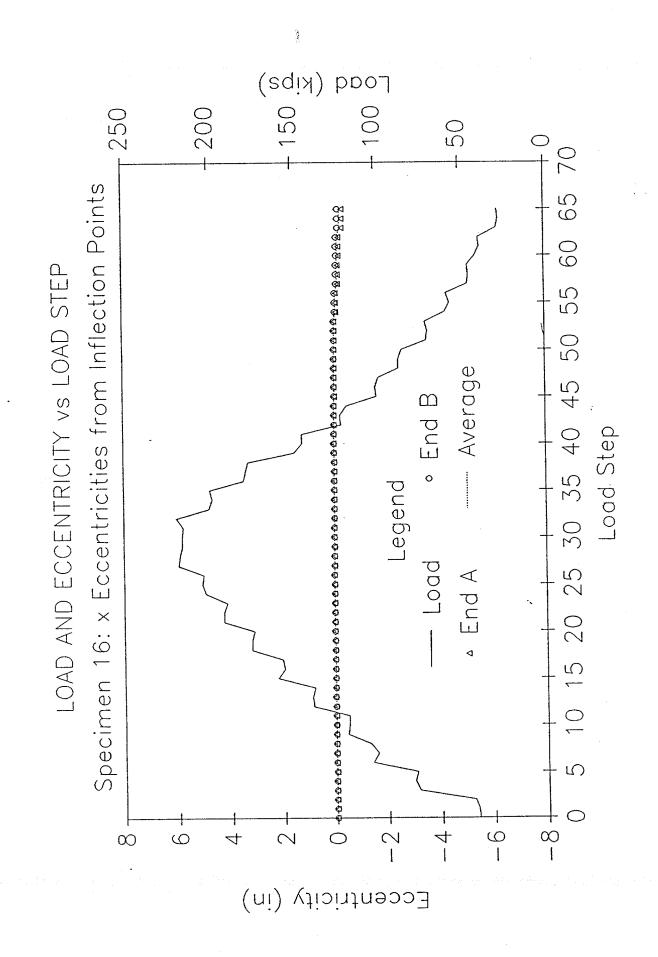


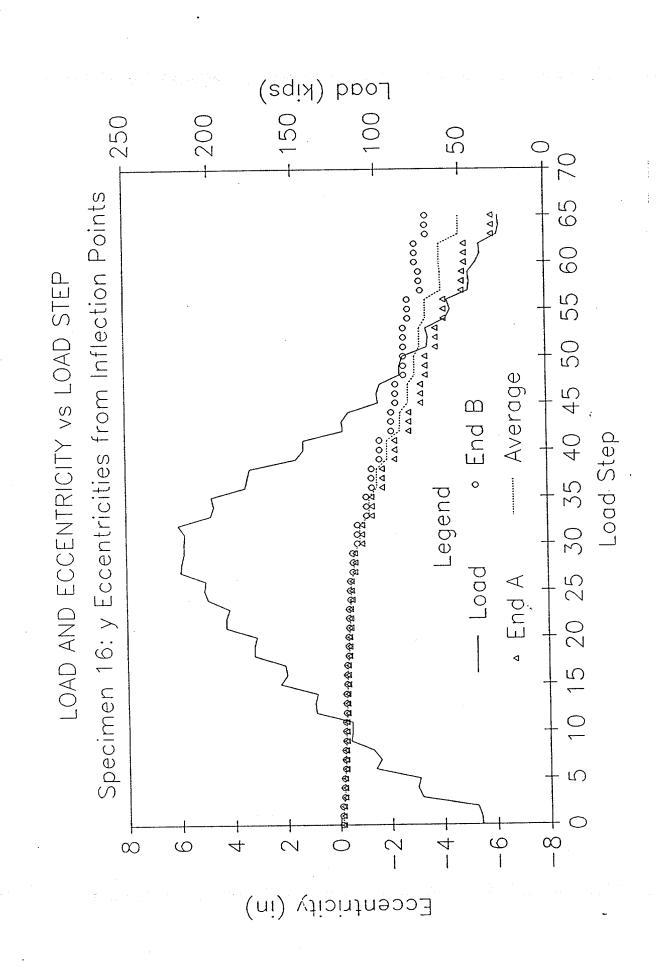


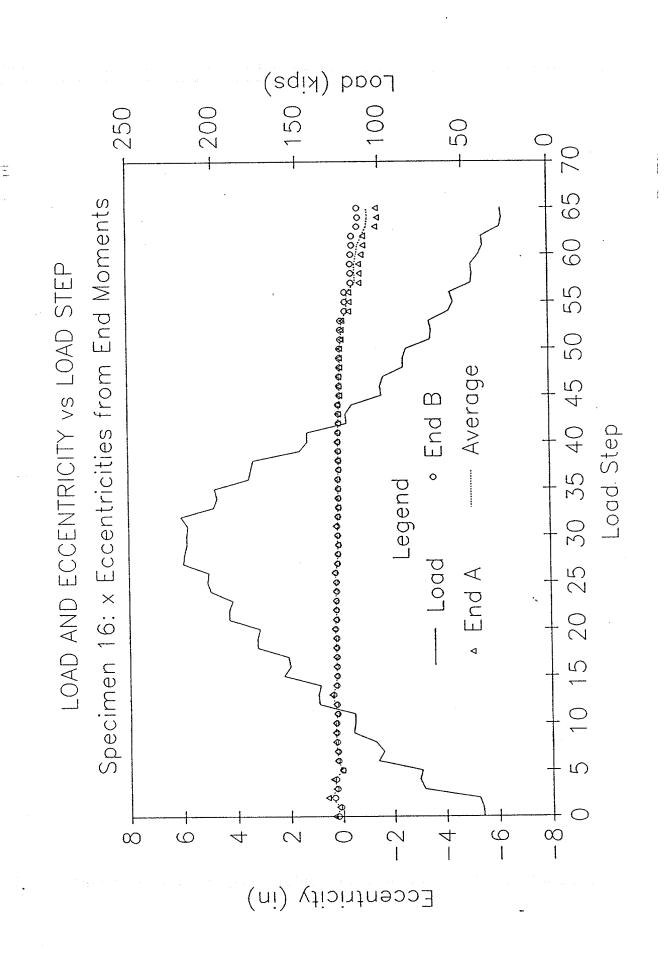


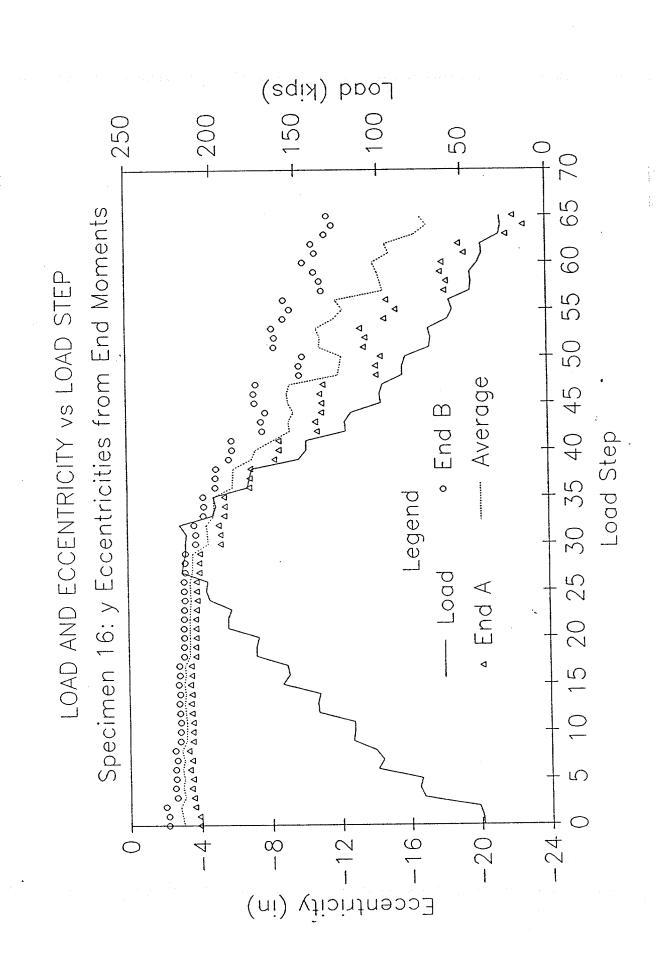






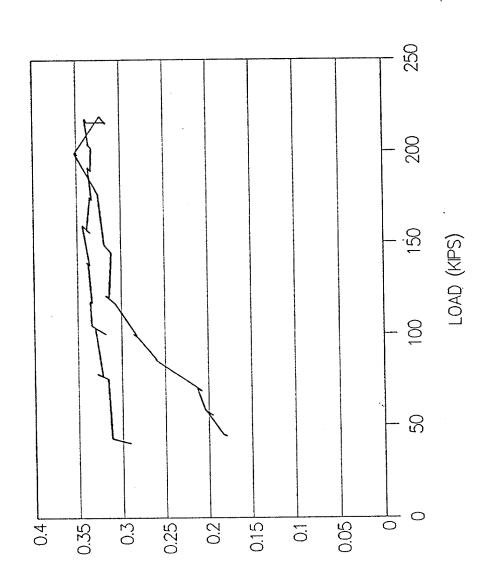






SPECIMEN 16-FULL SCALE TEST

COMPUTED WALL THICKNESS

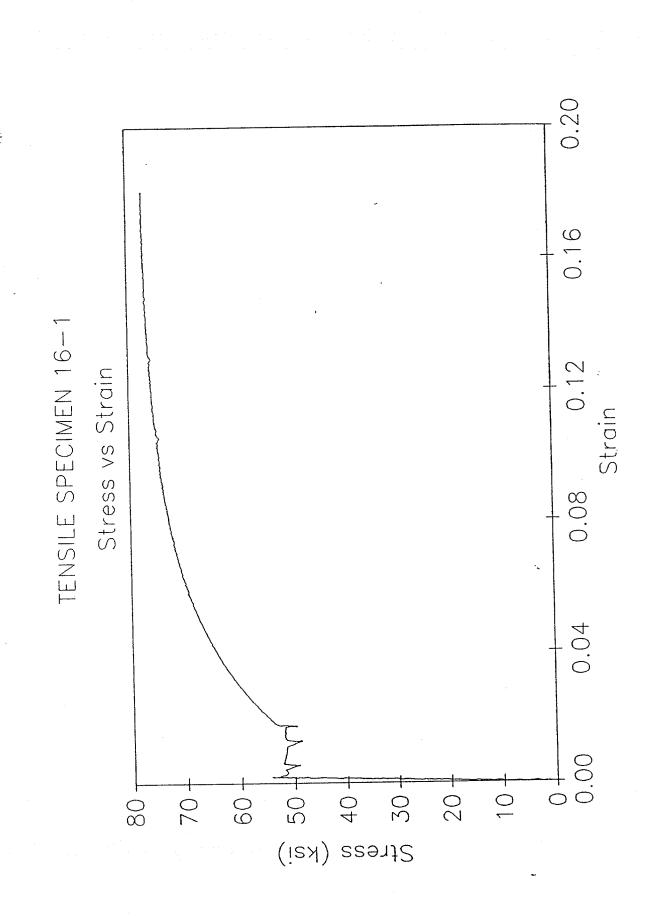


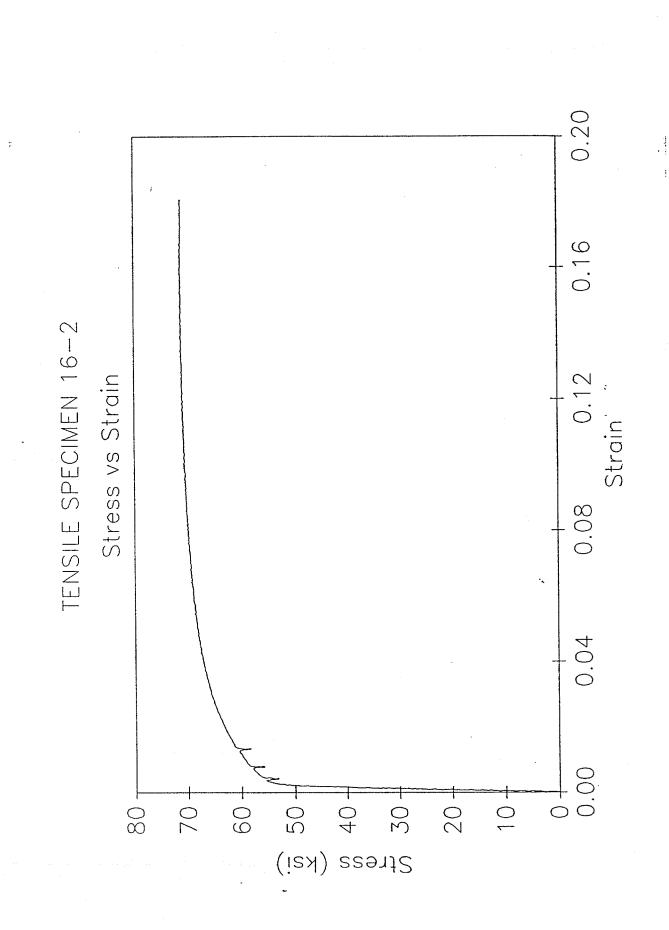
COMP WALL THICKNESS (IN)

000000 UT Average ---- Full Scale O Ultrasound Legend 25 SPECIMEN 16: Wall Thickness Nominal Wall Thickness = 0.375 in 0 Strain Gauge Locations 000 7 0 5 $\overline{\bigcirc}$ 100 200 500 400 009 (0001/u!)Wall Thickness

Ultrasound Data for Specimen 16 (All values in inches)

	Gauge	UT	UT
	No.	Thickness	Average
	0	0.356	
	1	0.358	
	2	0.370	
	3	0.397	
	4	0.367	
	5	0.383	0.372
	6	0.352	•
	7	0.340	
	8	0.380	•
	9	0.394	
	10	0.349	
	11	0.319	0.356
	12	0.321	
	13	0.280	
	14	0.286	
	15	0.328	
	16	0.290	
	17	0.255	0.293
	18	0.305	
	19	0.302	
	20	0.291	
	21	0.314	
	22	0.267	
	23	0.271	0.292
	24	0.499	
	25	0.486	
	26	0.488	
	27	0.497	
	28	0.486	
	29	0.479	0.489
Overall	Average =	0.360	





SPECIMEN 17

DAMAGE SUMMARY

Specimen No. 17

DISTANCE FROM END "B"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE
1 1 1 1	LEFT	RIGHT	
1. 4'-8 3/4"			3/4" circumferential butt weld
2. 19'-1"		2" (center)	8" diameter dent (Round) (See additional pages for cross sections)

The specimen is curved. See additional page for initial out-of-straightness information.

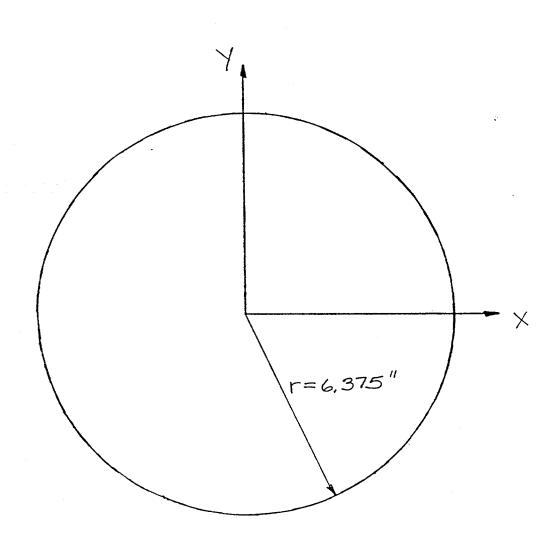
^{*}Looking from end "A" towards end "B" $\,$

Out-of-Straightness Measurements for Specimen 17

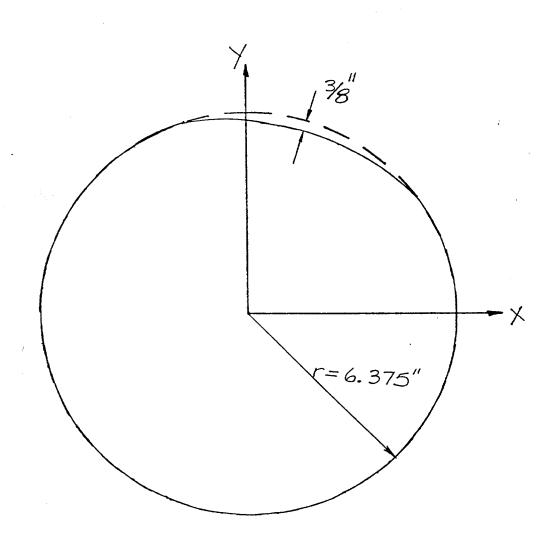
The specimen was initially curved in the yz-plane and straight in the xz-plane. The following measurements are in the y-direction.

	Distance	Distance from	Out-of-
	from	stringline to	straightness
	End B	top of pipe	in y direction
	(ft)	(in)	(in)
	O O	3.875	О
	1	4	-0.125
•	2	4.25	-0.375
	3	4.5	-0.625
	4	4.75	-0.875
	5	5	-1.125
	6	5.1875	-1.3125
	7	5.375	-1.5
	8	. 5.5	-1.625
.*	9	5.6875	-1.8125
	10	5.875	-2
	11	6.0625	-2.1875
	12 '	6.25	-2.375
	13	6.4375	-2.5625
	14	6.625	-2.75
	15	6.75	-2.875
	16	6.9375	-3.0625
	17	7.125	-3.25
	18	7.375	-3.5
Begin dent	18.583	7.625	-3.75
•	19	8.5	-4.625
Dent center	19.083	8.625	-4.75
End dent	19.5	7.625	-3.75
	20	7.375	-3.5
	21	6.875	-3
	22	6.5	-2.625
	23	6.25	-2.375
	24	5.9375	-2.0625
	25	5.625	-1.75
	26	5.3125	-1.4375
•	27	4.9375	-1.0625
	28	4.625	-0.75
	29	4.375	-0.5
	30	4	-0.125
	31	3.875	0
	31.167	3.875	0

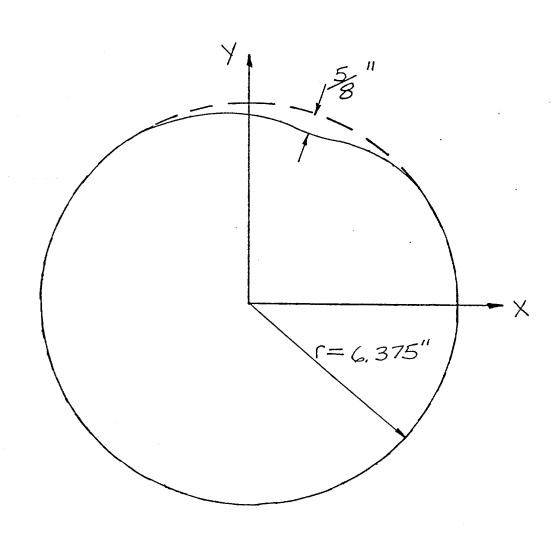
Specimen No. $\underline{17}$ Damage No. $\underline{2}$ Distance from End B $\underline{18-9}''$ Scale $\underline{1''=3''}$



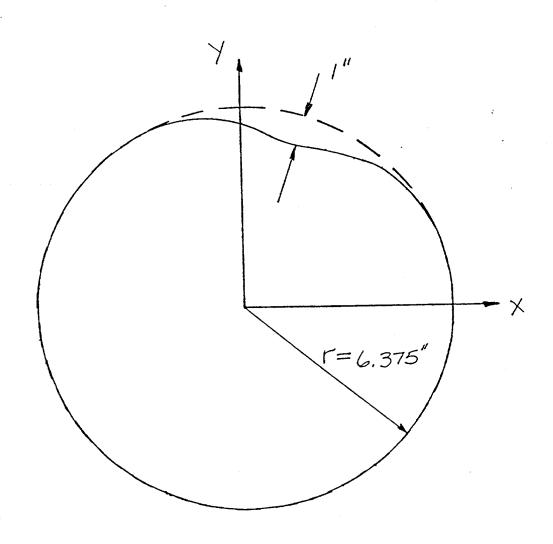
Specimen No. $\underline{17}$ Damage No. $\underline{2}$ Distance from End B $\underline{18'-10''}$ Scale $\underline{1''=3''}$



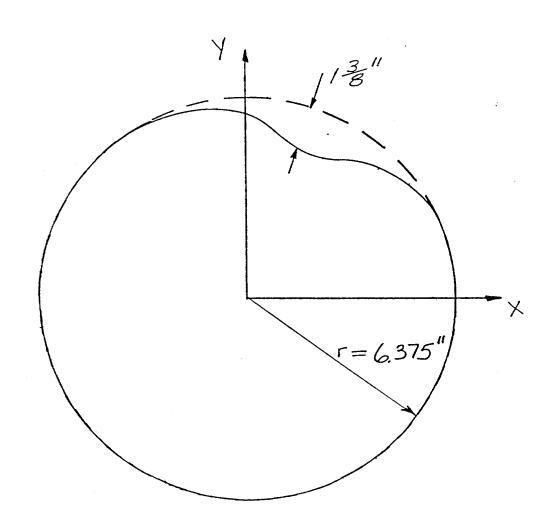
Specimen No. $_{17}$ Damage No. $_{2}$ Distance from End B $_{18}^{\prime}$ - $_{11}^{\prime\prime}$ Scale $_{1}^{\prime\prime}$ = $_{3}^{\prime\prime}$



Specimen No. $_{17}$ Damage No. $_{2}$ Distance from End B $_{19}^{1}$ Scale $_{1}^{\prime\prime}=3^{\prime\prime}$



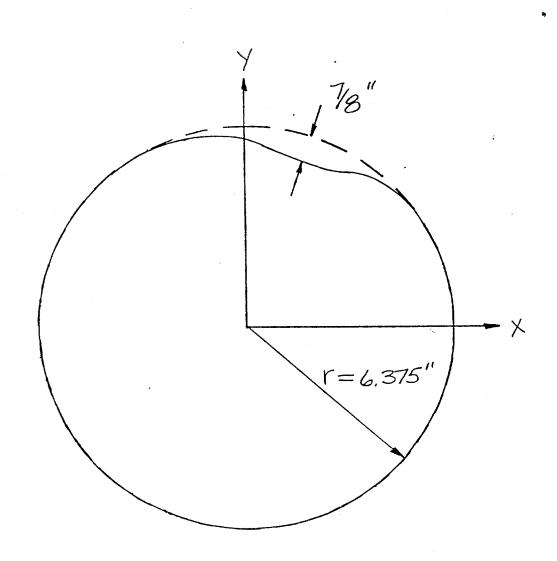
Scale _/"=3"



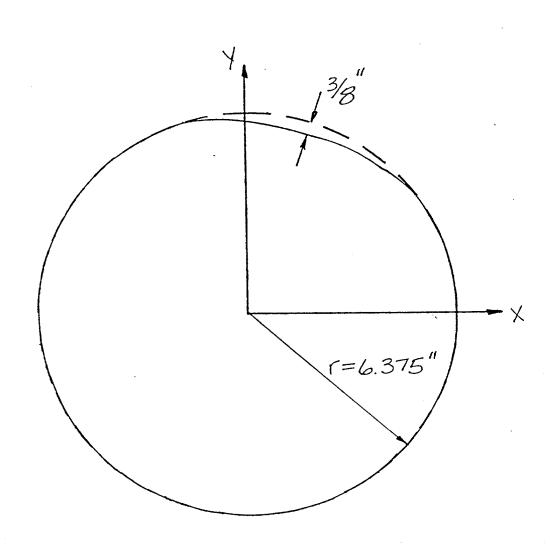
Specimen No. __17__

Damage No. __2__

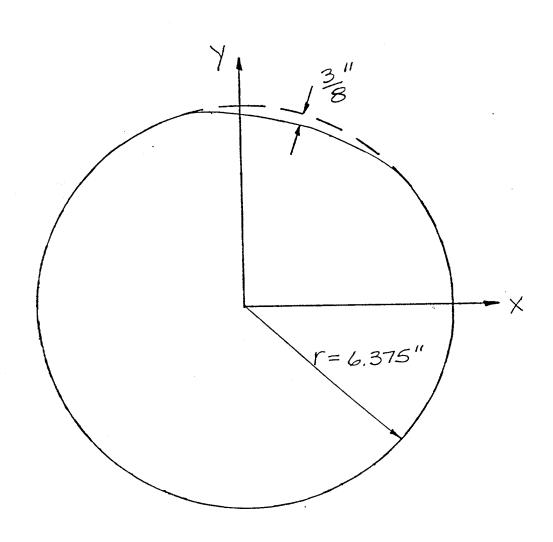
Distance from End B $\underline{19^{-2}}^{\prime\prime}$ Scale $\underline{1^{\prime\prime}=3^{\prime\prime}}$



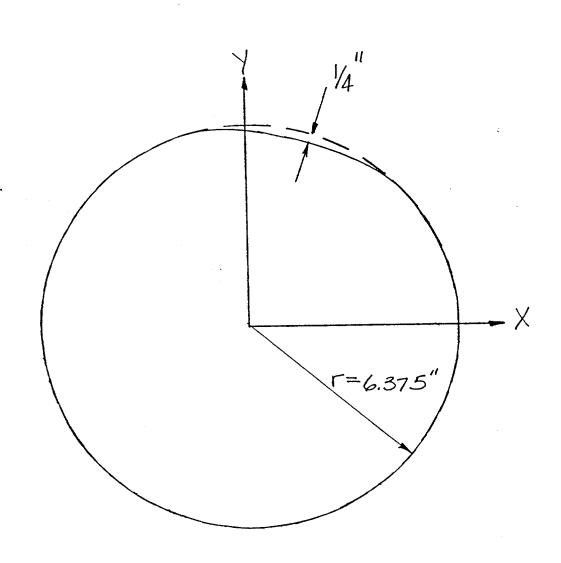
Specimen No. $\underline{17}$ Damage No. $\underline{2}$ Distance from End B $\underline{19^{\prime}-3^{\prime\prime}}$ Scale $\underline{1^{\prime\prime}=3^{\prime\prime}}$



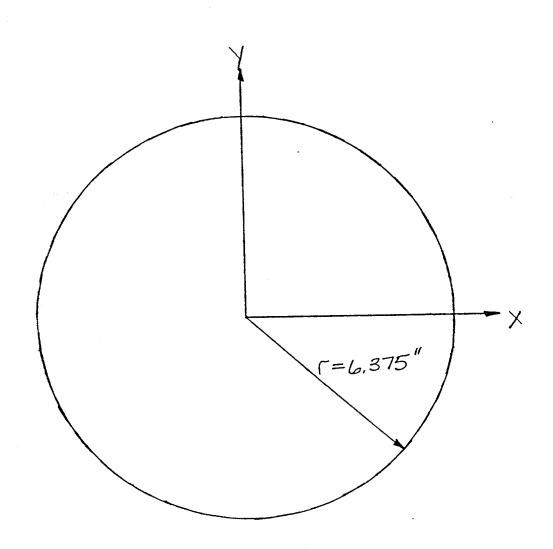
Specimen No. $_{17}$ Damage No. $_{2}$ Distance from End B $_{19}^{\prime -4}$ Scale $_{1}^{\prime \prime =3}^{\prime \prime}$



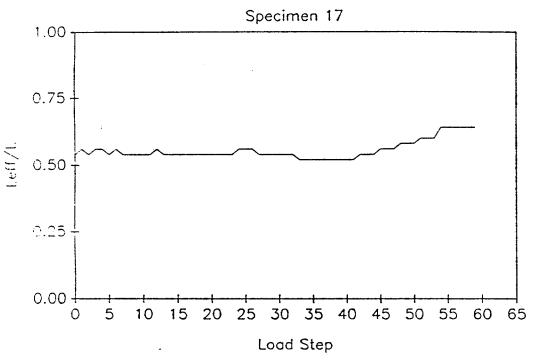
Specimen No. $_{17}$ Damage No. $_{2}$ Distance from End B $_{19}^{-5}$ Scale $_{1}^{"}=3^{"}$



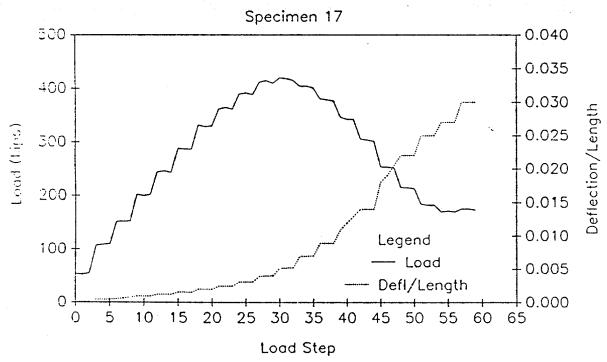
Specimen No. 17Damage No. 2Distance from End B 19^{1} Scale 1''=3''

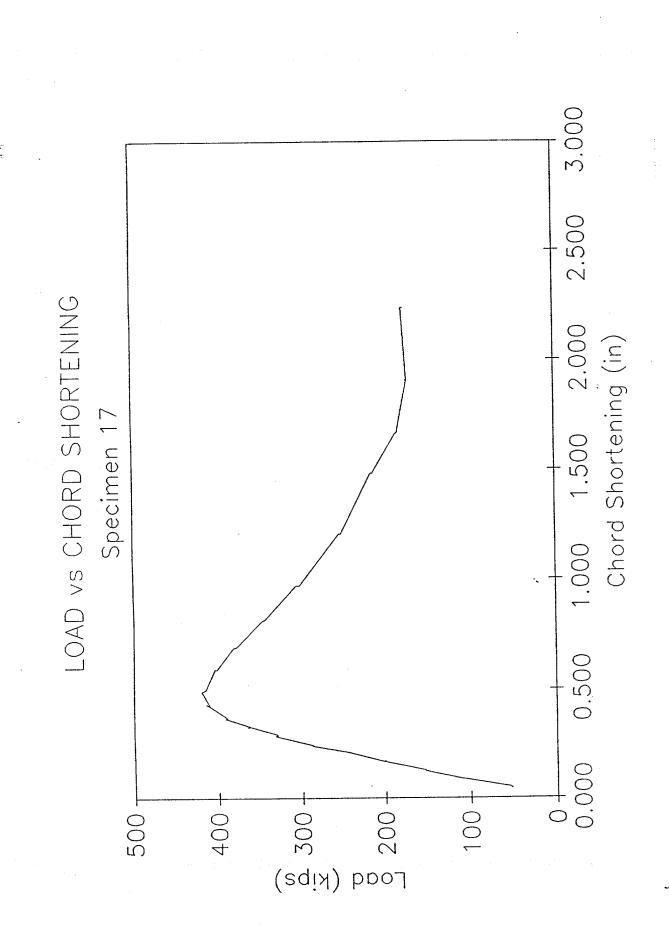


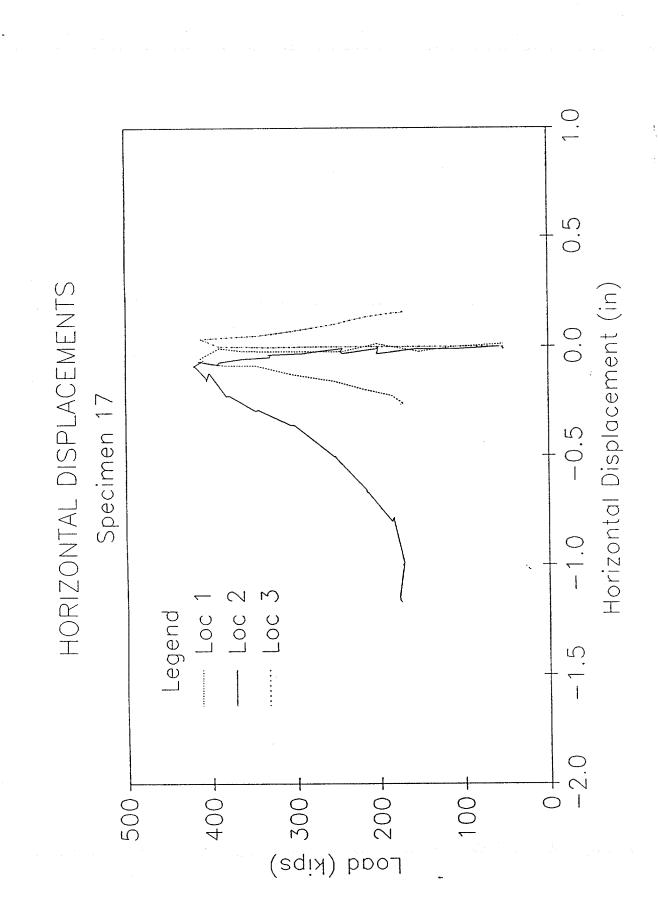
EFFECTIVE LENGTH vs LOAD STEP

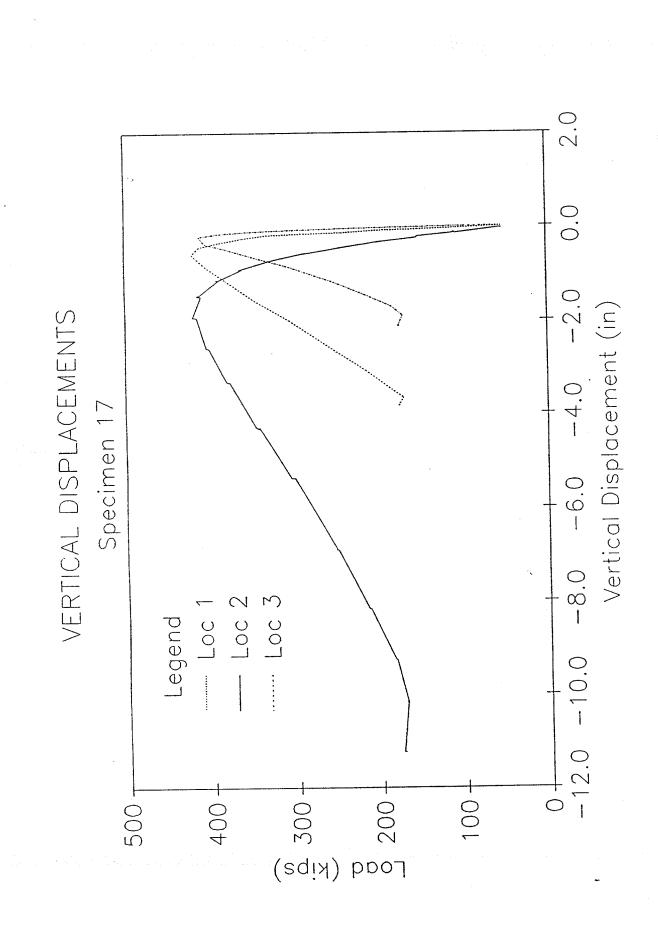


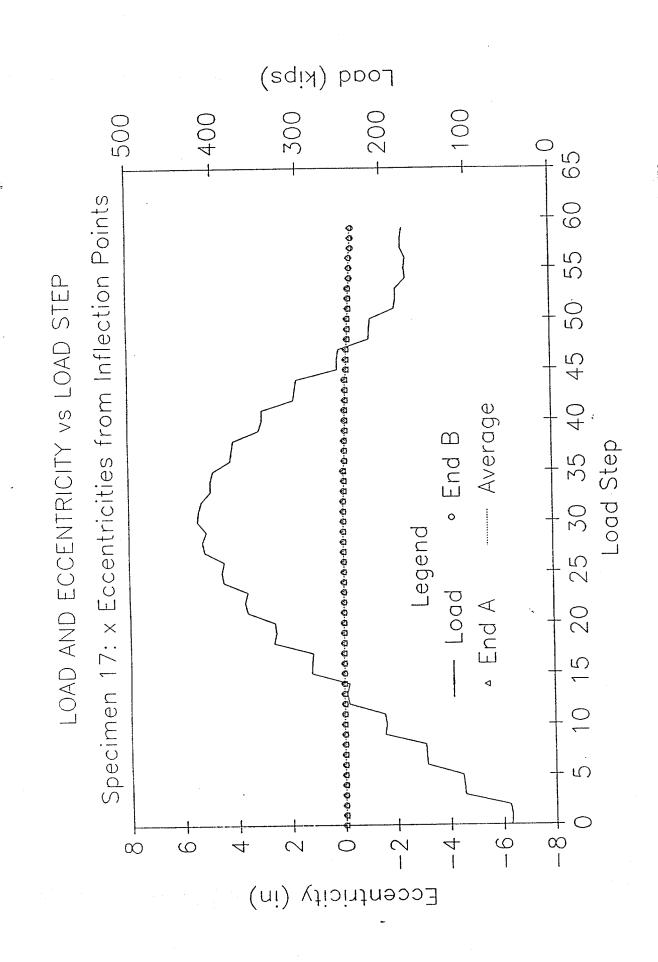
LOAD AND DEFLECTION vs LOAD STEP

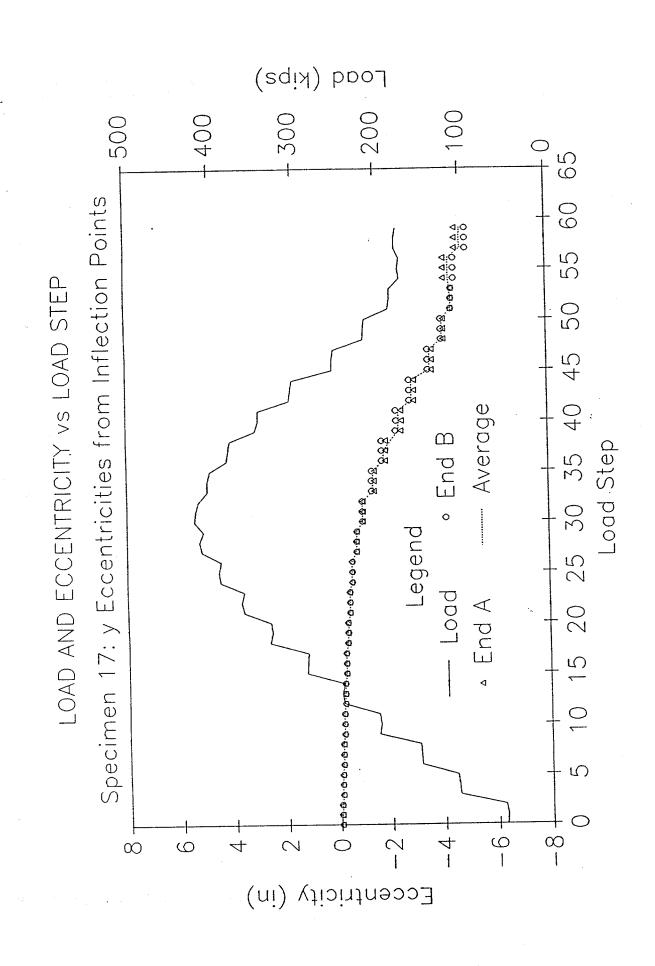


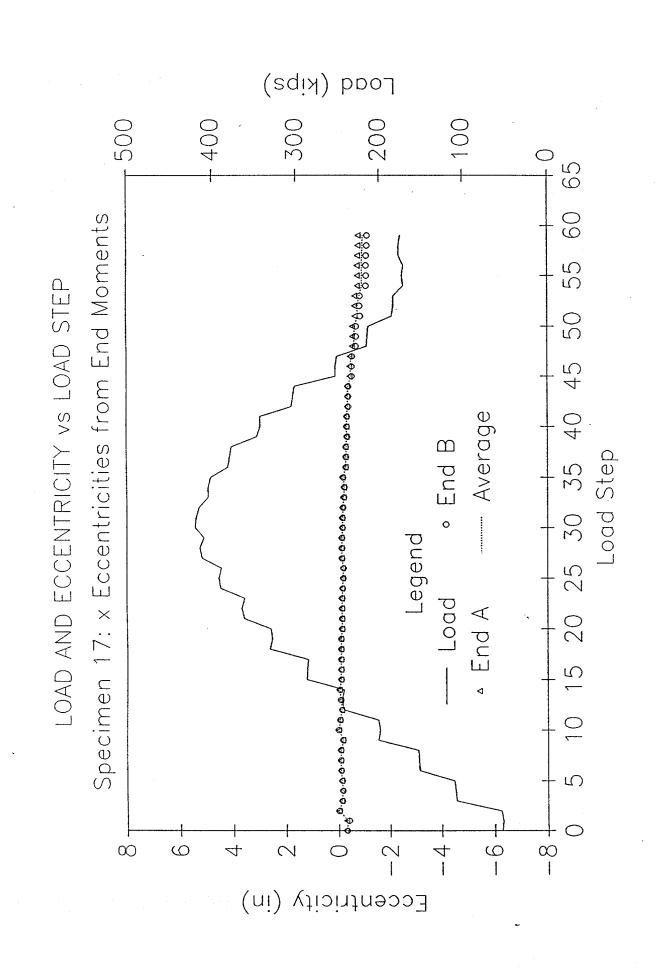


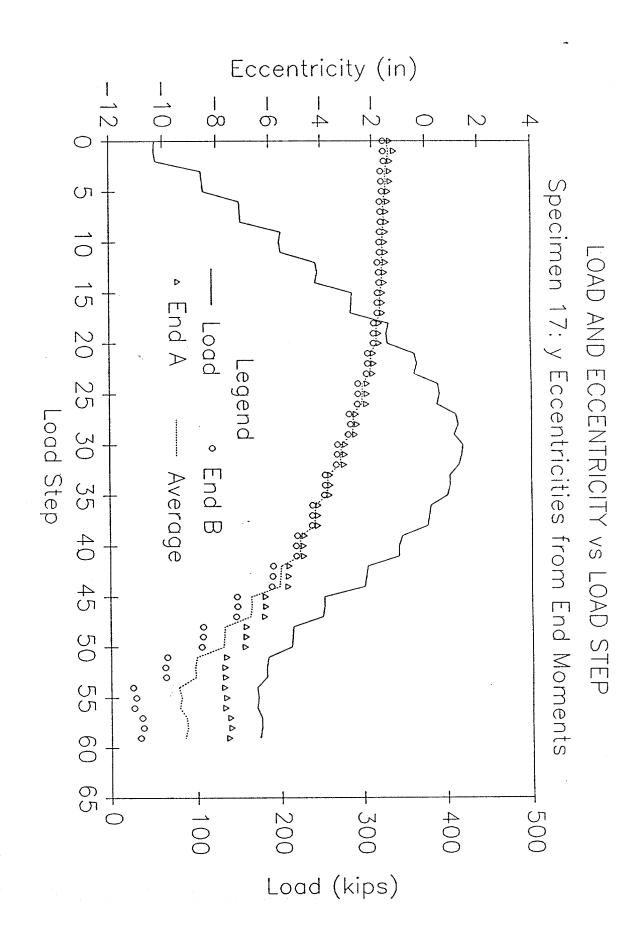




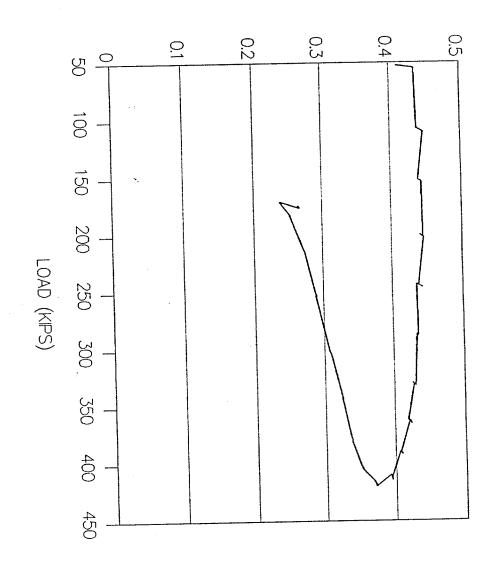


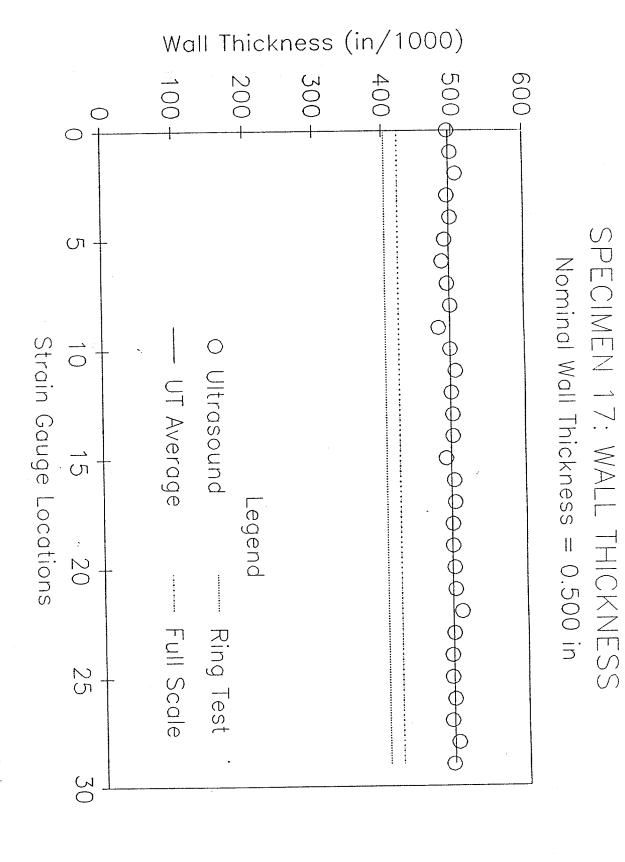






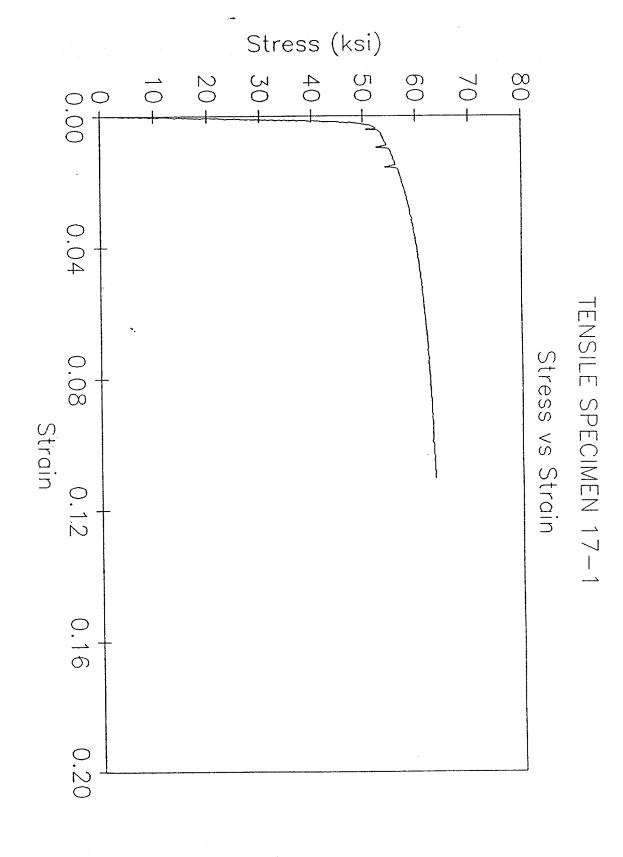
SPECIMEN NO 17-FULL SCALE TEST COMPUTED WALL THICKNESS

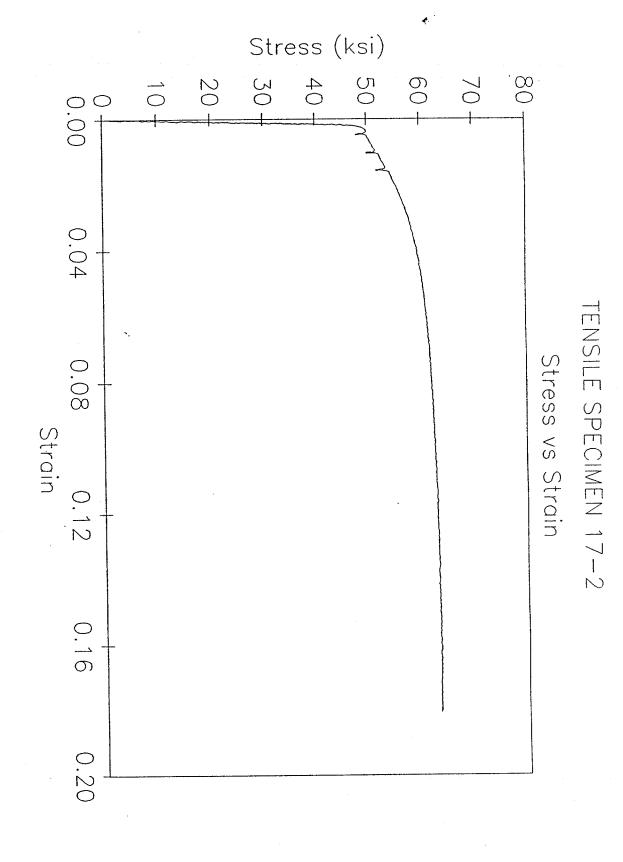




Ultrasound Data for Specimen 17 (All values in inches)

		_6	
	964.0	Average =	Overall
96 7° 0	£64.0	53	
901 0	102.0	28	
	264.0	72	
	964.0	97	
	£64.0	52 52	
	£64.0	72	
664.0	967.0	23	
007 0	802.0	22	
	664.0	77	
	864.0	20	
	967.0	6T	
	967.0	8T	
967.0	002.0	LT.	
307 0	664.0	9T	
	884.0	ST	
	864.0	ÞΤ	
	864.0	13	
	964.0	72	
164.0	0.502	ττ	
	264.0	οτ	•
	674.0	6	
	96₺•0	8	
	264.0	L	
	987.0	9	
967.0	684.0	S	
	764.0	₽	
	664.0	3	
	909.0	2	
	864.0	τ	
	\$6 \$.0	0	
Average	Thickness	.oN	
\mathtt{TU}	${f TU}$	свиде	





SPECIMEN 18

DAMAGE SUMMARY

Specimen No. 18 2-28-90

DISTANCE FROM END "B"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE	
1 1 1	LEFT	RIGHT		
1. 5'-1"	2"		Dent - 6" long x 4" wide 1/4" deep at center	
2. 5'-4 1/2"		5"	Dent - 4" long x 8" wide 3/8" deep at center	
3. 9'-11"	3"		Dent - 2" long x 2" wide 1/8" deep at center	
4. 11'-2"		4"	Dent - 5" long x 6" wide 1/4" deep at center	
5. 11'-3"	1"		Dent - 2" long x 2" wide 1/8" deep at center	
6. 12'-10 1/2"	1"		Dent - 2" long x 2" wide 1/4" deep at center	
7. 11'-10"		5"	Dent - 4" long x 2" wide 1/8" deep at center	
8. 8'-8 1/2"			1/2" circumferential butt weld	
				

*Looking from end "A" towards end "B"

WIDESPREAD MODERATE TO HEAVY CORROSION

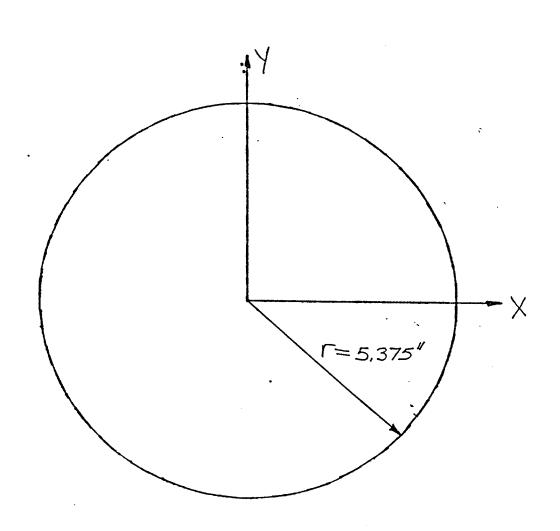
SEE ADDITIONAL SHEETS FOR DENT PROFILES AND OUT-OF-STRAIGHTNESS

Out-of-Straightness Measurements for Specimen 18

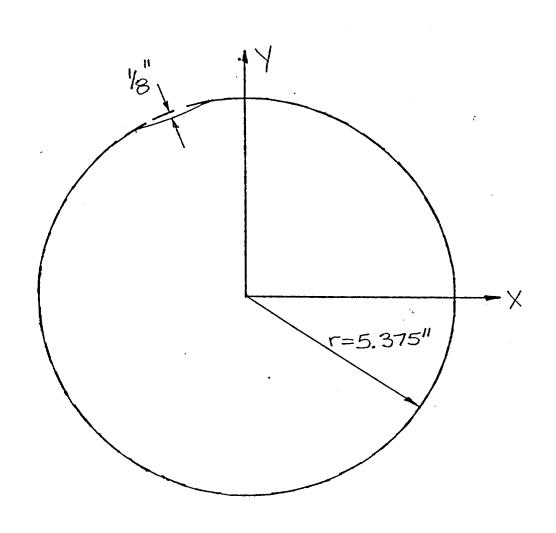
The specimen was initially curved in the yz-plane. The following measurements are in the y-direction.

Distance from	Out-of
	straightness
	in y direction
	(in)
	0
3.75	-0.125
4.0	-0.375
4.125	-0.5
4.1875	-0.5625
	-0.75
4.375	-0.75
4.375	-0.75
	-0.75
4.5	-0.875
4.375	-0.75
4.375	-0.75
4.3125	-0.6875
4.25	-0.625
4.125	-0.5
4.0	-0.375
3.875	-0.25
3.625	0
	4.0 4.125 4.1875 4.375 4.375 4.375 4.375 4.375 4.375 4.375 4.3125 4.25 4.125 4.0 3.875

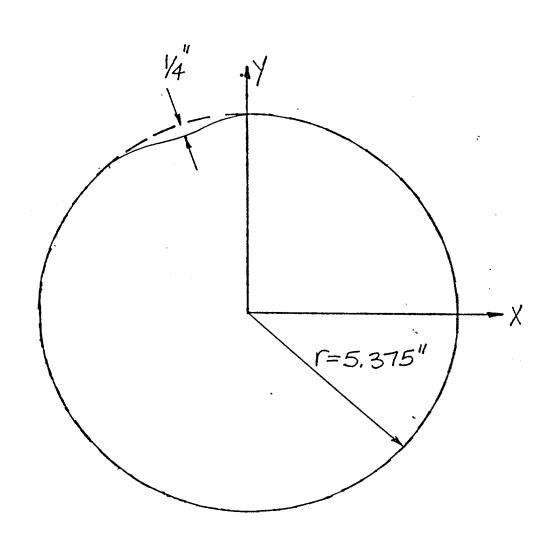
Specimen No. $_/8$ Damage No. $_/$ Distance from End B 4'-9''Scale /''=2.53''



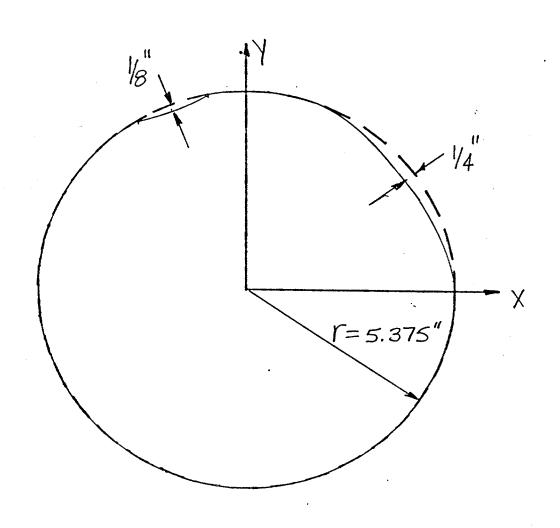
Specimen No. $_/8$ Damage No. $_/$ Distance from End B 4'-//''Scale /=2.53''



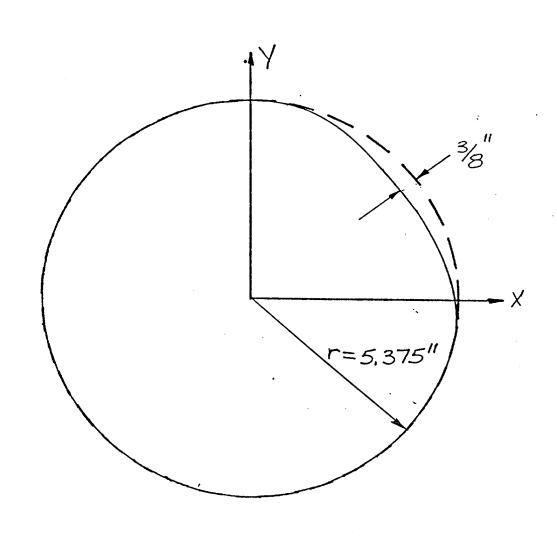
Specimen No. $_/8$ Damage No. $_/42$ Distance from End B $_5^{-}/^{"}$ Scale $_/^{"}=2.53^{"}$



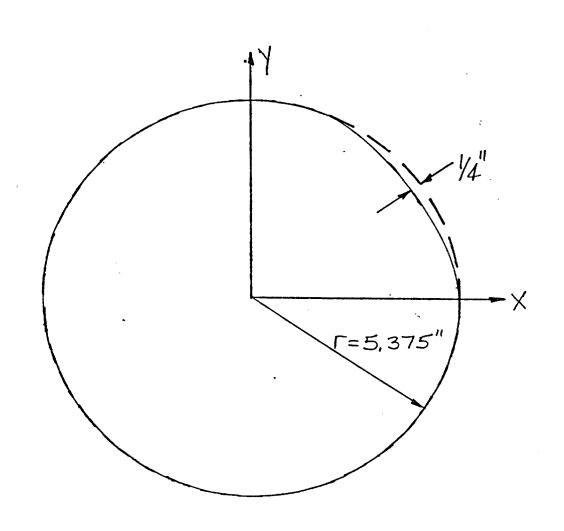
Specimen No. $_/8$ Damage No. $_/42$ Distance from End B $_5'-3''$ Scale $_/''=2.53''$



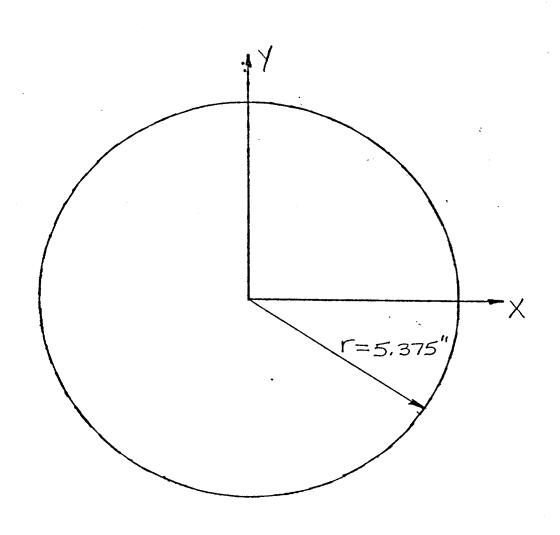
Specimen No. $\underline{/8}$ Damage No. $\underline{/42}$ Distance from End B $\underline{5'-4'z}''$ Scale $\underline{/''=2.53''}$



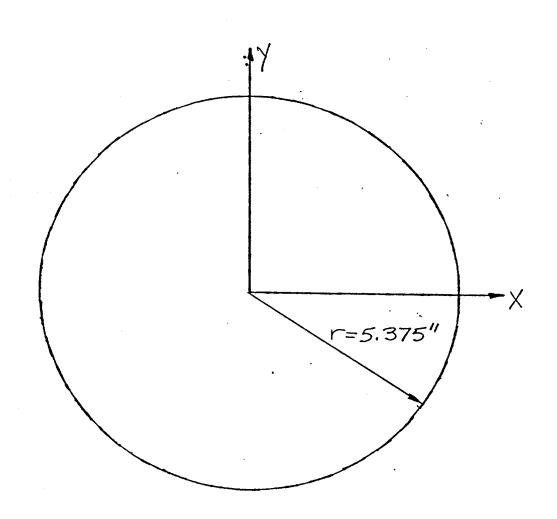
Specimen No. $_/8$ Damage No. $_2$ Distance from End B $_5'-6''$ Scale $_/=2.53''$



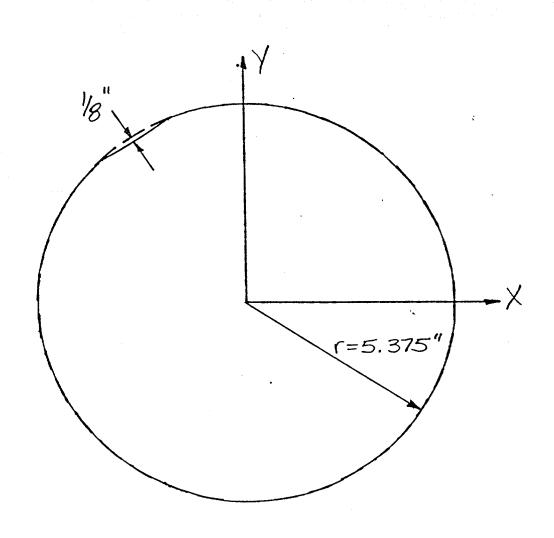
Specimen No. $_/8$ Damage No. $_2$ Distance from End B $_5'-7''$ Scale $_/=2.53''$



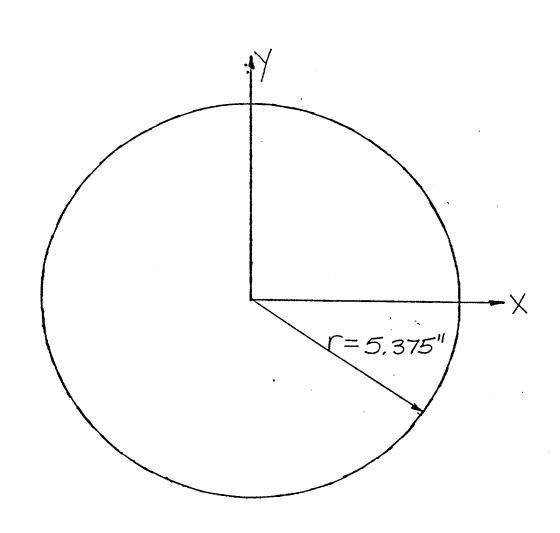
Specimen No. $_/8$ Damage No. $_3$ Distance from End B $9^{-}/0^{''}$ Scale $_/^{''}=2.53^{''}$



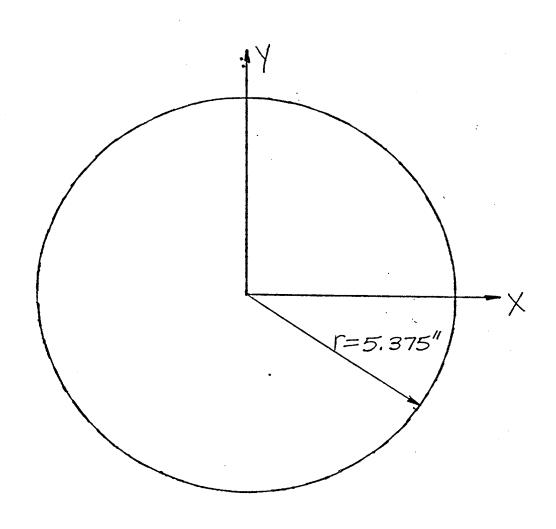
Specimen No. $_/8$ Damage No. $_3$ Distance from End B 9'-1/''Scale $_/''=2.53''$



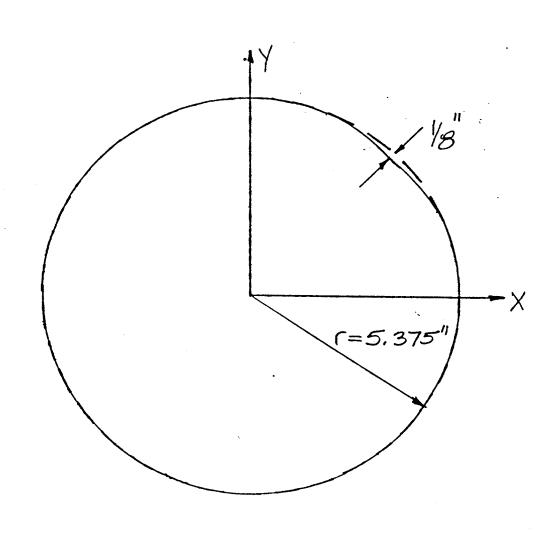
Specimen No. $_/8$ Damage No. $_3$ Distance from End B 10'-0''Scale 1''=2.53''



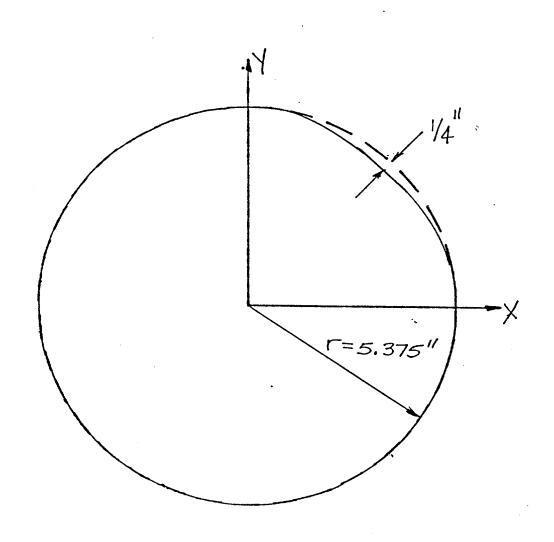
Specimen No. $_/8$ Damage No. $_4$ Distance from End B $_/0^{'}-//^{''}$ Scale $_/^{''}=2.53^{''}$



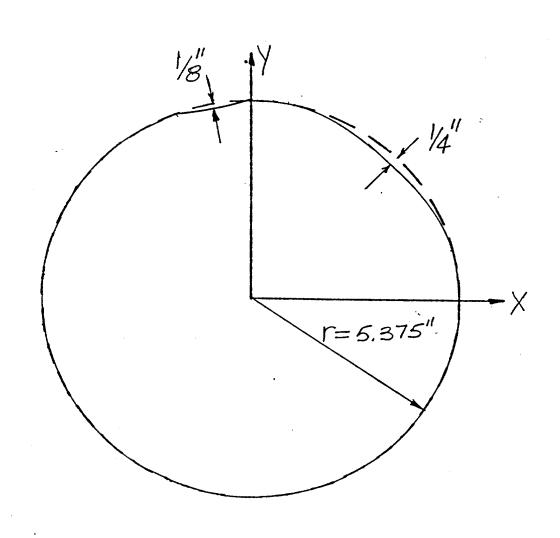
Specimen No. $_18$ Damage No. $_4$ Distance from End B $_11^{\prime}-0^{\prime\prime}$ Scale $_18$



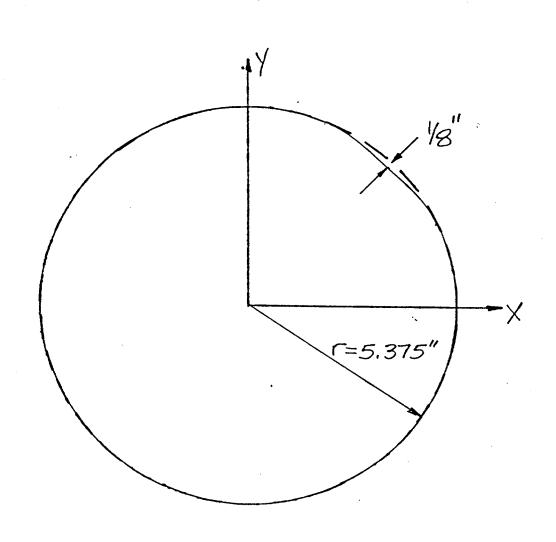
Specimen No. $_/8$ Damage No. $_445$ Distance from End B $_//-2''$ Scale $_/''=2.53''$



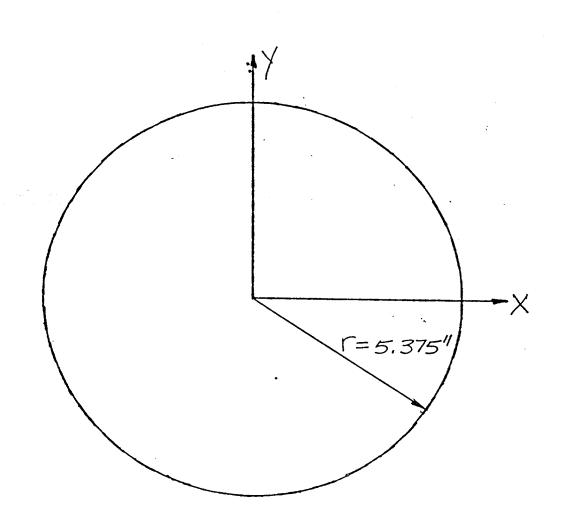
Specimen No. $_/8$ Damage No. $_/8$ Distance from End B $_//-3''$ Scale $_/''=2.53''$



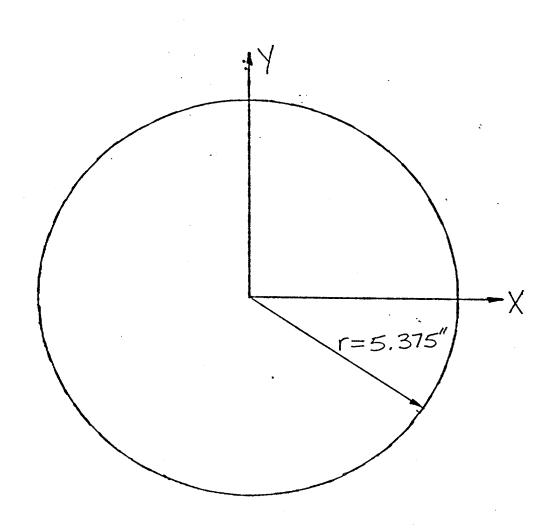
Specimen No. $_/8$ Damage No. $_445$ Distance from End B $_//-4''$ Scale $_/''=2.53''$



Specimen No. $_/8$ Damage No. $_4$ Distance from End B $_//-5''$ Scale $_/''=2.53''$



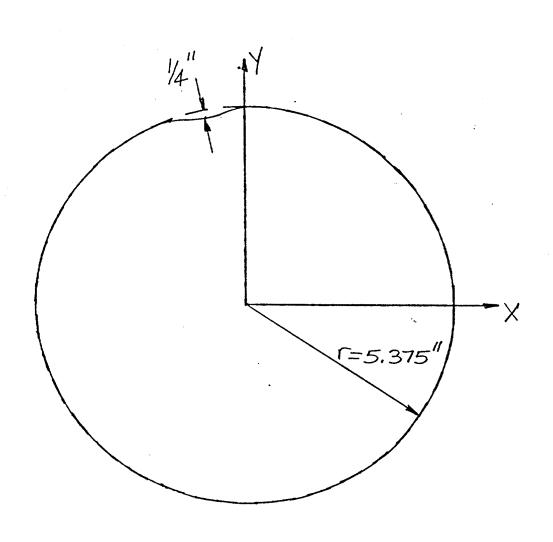
Specimen No. $_/8$ Damage No. $_/6$ Distance from End B $\underline{12'-9''}$ Scale $\underline{/''=2.53''}$



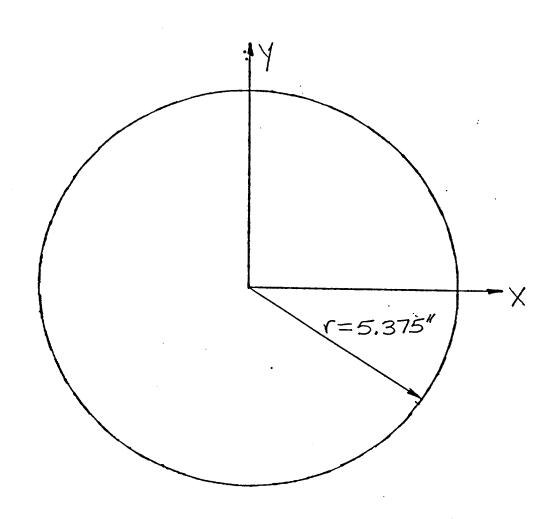
Specimen No. __/8__

Damage No. ___6__

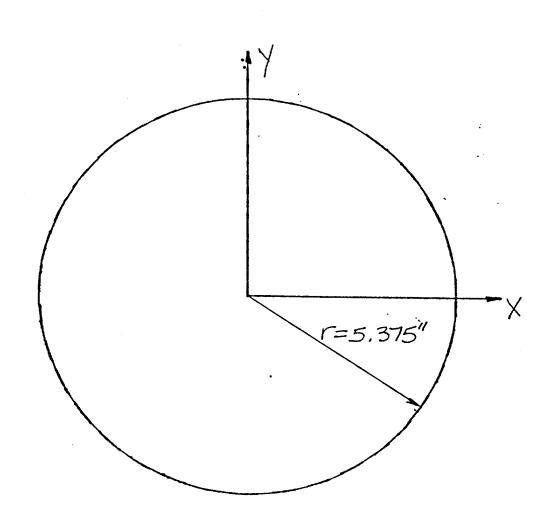
Distance from End B $12^{l}-10^{l}2^{l}$ Scale $1^{l}=2.53^{l}$



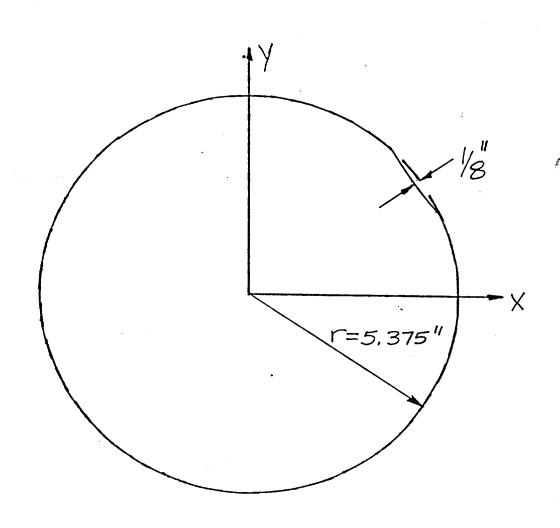
Specimen No. $_/8$ Damage No. $_6$ Distance from End B $\underline{/3'-0''}$ Scale $\underline{/''=2.53''}$



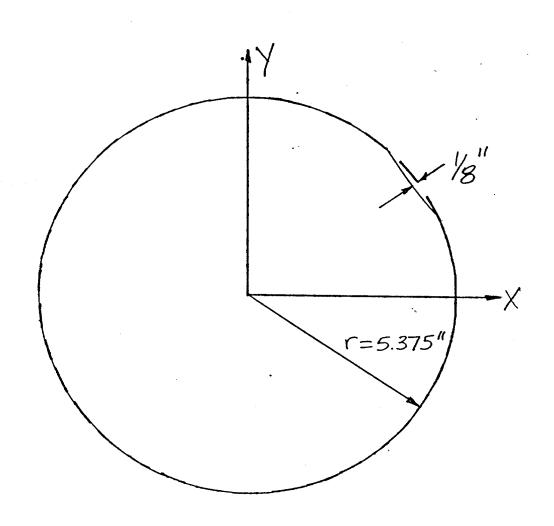
Specimen No. $_/8$ Damage No. $_/7$ Distance from End B //-7''Scale /''=2,53''



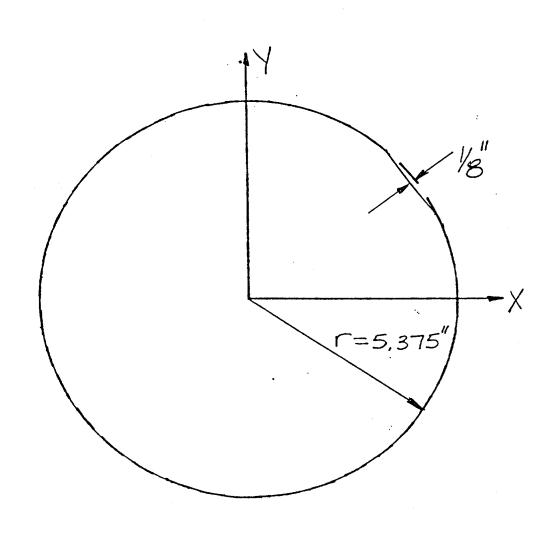
Specimen No. $_/8$ Damage No. $_7$ Distance from End B $_//-9^{"}$ Scale $_/''=2.53^{"}$



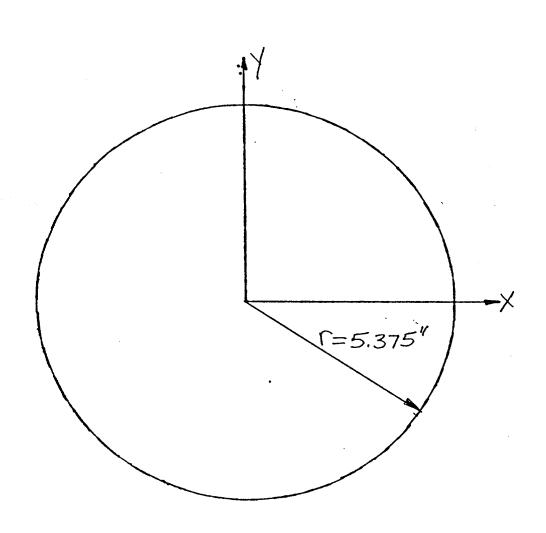
Specimen No. $_/8$ Damage No. $_/7$ Distance from End B //-/0''Scale $_/''=2.53''$

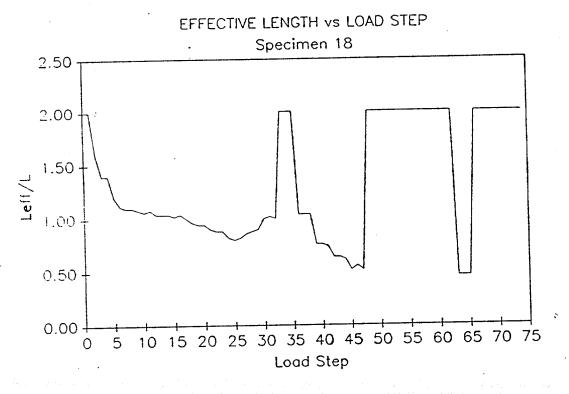


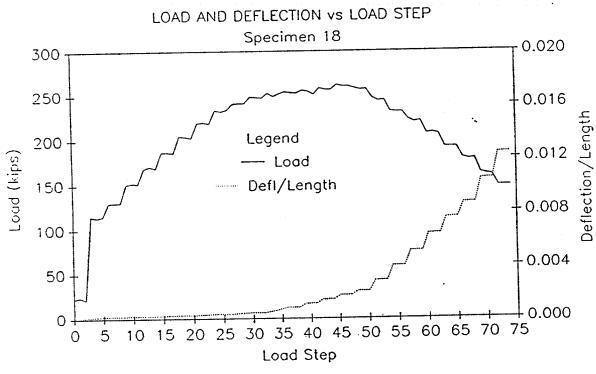
Specimen No. $\underline{18}$ Damage No. $\underline{7}$ Distance from End B $\underline{11}^{\prime}\underline{-11}^{\prime\prime}$ Scale $\underline{1}^{\prime\prime}\underline{=2.53}^{\prime\prime}$

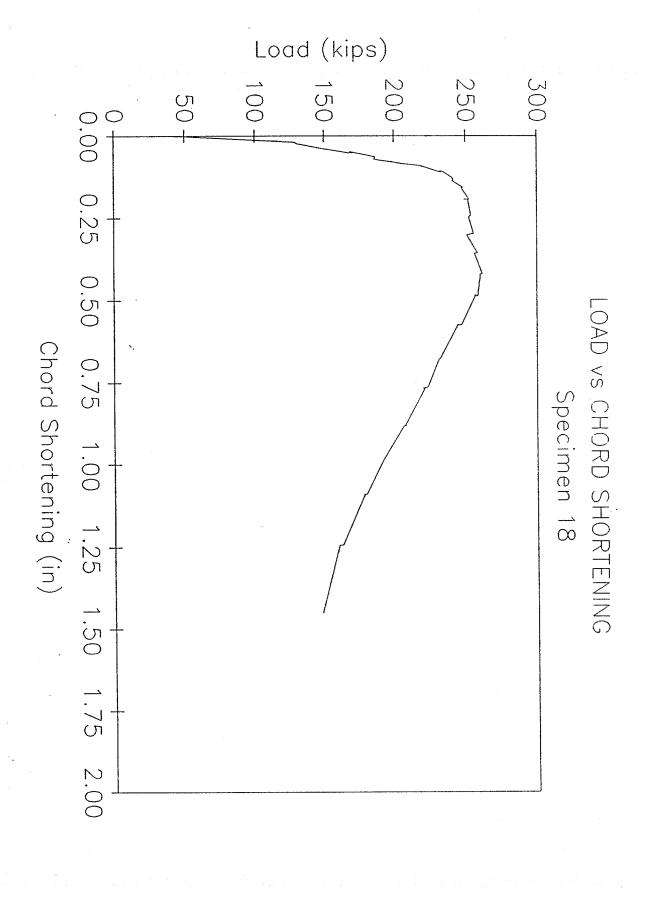


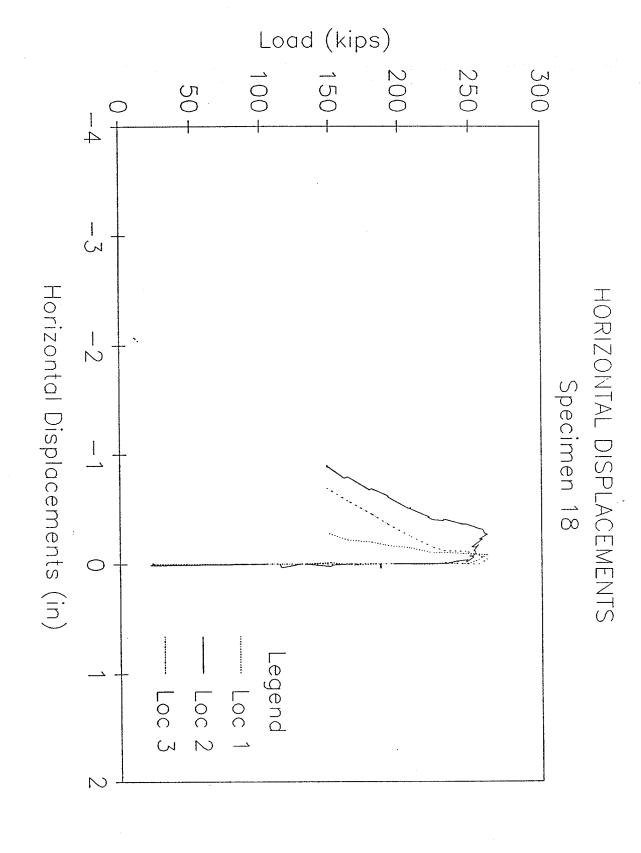
Specimen No. $_/8$ Damage No. $_/7$ Distance from End B $/2^{\prime}-0^{\prime\prime}$ Scale $/''=2.53^{\prime\prime}$

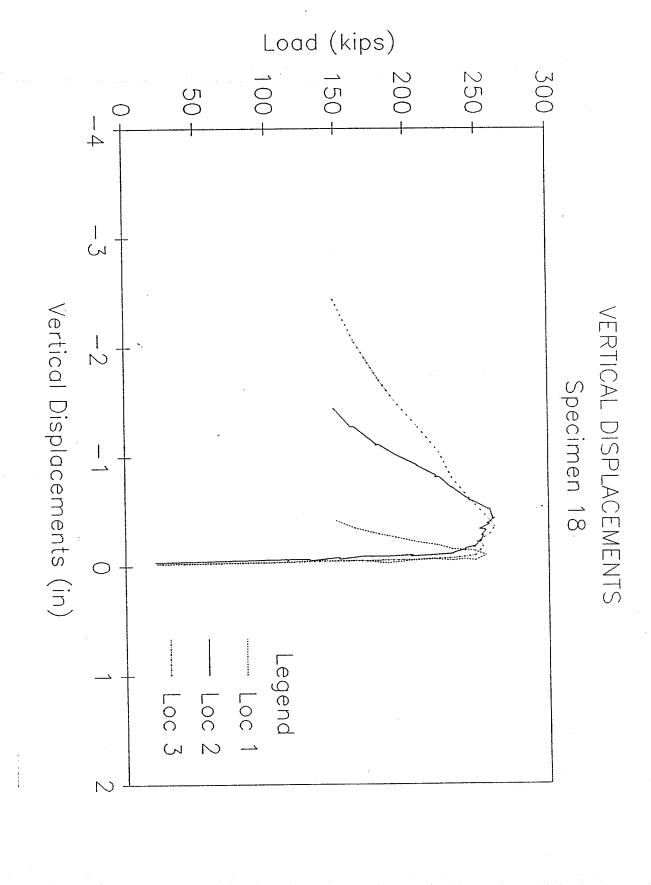


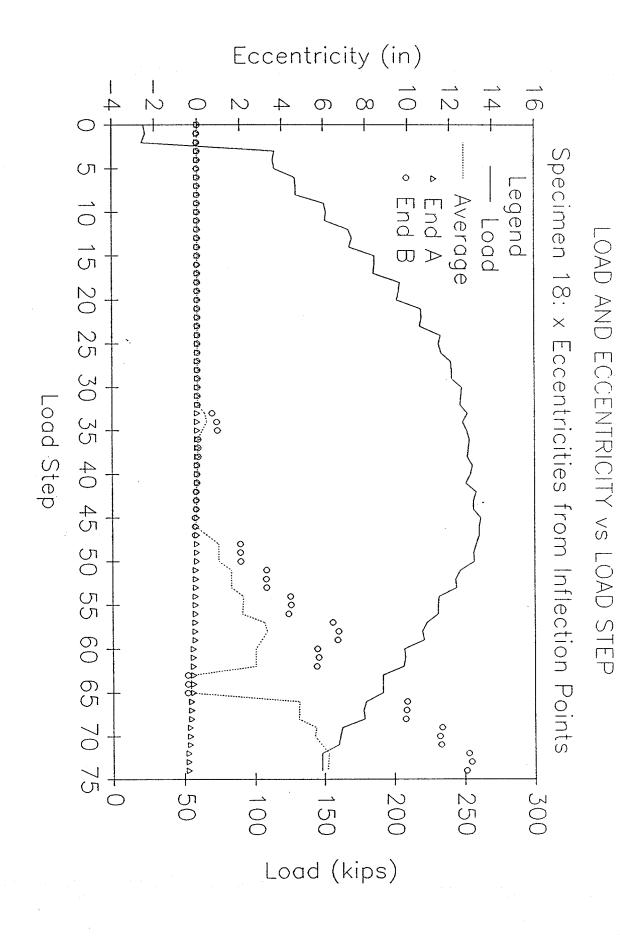


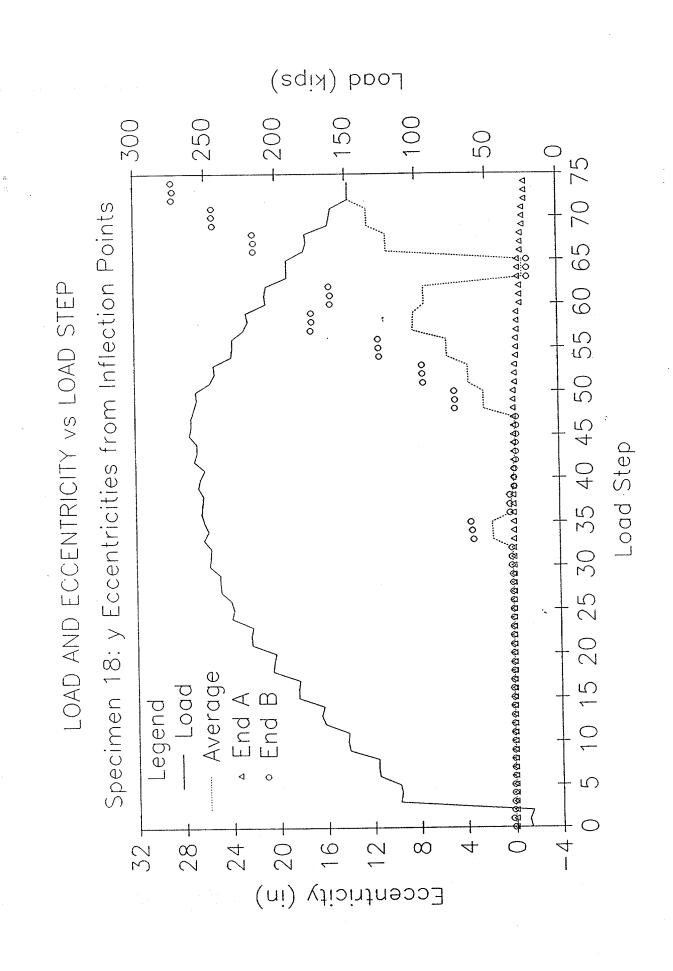


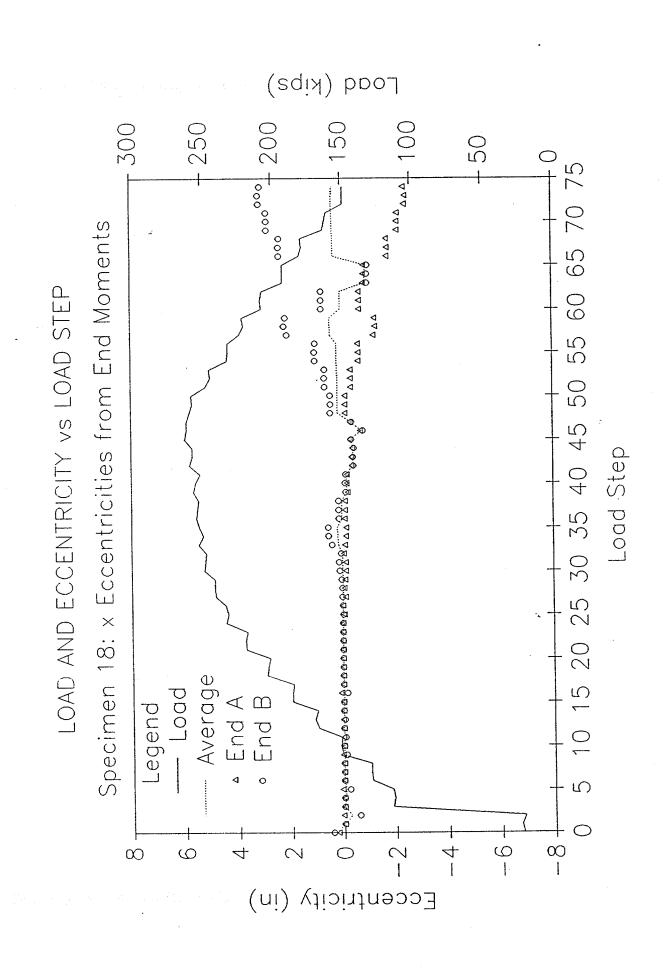


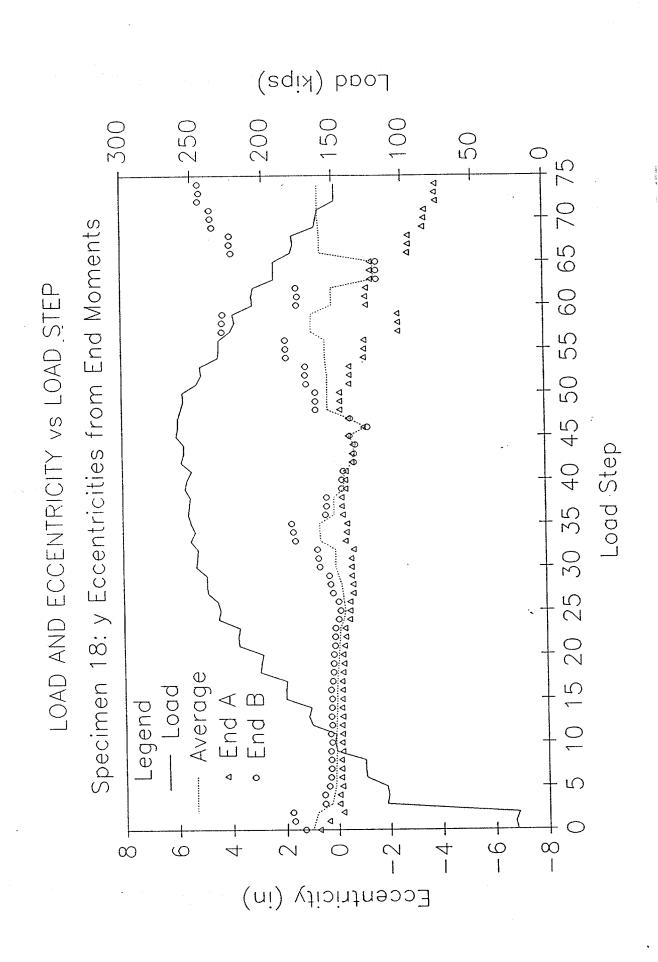






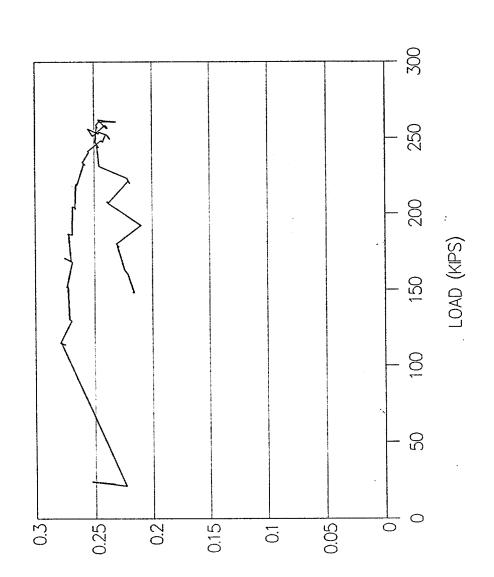






SPECIMEN 18-FULL SCALE TEST

COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

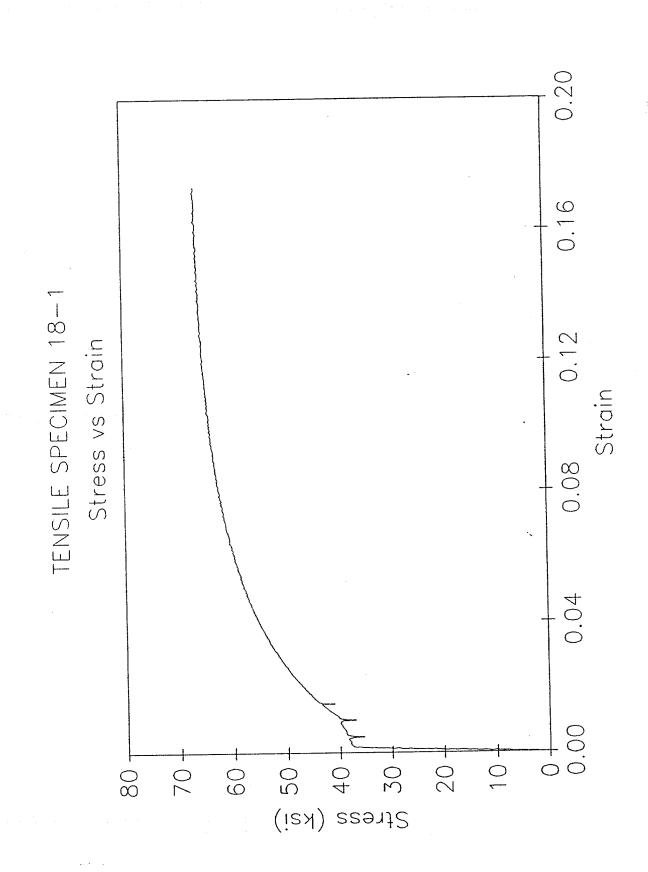
Full Scale O Ultrasound — UT Data 25 Legend Nominal Wall Thickness = 0.375 in SPECIMEN 18: WALL THICKNESS Strain Gauge Locations 20 7 5 400-100. 300 200 500 Wall Thickness (in/1000)

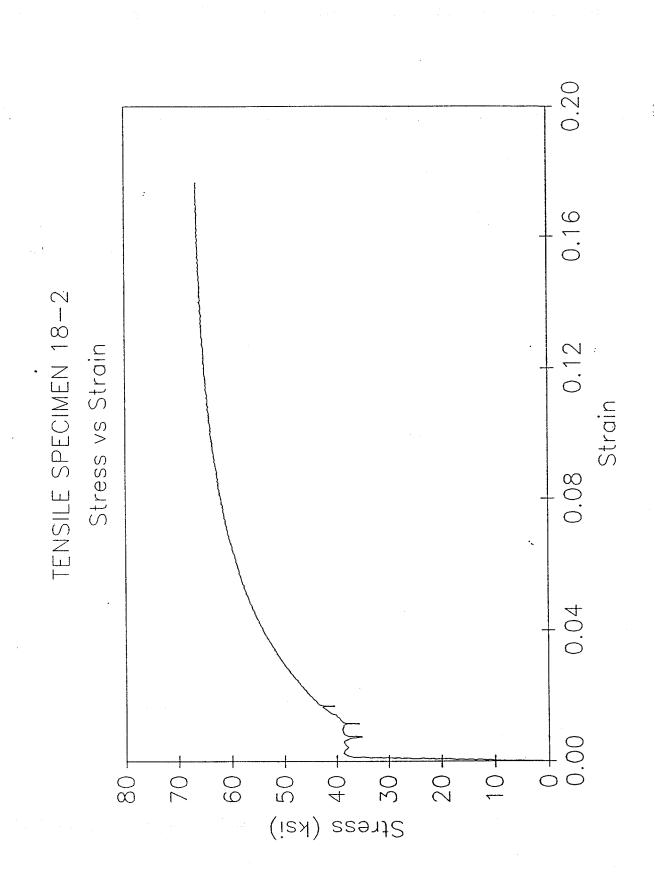
Ultrasound Data for Specimen 18 (All values in inches)

	Gauge	UT	\mathtt{UT}	
	No.	Thickness	Average	
	0	0.365		
	1	0.361		
	2	0.251		
	3 4	0.413		
		0.363		
	5	0.251	0.334	
	6	0.360		
	7	0.384		
	8	0.332		
	9	0.328		
	10	0.356		
	11	0.292	0.342	
	12	0.338		
	13	0.360		
	14	0.313		
	15	0.278		
	16	0.350		
	17	0.306	0.324	
	18	0.289		
	19	0.362		
	20	0.377		
	21	0.331		
	2.2	0.354		
	23	0.318	0.339	
	24	0.231		
	25	0.325		
	26	0.276		
	27	0.353		
	28	0.321		
	29	0.269	0.296	
verall	Average =	0.327		

Random Readings near Buckling Point

	No.		Reading
		1	0.230
		2	0.278
		3	0.244
		4	0.298
		5	0.256
Random	Average	=	0.261





SPECIMEN 19

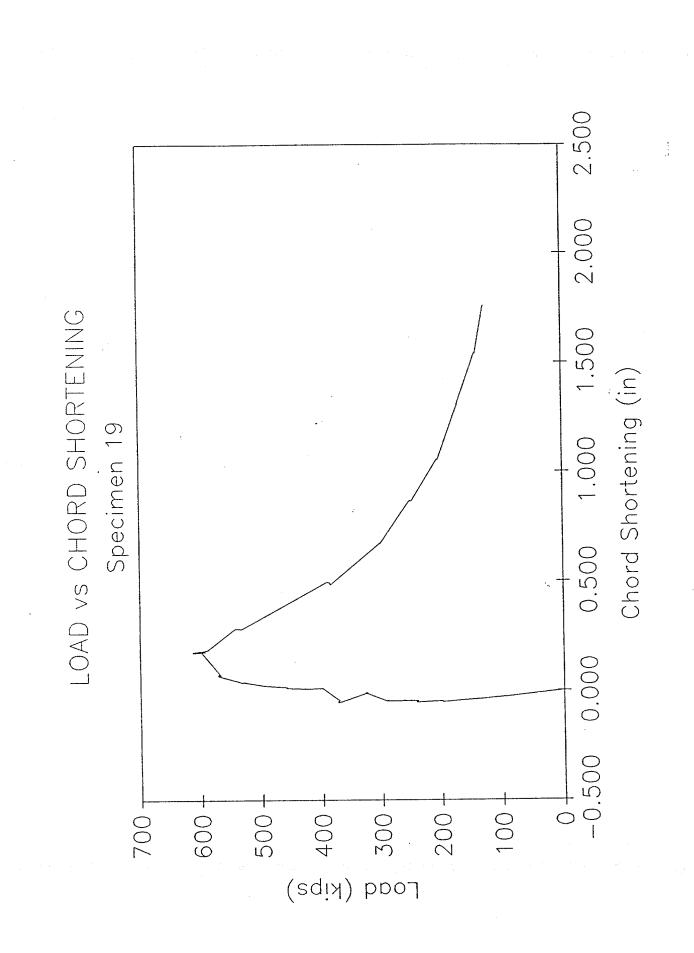
DAMAGE SUMMARY

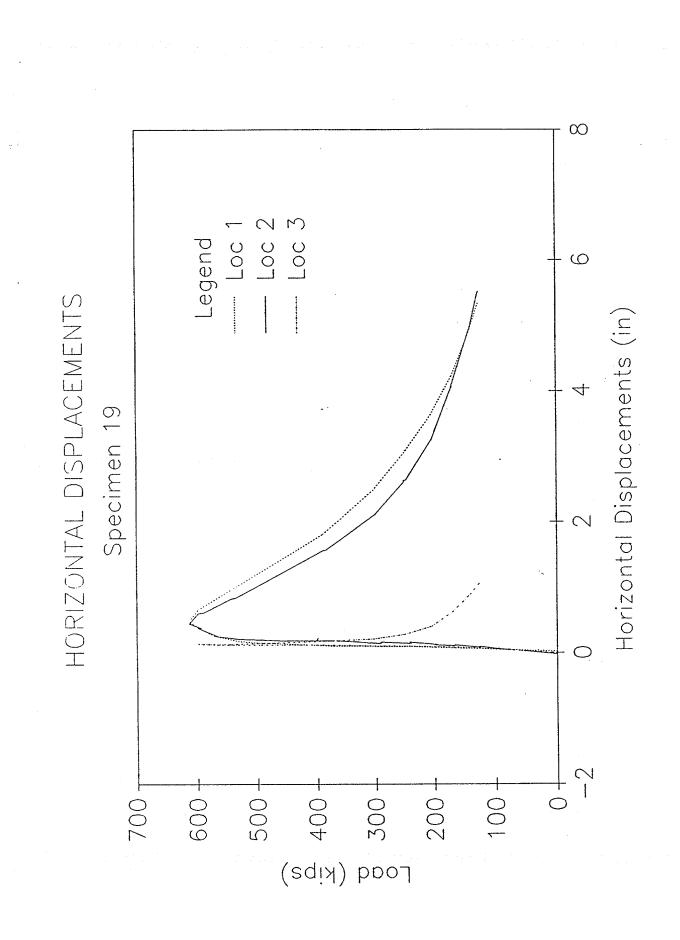
Specimen No. 19

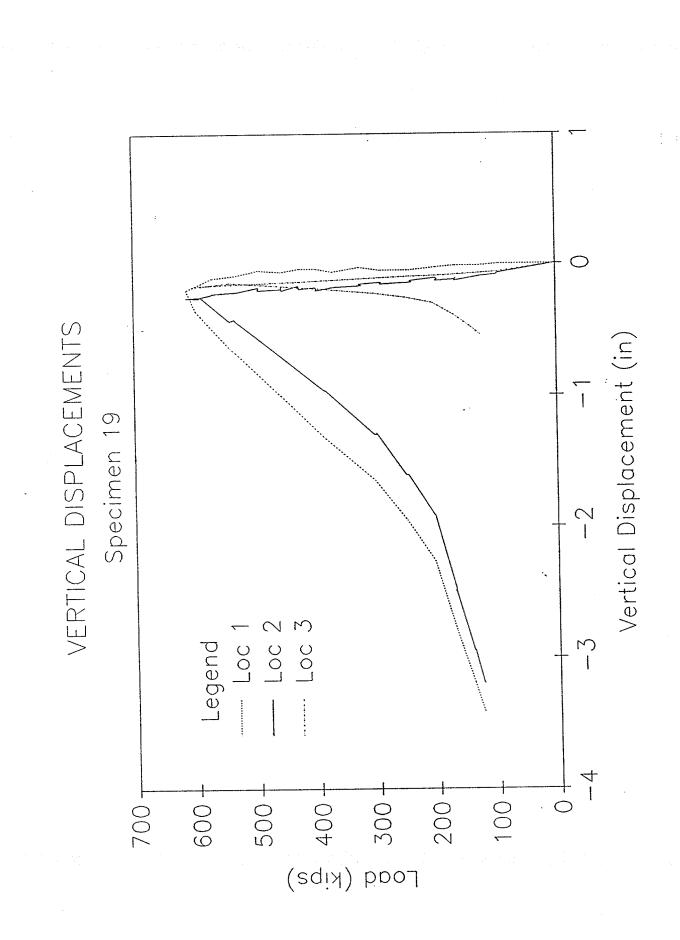
DISTANCE FROM END "B"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE		
1111	LEFT	RIGHT			
1. 34'-3"	4"		70" split in seam (longitudinal crack)		

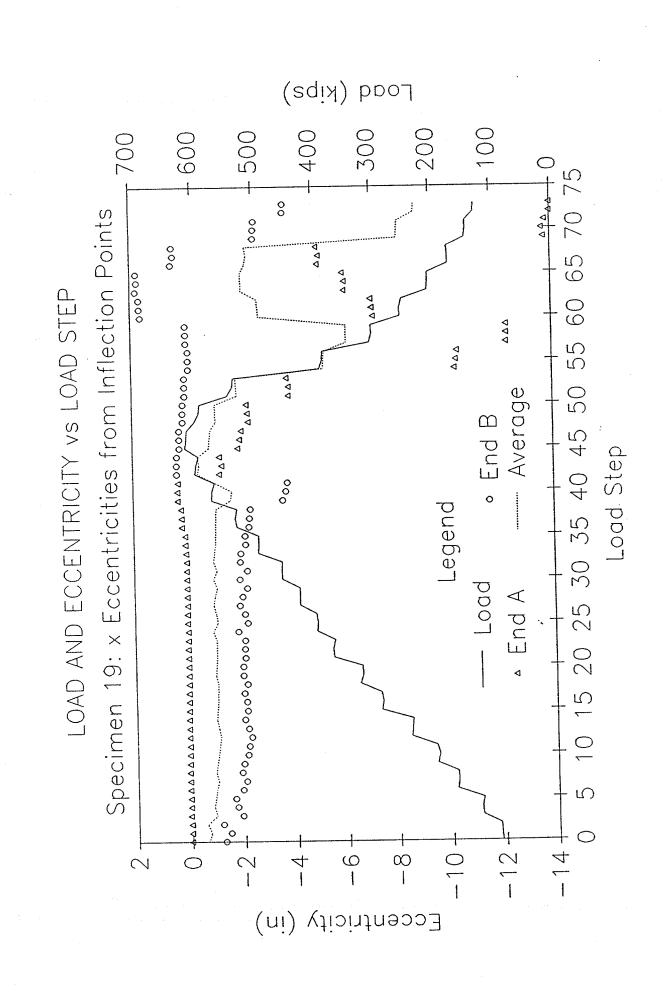
Specimen is corroded!

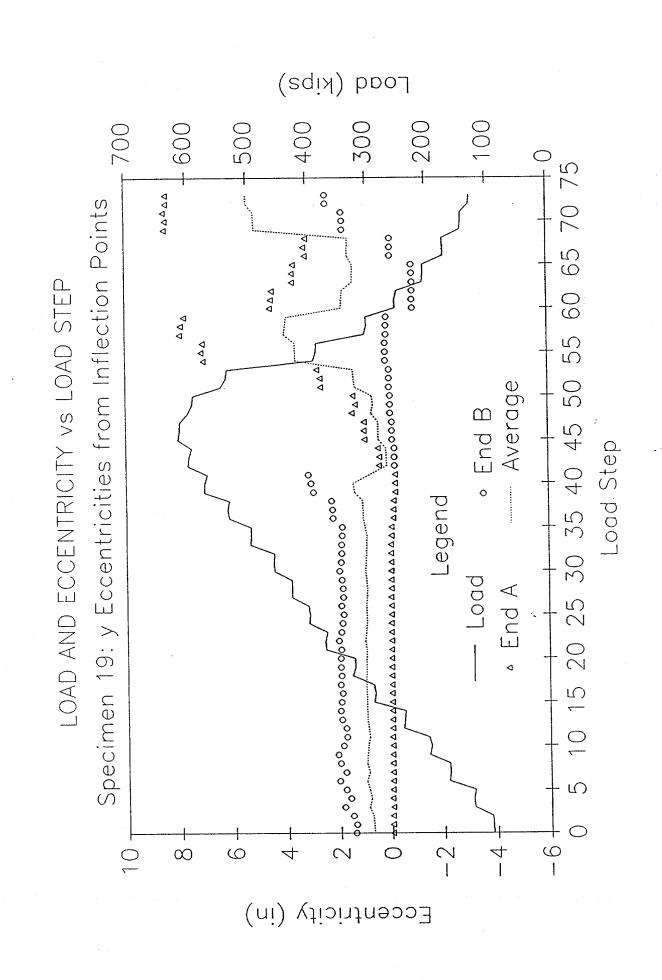
*Looking from end "A" towards end "B"

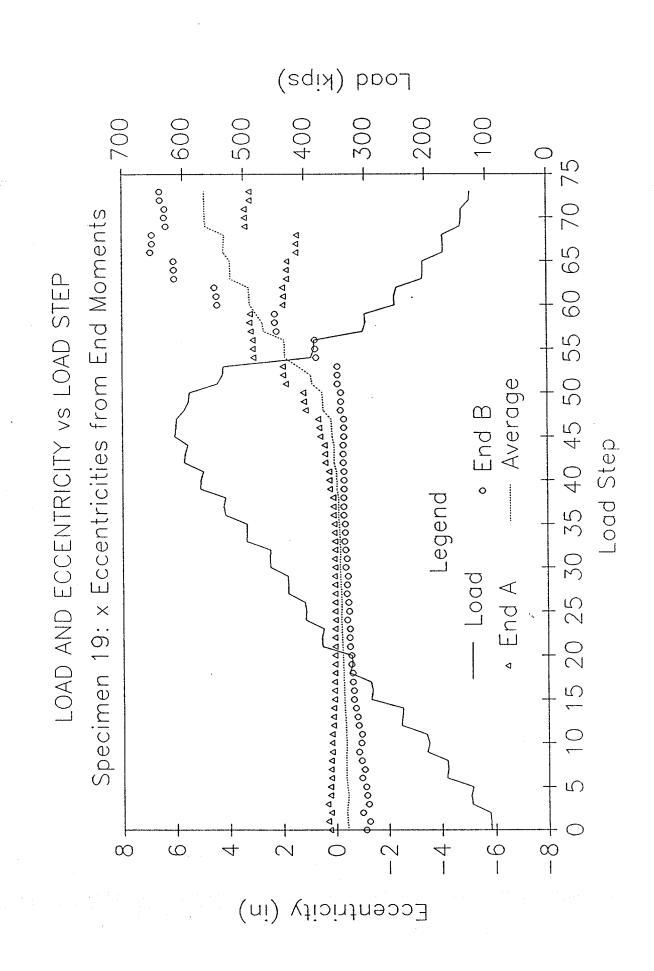


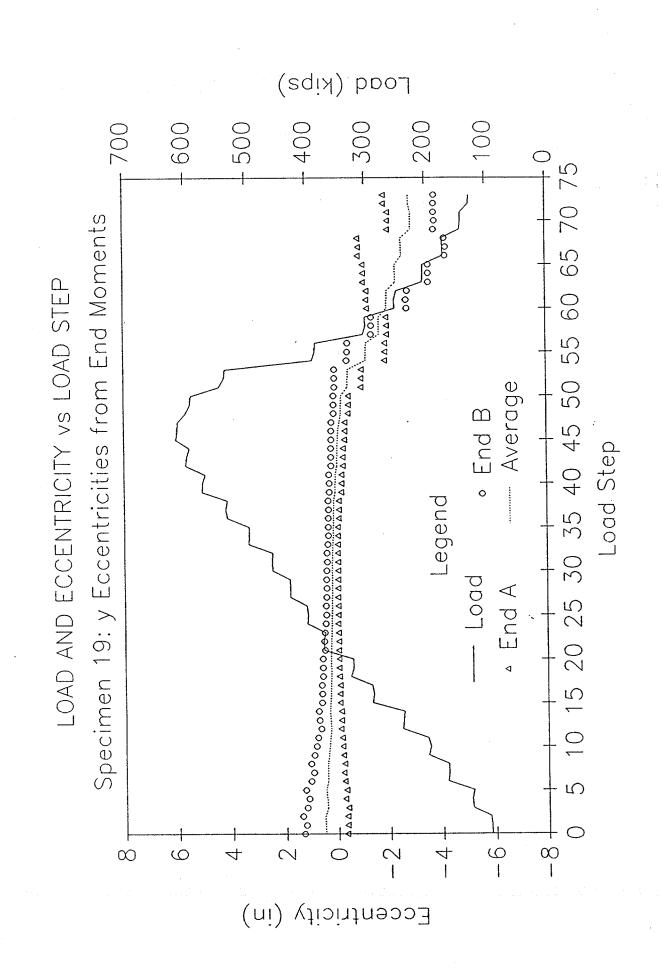




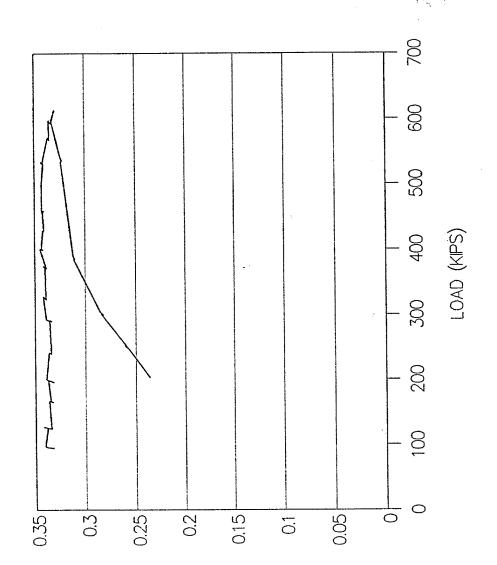








COMPUTED WALL THICKNESS



COMP WALL THICKNESS (IN)

0 0 00 00 000 25 SPECIMEN 19: WALL THICKNESS Nominal Wall Thickness = 0.375 in UT Average near location of failure ---- Full Scale Strain Gauge Locations 20 00 00000 15 Legend UT Average Ring Test O Ultrasound \Box 0 300-100 400 200 0 .500

(000 L/u!)

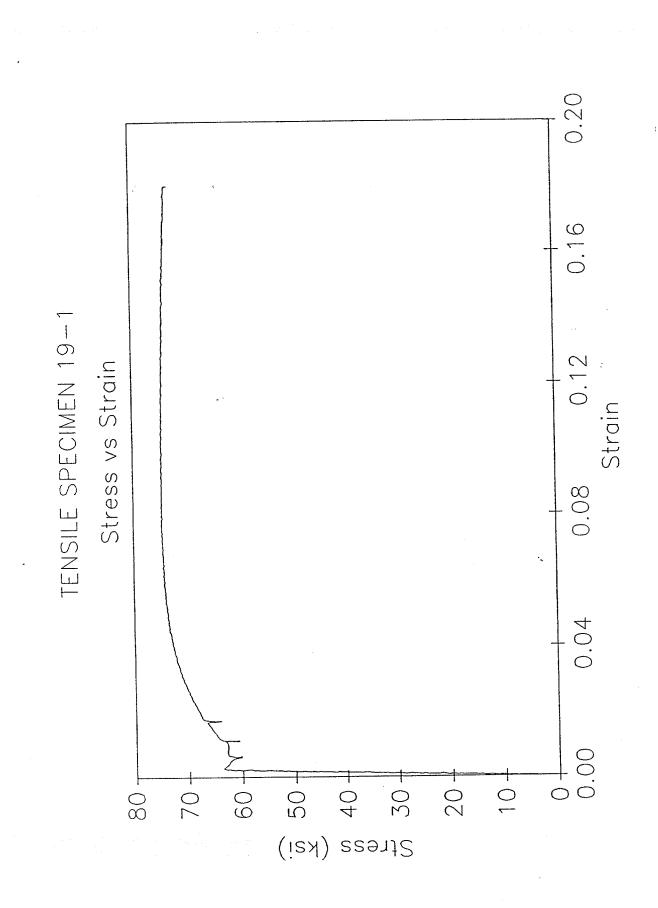
Wall Thickness

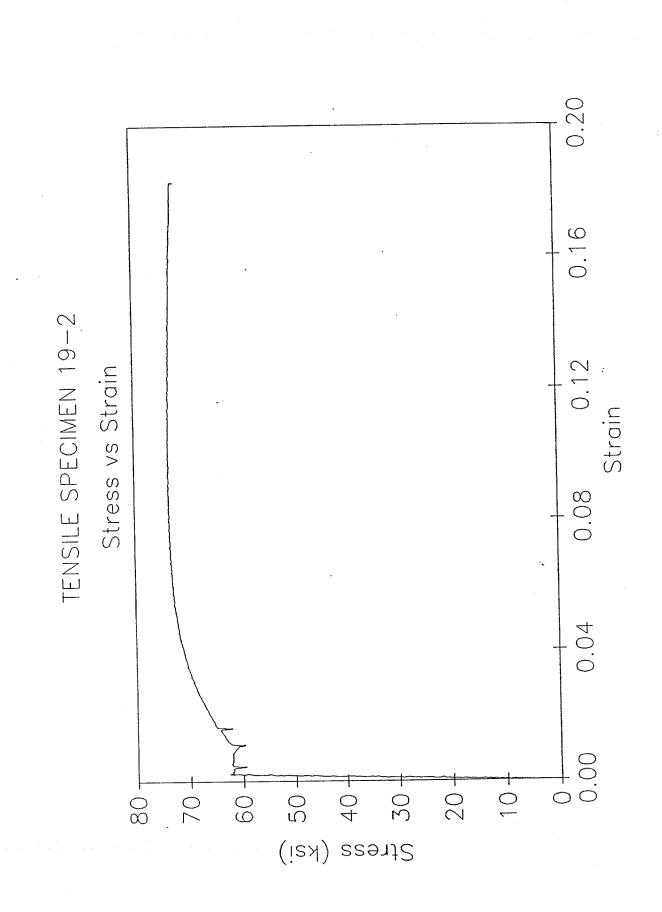
Ultrasound Data for Specimen 19 (All values in inches)

	Gauge	UT	${f ur}$
	No.	Thickness	Average
	0	0.273	
	1	0.285	
	2 3	0.338	
	3	0.379	
	4	0.322	
	5	0.339	0.323
	6	0.371	
	7	0.351	
	8	0.305	
	9	0.371	
	10	0.358	
	11	0.361	0.353
	12	0.371	
	13	0.369	
	14	0.303	
	15	0.383	
	16	0.383	
	17	0.355	0.361
	18	0.360	
	19	0.363	
	20	0.309	
	21	0.367	
	22	0.372	
	23	0.350	0.353
	24	0.372	
	25		
	26		
	27		
	28		
	29	0.325	0.337
Overall	Average =	0.345	

Random Readings near Buckling Point

	No.		Reading
		1	0.305
		2	0.277
		3	0.285
		4	0.298
		5	0.287
		6	0.288
		7	0.206
		8	0.284
Random	Average	=	0.279





SPECIMEN 20

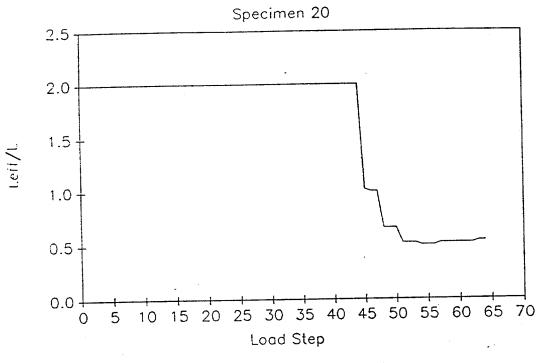
DAMAGE SUMMARY

Specimen No. 20

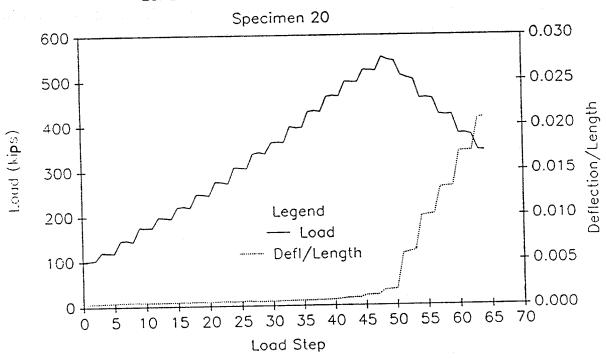
DISTANCE FROM END "B"	*DISTANC CHALK	LINE	DESCRIPTION OF DAMAGE
	LEFT	RIGHT	
1. 18'-10"		13"	Oblong welded bracing attachment (cut off) End A 3/8" wall 123/4" B
2. 17'-5"		13"	Oblong welded bracing attachment (cut off) End A 38 woll 1234
3. 10'-10 3/4"	17"		2" dia., 1/4" wall, round bracing attachment (cut off)
4. 25'-6 5/8"	17 1/4"		2" dia., 1/4" wall, round bracing attachment (cut off)

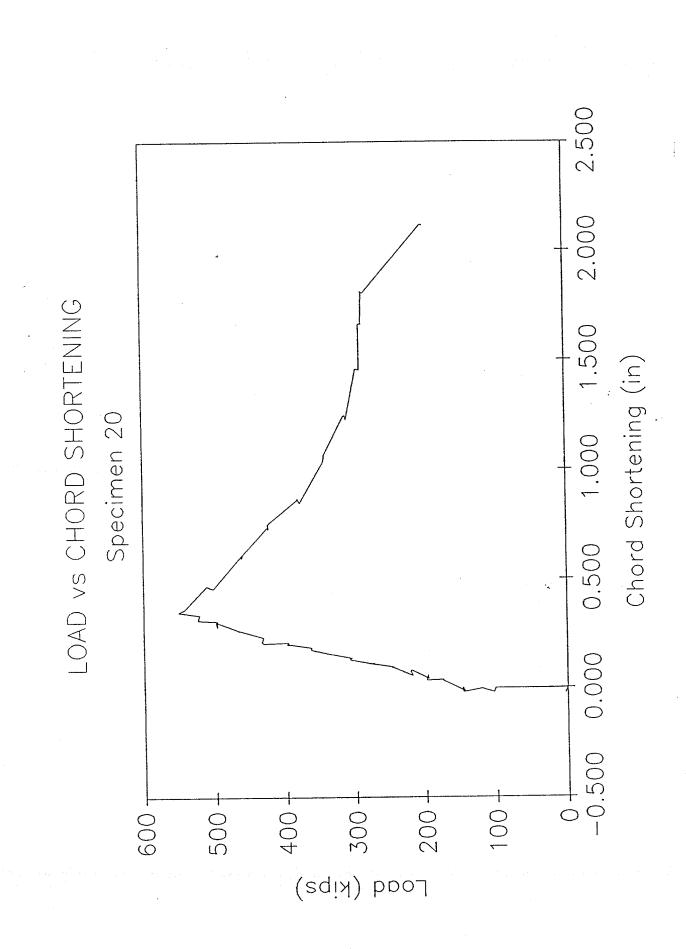
^{*} Looking from end "A" towards end "B"

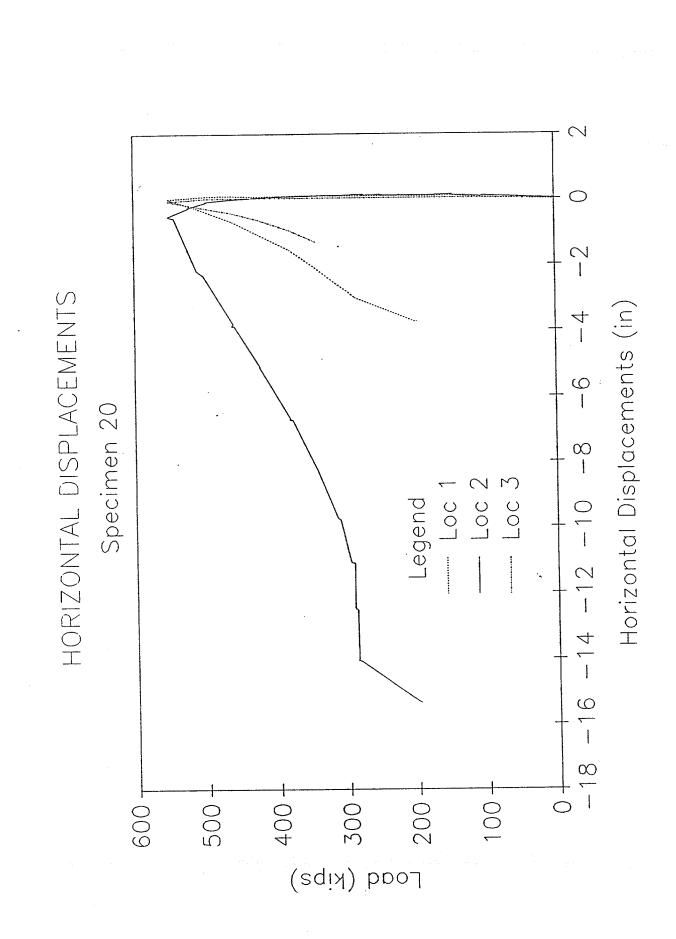
EFFECTIVE LENGTH vs LOAD STEP

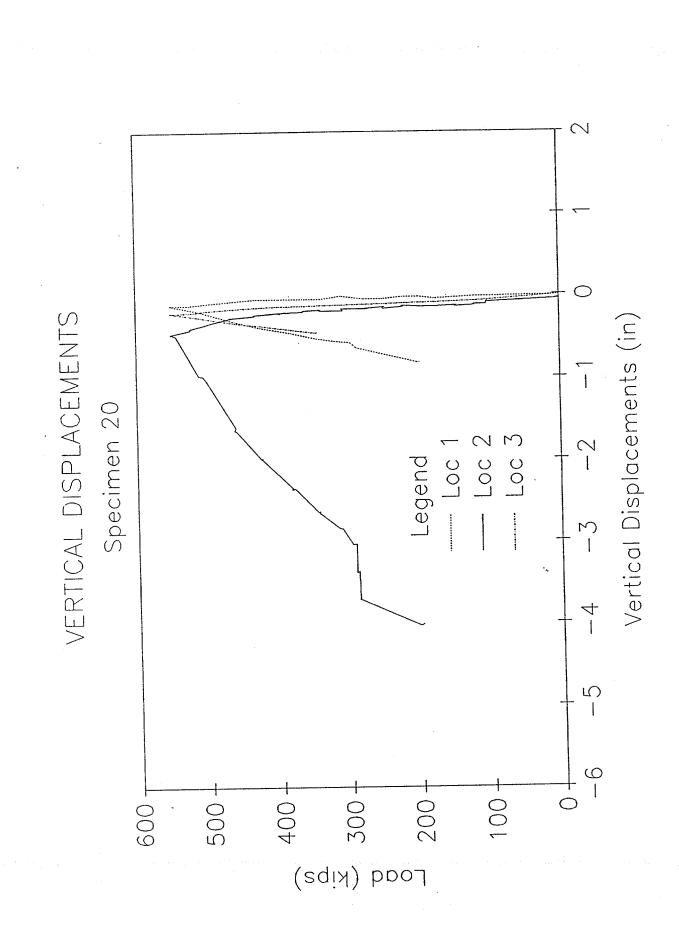


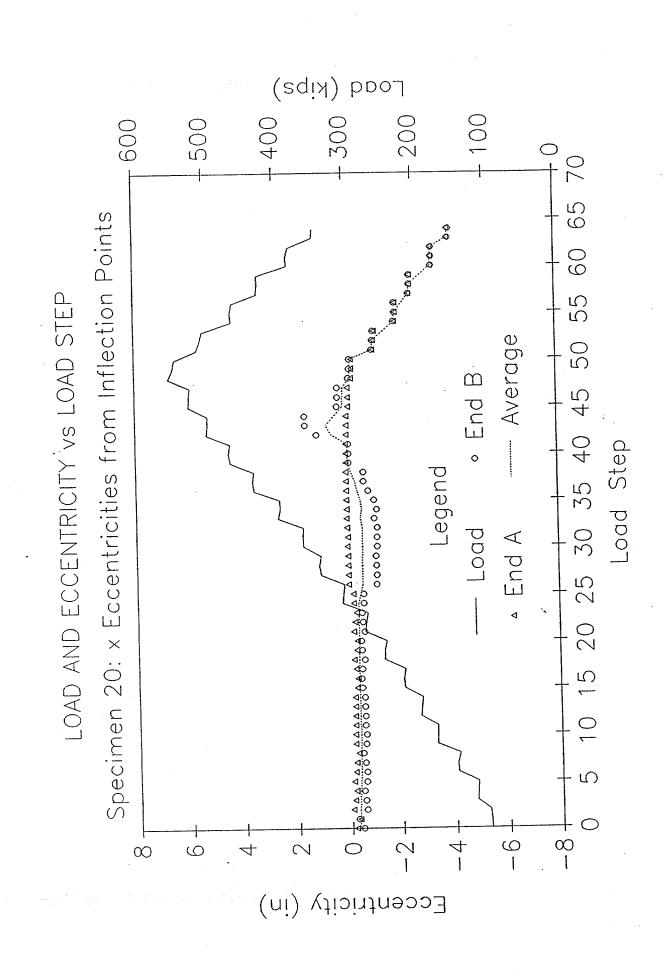


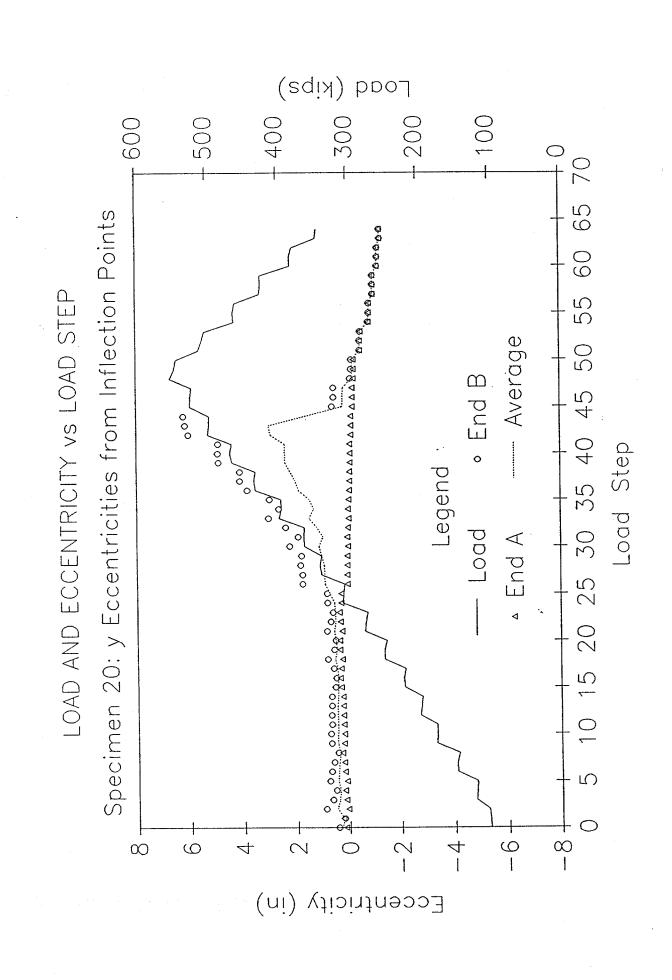


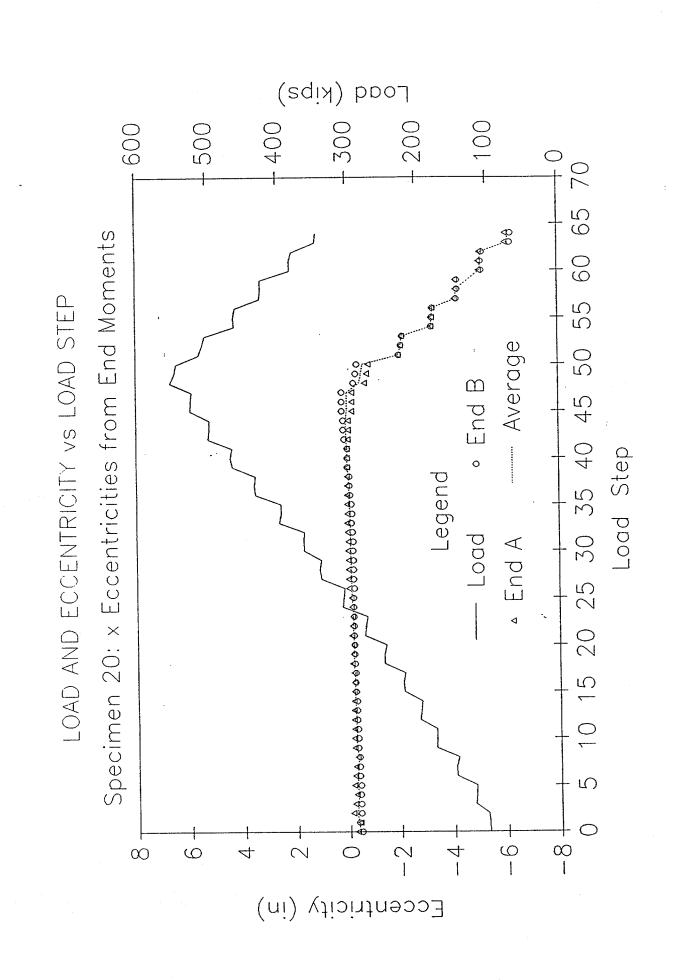


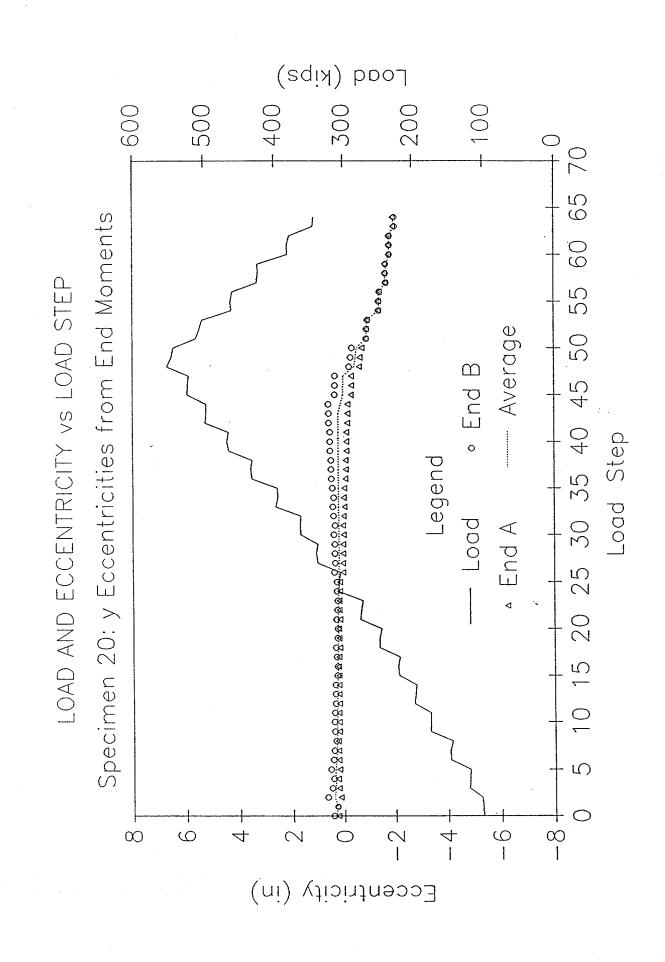






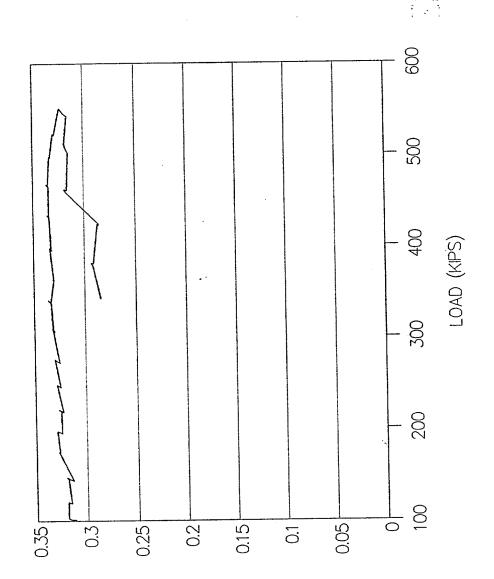






SPECIMEN NO 20-FULL SCALE TEST

COMPUTED WALL THICKNESS

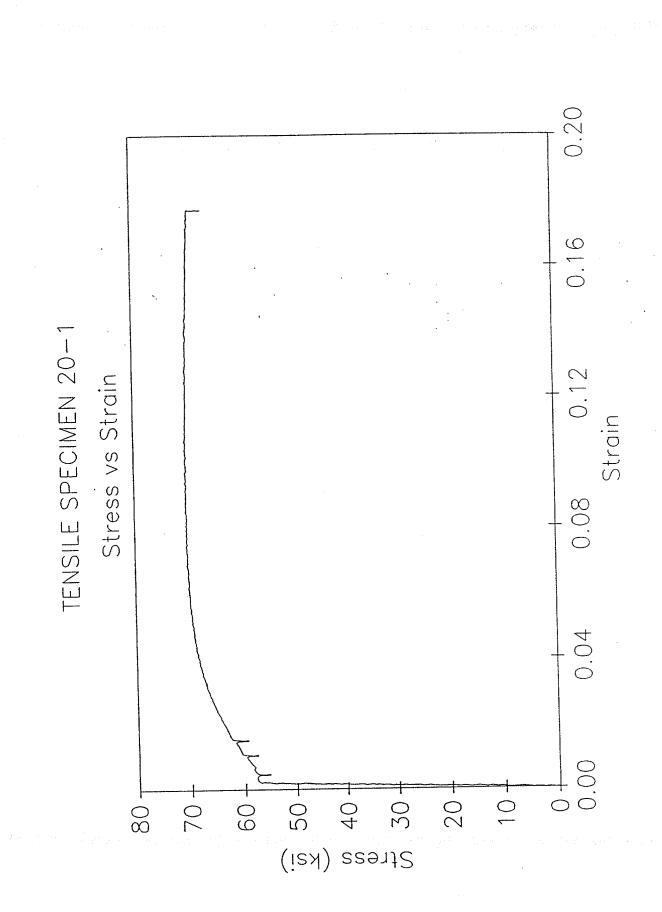


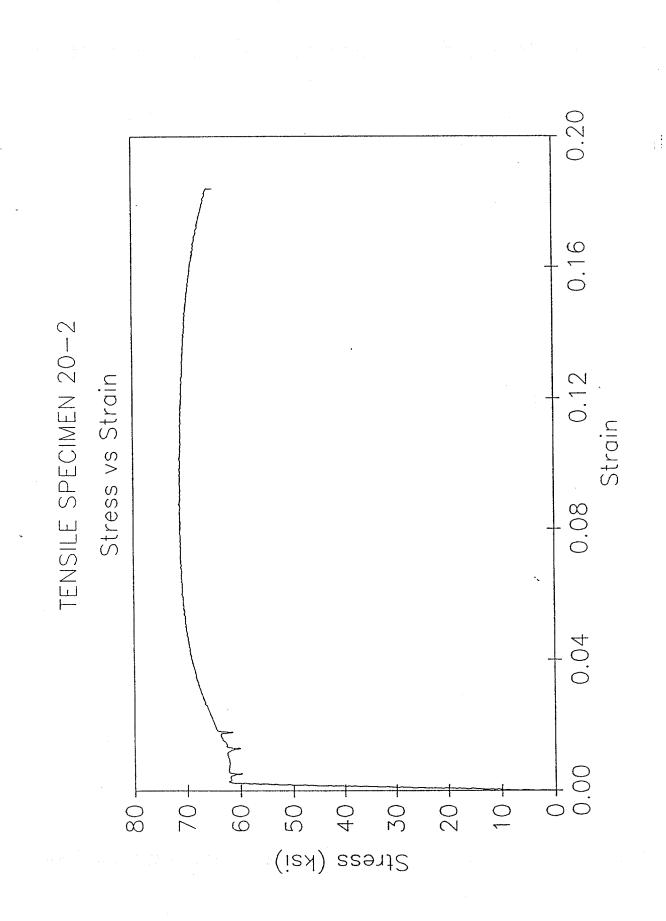
COMP WALL THICKNESS (IN)

30 Full Scale Ring Test SPECIMEN 20: WALL THICKNESS 25 Nominal Wall Thickness = 0.375 in Strain Gauge Locations Legend 20 UT Average O Ultrasound 15 Ω 100+ + 500 400 200 300 009 Wall Thickness (in/1000)

Ultrasound Data for Specimen 20 (All values in inches)

Gauge	UT	UT
No.	Thickness	Average
0	0.350	
1	0.352	
2	0.352	
3	0.362	
4	0.351	
5	0.351	0.353
6	0.368	
7	0.293	
8	0.349	
9	0.358	
10	0.340	0.342
11	0.337	
12	0.347	
13	0.337	
14	0.350	
15	0.355	0.345
` 16	0.359	
17	0.315	•
18	0.354	•
19	0.354	
20	0.343	0.345
21	0.344	
22	0.348	
23	0.349	
24	0.354	
25	0.330	0.345
Overall Average =	0.346	





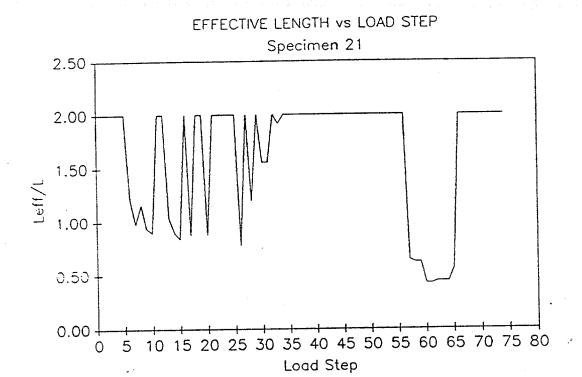
SPECIMEN 21

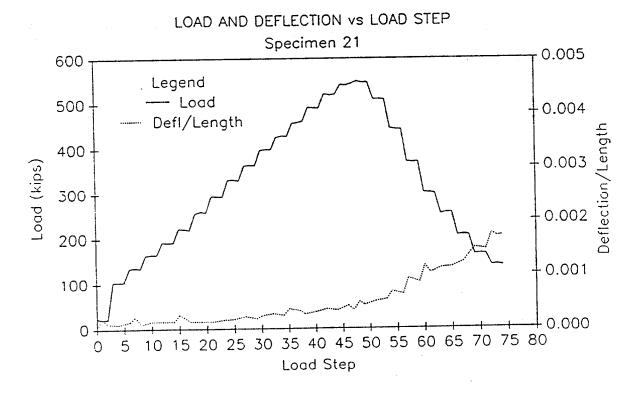
DAMAGE SUMMARY

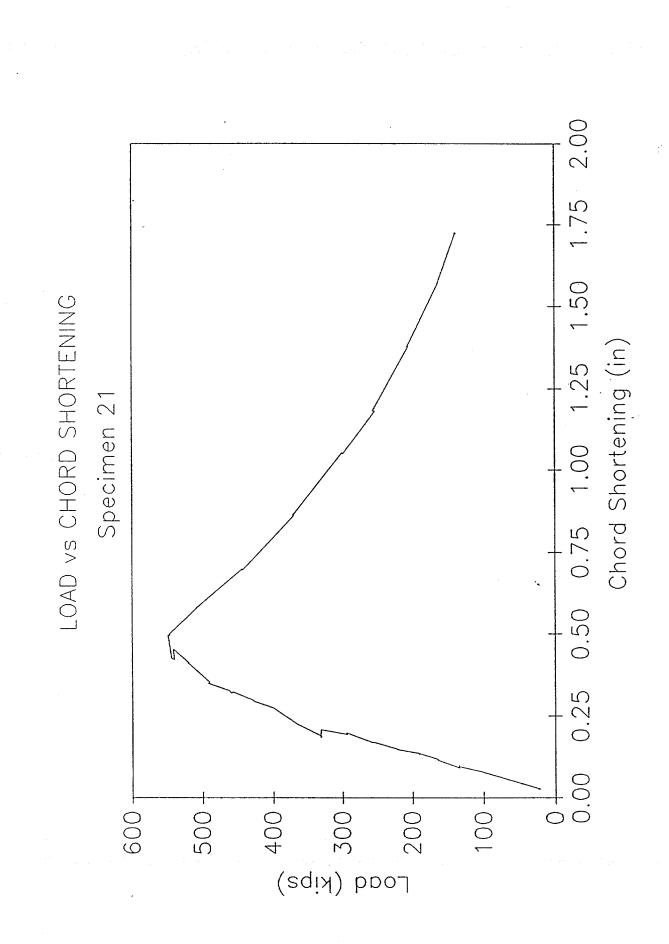
Specimen No. 21 1/8/90

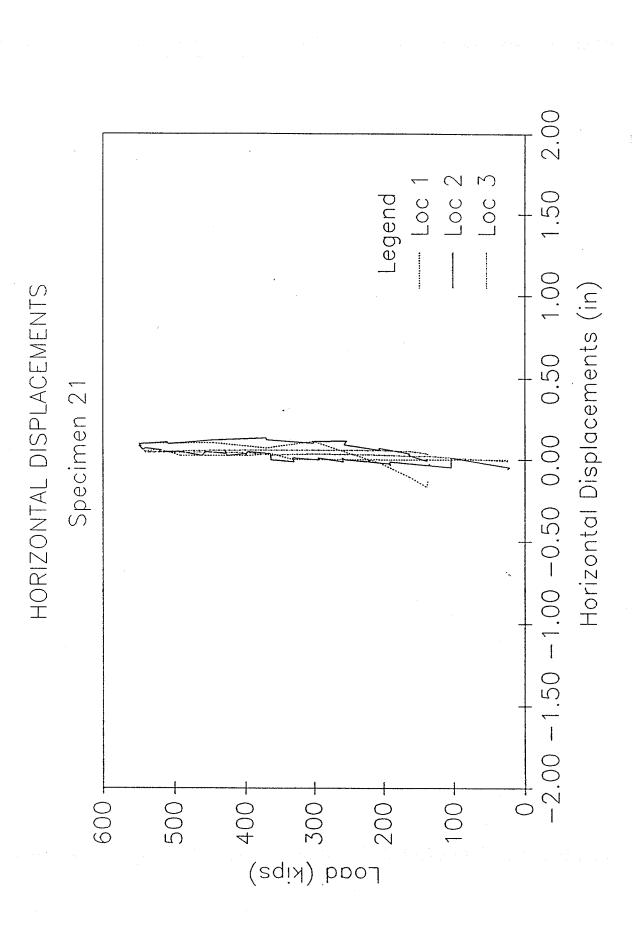
DYCTINGE EDOM	+0107486	CE EDOM	1	
DISTANCE FROM END "B"	*DISTANCE FROM CHALK LINE		DESCRIPTION OF DAMAGE	
- LND B	LEFT	RIGHT	1 1 1 1 1 1 1 1	
1. From 8 1/2" to 1'-9 1/2"	5 1/4"		Longitudinal crack in pipe (About 1/8" opening at surface)	
2. From 1'- 10 1/2" to 3'-1"	5 1/4"		Longitudinal crack in pipe (small)	
3. From 8'-8" to 10'-11"	5 1/4"		Longitudinal crack in pipe (About 1/8" opening at surface)	
4. From 11'-3" to 14"- 11 1/2"	5 1/4"		Longitudinal crack through pipe (About 1/8" split through the pipe surface)	
5. From 15'-5" to 19'-10"	5 1/4"	·	Longitudinal crack through pipe (About 1/8" split through the pipe surface)	
6. 19'-11 1/4"			1/2" circumferential butt weld	
7. 20′-3*	10"		1" diameter corrosion hole with a surrounding 2" x 3" area with very thin walls. Very thin walls	
			1" diameter hole	

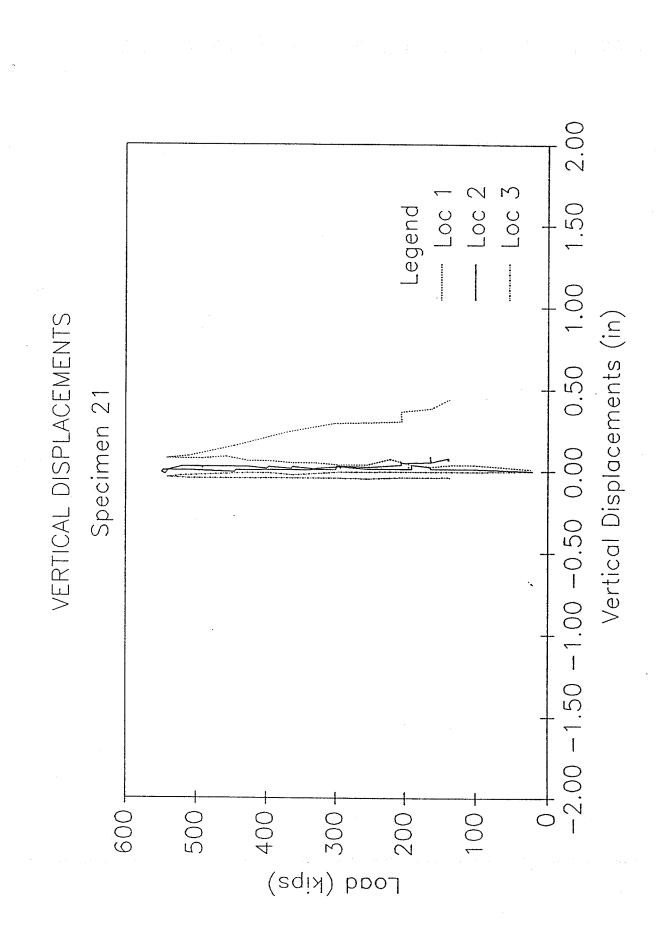
^{*}Looking from end "A" towards end "B"

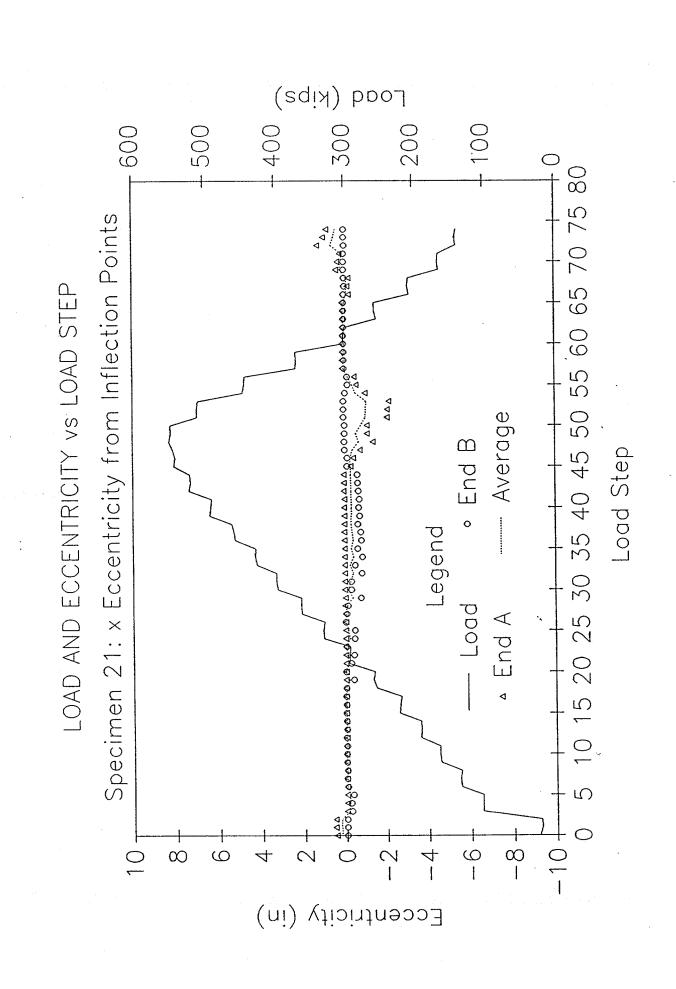


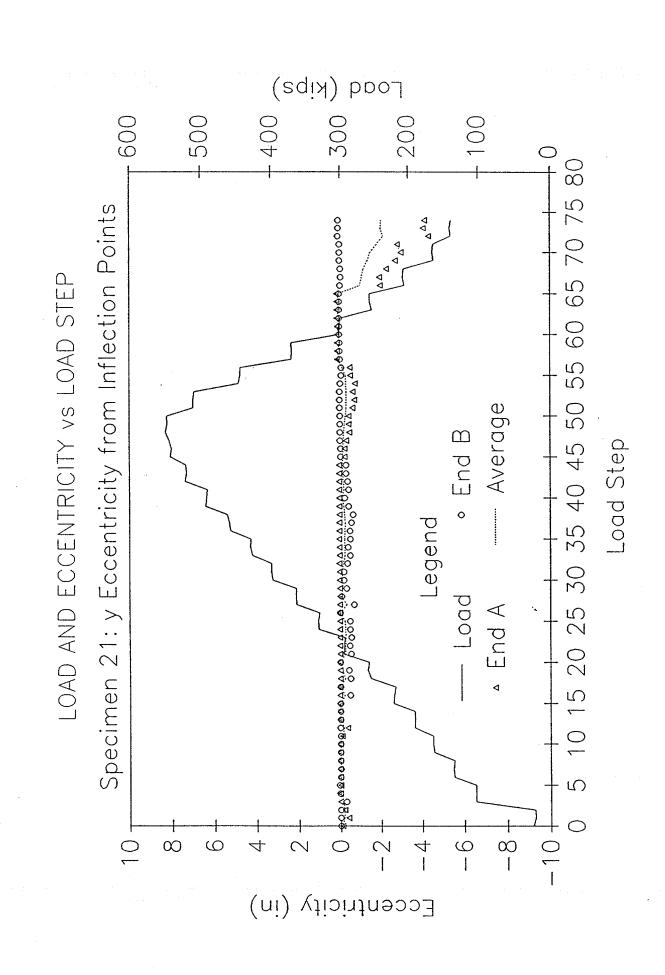


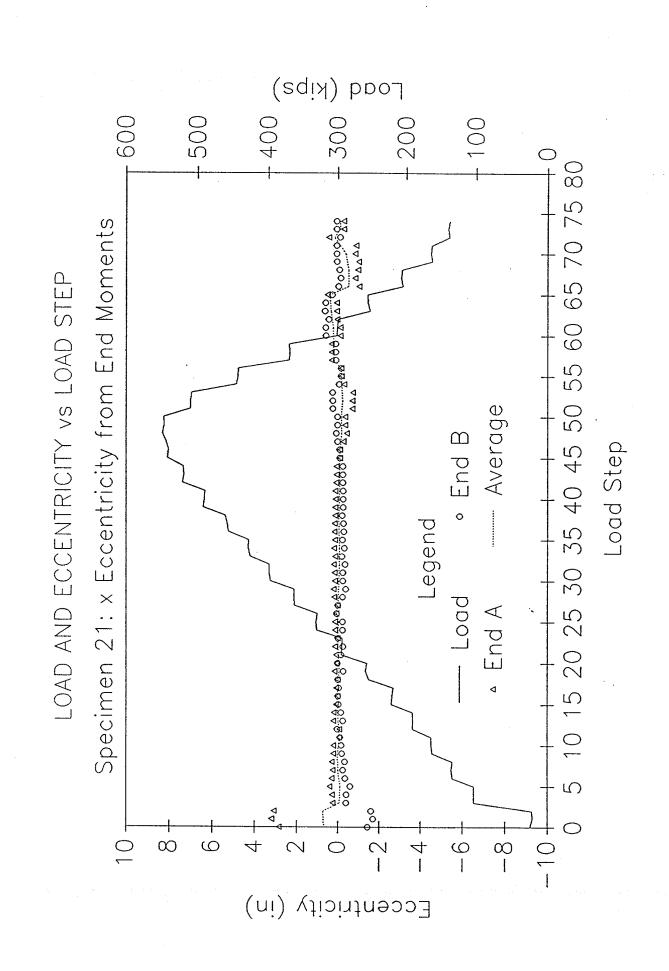


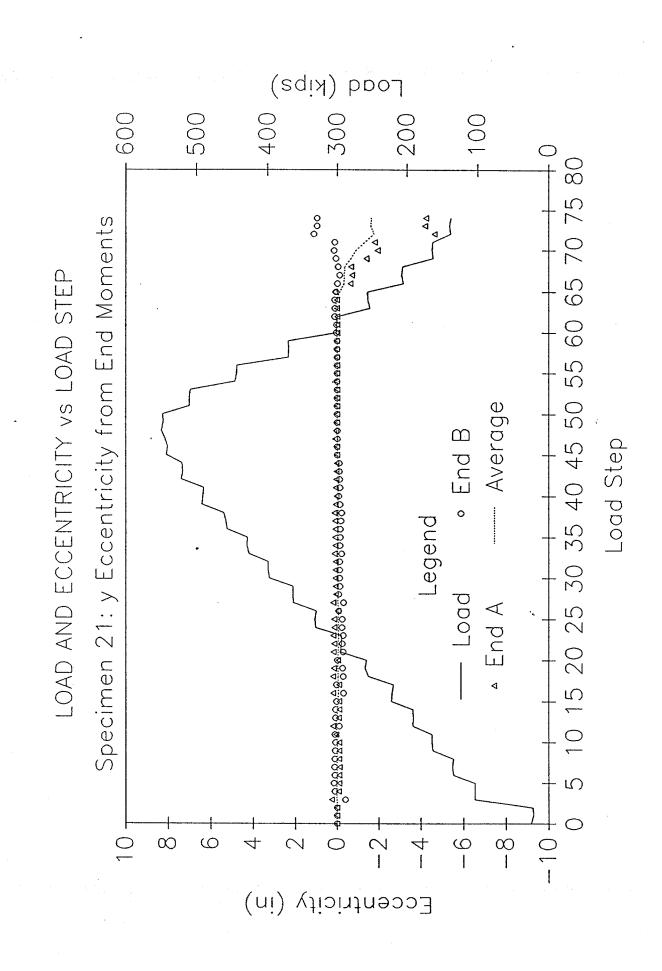






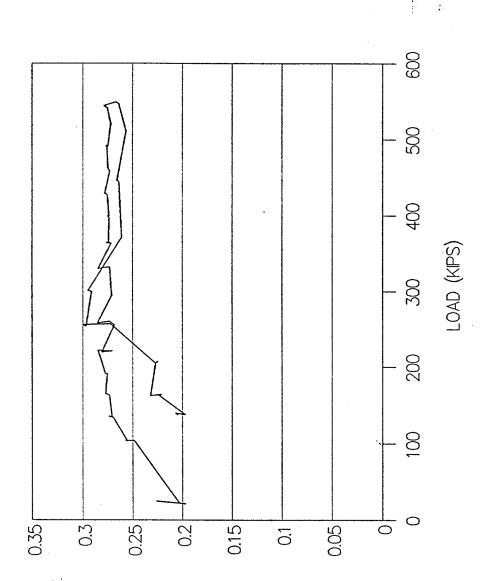




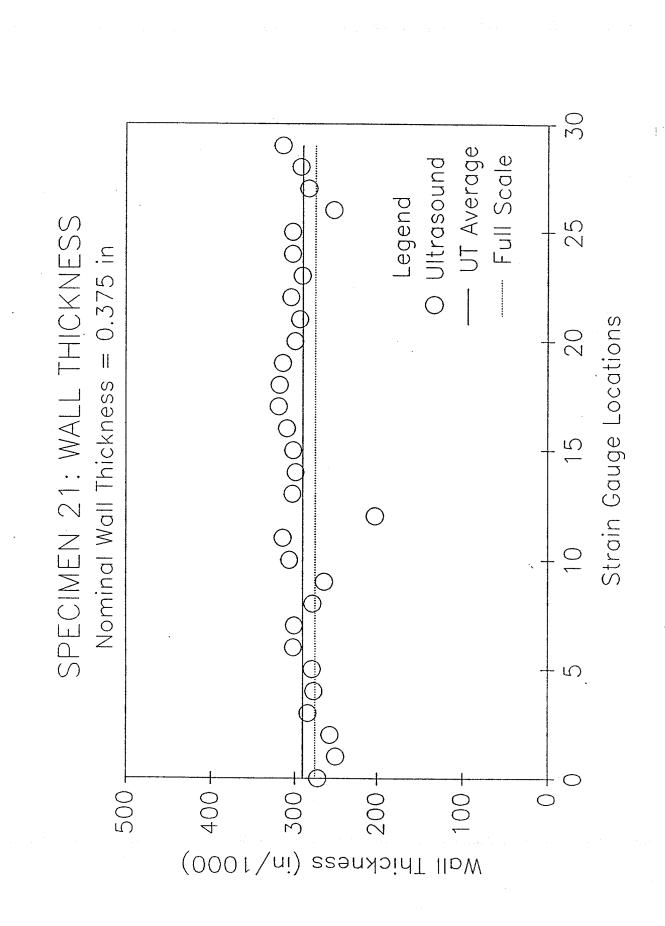


SPECIMEN 21-FULL SCALE TEST

COMPUTED WALL THICKNESS

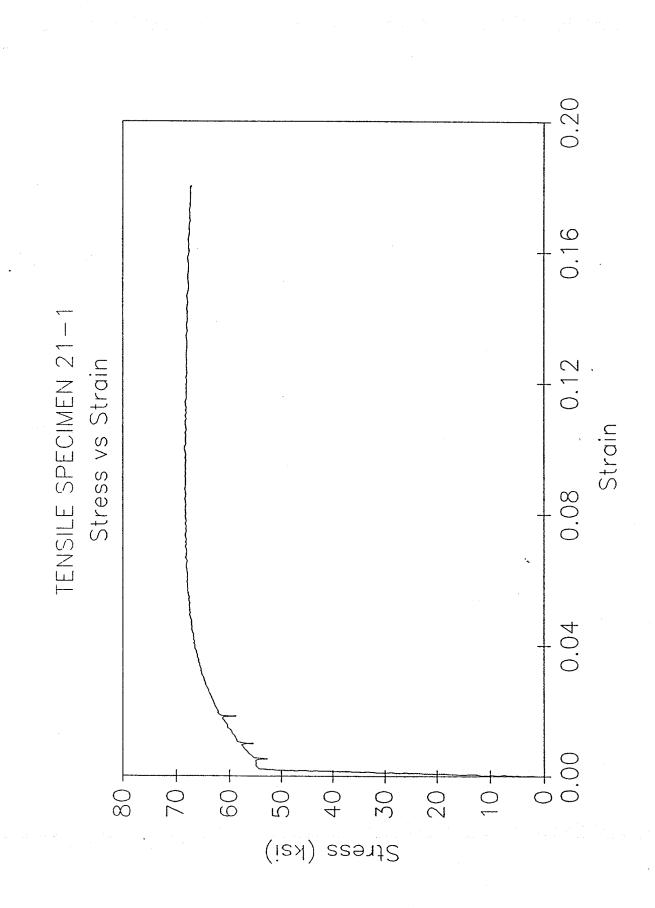


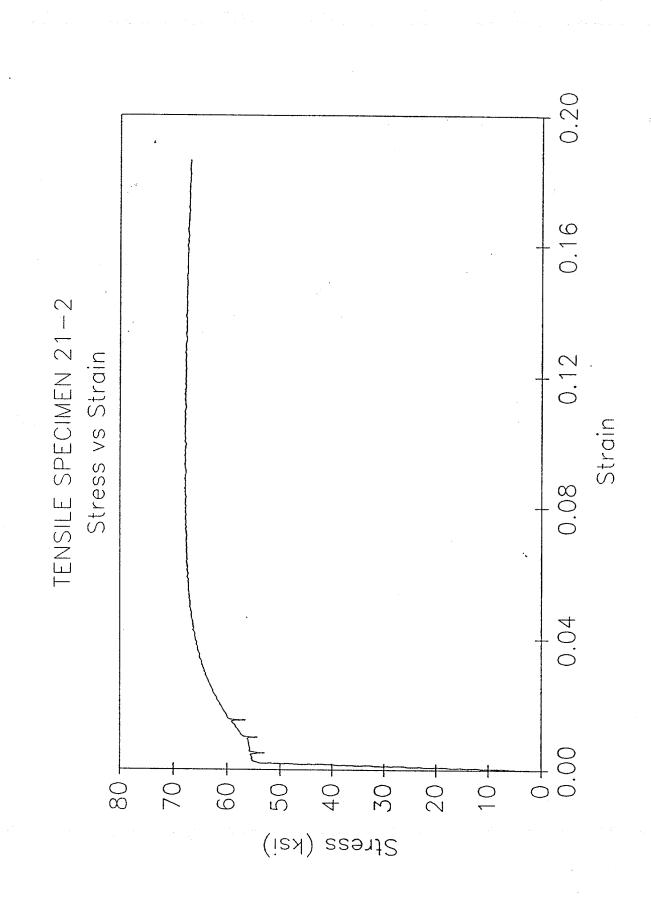
COMP WALL THICKNESS (IN)



Ultrasound Data for Specimen 21 (All values in inches)

	Gauge No.	UT Thickness	UT Average
	o	0.272	
	1	0.250	
	2 3	0.257	
	3	0.284	
	4	0.277	
	5	0.279	0.270
	6	0.302	
	7	0.301	
	8	0.278	
	9	0.264	
	10	0.307	
	11	0.315	0.294
	12	0.203	
	13	0.303	
•	14	0.299	
	15	0.302	
	16	0.310	i
	17	0.320	0.290
	18	0.319	
	19	0.315	
	20	0.300	
	21	0.294	
	22	0.305	
	23	0.291	0.304
	24	0.303	
	25	0.303	
	26	0.253	
	27	0.283	
	28	0.293	
	29	0.315	0.292
Overall Ave	rage =	0.290	





APPENDIX B

COMPUTER CODE FOR DISPLACE PROGRAM

```
PROGRAM DISP
C
      ******
C
        Scott Moehlman *
C
C
         PMB - Program
C
         June 20, 1989 *
C
      ***********
C
C
      PROGRAM DESCRIPTION
             THIS IS A PROGRAM TO COMPUTE CHORD SHORTENING, LOAD, AND
C
         RESULTANT HORIZONTAL AND VERTICAL DISPLACEMENTS.
C
C
C
                   DESCRIPTION OF THE VARIABLES
C
C
         A(I,J) = .....RESULTANT HORIZONTAL DISPLACEMENT
C
                  .....DISTANCE FROM WEB TO STRAIN GAUGE
C
                  .....RESULTANT VERTICAL DISPLACEMENT
C
         B(I,J)
                = .....ORIGINAL HORIZONTAL DISPLACEMENT
C
         C(J)
         CAL(I) = .....CALIBRATION FACTORS
C
               = .....CHORD SHORTENING AT TIME I
C
         CS(I)
         CSX(I,J) = ....CHANGE IN X DUE TO CHORD SHORTENING
C
         CSY(I,J) = ....CHANGE IN Y DUE TO CHORD SHORTENING
C
                  .....CHANGE IN "HORIZONTAL" DISPLACEMENT
C
         D(I,J) =
         DGA(I) = .....CHORD SHORTENING D.G. CORR. AT A
C
                  .....CHORD SHORTENING D.G. CORR. AT B
C
         DGB(I) =
                = .....ORIGINAL VERTICAL DISPLACEMENT
C
         E(J)
                - .....CHANGE IN "VERTICAL" DISPLACEMENT
C
         F(I,J)
                = .....DISTANCE FROM WEB CENTER TO GAUGE
C
         HO
                = .....MOMENT OF INERTIA ABOUT X-AXIS
= .....MOMENT OF INERTIA ABOUT Y-AXIS
C
         INERX
C
         INERY
                = .....DISTANCE TO HORIZ AND VERT POTS
C
         L(I)
         LD(I,J) = .....INPUTTED LOADS FROM LOAD FRAME
C
         LENGTH = .....ORIGINAL LENGTH OF PIPE
C
                 = .....TOTAL APPLIED LOAD AT TIME I
C
         LOAD(I)
                 = .....MODULUS OF ELASTICITY OF LOAD FRAME
C
                  .....NUMBER OF DATA STEPS
C
         SP(I,J) = ....LONGITUDINAL STRINGPOT READINGS
C
         TIME(I) = .....TIME AT READING I
C
                  .....DESCRIPTION OF PIPE
C
         TITLE
                   .....LOCATION OF HORIZONTAL LOAD RESULT
C
         U(I)
                  .....LOCATION OF VERTICAL LOAD RESULTANT
C
         V(I)
                = .....DISTANCE FROM CENTER OF FRAME TO LEG.
C
         W(I)
                - ......HORIZONTAL POT READINGS
C
         X(I,J)
                = .....VERTICAL POT READINGS
C
C
C
C
      VARIABLE DECLARATIONS
      IMPLICIT REAL (A-H, O-Z)
      REAL A(150,3), B(150,3), C(3), D(150,3), E(3), BO, HO, CAL(9),
      1 F(150,3),SP(150,3),TIME(150),X(150,3),Y(150,3),CS(150),
      1 LOAD(150), LENGTH, L(3), CSY(150,3), CSX(150,3), LD(150,9),
      1 MOD, INERX, INERY, U(150), V(150), W(3), DGA(150), DGB(150)
       INTEGER N
```

CHARACTER TITLE*30

```
C
      INPUT DATA WITH SUBROUTINE DATAIN
C
C
C
      CALL DATAIN (LENGTH, L, TIME, TITLE, SP, X, Y, LD, C, E, CAL, MOD,
     1 INERX, INERY, BO, HO, W, DGA, DGB, N)
C
C
      WRITE INPUT DATA TO FILE "SPEC##.INP
С
C
C
С
      OPEN FILE FOR OUTPUT
С
C
C
      OPEN (UNIT=7, FILE='SPEC.INP', STATUS='UNKNOWN')
C
      DO 100 I = 1,N
          WRITE (7,1000) TIME(I), SP(I,1), SP(I,2), SP(I,3)
  100 CONTINUE
      WRITE (7,950)
      DO 110 I = 1,N
          WRITE (7,1010) X(I,1),Y(I,1),X(I,2),Y(I,2),X(I,3),
             Y(I,3)
  110 CONTINUE
      WRITE (7,950)
      DO 120 I = 1,N
          WRITE (7,1020) LD(I,1),LD(I,2),LD(I,3),LD(I,4),LD(I,5)
  120 CONTINUE
       WRITE (7,950)
       DO 130 I = 1, N
          WRITE (7,1030) LD(I,6),LD(I,7),LD(I,8),LD(I,9)
  130 CONTINUE
C
C
       COMPUTE CHORD SHORTENING, LOAD, AND CORRECTED READINGS
С
С
       CALL CHORDS (LENGTH, L, LD, TIME, SP, X, Y, LOAD, CS, CSX, CSY, C,
      1 D,E,F,DGA,DGB,N)
C
C
       COMPUTE LOAD RESULTANT
C
С
C
       CALL LOCAT(LD, CAL, MOD, INERX, INERY, BO, HO, U, V, W,
              TIME, LOAD, CS, TITLE, N)
       COMPUTE "RESULTANT" HORIZONTAL AND
       VERTICAL DISPLACEMENTS
       CALL RESULT (A, B, C, D, E, F, N)
```

```
С
C
                  FORMAT STATEMENTS
C
C
C
  950 FORMAT (' ')
1000 FORMAT (' ',F9.2,',',F9.5,',',F9.5,',',F9.5)
1010 FORMAT (' ',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9.5,',',F9
               1 ',',F9.5)
   1020 FORMAT (' ',F9.5,',',F9.5,',',F9.5,',',F9.5)
1030 FORMAT (' ',F9.5,',',F9.5,',',F9.5,',',F9.5)
                  END
C
C
C
                   _____
C
                   SUBROUTINE DATAIN
C
                   ---------------
C
                  SUBROUTINE DATAIN (LENGTH, L, TIME, TITLE, SP, X, Y, LD, C, E,
                1 CAL, MOD, INERX, INERY, BO, HO, W, DGA, DGB, N)
C
                  PURPOSE: INPUT PROBLEM DATA
C
C
                   DECLARE VARIABLES
                   IMPLICIT REAL (A-H,O-Z)
                  REAL SP(150,3), TIME(150), X(150,3), Y(150,3), CAL(9), MOD,
                1 LENGTH, L(3), LD(150,9), C(3), E(3), INERX, INERY, BO, HO,
                 1 W(3),DGA(150),DGB(150)
                   INTEGER N
                   CHARACTER TITLE*30
 C
 C
 C
                    OPEN FILES FOR INPUT
 C
 C
 C
                    OPEN (UNIT=1, FILE='LSP.DAT', STATUS='OLD')
                    OPEN (UNIT=2, FILE='HVP.DAT', STATUS='OLD')
 C
                    READ IN PROBLEM TITLE, PIPE LENGTH, DISTANCE TO HORIZ AND
 C
                    VERT POTS, AND INITIAL POT EXTENSION.
 C
 С
                    READ (1,*) TITLE
                    READ (1,*) N
                    READ (1,*) LENGTH, L(1), L(2), L(3)
                    READ (1,*) C(1), E(1), C(2), E(2), C(3), E(3)
                    READ (1,*) MOD, INERX, INERY, BO, HO
                    READ (1,*) W(1), W(2), W(3)
  C
                    READ IN CALIBRATION FACTORS
  C
                    DO 5 J = 1,9
                             READ (1,*) CAL(J)
               5 CONTINUE
  C
```

```
READ TIME, POT DISPLACEMENTS, AND LOADS.
C
C
       DO 10 I = 1,N
         READ (1,*) TIME(I), SP(I,1), SP(I,2), SP(I,3), DGA(I),
                      DGB(I)
         READ (2,*) X(I,1),Y(I,1),X(I,2),Y(I,2),X(I,3),Y(I,3)
   10 CONTINUE
       CLOSE (UNIT=1)
       CLOSE (UNIT=2)
C
C
С
       OPEN FILES FOR INPUT
C
C
       OPEN (UNIT=3, FILE='LOAD1.DAT', STATUS='OLD')
OPEN (UNIT=4, FILE='LOAD2.DAT', STATUS='OLD')
C
       DO 15 I = 1, N
         READ (3,*) LD(I,1),LD(I,2),LD(I,3),LD(I,4),LD(I,5)
         READ (4,*) LD(I,6),LD(I,7),LD(I,8),LD(I,9)
    15 CONTINUE
       CLOSE (UNIT=3)
       CLOSE (UNIT=4)
       RETURN
       END
С
С
       SUBROUTINE CHORDS
       ______
С
C
       SUBROUTINE CHORDS (LENGTH, L, LD, TIME, SP, X, Y, LOAD,
      1 CS, CSX, CSY, C, D, E, F, DGA, DGB, N)
C
       PURPOSE: COMPUTE CHORD SHORTENING, LOAD, AND HORIZ
C
       AND VERT READINGS MINUS CHORD SHORTENING EFFECTS.
С
С
С
       DECLARE VARIABLES
       IMPLICIT REAL (A-H,O-Z)
       REAL LENGTH, L(3), LD(150,9), TIME(150),
      1 SP(150,3),X(150,3),Y(150,3),LOAD(150),CS(150),
      1 CSX(150,3), CSY(150,3), C(3), D(150,3), E(3), F(150,3), THETA(2,3), R(3), DGA(150), DGB(150)
       INTEGER N
С
С
        COMPUTE CHORD SHORTENING, LOAD, AND CHORD
С
       SHORTENING EFFECTS AT TIME I.
 С
С
C
        DO 20 I = 1.N
          CS(I) = (-(SP(I,1)+SP(I,2)+SP(I,3))/3)-DGA(I)-DGB(I)

LOAD(I) = (LD(I,1)+LD(I,3)+LD(I,4)+LD(I,6)+LD(I,7)
                 +LD(I,9))/2
    20 CONTINUE
```

```
C
      DO 30 I = 1, N
         DO 30 J = 1,3
          R(J) = CS(I) * (LENGTH-L(J))/LENGTH
          THETA(1,J) = ATAN(R(J)/C(J))
          THETA(2,J) = ATAN(R(J)/E(J))
C
          CSX(I,J) = C(J)*((1/COS(THETA(1,J)))-1)
          CSY(I,J) = E(J)*((1/COS(THETA(2,J)))-1)
С
          D(I,J) = X(I,J) - CSX(I,J)
          F(I,J) = Y(I,J) - CSY(I,J)
   30 CONTINUE
      RETURN
      END
C
C
C
          ______
С
      SUBROUTINE LOCAT
       ------
С
      SUBROUTINE LOCAT(LD, CAL, MOD, INERX, INERY, BO, HO, U, V, W,
                TIME, LOAD, CS, TITLE, N)
C
      PURPOSE: TO COMPUTE THE LINE OF ACTION OF THE LOAD
C
C
      DECLARE VARIABLES
C
      IMPLICIT REAL (A-H,O-Z)
      REAL LD(150,9), CAL(9), MOD, INERX, INERY, BO, HO, U(150), P(3),
        V(150), THEE(3), S(3), ALPHA(3), BETA(3), W(3), EX(3), EY(3),
        TIME(150), LOAD(150), CS(150)
      INTEGER N
      CHARACTER TITLE*30
C
      OPEN FILES FOR OUTPUT
C
С
C
      OPEN (UNIT=8, FILE='SPEC1.OUT', STATUS='UNKNOWN')
C
      WRITE (8,*) TITLE
      WRITE (8,2010)
С
       COMPUTE THE LOCATION OF THE LOAD RESULTANT
C
C
       DO 60 I = 1,N
C
C
       COMPUTE THE RESULTANT LOCATION FOR EACH LEG
       IF (LD(I,6)+LD(I,4).EQ.0) THEN
          EX(1) = 0
          EY(1) = 0
       ELSE
          EX(1) = -(LD(1,5)/(CAL(5)*30.6)-LD(1,6)/(CAL(6)
```

```
*30.6)) *INERY/(BO*(LD(I,6)+LD(I,4)))
        EY(1) = (LD(1,5)/(CAL(5)*30.6)-LD(1,4)/(CAL(4))
                  *30.6))*INERX/(HO*(LD(I,6)+LD(I,4)))
    1
     ENDIF
     IF (LD(I,1)+LD(I,3).EQ.0) THEN
        EX(2) = 0
        EY(2) = 0
     ELSE
        EX(2) = -(LD(I,2)/(CAL(2)*30.6)-LD(I,3)/(CAL(3))
                  *30.6))*INERY/(BO*(LD(I,1)+LD(I,3)))
    1
         EY(2) = (LD(I,2)/(CAL(2)*30.6)-LD(I,1)/(CAL(1)
                  *30.6)) *INERX/(HO*(LD(I,1)+LD(I,3)))
    1
     ENDIF
      IF (LD(I,7)+LD(I,9).EQ.0) THEN
         EX(3) = 0
         EY(3) = 0
      ELSE
         EX(3) = -(LD(I,7)/(CAL(7)*30.6)-LD(I,8)/(CAL(8)
                  *30.6)) *INERY/(BO*(LD(I,7)+LD(I,9)))
     1
         EY(3) = -(LD(I,8)/(CAL(8)*30.6)-LD(I,9)/(CAL(9)
                  *30.6)) *INERX/(HO*(LD(I,7)+LD(I,9)))
      ENDIF
C
      DETERMINE THE ANGLE THEE FOR LEGS 2 AND 3
C
C
         THEE (2) = ATAN(EY(2)/(W(2)-EX(2)))
         THEE (3) = ATAN(EY(3)/(W(3)+EX(3)))
C
      FIND THE DISTANCE FROM THE RESULTANTS IN LEGS
C
      2 AND 3 TO THE CENTER OF THE LOAD FRAME
C
C
         S(2) = W(2)-EX(2)/COS(THEE(2))
         S(3) = W(3) + EX(3) / COS(THEE(3))
C
      COMPUTE X AND Y COMPONENTS OF DISTANCE TO CENTER
С
      ALPHA(1) = X(1) AND BETA(1) = Y(1)
С
C
         ALPHA(1) = EY(1)
         BETA(1) = W(1) - EX(1)
         ALPHA(2) = -S(2)*COS(.5236-THEE(2))
         BETA(2) = -S(2)*SIN(.5236-THEE(2))
         ALPHA(3) = S(3) *COS(.5236-THEE(3))
         BETA(3) = -S(3)*SIN(.5236-THEE(3))
C
      COMPUTE THE LOAD IN EACH LEG
С
C
          P(1) = (LD(I,4)+LD(I,6))/2
          P(2) = (LD(I,1)+LD(I,3))/2
          P(3) = (LD(I,7)+LD(I,9))/2
C
       DETERMINE THE RESULTANT LOAD LOCATION
C
C
          U(I) = (P(1)*ALPHA(1)+P(2)*ALPHA(2)+P(3)*ALPHA(3))/
                 (P(1)+P(2)+P(3))
      1
          V(I) = (P(1)*BETA(1)+P(2)*BETA(2)+P(3)*BETA(3))/
```

```
(P(1)+P(2)+P(3))
С
С
С
С
     WRITE OUTPUT TO FILE
С
C
         WRITE (8,2020) TIME(I), LOAD(I), U(I), V(I), CS(I)
C
   60 CONTINUE
C
C
      RETURN
      END
C
C
      SUBROUTINE RESULT
C
С
      ------
С
      SUBROUTINE RESULT (A, B, C, D, E, F, N)
C
      PURPOSE: COMPUTE RESULTANT HORIZONTAL AND VERTICAL
C
C
      DISPLACEMENTS
C
      DECLARE VARIABLES
      IMPLICIT REAL (A-H,O-Z)
      REAL A(150,3),B(150,3),C(3),D(150,3),E(3),
     1 F(150,3),P(150,3),Q(150,3),Z(150,3),K(2)
      INTEGER N
C
      COMPUTE THE RESULTANT HORIZONTAL AND VERTICAL DISPLACEMENTS
C
C
C
C
      OPEN FILES FOR OUTPUT
C
C
      OPEN (UNIT=9, FILE='SPEC2.OUT', STATUS='UNKNOWN')
C
      WRITE (9,2025)
      WRITE (9,2030)
С
      DO 51 I = 1, N
      K(1) = 0
      K(2) = 0
      DO 50 J = 1,3
      P(I,J) = -F(I,J)**4-4*E(J)*F(I,J)**3+(-4*E(J)**2
       +2*D(I,J)**2+4*C(J)*D(I,J)+4*C(J)**2)*F(I,J)**2+(4*D(I,J)**2
        +8*C(J)*D(I,J)+8*C(J)**2)*E(J)*F(I,J)+(4*D(I,J)**2
        +8*C(J)*D(I,J)+4*C(J)**2)*E(J)**2-D(I,J)**4-4*C(J)*D(I,J)**3
        -4*C(J)**2*D(I,J)**2
C
      Q(I,J) = -F(I,J)**2-2*E(J)*F(I,J)+2*D(I,J)*F(I,J)
```

```
1 + 2*C(J)*F(I,J)+2*D(I,J)*E(J)+2*C(J)*E(J)-D(I,J)**2-2*C(J)
                     1 *D(I,J)
C
                        Z(I,J) = F(I,J)**2+2*E(J)*F(I,J)+2*D(I,J)*F(I,J)+2*C(J)
                     1 *F(I,J) + 2*D(I,J) *E(J) + 2*C(J) *E(J) + D(I,J) **2 + 2*C(J) *D(I,J)
C
                        IF (P(I,J).LT.0) THEN
                        A(I,J) = -((-C(J)*F(I,J)**2-2*C(J)*E(J)*F(I,J)
                             -2*C(J)*E(J)**2+C(J)*D(I,J)**2+2*C(J)**2*D(I,J))/(2*E(J)**2*D(I,J))
                             +2*C(J) **2))
                        K(1) = 1
                        ELSE
                        A(I,J) = -((E(J) * SQRT(-F(I,J) **4-4*E(J) *F(I,J) **3+(-4*E(J) **2 +2*D(I,J) **2+4*C(J) *D(I,J) +4*C(J) **2) *F(I,J) **2+(4*D(I,J) **2+(4*D(I,J) **2) *F(I,J) **2+(4*D(I,J) **2) *F(I,J) **2+(4*D(I,J) **2) *F(I,J) **2+(4*D(I,J) **2) *F(I,J) **2+(4*D(I,J) **2+(4*D(I,J
                                +8*C(J)*D(I,J)+8*C(J)**2)*E(J)*F(I,J)+(4*D(I,J)**2
                                +8*C(J)*D(I,J)+4*C(J)**2)*E(J)**2-D(I,J)**4-4*C(J)*D(I,J)**3
                                 -4*C(J)**2*D(I,J)**2)-C(J)*F(I,J)**2-2*C(J)*E(J)*F(I,J)
                                -2*C(J)*E(J)*2+C(J)*D(I,J)**2+2*C(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J))/(2*E(J)**2*D(I,J)**2*D(I,J))/(2*E(J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)**2*D(I,J)*
                     1 + 2*C(J)**2)
                        ENDIF
 C
                         IF (Q(I,J),LT.0.OR.Z(I,J).LT.0) THEN
                         B(I,J) = -((E(J)*F(I,J)**2+2*E(J)**2*F(I,J)+(-D(I,J)**2-2*C(J)
                     1 *D(I,J)-2*C(J)**2)*E(J))/(2*E(J)**2+2*C(J)**2))
                        K(2) = 1
                         ELSE
                        B(I,J) = -((C(J)*SQRT(-F(I,J)**2-2*E(J)*F(I,J)+2*D(I,J)*F(I,J)
                     1 +2*C(J)*F(I,J)+2*D(I,J)*E(J)+2*C(J)*E(J)-D(I,J)**2-2*C(J)
1 *D(I,J))*SQRT(F(I,J)**2+2*E(J)*F(I,J)+2*D(I,J)*F(I,J)+2*C(J)
                      1 *F(I,J)+2*D(I,J)*E(J)+2*C(J)*E(J)+D(I,J)**2+2*C(J)*D(I,J))
                     1 + E(J) * F(I,J) * * 2 + 2 * E(J) * * 2 * F(I,J) + (-D(I,J) * * 2 - 2 * C(J) * D(I,J)
                      1 -2*C(J)**2)*E(J))/(2*E(J)**2+2*C(J)**2))
                         ENDIF
 C
             50 CONTINUE
 C
 C
 C
                         WRITE OUTPUT TO FILE
 С
 C
                          IF (K(1).EQ.1.OR.K(2).EQ.1) THEN
                                      WRITE (9,2040) A(I,1),B(I,1),A(I,2),B(I,2),A(I,3)
                      1
                                                                                    B(I,3)
                         ELSE
                                      WRITE (9,2050) A(I,1),B(I,1),A(I,2),B(I,2),A(I,3)
                                                                                    ,B(I,3)
                         ENDIF
              51 CONTINUE
      2025 FORMAT (' ')
     2025 FORMAT ('')
2030 FORMAT ('', "HORIZ 1"', ', ', "VERT 1"', ', ', "HORIZ 2"'

1 ,',', "VERT 2"', ', ', "HORIZ 3"', ', ', "VERT 3"')
2040 FORMAT ('', F9.5, ', ', F9.5, ', ', F9.5, ', ', F9.5,

1 ', ', F9.5, ', ', ', ', ', ', ', ', ', ', F9.5, ', ', F9.5, ', ', F9.5,

1 ', ', F9.5)
```

RETURN END

APPENDIX C

DERIVATION OF FORMULATION FOR COMPUTED STRAIN
AND DISPLACEMENT FROM MEASURED STRAIN
AND DISPLACEMENT DATA

At any location on the test specimen, the strain may be expressed as a function of the specimen curvatures and the coordinates of the location. This relationship may be written as:

$$\varepsilon = -yk_x(z) - xk_y(z) + C \tag{C-1}$$

where: ε = total strain at a point in the specimen x, y, z = coordinates of point

 k_x = curvature about the specimen x-axis = $\frac{d^2y}{dz^2}$

 k_y = curvature about the specimen y-axis = $\frac{d^2x}{dz^2}$

C = strain due to axial load, constant for a given axial load, P.

The curvature for a buckled member can be written as:

$$k_x = A \cos \left[\frac{\pi}{L_e} \left(z - \frac{L}{2} \right) \right] + B \sin \left[\frac{\pi}{L_e} \left(z - \frac{L}{2} \right) \right]$$
 (C-2)

where: A,B = constants

L = length of specimen

 L_e = distance between inflection points (locations of zero moment).

The "effective length" of a buckled member can then be computed as the distance between inflection points divided by the length of the column, or (L_e/L) . The y-axis curvature was related to the x-axis curvature using the relationship:

$$k_{y}(z) = rk_{x}(z) \tag{C-3}$$

where: $r = \frac{\Delta x(2)}{\Delta y(2)}$

and $\Delta x(2)$ = measured x displacement at or near midspan

 $\Delta y(2)$ = measured y displacement at or near midspan.

The constants A,B,C and L_e were determined to provide the least-square error to the 30 measured strains (ϵ_m).

Substituting Eq. C-3 into Eq. C-1 results in: $\varepsilon = -(y + rx) k_x(z) + C. \tag{C-4}$

Eq. C-2 can also be written as:

$$k_{x} = A \cos \psi + B \sin \psi \tag{C-5}$$

where $\Psi = \frac{\pi}{L_e} (z - \frac{L}{2})$.

Substituting Eq. C-5 into Eq. C-4 results in an expression for computing the total strain:

$$\varepsilon = -(y + rx) (A \cos \psi + B \sin \psi) + C. \tag{C-6}$$

Subtracting the calculated strain, ϵ , from the measured strain, ϵ_m , at each gage location results in the fit error, *EFIT*, or:

$$EFIT = \varepsilon_m - \varepsilon. \tag{C-7}$$

The total error of the data fit was computed by summing the square of the errors of all individual measurements:

$$\xi = \sum_{i=1,n} [EFIT(i)]^2 \qquad (C-8)$$

where: n = number of measured strains.

Eq. C-8 is an expression of the error, ξ , which was minimized to obtain the best fit to the measured strains. Typically n=30, however strain readings from gages in a yielded region, i.e. - gages with $|\epsilon_m|>3000$, and readings which were statistical outliers were excluded from the data fit. To determine the statistical outliers, the strain error for each gage with $\epsilon_m<3000$ was computed at each data step. The average and the

standard deviation of these strain errors were also calculated at each data step. Any gage with a strain error greater than 2 standard deviations from the average strain error was considered a statistical outlier and was eliminated from the data for that load step.

The constants A,B,C and L_e were determined to calculate the strain at a given location at each load step. To obtain the best fit for the measured strains, L_e was varied from 0.32L to 2.00L. This corresponds to an effective length between 0.32 and 2.00 which were believed to be acceptable lower and upper bound values for the end conditions in this study. For each value of L_e , the constants A,B and C were computed that resulted in the least-square error. This error was then compared to the error for the other values of L_e . The L_e that resulted in the minimum least-square error was determined to be the effective length of the specimen for that load step. Values for L_e were determined at all data steps.

In order to obtain the least-square error, the partial derivative of the error, ξ , was taken with respect to the constants A,B, and C and set equal to zero. This results in three equations:

$$\frac{\partial \xi}{\partial A} = 2 \sum EFIT * \frac{\partial (-\epsilon)}{\partial A} = 0$$

$$\frac{\partial \xi}{\partial A} = 2 \sum EFIT * (y + rx) \cos \psi = 0$$
(C-9)

$$\frac{\partial \xi}{\partial B} = 2 \sum EFIT * \frac{\partial (-\varepsilon)}{\partial B} = 0$$

$$\frac{\partial \xi}{\partial B} = 2 \sum EFIT * (y + rx) \sin \psi = 0$$
(C-10)

$$\frac{\partial \xi}{\partial C} = 2 \sum EFIT * \frac{\partial (-\epsilon)}{\partial C} = 0$$

$$\frac{\partial \xi}{\partial C} = 2 \sum EFIT * (-1) = 0$$
(C-11)

which can be solved simultaneously to obtain A,B, and C. Substituting Eq. C-6 into Eq. C-7 results in an expression for EFIT:

$$EFIT = \varepsilon_m + (y + rx) (A \cos \psi + B \sin \psi) - C.$$
 (C-12)

Substituting Eq. C-12 into Eq. C-9 gives:

$$m_{11}A + m_{12}B + m_{13}C = a_1$$
 (C-13)

where:
$$m_{11} = \sum (y_i + rx_i)^2 \cos^2 \psi_i$$

 $m_{12} = \sum (y_i + rx_i)^2 \sin \psi_i \cos \psi_i$
 $m_{13} = -\sum (y_i + rx_i) \cos \psi_i$
 $a_1 = -\sum \epsilon_{m_i} (y_i + rx_i) \cos \psi_i$.

Similarly, substituting Eq. C-12 into Eq. C-10 gives:

$$m_{21}A + m_{22}B + m_{23}C = a_2$$
 (C-14)

where:
$$m_{21} = m_{12}$$

 $m_{22} = \sum (y_i + rx_i)^2 \sin^2 \psi_i$
 $m_{23} = -\sum (y_i + rx_i) \sin \psi_i$
 $a_2 = -\sum \epsilon_{m_i} (y_i + rx_i) \sin \psi_i$

Finally, substituting Eq. C-12 into Eq. C-11 gives:

$$m_{31}A + m_{32}B + m_{33}C = a_3$$
 (C-15)

where:
$$m_{31} = m_{13}$$

 $m_{32} = m_{23}$
 $m_{33} = n$
 $a_3 = \sum \epsilon_{m_4}$.

Writing Eqs. C-13, C-14, and C-15 in matrix form:

$$\begin{bmatrix} m_{11} & m_{12} & m_{13} \\ m_{12} & m_{22} & m_{23} \\ m_{13} & m_{23} & m_{33} \end{bmatrix} \begin{Bmatrix} A \\ B \\ C \end{Bmatrix} = \begin{bmatrix} a_1 \\ a_2 \\ a_3 \end{bmatrix}$$
 (C-16)

Applying Cramer's Rule to Eq. C-16 the unknown constants are obtained by:

$$\det = m_{11}m_{22}m_{33} + 2m_{12}m_{13}m_{23} - m_{13}^2m_{22} - m_{12}^2m_{33} - m_{23}^2m_{11}$$

$$A = \frac{1}{\det} \left[a_1m_{22}m_{33} + a_2m_{13}m_{23} + a_3m_{12}m_{23} - a_1m_{23}^2 - a_2m_{12}m_{33} - a_3m_{22}m_{13} \right]$$

$$B = \frac{1}{\det} \left[a_1m_{13}m_{23} + a_2m_{11}m_{33} + a_3m_{12}m_{13} - a_1m_{12}m_{33} - a_2m_{13}^2 - a_3m_{23}m_{11} \right]$$

$$C = \frac{1}{\det} \left[a_1m_{12}m_{23} + a_2m_{12}m_{13} + a_3m_{11}m_{22} - a_1m_{13}m_{22} - a_2m_{23}m_{11} - a_3m_{12}^2 \right]$$

If the strain gages are evenly spaced around the circumference of the specimen and if all gages are included, then $m_{13}=m_{23}=0$ so that $C=a_3/n$. The curvature about the x and y-axis was calculated using Eq. C-5 and C-3.

The expression for curvature was integrated twice to determine the deflection of the specimen due to bending. Integrating Eq. C-2 twice and applying the boundary conditions, f(0) = 0 and f(L) = 0, results in:

$$f(z) = \frac{-L_e^2}{\pi^2} \left\{ k_x(z) - A \cos \left[\frac{\pi}{L_e} \left(\frac{L}{2} \right) \right] + B \sin \left[\frac{\pi}{L_e} \left(\frac{L}{2} \right) \left(\frac{\frac{L}{2} - z}{\frac{L}{2}} \right) \right] \right\} \quad (C-17)$$

where: f(z) = y-deflection at location z from origin of coordinate system.

It was observed during the full scale testing that a hinge often forms at some location along the specimen. Thus, a rigid body component was included in the total deflection expression. The total deflection at any location on the specimen was then calculated as:

$$\Delta x(z) = rf(z) + \beta_x g(z)$$
 (C-18)

and

$$\Delta y(z) = f(z) + \beta_y g(z) \qquad (C-19)$$

where: β_x and β_y = constants equal to the rigid body deflections at the point of hinging in x and y-directions, respectively g(z) = function relating the hinging location and

any location on the specimen

$$g(z) = \begin{cases} \frac{z}{z_b} & \text{for } z \le z_b \\ \frac{L-z}{L-z_b} & \text{for } z \ge z_b \end{cases}$$

 z_b = location of hinge.

The rigid body deflection constants, β_x and β_y , were determined to produce calculated displacements with a least-square error to the measured displacements. This was done by computing an error term for the calculated displacements, setting the derivatives of the error term with respect to β_x and β_y to zero, and solving the resulting equations.

Taking z_j to be the location of a measured displacement, then:

$$f_j = f(z_j)$$
$$g_j = g(z_j).$$

If the measured displacements at z_j are denoted by Δx_j

and Δy_j , the error term for the displacement in the x direction, *EDISP*, becomes:

$$EDISP = rf_j + \beta_x g_j - \Delta x_j. \tag{C-20}$$

The total error for the x-displacements, ζ , was calculated as the sum of the squares of the individual *EDISP* errors, so that:

$$\zeta = \sum_{j=1,m} (rf_j + \beta_x g_j - \Delta x_j)^2$$
 (C-21)

= 3.

Taking the partial derivative of Eq. C-21 with respect to β_x :

$$\frac{\partial \zeta}{\partial \beta_x} = 2 \sum (rf_j + \beta_x g_j - \Delta x_j) g_j. \tag{C-22}$$

To minimize the x-displacement error, set Eq. C-22 equal to zero and solve for $\beta_{\,x}$ so that:

$$\beta_x = \frac{\sum (\Delta x_j - rf_j) g_j}{\sum g_j^2}.$$
 (C-23)

Similarly, the error was minimized for the y-displacements by taking the partial derivative of ζ with respect to β_{ν} and setting it equal to zero, where:

$$\zeta = \sum_{j=1,m} (f_j + \beta_y g_j - \Delta y_j)^2.$$
 (C-24)

The resulting equation is:

$$\beta_y = \frac{\sum (\Delta y_j - f_j) g_j}{\sum g_j^2}.$$
 (C-25)

A FORTRAN computer code, CURVE, was written to perform the analysis described in this appendix and is listed on the following pages. In addition to determining the effective length of the specimen, the x-

and y-eccentricity of the applied load was also computed. This was accomplished by computing the x and y-displacements at the two inflection locations. Since the moment must be zero at an inflection location, the line of action of the load must pass through the centroid of the cross-section at that location. Therefore, the x-and y-displacements at the inflection locations must be equal to the x- and y- eccentricity of the applied load.

PROGRAM CURVE

```
PURPOSE:
                THIS PROGRAM ATTEMPTS TO FIND THE EFFECTIVE LENGTH OF THE PIPE.
                IN ORDER TO DO THIS, IT FITS A COSINE WAVE, A SINE WAVE, AND A LINEAR TERM TO THE CURVATURE OF THE SPECIMEN BY USING THE STRAIN
C
C
                GAUGE DATA AND A LEAST SQUARES METHOD.
C
   VARIABLE LIBRARY
C
C
       A = THE COEFFICIENT OF THE COSINE WAVE TERM
C
       Aij = THE Aij COEFFICIENT OF THE CURVE FITTING MATRIX
C
       = THE AJI COEFFICIENT OF THE CURVE FITTING MATRIX
AMIN = THE A ASSOCIATED WITH ERRMIN
C
C
       B = THE COEFFICIENT OF THE SINE WAVE TERM
C
       BETAX = THE COEFFICIENT FOR THE LINEAR TERM OF THE X DISPLACEMENTS
BETAY = THE COEFFICIENT FOR THE LINEAR TERM OF THE Y DISPLACEMENTS
C
C
C
       BMIN = THE B ASSOCIATED WITH ERRMIN
       BUKLPT = THE POINT OF THE HINGE IN THE PIPE WHEN IT BUCKLES
C
       C = THE COEFFICIENT OF THE AXIAL STRAIN TERM
C
Ç
       CMIN = THE C ASSOCIATED WITH ERRMIN
       COORD(I,1) = THE X COORDINATE OF STRAIN GAUGE I COORD(I,2) = THE Y COORDINATE OF STRAIN GAUGE I
C
C
       COORD(1,3) = THE Z COORDINATE OF STRAIN GAUGE I
C
       DEN = THE DENOMINATOR OF THE EXPRESSION USED TO CALCULATE BETAX AND BETAY DET = THE DETERMINANT OF THE CURVE FITTING MATRIX
C
C
       DOAGIN = LOGICAL VARIABLE USED TO DETERMINE IF A, B, AND C SHOULD BE RE-
C
                   COMPUTED WITH OUTLYING STRAIN GAUGE READINGS ELIMINATED FROM A
С
                   TIME STEP
C
       DUM1 = A DUMMY VARIABLE THAT TAKES ON DIFFERENT VALUES IN DIFFERENT PARTS
C
                OF THE PROGRAM
C
       DUM2 = A DUMMY VARIABLE THAT TAKES ON DIFFERENT VALUES IN DIFFERENT PARTS
C
C
                OF THE PROGRAM
       DX(NN,I) = THE MEASURED X DISPLACEMENT AT LOCATION I AND LOAD STEP NN
C
       DY(NN,I) = THE MEASURED Y DISPLACEMENT AT LOCATION I AND LOAD STEP NN
C
       ERRMIN - THE MINIMUM ERROR OF FIT FOUND FOR THE CURVATURE.
C
       ERRX = THE SQUARED ERROR OF THE COMPUTED X DISPLACEMENTS ERRY = THE SQUARED ERROR OF THE COMPUTED Y DISPLACEMENTS
C
C
       EX = THE ROOT MEAN SQUARED ERROR OF THE COMPUTED X DISPLACEMENTS EY = THE ROOT MEAN SQUARED ERROR OF THE COMPUTED Y DISPLACEMENTS
C
C
С
       F(I) = THE TRANSCENDENTAL FUNCTION USED IN COMPUTING DISPLACEMENTS
       FIRST = LOGICAL VARIABLE USED TO PREVENT MORE THAN ONE SET OF OUTLYING STRAIN GAUGE READINGS FROM BEING ELIMINATED IN A LOAD STEP
C
C
C
       GEC = THE LINEAR FUNCTION USED IN COMPUTING DISPLACEMENTS AT INFLECTION
C
               POINTS
       G(I) = THE LINEAR FUNCTION USED IN COMPUTING DISPLACEMENTS
C
       H(I) = THE COMPUTED HORIZONTAL DISPLACEMENT AT LOCATION I
C
       I = A LOOP COUNTER
J = A LOOP COUNTER
C
C
       JJ = A LOOP COUNTER
C
C
       K = A LOOP COUNTER
C
       KK = A LOOP COUNTER
C
       L = THE LENGTH OF THE PIPE
       LEFF = THE EFFECTIVE LENGTH OF THE PIPE
C
       LMIN = THE L ASSOCIATED WITH ERRMIN
       MSR = THE SUM OF THE SQUARED X AND Y DISPLACEMENTS
```

```
MSS = MEAN SQUARED STRAIN
         NDS = THE NUMBER OF DATA STEPS
C
C
         NN = A LOOP COUNTER
         NUMX = THE NUMERATOR OF THE EXPRESSION USED TO CALCULATE BETAX NUMY = THE NUMERATOR OF THE EXPRESSION USED TO CALCULATE BETAY
C
C
C
         PI = 3.141592654
C
         PSI = THE ARGUMENT OF THE SINE AND COSINE TERMS
         R = THE RATIO BETWEEN THE Y CURVATURES AND THE X CURVATURES
C
C
         RHSi = THE RIGHT HAND SIDE OF EQUATION i
         RMIN = THE R ASSOCIATED WITH ERRMIN
C
С
         RMS = ROOT MEAN SQUARED ERROR
         SDEV = STANDARD DEVIATION OF THE NORMALIZED STRAIN GAUGE READING ERRORS
C
C
                   FOR A LOAD STEP
C
         STRAIN(I) = THE MEASURED STRAIN OF GAUGE I
         STRER - AVERAGE NORMALIZED STRAIN GAUGE READING ERROR FOR A LOAD STEP
C
C
         STRER(I) = NORMALIZED STRAIN GAUGE READING ERROR FOR GAUGE I
C
         V(I) = THE COMPUTED VERTICAL DISPLACEMENT AT LOCATION I
         XECI = THE COMPUTED X ECCENTRICITY OF THE LOAD AT LOCATION I
XEFF = THE LOCATION OF THE INFLECTION POINT RELATIVE TO THE ORIGIN
C
C
                   OF THE COORDINATE SYSTEM
C
         XEFF1 = THE LOCATION OF THE INFLECTION POINT CLOSEST TO THE ORIGIN OF THE
C
                     COORDINATE SYSTEM
C
         XEFF2 = THE LOCATION OF THE INFLECTION POINT FURTHEST FROM THE ORIGIN OF
                     THE COORDINATE SYSTEM
C
C
         YEC1 = THE COMPUTED Y ECCENTRICITY OF THE LOAD AT LOCATION i
         Z(I) = THE Z COORDINATE OF THE VERTICAL AND HORIZONTAL DISPLACEMENT
                   MEASUREMENTS AT LOCATION I
         IMPLICIT NONE
        INTEGER I, J, K, NDS, NN, JJ, KK

REAL COORD(0:29,3), A11, A12, A22, RHS1, RHS2, STRAIN(0:29), LEFF,

L, PI, DUM1, A, B, R, PSI, ERRMIN, RMS, AMIN, BMIN, STRER,

RMIN, MSS, LMIN, C, CMIN, RHS3, A13, A23, A33, DET, G(3),

BUKLPT, Z(3), DX(150,3), DY(150,3), F(3), BETAX, BETAY, NUMX,

NUMY, DEN, DUM2, MSR, ERRX, ERRY, EX, EY, V(3), H(3), SDEV,

GEC, XEFF1, XEFF2, XEC1, XEC2, YEC1, YEC2, XEFF, STRERR(0:29)
         LOGICAL DOAGIN, FIRST
C
        OPEN(UNIT=10,FILE='RING1.STR',STATUS='OLD')
        OPEN(UNIT=20,FILE='RING2.STR',STATUS='OLD')
OPEN(UNIT=30,FILE='RING3.STR',STATUS='OLD')
OPEN(UNIT=40,FILE='RING4.STR',STATUS='OLD')
OPEN(UNIT=50,FILE='RING5.STR',STATUS='OLD')
OPEN(UNIT=60,FILE='SGLOC.OUT',STATUS='OLD')
OPEN(UNIT=70,FILE='CURVE.OUT',STATUS='NEW')
C
         PI = 3.141592654
C
    READ IN GAUGE LOCATIONS, L, AND NUMBER OF DATA STEPS
C
         READ(60,*) ((COORD(I,J),J=1,3),I=0,29), L ,NDS
C
         CLOSE (UNIT=60)
         OPEN (UNIT=80, FILE='HVDISP.INP', STATUS='OLD')
C
```

```
READ IN THE Z DISTANCES TO THE STRINGPOTS AND THE BUCKLED POINT
C
   READ ALL THE HORIZONTAL AND VERTICAL DISPLACEMENTS
      READ(80,*) BUKLPT
      READ(80,*) (Z(I),I=1,3)
DO 125 I = 1,NDS
      READ(80,*) DX(I,1),DY(I,1),DX(I,2),DY(I,2),DX(I,3),DY(I,3)
  125 CONTINUE
      CLOSE (UNIT=80)
   COMPUTE THE FUNCTION G(I) FOR USE IN COMPUTING DISPLACEMENTS
      DO 120 I =1,3
      IF (Z(I).LT.BUKLPT) THEN
          G(I) = Z(I)/BUKLPT
      ELSE
          G(I) = (L-Z(I))/(L-BUKLPT)
      ENDIF
  120 CONTINUE
С
   READ IN THE STRAINS AND HORIZONTAL AND VERTICAL DISPLACEMENTS
      DO 1000 NN = 1, NDS
      JJ=NN-1
  PRINT 110, JJ, NDS-1

110 FORMAT(' ', 'TIMESTEP', I3,' OF ', I3)

READ(10,*) (STRAIN(I), I=0,5)

READ(20,*) (STRAIN(I), I=6,11)
      READ(30,*) (STRAIN(I),I=12,17)
READ(40,*) (STRAIN(I),I=18,23)
      READ(50,*) (STRAIN(I), I=24,29)
C DIVIDE THE INPUTTED STRAINS BY 10**6
      DO 150 I = 0,29
           STRAIN(I) = STRAIN(I)/10**6
  150 CONTINUE
С
   ITERATE FROM LEFF = 0.5*L TO 2.0L
С
C
      FIRST = .TRUE.
    5 ERRMIN = 100.0
      LMIN = L
      AMIN = 0.0
      BMIN = 0.0
      CMIN = 0.0
      RMIN = 0.0
      KK=0
C
С
   CALCULATE MSS
      MSS = 0.0
      DO 20 I=0,29
          IF (ABS(STRAIN(I)).GT.0.003) THEN
             GO TO 20
          ELSE
```

```
MSS = MSS+STRAIN(I)**2
          END IF
   20 CONTINUE
С
      DO 35 J=0,84
          KK=KK+1
          LEFF = (0.32+FLOAT(J)/50.0)*L
C FIND BEST A, B, AND C
          R=DX(NN,2)/DY(NN,2)
С
   THE FOLLOWING LOOP FINDS THE VALUES OF A, B, AND C
С
          A12 = 0.0
          A13 = 0.0
          A22 = 0.0
          A23 = 0.0
          A33 = 0.0
          RHS1 = 0.0
          RHS2 = 0.0
          RHS3 = 0.0
          DO 10 I=0,29
             IF (ABS(STRAIN(I)).GT.0.003) THEN
                 GO TO 10
                PSI = PI/LEFF*(COORD(I,3)-L/2.0)
DUM1 = COORD(I,2)+R*COORD(I,1)
All = All+(COS(PSI)*DUM1)**2
                 A12 = A12 + SIN(PSI) * COS(PSI) * DUM1 * * 2
                 A13 = A13 - DUM1 * COS(PSI)
                 A22 = A22 + (SIN(PSI) * DUM1) * *2
                 A23 = A23 - DUM1 + SIN(PSI)
                 A33 = A33+1
                 RHS1 = RHS1-STRAIN(I) *COS(PSI) *DUM1
                 RHS2 = RHS2-STRAIN(I) *SIN(PSI) *DUM1
                 RHS3 = RHS3 + STRAIN(I)
             END IF
          CONTINUE
   10
C
   CRAMER'S RULE TO FIND A, B AND C (NOTE: A12 = A21, A23=A32, A13=A31)
          DET = A11*A22*A33+2*A12*A13*A23-A22*A13**2
                 -A33*A12**2-A11*A23**2
              (RHS1*A22*A33+RHS2*A13*A23+RHS3*A12*A23
               -RHS1*A23**2-RHS2*A12*A33-RHS3*A22*A13)/DET
          B = (RHS1*A13*A23+RHS2*A11*A33+RHS3*A12*A13
               -RHS1*A12*A33-RHS2*A13**2-RHS3*A23*A11)/DET
          C = (RHS1*A12*A23+RHS2*A12*A13+RHS3*A11*A22)
               -RHS1*A13*A22-RHS2*A23*A11-RHS3*A12**2)/DET
С
   FIND ERROR OF FIT FOR A, B, AND R
          RMS = 0.0
```

```
DO 30 I=0,29
          IF (ABS(STRAIN(I)).GT.0.003) THEN
             GO TO 30
          ELSE
             PSI = PI/LEFF*(COORD(I,3)-L/2.0)
             RMS = RMS + (STRAIN(I) - C + (A * COS(PSI) + B * SIN(PSI))
                    *(COORD(I,2)+R*COORD(I,1)))**2
          END IF
30
      CONTINUE
      RMS = SQRT(RMS/MSS) *100.0
IF (RMS.LT.ERRMIN) THEN
          ERRMIN = RMS
          LMIN = LEFF
          AMIN = A
          BMIN = B
          CMIN = C
      END IF
35 CONTINUE
   LEFF = LMIN
   A = AMIN
   B = BMIN
   C = CMIN
DETERMINE IF ANY OF THE GAUGES SHOULD BE THROWN OUT
   IF (FIRST) THEN
       FIRST = .FALSE.
       STRER = 0.0
      RMS = 0.0
      KK = 30
   DO 50 I=0,29
       IF (ABS(STRAIN(I)).GT.0.003) THEN
          KK = KK-1
          GO TO 50
       ELSE
          PSI = PI/LEFF*(COORD(I,3)-L/2.0)
STRERR(I) = STRAIN(I)-C+(A*COS(PSI)+B*SIN(PSI))
*(COORD(I,2)+R*COORD(I,1))
          STRER = STRER+STRERR(I)
      END IF
50 CONTINUE
   RMS = SQRT(MSS/KK)
   STRER = STRER/KK/RMS
CALCULATE THE STANDARD DEVIATION OF THE ERRORS
   SDEV = 0.0
   DO 60 I=0,29
       IF (ABS(STRAIN(I)).GT.0.003) THEN
          GO TO 60
          SDEV = SDEV+(STRERR(I)/RMS-STRER)**2
       END IF
60 CONTINUE
   SDEV = SQRT(SDEV/(KK-1))
```

```
THROW OUT POINTS OVER TWO STANDARD DEVIATIONS OF ERROR FROM THE AVERAGE
С
       ERROR
С
       DOAGIN = .FALSE.
       DO 70 I=0,29
           IF (ABS(STRAIN(I)).GT.0.003) THEN
           ELSE IF (ABS(STRERR(I)/RMS-STRER).GT.2.0*SDEV) THEN
              STRAIN(I) = 0.0031
              DOAGIN = .TRUE.
           END IF
   70 CONTINUE
   RECALCULATE A, B, AND C IF ONE OF THE GAUGES WAS THROWN OUT
       IF (DOAGIN) THEN
           GO TO 5
       END IF
       END IF
     COMPUTE THE COEFFICIENTS OF THE LINEAR PORTION OF THE DISPLACED SHAPE
       NUMX = 0.0
       NUMY = 0.0
       DEN = 0.0
       DUM1 = PI/2.0*L/LEFF
       DO 130 I = 1,3
            PSI = PI/LEFF*(Z(I)-L/2.0)
            \begin{array}{lll} DUM2 &=& (L/2.0-Z(I))/(L/2.0) \\ F(I) &=& -(A*(COS(PSI)-COS(DUM1))+B*(SIN(PSI)+DUM2) \end{array}
                     *SIN(DUM1)))*(LEFF/PI)**2
            NUMX = NUMX+(DX(NN,I)-R*F(I))*G(I)
NUMY = NUMY+(DY(NN,I)-F(I))*G(I)
            DEN = DEN+(G(I)**2)
  130 CONTINUE
       BETAX = NUMX/DEN
       BETAY = NUMY/DEN
   COMPUTE X AND Y DISPLACEMENT ERRORS
       MSR = 0.0
       ERRX = 0.0
       ERRY = 0.0
       DO 170 I = 1,3
           H(I) = R*F(I) + BETAX*G(I)

V(I) = F(I) + BETAY*G(I)

MSR = MSR+DX(NN,I)**2+DY(NN,I)**2

ERRX = ERRX+(H(I)-DX(NN,I))**2
           ERRY = ERRY+(V(I)-DY(NN,I))**2
   170 CONTINUE
       EX = 100.0 \pm SQRT(ERRX/MSR)
       EY = 100.0*SQRT(ERRY/MSR)
    COMPUTE THE POINTS OF INFLECTION AND ECCENTRICITIES BASED ON CURVATURE
```

```
XEFF = L/2.0-LEFF/PI*ATAN(A/B)
          IF(XEFF.GT.L/2.0) THEN
             XEFF2 = XEFF
             XEFF1 = XEFF2-LEFF
             XEFF1 = XEFF
             XEFF2 = XEFF1+LEFF
          END IF
          IF(XEFF1.LT.BUKLPT) THEN
             GEC = XEFF1/BUKLPT
          ELSE
             GEC = (L-XEFF1)/(L-BUKLPT)
          END IF
          DUM1 = PI/LEFF*(XEFF1-L/2.0)
          DUM2 = PI/2.0*L/LEFF
          XEC1 = BETAX*GEC-(A*(COS(DUM1)-COS(DUM2))+B*(SIN(DUM1)-2.0/L*
                  (XEFF1-L/2.0) *SIN(DUM2))) *R*((LEFF/PI) **2)
          YEC1 = BETAY*GEC-(A*(COS(DUM1)-COS(DUM2))+B*(SIN(DUM1)-2.0/L*
                  (XEFF1-L/2.0) *SIN(DUM2))) *((LEFF/PI) **2)
          IF (XEFF2.LT.BUKLPT) THEN
             GEC = XEFF2/BUKLPT
          ELSE
             GEC = (L-XEFF2)/(L-BUKLPT)
          END IF
          DUM1 = PI/LEFF*(XEFF2-L/2.0)
          xec2 = Betax*gec-(A*(cos(DuM1)-cos(DuM2))+B*(sin(DuM1)-2.0/L*
                  (XEFF2-L/2.0) *SIN(DUM2))) *R*((LEFF/PI) **2)
          YEC2 = BETAY*GEC-(A*(COS(DUM1)-COS(DUM2))+B*(SIN(DUM1)-2.0/L*
                  (XEFF2-L/2.0) *SIN(DUM2))) *((LEFF/PI) **2)
C
   PRINT OUT FINAL RESULTS
C
  WRITE(70,100) JJ
100 FORMAT(' '//'STEP NO. = ',13)
С
   PRINT OUT THE GAUGES THROWN OUT
С
C
      DO 250 I=0,29
          IF (STRAIN(I).EQ.0.0031) THEN
             WRITE (70,230) I FORMAT(' ','GAUGE NO. ',12,' ELIMINATED DUE TO DEVIATION',
      +' ERROR')
          ELSE IF (ABS(STRAIN(I)).GT.0.003) THEN
             WRITE(70,240) I
             FORMAT(' ', 'GAUGE NO. ', 12, ' ELIMINATED DUE TO MAX READING')
          END IF
  250 CONTINUE
       PRINT 36, LEFF/L, A, B, C, R, ERRMIN
       PRINT 300
  300 FORMAT(/)
   WRITE(70,36) LEFF/L, A, B, C, R, ERRMIN

36 FORMAT('LEFF/L = ',F4.2,3X,'A = ',G12.5,3X,'B = ',G12.5,3X,
+'C = ',G12.5,/'R = ',G12.5,3X,'STRAIN ERROR = ',F6.2,'%')
       WRITE(70,160) BETAX, BETAY
```

C

```
160 FORMAT(' ', 'BETAX = ',G12.5,3X, 'BETAY = ',G12.5)

DO 200 I = 1,3

WRITE(70,190) I, H(I), I, V(I)

190 FORMAT(' ','X',II,' = ',G12.5,3X,'Y',II,' = ',G12.5)

200 CONTINUE

WRITE(70,180) EX, EY

180 FORMAT(' ','X DISP ERROR = ',F6.2,'\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstylength{\text{.}}\darkstyl
```

APPENDIX D

APPLIED LOAD ECCENTRICITY AS COMPUTED FROM END MOMENTS

In the experimental program, the line of action of the applied compressive load was located as near to the centroid of the cross-section as possible. Since the ends of the specimens were not attached to the load frame, it was possible for the ends to rotate if the specimen failed in an overall buckling mode. If the ends rotated, the compressive load was no longer applied through the centroid of the cross-section, but rather, was applied eccentrically. The eccentricity of loading was determined by computing the displacements at the inflection points of the buckled specimen as described in Appendix C. In addition, the load eccentricity may also be calculated using the end moments as computed from the curvature of the buckled specimen. This appendix contains a detailed description of this method for computing the load eccentricity.

An eccentric compressive load induces an applied bending moment at the ends of the specimen. This applied bending moment is:

$$M = Pe (D-1)$$

where: P = applied compressive load

e = eccentricity of applied load.

From fundamental mechanics, the bending moment can be expressed in terms of the curvature at any location along a member by:

$$M_i = k_i E I_i \tag{D-2}$$

where: M_i = bending moment with respect to the i-axis

 k_i = specimen curvature with respect to the i-axis

E = modulus of elasticity (29,500 ksi)

 I_i = moment of inertia with respect to the i-axis.

Substituting Eq. D-2 into Eq. D-1 results in: $Pe_{j} = k_{i}EI_{i}. \tag{D-3}$

Solving Eq. D-3 for eccentricity results in:

$$e_j = EI_i \frac{k_i}{P} \tag{D-4}$$

where: j axis is perpendicular to the i axis.

The modulus of elasticity and moment of inertia were assumed constant along the length of each specimen for all load steps. The moment of inertia was computed based on nominal section properties while the applied compressive load was computed from the measured data at each load step. The curvature at each end of the specimen was determined by substituting z=0 and z=L into Eq. C-3 and C-5 of Appendix C. Using Eq. D-4, the eccentricity in the x and y directions at each end of the specimen was then computed for each load step.

The computer program ECC was written and utilized to perform these calculations. A listing of this program can be found on the following pages.

PROGRAM ECC

```
C
             THIS PROGRAM CALCULATES THE END ECCENTRICITES OF THE PIPE AND
  PURPOSE:
C
             AVERAGES THEM.
C
C
С
   VARIABLE LIBRARY
      A = THE COEFFICIENT OF THE COSINE TERM USED TO FIT THE DISPLACED
C
          SHAPE IN CURVE.FOR
C
      B = THE COEFFICIENT OF THE SINE TERM USED TO FIT THE DISPLACED
          SHAPE IN CURVE.FOR
C
      EI = YOUNG'S MODULUS TIMES THE MOMENT OF INERTIA
C
      EX1 = THE X-ECCENTRICITY AT Z = 0
C
      EX2 = THE X-ECCENTRICITY AT Z = L
C
      EY1 = THE Y-ECCENTRICITY AT Z = 0
C
      EY2 = THE Y-ECCENTRICITY AT Z = L
C
C
      I = A LOOP COUNTER
      KE = THE LENGTH OF THE PIPE DIVIDED BY THE EFFECTIVE LENGTH OF THE
C
           PIPE
C
      NOSTEP = THE NUMBER OF TIME STEPS
C
C
      P = LOAD
      PI = 3.141592654
C
      R = Y-CURVATURE/X-CURVATURE
C
C
C
   TYPE DECLARATIONS
С
      IMPLICIT NONE
      INTEGER I, NOSTEP
      REAL A, B, EI, EX1, EX2, EY1, EY2, KE, P, PI, R
C
   OPEN INPUT AND OUTPUT FILES
C
C
      OPEN (UNIT=10, FILE='ECC. INP', STATUS='OLD')
      OPEN (UNIT=20, FILE= 'ECC. OUT', STATUS= 'NEW')
      OPEN (UNIT=30, FILE='ECC. PLT', STATUS='NEW')
C
   READ IN THE NUMBER OF TIME STEPS AND EI
C
C
      READ(10,*) NOSTEP, EI
   CALCULATE THE ECCENTRICITIES AND WRITE THEM TO THE OUTPUT FILE
C
       PI = 3.141592654
       DO 30 I=0, NOSTEP
          READ(10,*) KE, A, B, R, P
EY1 = EI/P*(A*COS(PI/(2.0*KE))-B*SIN(PI/(2.0*KE)))
          EY2 = EI/P*(A*COS(PI/(2.0*KE))+B*SIN(PI/(2.0*KE)))
          EX1 = EY1*R
          EX2 = EY2*R
          WRITE(20,25) I,EX1,EY1,EX2,EY2,(EX1+EX2)/2.0,(EY1+EY2)/2.0
          WRITE(30,20) EX1, EX2, (EX1+EX2)/2.0, EY1, EY2, (EY1+EY2)/2.0
    30 CONTINUE
 C
 C
    FORMAT STATEMENTS
```

```
20 FORMAT(' ',6(G12.5,1X))
25 FORMAT(' ','STEP NO.',13/'EX1 = ',G12.5,3X,'EY1 = ',G12.5/'EX2 = ',+,G12.5,3X,'EY2 = ',G12.5/'AVERAGE EX = ',G12.5,3X,'AVERAGE EY = ',+,G12.5/)

C
C CLOSE FILES AND LEAVE
C CLOSE(UNIT=10)
CLOSE(UNIT=20)
CLOSE(UNIT=30)
END
```

APPENDIX E

FORMULATION FOR COMPUTING FULL SCALE EFFECTIVE WALL THICKNESS

The average axial strain in a linearly, elastic member subjected to a compressive axial load can be written as:

$$\varepsilon_{avg} = \left(\frac{P}{A E}\right) \tag{E-1}$$

where:

P = axial load,

A = cross-sectional area,

E = modulus of elasticity (for steel, 29,500 ksi).

Equating this expression to the axial strain coefficient from the CURVE algorithm:

$$C = \varepsilon_{avg} = \left(\frac{P}{A_{eff} E}\right) \tag{E-2}$$

where:

C = axial strain coefficient from CURVE algorithm
 (see Appendix C) at a given load step,

P = measured load at a given load step,

 A_{eff} = effective cross-sectional area of the member at a given load step.

Solving Eq. E-2, for the effective area at a given load step: $A_{eff} \sim \left(\frac{P}{CE}\right) = \frac{\pi}{4} \left(d_o^2 - d_i^2\right) \tag{E-3}$

where:

 d_o = measured nominal outside diameter,

 d_i = computed inside diameter at a given load step.

Solving for the computed inside diameter at a given load step:

$$d_i = \left(d_o^2 - \frac{4}{\pi} A_{eff}\right) = \left[d_o^2 - \frac{4}{\pi} \left(\frac{P}{CE}\right)\right]^{1/2}$$
 (E-4)

Substituting the effective wall thickness:

$$t_{eff} = \frac{d_o - d_i}{2}$$

into Eq. E-4, results in an expression for the effective wall thickness for a given load step:

$$t_{eff} = \frac{d_o - \left[d_o^2 - \frac{4}{\pi} \left(\frac{P}{CE} \right)^{1/2} \right]}{2}$$
 (E-5)

DOCUMENTATION OF INFORMATION PRESENTED

ON COMPUTER DISKS

Computer Code, Input Files, and Output Files

Computer Code

The measured data was reduced using 5 computer codes written specifically for this study. The fortran code (uncompiled) is on this disk for each program with the file extension (.FOR). In order to run the programs, the code must be compiled to create an executable (.EXE) file. It should be noted that these programs have been upgraded to facilitate data input since they were first written. As a result, some of the input files may have to be slightly modified before they will run in the current format. For instance, all input to the DISPLAC program first had the specimen number in the filename, i.e. LSP01.DAT. Using this method, the computer code must be changed to read filenames with the correct specimen number and recompiled for every specimen. Therefore, the code was changed to input data from filenames without the specimen number identification, i.e. LSP.DAT.

The possible adjustments which may be needed to run each program are presented in this section. Changes to filenames or computer codes should be made using a non-document type of word processing editor.

PROGRAM SGL.FOR

This program converts the longitudinal and circumferential strain gage location measurements to x,y, and z coordinates corresponding to the full scale test sign convention. Input is from the file SGLOC.INP and output is to the file SGLOC.OUT. Example input and output files are shown on the following pages.

Input necessary for this program includes specimen number, diameter, length, and strain gage locations as measured prior to full scale testing. The SGLOC.INP files listed on the accompanying specimen disks should be ready to input into SGL.FOR. The output file is to be used in the program CURVE.FOR. Please note that the number of data steps must be added to this file prior to running the CURVE program.

Please note: Information typed in **boldface** is for explanation only and not included in files.

Example SGLOC.INP file:

```
Specimen No., diameter, length
01, 9.0, 235.25
             - Gage 0
5.25
             - Gage 1
12.5
24.5
-22.75
-13.375
             - Etc. -
-3.5
13.625
24.375
-22.5
-13.25
-2.375
5.5
15.0
24.375
-22.75
-14.625
-5.25
5.5
12.75
26.75
-22.875
-13.75
-3.75
5.625
14.875
24.125
-23.375
-13.875
             - Gage 29
-4.625
             - Distance to gages 0,1,2,3,4 and 5 from end B
195.875
156.75
              - Etc.
117.625
 82.75
              - Distance to gages 24,25,26,27,28 and 29 from
 44.8758
                 end B
```

Note: All measurements in inches.

Example SGLOC.OUT file:

x	Y	Z	coordinate	S			
4.9573	7.5117	195.8750					
8.8515	1.6282	195.8750					
3.6647	-8.2201	195.8750					
-5.1839	-7.3571	195.8750		. :			
-8.9677	.7613	195.8750					
-3.4124	8.3280	195.8750					
5.1640	7.3711	156.7500					
8.9854	.5119	156.7500					
3.7785	-8.1684	156.7500					
-5.3862	-7.2103	156.7500					
-8.9563	.8857	156.7500					
-2.3475	8.6884	156.7500					
5.1640	7.3711	117.6250					
8.9587	8615	117.6250					
3.7785	-8.1684	117.6250					
-5.1839	-7.3571	117.6250					
-8.9868	4876	117.6250					
-4.9573	7.5117	117.6250					
5.1640	7.3711	82.7500					
8.8933	1.3817	82.7500					
1.5171	-8.8712	82.7500					
-5.0812	-7.4284	82.7500					
-8.9917	.3870	82.7500					
-3.6424	8.2300	82.7500					
5.2659	7.2987	44.8758					
8.9698	7370	44.8758					
4.0039	-8.0603	44.8758					
-4.6609	-7.6991	44.8758					
-8.9962	.2621	44.8758					
-4.4241	7.8376	44.8758	3				
235.2500	_	inches.					
75	Number	of data	steps, not	include	in	SGL	output.
	Must be	e added b	efore input	to CUR	JE		

PROGRAM DISPLAC.FOR

This program computes the resultant load, the chord shortening, the horizontal displacements, and the vertical displacements at each data step. The measured data is read from 4 files. These are LSP##.DAT, HVP##.DAT, LOAD##1.DAT, AND LOAD##2.DAT. For each specimen, the corresponding specimen number replaces ##, i.e. LSP01.DAT. The output is broken into two files. The first file, SPEC##1.OUT, contains the load and chord shortening information. In addition, the time and resultant load location is given. The second file, SPEC##2.OUT, contains the horizontal and vertical displacements measured at six locations.

Sample input and output files are given on the following pages. For some of the specimens, it may be necessary to add the number of load steps to the LSP##.DAT file. In addition, the specimen numbers must be removed from all the input filenames. For example, LSP01.DAT must be changed to LSP.DAT. The output filenames will not have specimen numbers included either, i.e SPEC1.OUT. If the specimen numbers are desired for inventory purposes, the filename can be changed. See note below.

Some of the output files on the disks may or may not have the headers shown in the example files. This is because the headers are removed when the files are input into other programs to create plot files. However, none of the information is missing.

Note: To change a filename:

1) At DOS prompt, type rename filename.ext filename.ext

Example:

C:\> rename LSP01.DAT LSP.DAT

Please note: Information typed in **boldface** is for explanation only and not included in files.

Input Files

Example LSP.DAT file:

"SPECIMEN 02 - 2/2/90" Title

- Number of data steps may need to be added
- 22.125 3.958 10.8125 18.167 Specimen length, distance to Loc 1, 2, and 3 of horizontal and vertical displacement measurements from end A in ft., respectively.
- 22.5 19.25 23 19.5 12.5 9.25 Initial pivot distances for pots 33, 34, 35, 36, 37, and 38 respectively in inches.
- 30770 3100 259 4.38 11.28
 E, Ix, and Iy of load frame and x and y coordinates of gages on load frame
- 36 36 36 Distance from centroid of headstock/tailstock to load frame legs in inches.
 - 1.330093
 1.325489
 1.325999
 1.322437
 1.327159
 1.333791
 1.324886
 1.323037
 1.328089

 Calibration factor for data channel 40.
 calibration factor for data channel 41.
 - Chord Shortening Correction Data channel No End A End B 32 30 31 TIME 0 0 0 -0.02359 -0.03524 124 0 142 -0.01181 -0.02359 -0.03524 0 0 160 -0.01181 -0.02359 -0.03524 0 270 -0.09449 -0.09434 -0.10571 0.0155 0.0155 0.0155 0.0155 287 -0.08267 -0.09434 -0.10571

Example HVP.DAT file:

Data Channel No.						
33	34	35	36	37	38	
_0_02368	0.011815	-0.01179	0	-0.0059	0.011843	
0	0.011815	0	0	-0.00295	0.014804	
-0.02368	0.011815	-0.01179	0.011822	-0.0059	0.014804	
-0.01184	0.035446	-0.02358	0.047287	-0.02654	0.041451	
-0.01184	0.035446	-0.02358	0.047287	-0.02359	0.041451	

Example LOAD1.DAT file:

40	11 41	42		44
6.66403 7.996836 35.98576	5.323548 3.992661 3.992661 38.59572 37.26483	7.95321 9.278746 53.0214	5.28956 5.28956 44.96126	9.310329 7.980282 7.980282 46.55165 46.55165

Example LOAD2.DAT file:

Data Channel No.							
45	46	47	48				
6.66966	5.302696	6.60757	6.64324				
9.337524	3.977022	3.964542	6.64324				
	3.977022		6.64324				
38.68403	34.46753	39.64542	38.53079				
	35.7932						

Output Files

Example SPEC1.OUT file:

"SPECIMEN 01 - 2/15/90" Title
"TIME", "LOAD", "Xr", "Yr", "CHORD SH" Headers - may be removed

	Load		ıltant ation	Chord Shortening
Time	(kips)	x, (in)	y, (in)	(in.)
374.00,	21.2516,	-3.11270,	-1.35214,	00393
394.00,	19.9323,	-2.10154,	1.84687,	.00000
415.00,		-4.08448,	-2.05613,	00394
508.00,	122.8254,	-1.94773,	.49377,	.07070
	122.1700,	-1.42502,	.48950,	.07070

Example SPEC2.OUT file:

"HORIZ 1", "VERT 1", "HORIZ 2", "VERT 2", "HORIZ 3", "VERT 3" Header - may be removed

		Deflect	ions		
Horiz.	Vert.	Horiz	Vert.	Horiz.	Vert.
1	1	2	2	3	. 3
(in.)	(in.)	(in.)	(in.)	(in.)	(in.)
2 - Def:	lections me	easured nea	r midspan		
3 - Der.	lections me	asured nea	I DIG D		
.02368,	01180,	.01179,	01182,	.00591,	01184
.00000,	01182,	.01179,	01182,	.00296,	01480
.02368,	01180,	.01179,	01182,	.00591,	01480
.01194,	03536,	.02365,	04724,	.02661,	04141
.01194,	03536,	.02365,	04724,	.02366,	04141

PROGRAM CURVE.FOR

This program is a least squares algorithm which obtains the "best fit" for the strain gage and displacement data.

Input needed for this program includes the measured strains, the gage locations, and the measured displacements. The specimen strain gage readings are input in the RING#.STR files. The gage locations are read from the SGLOC.OUT file, and the displacements are input in the HVDISP.INP file.

The SGLOC.OUT file was previously presented. Remember, the number of data steps must be added to this file.

Example of the other input files are given on the following pages along with an example output page. The output is in the file CURVE.OUT and includes the effective length, information on deleted gages, eccentricities, and the error of fit.

The HVDISP.INP file is made by deleting the header on the SPEC2.OUT file and adding the information required for CURVE.

Please note: Information typed in **boldface** is for explanation only and not included in files.

Input Files

Example HVDISP.INP file:

36.0 Distance to buckling point from end B, inches.

191.75 121.0 41.0 Distance from end B to locations 1, 2, and 3 of horizontal and vertical measurements, respectively, inches.

Remainder of file - same as SPEC2.OUT

	01180, 01182,	•	01182, 01182,	.00296,	01184 01480
.02368.	01180,	.01179,	01182,	.00591,	01480
.01194,	03536,	.02365,	04724,	,	04141
.01194,	03536,	.02365,	04724,	.02366,	04141

Example RING1.STR file:

Data Channel No.							
0	1	2	3	4	5		
-49.9495	-34.2368	-27.9085	-37.5443	-56.2146	-62.6567		
-49.9495	-29.5681	-21.7066	-37.5443	-49.9686	-59.5239		
-48.3886	-31.1244	-27.9085	-37.5443	-56.2146	-59.5239		
-274.722	-230.32	-212.415	-212.751	-251.404	-303.885		
-274.722	-231.876	-210.864	-214.315	-246.72	-300.752		

Example RING2.STR file:

6	7		nnel No.	10	11
-60.7809 -59.2224 -349.101	-46.8879 -45.325 -45.325 -300.083 -298.52	-26.4292 -26.4292 -234.753	-50.4384 -50.4384 -296.326	-65.6591 -67.2224 -320.479	-67.0917 -68.6519

Example RING3.STR file:

12	13	Data Cha	nnel No. 15	16	17
-72.1206 -68.9849 -70.5528	-61.9974 -58.8976 -644.773	-20.2056 -23.3142 -191.176	-21.7757 -23.3311 -217.757	-42.1872 -42.1872 -40.6247 -267.185 -262.498	-76.4513 -73.3309 -357.293

Example RING4.STR file:

Data Channel No.							
18	19	20	21	22	23		
-110.727 -112.287 -536.481	-61.0821 -57.9497 -296.013	-18.6847 -15.5706 -174.391	-12.4583 -17.1302 -144.828	-26.4798 -26.4798 -26.4798 -185.359 -183.801	-74.5185 -72.966 -357.068		

Example RING5.STR file:

Data Channel No.							
24	25	26	27	28	29		
-95.3012	_73 /007	-17 0815	-4.66893	-37.357	-66.8473		
-93.7389	-73.4097	-17.0815	-6.22524	-37.357	-65.2927		
-92.1766	-71.8478	-18.6344	-4.66893	-35.8004	-65.2927		
-381.205	-362.363	-186.344	-174.307	-287.96	-317.136		
-378.08	-363.925	-186.344	-174.307	-286.404	-318.691		

Output File

Example CURVE01.OUT file:

```
STEP NO. = 0
GAUGE NO. 18 ELIMINATED DUE TO DEVIATION ERROR
LEFF/L = 2.00 A = .13598E-05 B = .56479E-06
-.47634E-04
            STRAIN ERROR = 36.98%
R = -.99746
BETAX = .51318E-02 BETAY = -.75262E-02
X1 = .67513E-02 Y1 = -.72883E-02
                 Y2 = -.13269E-01
       .11874E-01
 X2 =
                 Y3 = -.11998E-01
      .96517E-02
 X DISP ERROR = 51.04% Y DISP ERROR = 13.96%
                                             .0204
 ZEFF1/L = -.2494 XEC1 = -.0165
                                    YEC1 =
                                    YEC2 =
                    XEC2 = -.0484
                                             .0506
 ZEFF2/L = 1.7506
STEP NO. = 1
 GAUGE NO. 18 ELIMINATED DUE TO DEVIATION ERROR
LEFF/L = 2.00 A = .13244E-05 B = .66165E-06 C =
-.46125E-04
                STRAIN ERROR = 38.13%
R = -.99746
 BETAX = -.67983E-03 BETAY = -.99569E-02
 X1 = .54093E-02 Y1 = -.77457E-02
                 Y2 = -.14436E-01
      .83146E-02
 X2 =
       .37927E-02 Y3 = -.14174E-01
 X3 =
 X DISP ERROR = 25.50% Y DISP ERROR = 19.21%
                                             .0196
 ZEFF1/L = -.2051 XEC1 = -.0053
                                     YEC1 =
                                              .0575
                                     YEC2 =
                    XEC2 =
                            -.0474
 ZEFF2/L = 1.7949
STEP NO. = 2
 GAUGE NO. 18 ELIMINATED DUE TO DEVIATION ERROR
LEFF/L = 2.00 A = .13020E-05 B = .64230E-06 C =
-.46288E-04
                STRAIN ERROR = 36.75%
R = -.99746
 BETAX = .55156E-02 BETAY = -.10086E-01
 X1 = .66624E-02 Y1 = -.76741E-02
                  Y2 = -.14362E-01
       .11719E-01
 X2 =
       .97625E-02 Y3 = -.14229E-01
 X DISP ERROR = 49.70% Y DISP ERROR =
                                     13.90%
 ZEFF1/L = -.2082 	 XEC1 = -.0137
                                              .0199
                                     YEC1 =
                                     YEC2 =
                                               .0564
 ZEFF2/L = 1.7918
                    XEC2 =
                            -.0520
```

Definintion of output variables for CURVE.OUT.

LEFF/L is the effective length for which the "best-fit" of the data was determined.

A, B, C are constants of the function assumed to fit the curvatures. See Appendix C.

R is the ratio of the measured horizontal to vertical displacements at midspan.

STRAIN ERROR is the root mean square (RMS) error of the strain fit.

BETAX, BETAY are constants of the rigid-body dispacement function.

X1 is the computed horizontal displacement at location 1.

Y1 is the computed vertical displacement at location 1.

X2 is the computed horizontal displacement at location 2.

Y2 is the computed vertical displacement at location 2.

X3 is the computed horizontal displacement at location 3.

Y3 is the computed vertical displacement at location 3.

X DISP ERROR is the RMS error of the horizontal dislacements.

Y DISP ERROR is the RMS error of the vertical displacements.

ZEFF1/L, ZEFF2/L are the location of the inflection points.

XEC1 is eccentricity from inflection points at end B in the x-direction.

YEC1 is eccentricity from inflection points at end B in the y-direction.

XEC2 is eccentricity from inflection points at end A in the x-direction.

YEC2 is eccentricity from inflection points at end B in the y-direction.

PROGRAM CHANGE.FOR

This program arranges the output of CURVE into files for plotting. Input is from the files SPEC1.OUT and CURVE.OUT. The output is written to 5 files.

The applied load is read from the SPEC1.OUT file. Before running CHANGE, the title and header lines must be removed from this file.

The effective length, eccentricities from inflection points, etc. are input from CURVE.OUT. The number of data steps, location of buckling point from end B in inches, and length of the specimen in inches must be added to the beginning of this file.

The input files for this program have been previously presented. The output files are presented on the following pages.

Please note: Information typed in **boldface** is for explanation only and not included in files.

Output files

Example CHANGE.OUT file:

Load	Effective Length	XEC	YEC	c
0	2.00	0324	.0355	47634E-04
1	2.00	0264	.0386	46125E-04
2	2.00	0329	.0382	46288E-04
. 3	1.18	0134	.0232	27068E-03
4	1.18	0123	.0233	27013E-03

Note: C is coefficient representing P/A term in curve fit.

Example ECC.INP file:

74, 17437034 Number of steps, EI

Leff	A	В	R	Load (kips)
2.00	.13598E-05	.56479E-06	99746	21.2516
2.00	.13244E-05	.66165E-06	99746	19.9323
2.00	.13020E-05	.64230E-06	99746	19.9275
1.18	.79026E-05	15513E-05	50064	122.8254

Note: A and B coefficients of curve fit. R is ratio of midspan displacements.

Example LOAD.PLT file:

Load Step	Load (kips)				
0	21.2516				
1	19.9323				
2	19.9275				
3	122.8254				
Δ	122.1700				

Example BETA.PLT file:

Curvature Displacement (in.)	Rigid body Displacement (in.)	Total Displacement (in.) .91093E-02	
.54990E-07	.91093E-02	.91093E-02	
.64418E-07	.99801E-02	.99801E-02	
.62534E-07	.11496E-01	.11496E-01	
.17251E-05	.15841E-01	.15843E-01	
.17008E-05	.15316E-01	.15318E-01	

Example ECCIP.PLT file:

XECC end B (in.)	XECC end A (in.)	XECC Ave. (in.)	YECC end B (in.)	YECC end A (in.)	YECC Ave. (in.)
165E-01	484E-01	3245E-01	.204E-01	.506E-01	.355E-01
530E-02	474E-01	2635E-01	.196E-01	.575E-01	.3855E-01
137E-01	520E-01	3285E-01	.196E-01	.564E-01	.3815E-01
254E-01	140E-02	1340E-01	.436E-01	.270E-02	.2315E-01
232E-01	140E-02	1230E-01	.438E-01	.270E-02	.2325E-01

PROGRAM ECC.FOR

This program computes the end eccentricities from the end moments calculated by the CURVE algorithm. Input is from the file ECC.INP generated by the CHANGE program. The number of data steps and EI must be added to the ECC.INP file.

The input file has already been presented. Two output files are created by this program. ECC.OUT gives the eccentricities in a stepwise form while ECC.PLT lists the eccentricities in tabular form for plotting purposes.

Example output files are given on the following page.

Please note: Information typed in **boldface** is for explanation only and not included in files.

ECC.OUT

STEP NO. 0 EY1 =.46125 EX1 = -.46008EX2 = -1.1138 EY2 =1.1166 .78893 AVERAGE EY = AVERAGE EX = -.78693STEP NO. 1 EY1 = .40997EX1 = -.40893EX2 = -1.2254EY2 = 1.2285AVERAGE EY = .81926AVERAGE EX = -.81717STEP NO. 2 EX1 = -.40714EY1 =.40818 EY2 = 1.2030EX2 = -1.2000AVERAGE EY = .80559AVERAGE EX = -.80355STEP NO. 3 .48020 EY1 =EX1 = -.24041.52317E-01 EX2 = -.26192E-01 EY2 =AVERAGE EY = .26626AVERAGE EX = -.13330STEP NO. EY1 = .47560EX1 = -.23811EX2 = -.26144E-01 EY2 =.52221E-01 AVERAGE EY = .26391AVERAGE EX = -.13212

Note: EX1 is the eccentricity in the x-direction at end B in inches.

EY1 is the eccentricity in the y-direction at end A in inches.

Example ECC.PLT file:

XECC	XECC	XECC	YE	B en	ECC	YECC
end B	end A	Ave.	end		d A	Ave.
(in.)	(in.)	(in.)	(in		n.)	(in.)
46008 40893 40714 24041 23811	-1.1138 -1.2254 -1.2000 26192E-01 26144E-01	78693 81717 80355 13330 13212	.46125 .40997 .40818 .48020	1.1166 1.2285 1.2030 .52317E .52221E		.78893 .81926 .80559 .26626

Input and Output Files

The input and output files for each specimen are saved on computer disks. Data from two specimens is saved on each of ten disks. Each specimen as a directory on the disk. All specimen data is saved in this directory. The data may be accessed using a word processing package or imported into a spreadsheet.

Note: To change directories, at the prompt type cd\dirname.

Example:

A:\> cd\spec01